

$= 2 \times 10^{-7} \text{ J K}^{-1} \text{ mol}^{-2/3}$  . For water one can further use  $V = 18 \text{ ml / mol}$  and  $T_C = 647 \text{ K ( } 374^\circ \text{ C )}$  .

A variant on Eötvös is described by Ramay and Shields :

$\gamma = \frac{1}{3} \rho V^{2/3} (T_C - T)$

where the temperature offset of 6 kelvins provides the formula with a better fit to reality at lower temperatures .

Guggenheim and Katayama :

$\gamma = \frac{1}{3} \rho V^{2/3} (T_C - T)^n$

$\gamma$  is a constant for each liquid and  $n$  is an empirical factor , whose value is  $11 / 9$  for organic liquids . This equation was also proposed by van der Waals , who further proposed that  $\gamma$  could be given by the expression ,  $\gamma = \frac{1}{3} \rho V^{2/3} (T_C - T)^n$  , where  $\gamma$  is a universal constant for all liquids , and  $P_C$  is the critical pressure of the liquid ( although later experiments found  $\gamma$  to vary to some degree from one liquid to another ) .

Both Guggenheim and Katayama and Eötvös take into account the fact that surface tension reaches 0 at the critical temperature , whereas Ramay and Shields fails to match reality at this endpoint .

=== Influence of solute concentration ===

Solutes can have different effects on surface tension depending on their structure :

Little or no effect , for example sugar

Increase surface tension , inorganic salts

Decrease surface tension progressively , alcohols

Decrease surface tension and , once a minimum is reached , no more effect : surfactants

What complicates the effect is that a solute can exist in a different concentration at the surface of a solvent than in its bulk . This difference varies from one solute / solvent combination to another .

Gibbs isotherm states that :  $\Gamma = \frac{1}{RT} (\gamma - \gamma_0)$

$\Gamma$  is known as surface concentration , it represents excess of solute per unit area of the surface over what would be present if the bulk concentration prevailed all the way to the surface . It has units of  $\text{mol / m}^2$

$C$  is the concentration of the substance in the bulk solution .

$R$  is the gas constant and  $T$  the temperature

Certain assumptions are taken in its deduction , therefore Gibbs isotherm can only be applied to ideal ( very dilute ) solutions with two components .

=== Influence of particle size on vapor pressure ===

The Clausius - Clapeyron relation leads to another equation also attributed to Kelvin , as the Kelvin equation . It explains why , because of surface tension , the vapor pressure for small droplets of liquid in suspension is greater than standard vapor pressure of that same liquid when the interface is flat . That is to say that when a liquid is forming small droplets , the equilibrium concentration of its vapor in its surroundings is greater . This arises because the pressure inside the droplet is greater than outside .

$\ln \frac{P}{P_0} = \frac{2\gamma V_m}{RT r}$

$P_0$  is the standard vapor pressure for that liquid at that temperature and pressure .

$V_m$  is the molar volume .

$R$  is the gas constant

$r$  is the Kelvin radius , the radius of the droplets .

The effect explains supersaturation of vapors . In the absence of nucleation sites , tiny droplets must form before they can evolve into larger droplets . This requires a vapor pressure many times the vapor pressure at the phase transition point .

This equation is also used in catalyst chemistry to assess mesoporosity for solids .

The effect can be viewed in terms of the average number of molecular neighbors of surface

molecules ( see diagram ) .

The table shows some calculated values of this effect for water at different drop sizes :

The effect becomes clear for very small drop sizes , as a drop of 1 nm radius has about 100 molecules inside , which is a quantity small enough to require a quantum mechanics analysis .

= = Surface tension of water and of seawater = =

The two most abundant liquids on Earth are fresh water and seawater . This section gives correlations of reference data for the surface tension of both .

= = = Surface tension of water = = =

The surface tension of pure liquid water in contact with its vapor has been given by IAPWS as  
<formula>

where both  $T$  and the critical temperature ,  $T_C = 647.098 \text{ K}$  , are expressed in kelvin . The region of validity the entire vapor - liquid saturation curve , from the triple point (  $0.01^\circ \text{C}$  ) to the critical point . It also provides reasonable results when extrapolated to metastable ( supercooled ) conditions , down to at least  $-25^\circ \text{C}$  . This formulation was originally adopted by IAPWS in 1976 , and was adjusted in 1994 to conform to the International Temperature Scale of 1990 .

The uncertainty of this formulation is given over the full range of temperature by IAPWS . For temperatures below  $100^\circ \text{C}$  , the uncertainty is <formula>  $0.5\%$  .

= = = Surface tension of seawater = = =

Nayar et al. published reference data for the surface tension of seawater over the salinity range of  $20 \leq S \leq 131 \text{ g / kg}$  and a temperature range of  $1 \leq t \leq 92^\circ \text{C}$  at atmospheric pressure . The uncertainty of the measurements varied from  $0.18$  to  $0.37 \text{ mN / m}$  with the average uncertainty being  $0.22 \text{ mN / m}$  . This data is correlated by the following equation

<formula>

where <formula> is the surface tension of seawater in  $\text{mN / m}$  , <formula> is the surface tension of water in  $\text{mN / m}$  ,  $S$  is the Reference Salinity in  $\text{g / kg}$  , and  $t$  is temperature in degrees Celsius . The average absolute percentage deviation between measurements and the correlation was  $0.19\%$  while the maximum deviation is  $0.60\%$  .

The range of temperature and salinity encompasses both the oceanographic range and the range of conditions encountered in thermal desalination technologies .

= = Data table = =

= = Gallery of effects = =