

## Question 1

Initial State:

$\text{Level}(\text{low}) \wedge \text{At}(\text{monkey}, A) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, C)$
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Goal state:

$\text{Have}(\text{bananas})$
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Predicate Forms:

Name	Description
$\text{Level}(l)$	$\text{Level}(\text{high}) = \text{monkey is on the box}, \text{Level}(\text{low}) = \text{otherwise}$
$\text{At}(o, x)$	$o$ is monkey, box, or bananas; $x$ is A, B, or C
$\text{Have}(\text{bananas})$	the monkey has the bananas

Operators:

Name	Preconditions	Add List	Delete List
$\text{Move}(x, y)$	$\text{At}(\text{monkey}, x) \wedge \text{Level}(\text{low})$	$\text{At}(\text{monkey}, y)$	$\text{At}(\text{monkey}, x)$
$\text{MoveBox}(x, y)$	$\text{At}(\text{box}, x) \wedge \text{Level}(\text{low})$	$\text{At}(\text{box}, y)$	$\text{At}(\text{box}, x)$
$\text{ClimbUp}(x)$	$\text{At}(\text{monkey}, x) \wedge \text{At}(\text{box}, x) \wedge \text{Level}(\text{low})$	$\text{Level}(\text{high})$	$\text{Level}(\text{low})$
$\text{ClimbDown}(x)$	$\text{At}(\text{monkey}, x) \wedge \text{At}(\text{box}, x) \wedge \text{Level}(\text{high})$	$\text{Level}(\text{low})$	$\text{Level}(\text{high})$
$\text{TakeBananas}(x)$	$\text{At}(\text{monkey}, x) \wedge \text{At}(\text{box}, x) \wedge \text{At}(\text{bananas}, x) \wedge \text{Level}(\text{high})$	$\text{Have}(\text{bananas})$	

Solution Plane

S0	$\text{Level}(\text{low}) \wedge \text{At}(\text{monkey}, A) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, C)$
	$\text{Move}(A, B)$
S1	$\text{Level}(\text{low}) \wedge \text{At}(\text{monkey}, B) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, C)$
	$\text{MoveBox}(C, B)$
S2	$\text{Level}(\text{low}) \wedge \text{At}(\text{monkey}, B) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, B)$
	$\text{ClimbUp}(B)$
S3	$\text{Level}(\text{high}) \wedge \text{At}(\text{monkey}, B) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, B)$
	$\text{TakeBananas}(B)$
S4	$\text{Level}(\text{high}) \wedge \text{At}(\text{monkey}, B) \wedge \text{At}(\text{bananas}, B) \wedge \text{At}(\text{box}, B) \wedge \text{Have}(\text{bananas})$

## Question 2

One problem does exist in this partial order plan. The problem is that there is no casual link between Make(Cake) and its required precondition At(Home). This means that an attempt Make(Cake) would happen At(Ralphs).

## Question 3

1.  $P(\text{toothache}) = 0.108 + 0.012 + 0.016 + 0.064 = 0.2$

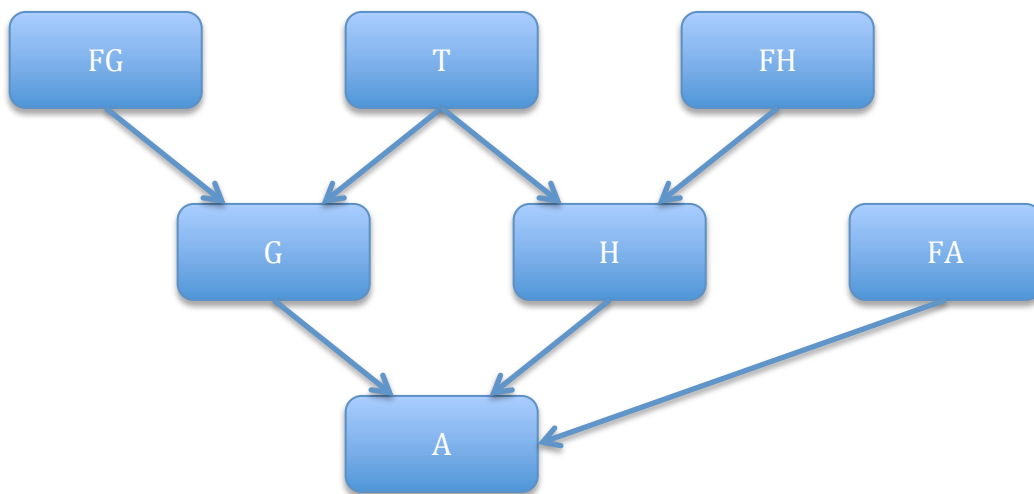
2.  $P(\text{toothache} \wedge \text{catch}) = 0.108 + 0.016 = 0.124$

3.  $P(\text{cavity} \mid \text{catch}) = (0.108 + 0.072) / (0.108 + 0.072 + 0.016 + 0.144) = 0.529$

## Question 4

a. Variables: A (alarm sounds), FA (alarm is faulty), and FG (gauge is faulty), and the multi-valued nodes G (gauge reading) and T (actual core temperature)

b. Yes. This network is a polytree.



T	FG	P(G T,FC)
Normal	T	1-(y/100%)
Normal	F	1-(x/100%)
High	T	1-(y/100%)
High	F	1-(x/100%)

c.

d.

G	FA	P(G T,FC)
Normal	T	0
Normal	F	0
High	T	0
High	F	1

e.  $P(\text{High} \mid \text{FA}=\text{F}, \text{FG}=\text{F}) = 1 * 1 - (x/100\%)$

f. gauge is useless when  $\text{CM} \geq \text{CS}$   
 $p * \text{CM} * [1 - (x/100\%)] \geq \text{CS}$   
 $x \leq 100\% * [1 + \text{CS} / (p * \text{CM})]$

g. (see network above)

h. I think by accurate you mean reliable. If so, then yes, adding a second gauge definitely means that more reliable gauges are needed! Since only one gauge is needed to activate the alarm, the probability of the alarm going off because of a faulty gauge is the *sum* of how unreliable the gauges are. In other words, the alarm is more likely to be caused by a faulty gauge with each additional gauge so they better be more reliable if you wish to continue having a useful alarm.