

# KECCAK/SHA3 CRYPTOGRAPHIC HASHING

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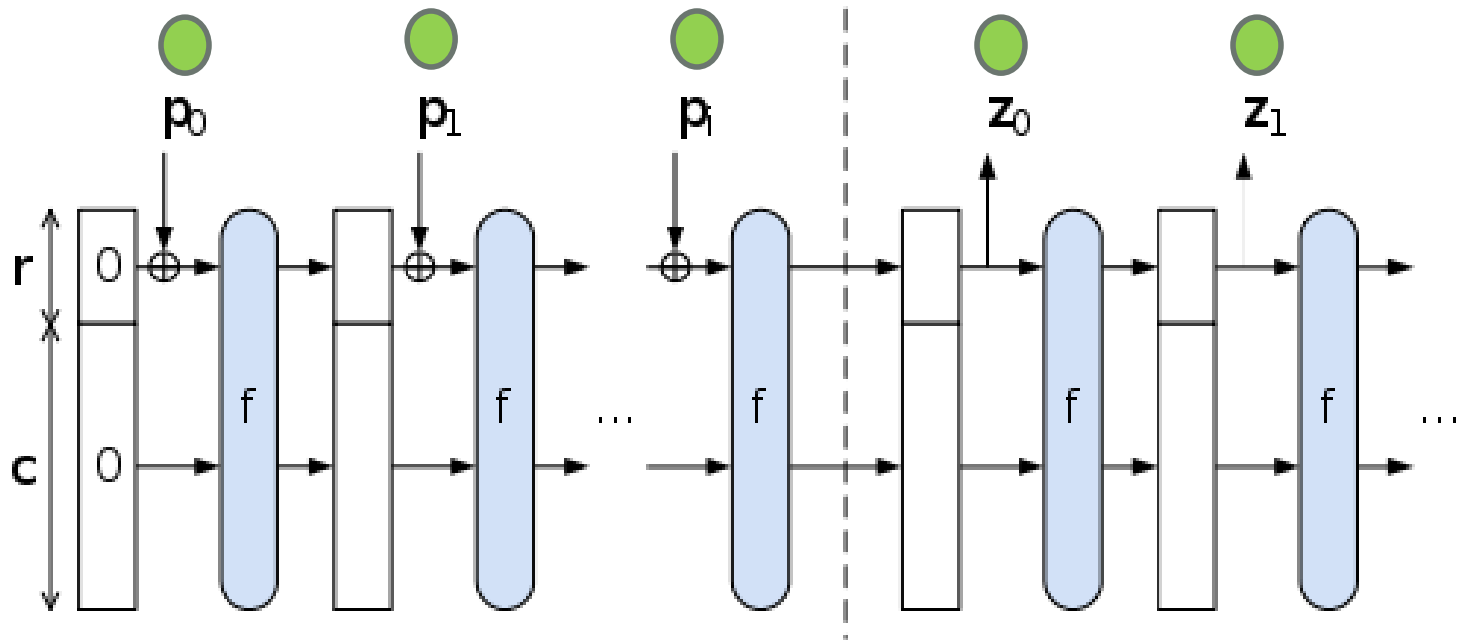
# Overview

- What cryptographic hashing is
  - Performance vs Security tradeoff
- What hash functions are there, why SHA3/Keccak?

# Overall SHA3

- Main driver is output width and lane size
- SHA3-X represents SHA3 with output length of X
  - Typically 256 or 512
- Lane width =  $2^{(\text{lane size})}$
- SHA3 specifies a state array of  $5 \times 5 \times \text{lane width}$
- Capacity is double the output width
- The rate at which bits are taken into the state is  $5 \times 5 \times \text{lane width} - \text{capacity}$

# How does SHA3 work?



# How SHA3 works pt 2

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KECCAK- $f[b](A)$

for  $i$  in  $0 \dots n_r - 1$

$A = \text{Round}[b](A, \text{RC}[i])$

return  $A$

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Round[ $b$ ]( $A, \text{RC}$ )

$\theta$  STEP

- $C[x] = A[x, 0] \oplus A[x, 1] \oplus A[x, 2] \oplus A[x, 3] \oplus A[x, 4],$        $\forall x \text{ in } 0 \dots 4$
- $D[x] = C[x - 1] \oplus \text{ROT}(C[x + 1], 1),$        $\forall x \text{ in } 0 \dots 4$
- $A[x, y] = A[x, y] \oplus D[x],$        $\forall (x, y) \text{ in } (0 \dots 4, 0 \dots 4)$

$\rho$  AND  $\pi$  STEPS

- $B[y, 2x + 3y] = \text{ROT}(A[x, y], r[x, y]),$        $\forall (x, y) \text{ in } (0 \dots 4, 0 \dots 4)$

$\chi$  STEP

- $A[x, y] = B[x, y] \oplus ((\text{NOT } B[x + 1, y]) \text{ AND } B[x + 2, y]),$        $\forall (x, y) \text{ in } (0 \dots 4, 0 \dots 4)$

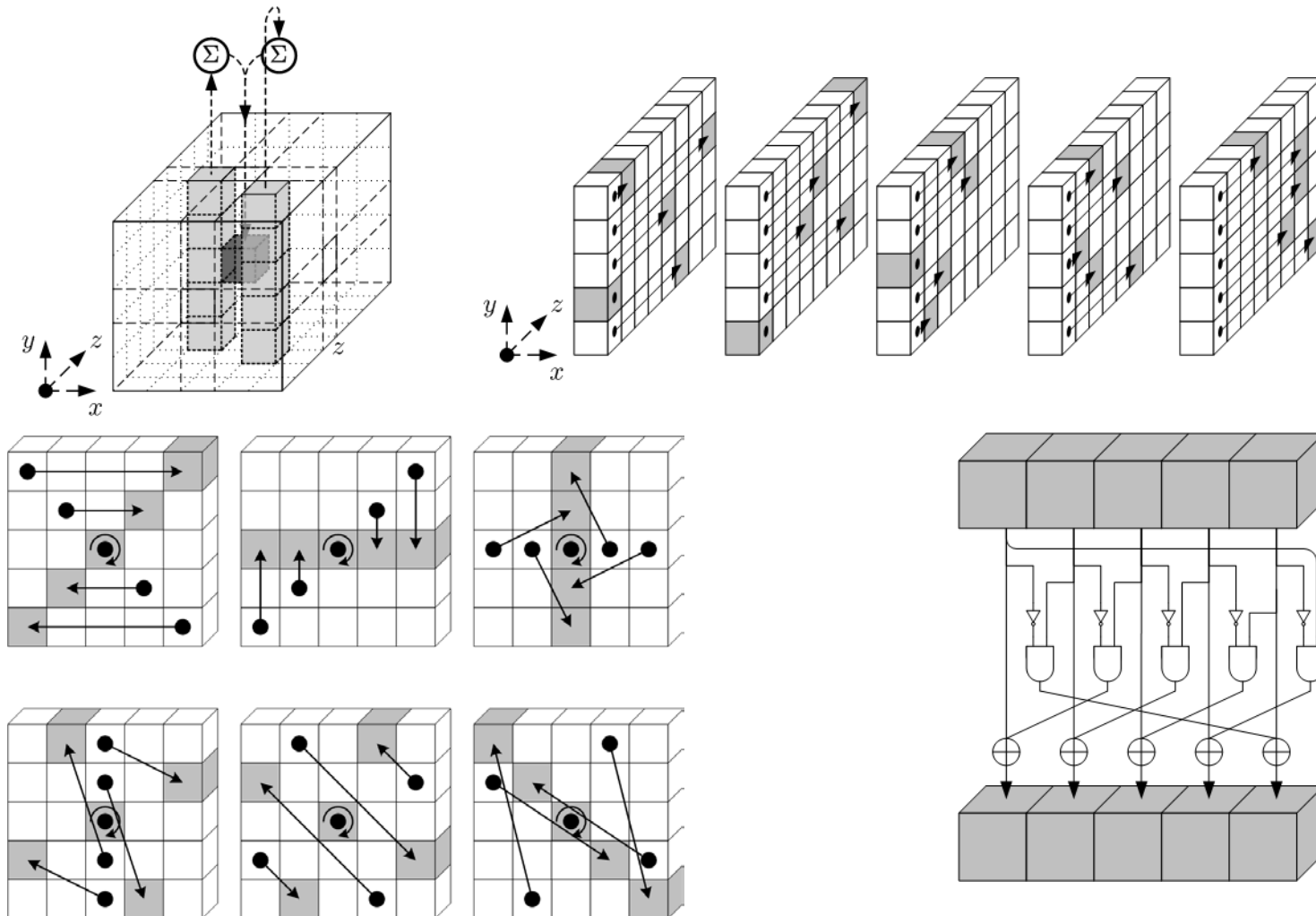
$\iota$  STEP

- $A[0, 0] = A[0, 0] \oplus \text{RC}$

return  $A$

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# SHA3 round steps



# Performance Results

- Speedup using SHA256 and 1MB of input:

