HW7_1

March 29, 2022

$1 \quad \text{HW 7}$

1.1 Problem 1

Plot bubble point temperature for butanes and pentanes as a function of pressure

The bubble point temperature is found by

$$\sum_{i=1}^{C} z_i K_i = 1 \tag{1}$$

where Raoult's law can be used to find K_i

$$K_i = \frac{P_i^{sat}}{P} \tag{2}$$

and the saturated pressure can be found using the Antoine equation

$$log(P) = a - \frac{b}{c+T} \tag{3}$$

The temperature can be solved numerically by iterating T at a specified P in (2) and (3) until (1) holds true.

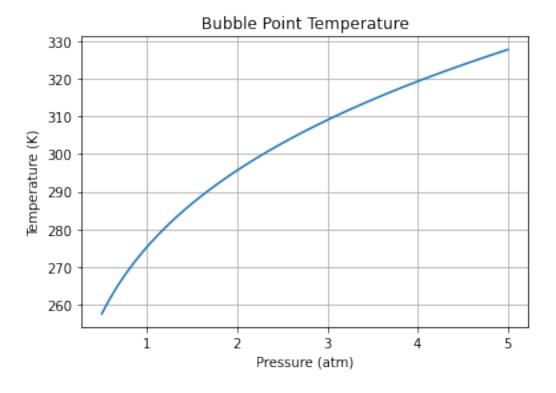
Component	$z_i = x_i$	a	b	c
i-Butane	0.0319	4.3281	1132.108	0.918
n-Butane	0.7992	4.35576	1175.581	-2.071
i-Pentane	0.1041	3.97183	1021.864	-43.231
n-Pentane	0.0648	3.9892	1070.617	-40.454

```
[]: import numpy as np import matplotlib.pyplot as plt import scipy.optimize as opt
```

```
a = np.array([4.3281,4.35576,3.97183,3.9892]) #constants taken from
inist
b = np.array([1132.108,1175.581,1021.864,1070.617])
c = np.array([0.918,-2.071,-43.231,-40.454])

zi = np.array([.0319,.7992,.1041,.0648])
```

```
[]: def resFun(T,p):
                                                              #using raoults law tou
      ⇔get ki
         Ki = antoine(a,b,c,T)/p
         kz = np.sum(Ki*zi)-1
                                                                  #sum ki,zi
         return kz
     T = []
     for i in p:
                                                              #array of T for every p
         T.append(opt.fsolve(resFun,300,i))
     plt.plot(p,T)
     plt.title('Bubble Point Temperature')
     plt.ylabel('Temperature (K)')
     plt.xlabel('Pressure (atm)')
     plt.grid();
```



The bubble point temperature increases non-linearly as pressure increases.