Information and Database Management Systems I

(CIS 4301 UF Online)

Fall 2019

Instructor: Dr. Markus Schneider

Homework 4

Name:	
UFID:	
Email Address:	
N. 1. 051	
Pledge (Must be s	igned according to UF Honor Code)
On my honor, I assignment.	have neither given nor received unauthorized aid in doing this
Signature	

For scoring use only:

	Maximum	Received
Exercise 1	35	
Exercise 2	20	
Exercise 3	35	
Exercise 4	10	
Total	100	

Exercise 1 [35 points]

- 1. [5 points] Consider the relation schema R = (A, B, C, D, E, F) with the functional dependencies $FD = \{A \rightarrow B, D \rightarrow E, A \rightarrow C\}$. Which of the following sets of attributes functionally determine E and which sets are the candidate key? If no candidate key found, compute it. Show each step.
 - AD
 - BCD
 - AC
 - CD
 - AF
- 2. [5 points] Consider a relation schema R(X, Y, Z) with the functional dependencies XY→Z and Z→X. Can we conclude that Y→XZ holds? If yes, please argue why. If no, please argue why not by giving a counter example.
- 3. [5 points] Consider the relation schema *R* = (A, B, C, D, E, F, G, H) with functional dependencies *FD* = {A→B, CH→A, B→E, BD→C, EG→H, DE→F}. Which of the following *FDs* is also guaranteed to be satisfied by *R*? Show each step.
 - ADG→CH
 - CGH→BF
 - BFG→AE
 - ADE→CH
- 4. [5 points] Consider the relation schema *R* = (A, B, C, D, E, F, G, H, I, J) with functional dependencies *FD* = {B→E, E→FH, BCD→G, CD→A, A→J, I→BCDE, H→I}. Determine if B→J holds and list every candidate key. Show each step.
- 5. [15 points] We have a set of functional dependencies given as $F = \{A \rightarrow B, B \rightarrow C\}$ for four attributes A, B, C, and D in a relation schema R. Write down all the functional dependencies in the closure F^+ of F and count them.

Exercise 2 [20 points]

- [5 points] Consider the relation schema R = (A, B, C, D, E, F, G, H) with functional dependencies F = {A→C, AC→E, D→EH, F→G} and G = {A→BCE, AD→CFG, D→A, DE→GH, F→D}. Are the two sets F and G equivalent? Show each step.
- 2. [2.5 points each] Use the Armstrong axioms to prove the following deductions.
 - (1) $\{X \rightarrow Y, X \cup Y \rightarrow Z\} \Rightarrow \{X \rightarrow Z\}$
 - $(2) \{X \rightarrow Z, Y \rightarrow W\} \Rightarrow \{X \cup Y \rightarrow Z \cup W\}$
- 3. [5 points] Consider the relation schema R = (A, B, C, D, E) with the set of functional dependencies $F = \{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$. List all candidate keys of R by using the Armstrong's Axioms. Show each step.
- 4. [5 points] For a relation scheme R = (A, B, C, D, E, F) and a set of functional dependencies given as $F = \{A \rightarrow B, A \rightarrow C, CD \rightarrow E, CD \rightarrow F, B \rightarrow E\}$, use Armstrong's Axioms rules to find one candidate key for R. Show each step.

Exercise 3 [35 points]

- 1. [15 points] Find a minimal cover for the relation R = (A, B, C, D, E, F, G, H) with the set $F = \{A \rightarrow B, ABCD \rightarrow E, EF \rightarrow GH, ACDF \rightarrow EG\}$ of functional dependencies. Show each step.
- 2. [10 points] Find a minimal cover for the relation R = (A, B, C, D, E) with the set $F = \{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$ of functional dependencies. Show each step.
- 3. [10 points] Find a minimal cover for the relation R = (A, B, C, D, E, F) with the set $F = \{A \rightarrow D, AC \rightarrow DE, B \rightarrow F, D \rightarrow CE\}$ of functional dependencies. Show each step.

Exercise 4 [10 points]

- 1. [5 points] Consider the relation schema *R* = (A, B, C, D, E, F) with a set of functional dependencies *F* = {CF→D, AE→F, D→A, AB→C}. List all candidate keys of *R* in a systematic manner (do not use the Armstrong's Axioms) and explain how you determine them. Show each step.
- 2. [5 points] Consider the relation schema *R*(A, B, C, D, E, F) with the functional dependencies *FD* = {D→C, CE→A, D→A, AE→D}. Determine all candidate keys of R in a systematic manner (do not use the Armstrong's Axioms) and explain how you determine them.