Homework 4

- Q1) For the following sequence: ACTGCTCGGCT
- A) Compute the suffix array for this sequence

```
def suffix array(instring):
       instring += S TERM
        sa = []
        [sa.append(instring[x:]) for x in range(len(instring))]
        return sorted(sa)
Suffix Array
_____
ACTGCTCGGCT$
CGGCT$
CT$
CTCGGCT$
CTGCTCGGCT$
GCT$
GCTCGGCT$
GGCT$
Τ$
TCGGCT$
TGCTCGGCT$
```

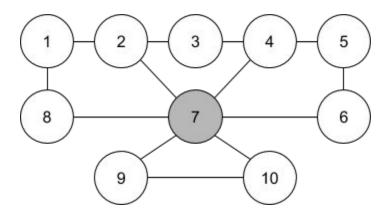
B) Compute the Burrows Wheeler Transform for this sequence (show the BW Matrix)

```
def circular_suffix_array(instring):
    instring += S_TERM
    sa = []
       [sa.append(instring[x:] + instring[:x]) for x in range(len(instring))]
       return sorted(sa)

BW Matrix
-----
$ACTGCTCGGCT
```

\$ACTGCTCGGCT ACTGCTCGGCT\$ CGGCT\$ACTGCT CT\$ACTGCTCGG CTCGGCT\$ACTG CTGCTCGGCT\$A GCT\$ACTGCTCG GCTCGGCT\$ACT GGCT\$ACTGCTC T\$ACTGCTCGC TCGGCT\$ACTGC TCGGCT\$ACTGC

Q2) Does this graph have a Hamiltonian Cycle? Why or why not?



No. The (7,9,10) subgraph is connected to the (1,2,3,4,5,6,7,8) subgraph through a single vertex, 7, and cannot be entered and exited without reusing it for traversal. Because of this necessary reuse, a Hamiltonian cycle cannot exist.