

$A = A^T$, is a symmetric matrix. If instead, A is equal to the negative of its transpose, that is, $A = -A^T$, then A is a skew-symmetric matrix. In complex matrices, symmetry is often replaced by the concept of Hermitian matrices, which satisfy $A = A^*$, where the star or asterisk denotes the conjugate transpose of the matrix, that is, the transpose of the complex conjugate of A .

By the spectral theorem, real symmetric matrices and complex Hermitian matrices have an eigenbasis; that is, every vector is expressible as a linear combination of eigenvectors. In both cases, all eigenvalues are real. This theorem can be generalized to infinite-dimensional situations related to matrices with infinitely many rows and columns, see below.

$A^{-1} = A^{-1}$ Invertible matrix and its inverse $A^{-1} = A^{-1}$

A square matrix A is called invertible or non-singular if there exists a matrix B such that