

P1

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1. A) $\pi_{s.sid, s.sname}((\rho_s(\text{Student}) \bowtie \text{Buys}) \bowtie \text{Cites})$

B) (Let $S = \text{Student}$, $m1 = \text{Major}$, $m2 = \text{Major}$)

$\sigma_{s.sid, s.sname}((S \bowtie_{s.sid = m1.sid} M1) \bowtie_{s.sid = m2.sid \wedge M1.Major \neq M2.Major} M2)$

C) (Let $b1 = \text{Buys}$, $b2 = \text{Buys}$)

With $E1$ as $b1.bookno \neq b2.bookno \wedge b1.sid = b2.sid$

$\pi_{b1.sid}(b1) - \pi_{b1.sid}(b1 \bowtie_{c1} b2)$

D) (Let $b = \text{Book}$, $bu = \text{Buys}$)

With $E1$ as $\pi_{b.bookno, b.title}(\text{Book})$,
 $E2$ as $\pi_{bu.bookno, b.title}(\sigma_{bu.sid < 71001}(\text{Bu} \bowtie_{bu.bookno = b.bookno} B))$

$\pi_{bookno, title}(E1 - E2)$

E) Let $s = \text{Student}$, $bu1 = \text{Buys}$, $bu2 = \text{Buys}$, $b1 = \text{Book}$, $b2 = \text{Book}$

With $E1$ as $((S \bowtie_{bu1.sid = s.sid} Bu1)$

$\bowtie_{bu2.sid = s.sid} Bu2) \times b1 \times b2$,

$E2$ as $Bu2.bookno \neq Bu1.bookno \wedge Bu1.bookno =$

$b1.bookno \wedge Bu2.bookno = b2.bookno \wedge b2.price < 50$
 $\wedge b1.price < 50$

$\pi_{s.sid, s.sname}(\sigma_{E2}(E1))$

F) (Let $m = \text{Major}$, $b = \text{book}$, $s = \text{student}$, $bu = \text{buys}$)

With E_1 as $\sigma_{m, \text{major} = 'cs'}(m)$

With E_2 as $\pi_{b, \text{bookno}, s, \text{student}}(B \times S)$

With E_3 as $\pi_{bu, \text{bookno}, E_1, \text{sid}}(bu \bowtie E_1)$

$$\pi_{\text{bookno}}(E_2 - E_3)$$

G) (Let $b = \text{Book}$, $c = \text{Cites}$)

With E_1 as $\pi_{b, \text{bookno}, c, \text{citedbookno}, b, \text{price}}(B \bowtie c, \text{bookno} = b, \text{bookno } c)$,

E_2 as $\pi_{\text{citedbookno}}(\sigma_{\text{price} > 50}(E_1))$

$$(\pi_{\text{bookno}}(B) \cup \pi_{\text{bookno}}(E_1)) - \pi_{\text{citedbookno}}(E_2)$$

H) (Let $b1 = \text{book}$, $b2 = \text{book}$, $c = \text{Cites}$, $bu = \text{buys}$)

With E_1 as $\pi_{b1, \text{bookno}, b2, \text{bookno}}(B \times B_2)$

E_2 as $\pi_{\text{bookno}, \text{citedbookno}}(C)$

E_3 as $E_2 - E_1$

E_4 as $bu \times E_3$

$$\pi_{bu, \text{sid}, E_3, \text{bookno2}}(\sigma_{bu, \text{bookno} = E_3, \text{bookno1}}(E_4))$$

J.) (Let $s1 = \text{student}$, $s2 = \text{student}$, $b = \text{buys}$)

With $E1$ as $s1 \times s2 \times b$
 $E2$ as $s1 \times s2$

$E3$ as $s1.sid \neq s2.sid$
 $E4$ as $E3 \wedge s1.sid = b.sid$
 $E5$ as $E3 \wedge s2.sid = b.sid$
 $E6$ as $\pi_{s1.sid, s2.sid}(\sigma_{E3}(E2))$
 $E7$ as $\pi_{s1.sid, s2.sid, b.bookno}(\sigma_{E4}(E1))$
 $E8$ as $\pi_{s1.sid, s2.sid, b.bookno}(\sigma_{E5}(E1))$
 $E9$ as $\pi_{s1.sid, s2.sid}(E7 - E8)$

$\pi_{s1.sid, s2.sid}(E6 - E9)$

I.) (Let $m = \text{major}$, $bu = \text{buys}$, $b1 = \text{book}$, $b2 = \text{book}$)

With cs as $\pi_{sid}(\sigma_{major='cs'}(M))$
 $csbooks$ as $\pi_{cs.sid, bookno}(cs \bowtie bu)$
 $E1$ as $\pi_{b1.bookno, b2.bookno}(B1 \bowtie b1.bookno \neq b2.bookno B2)$
 $E2$ as $\pi_{cs.bookno}(csbooks \times B1)$
 $E3$ as $\pi_{bn1, bn2}(\pi_{p(bn1)} b1.bookno, p(bn2) csbooks.bookno, csbooks.sid((B1 \times csbooks) - E2))$
 bp as $E1 - E3$

$\pi_{bpl.bn1, bpl.bn2}(\sigma_{bpl.bn1 = bp2.bn2 \wedge bpl.bn2 = bp2.bn1}(p(bp1) \bowtie p \times p(bp2) bp))$