

$f = xy$ defined on $D =$

$\{ (x, y) \in \mathbb{R}^2 : x > 0 \}$. Then D can be viewed as a subset of \mathbb{R}^2 (that is, the set of all pairs (x, y) with x, y belonging to the extended real number line \mathbb{R}

$= [-\infty, +\infty]$, endowed with the product topology), which will contain the points at which the function f has a limit.

In fact, f has a limit at all accumulation points of D , except for $(0, 0)$, $(+\infty, 0)$, $(1, +\infty)$ and $(1, -\infty)$. Accordingly, this allows one to define the powers x^y by continuity whenever $0 < x < +\infty$, $-\infty < y < +\infty$, except for 0^0 , $(+\infty)^0$, $1^{+\infty}$ and $1^{-\infty}$, which remain indeterminate forms.

Under this definition by continuity, we obtain:

$x^{+\infty} =$