PRIMER EJERCICIO:

IN-ORDEN:

$$(sen(45) ^4) * (cos(30) ^2) - 3/6$$

PRE-ORDEN:

$$-*$$
 $^sen(45)(4)^cos(30)(2) / (36)$

POST-ORDEN:

SEGUNDO EJERCICIO:

IN-ORDEN:

$$\left(\frac{tan(x)-cotan(x)}{sen(x)}\right) * (ln(x) ^ 2) + (cos(x) ^ 2)$$

PRE-ORDEN:

$$+* \div - [tan(x)][cotan(x)][sen(x)]^{[ln(x)](2)}[cos(x)](2)$$

POST-ORDEN:

$$[tan(x)][cotan(x)] - [sen(x)] \div [ln(x)](2)^{\land} [cos(x)](2)^{\land} +$$

TERCER EJERCICIO:

IN-ORDEN:

$$log(15) * \sqrt{89} + \frac{e^{sen(90)}}{arctg(90)}$$

PRE-ORDEN:

$$+* [log(15)](\sqrt{89}) \div ^{(e)}[sen(90)][arctg(90)]$$

POST-ORDEN:

$$[log(15)](\sqrt{89}) * e[sen(90)]^{[arctg(90)]} \div +$$

CUARTO EJERCICIO:

IN-ORDEN:

$$((3x \land 6 + cos(x) * sen(x)) \div (x * x \land 2)) - (tan(x) * ln(x) + 5)$$

PRE-ORDEN:

$$-\div +^* [cos(x)][sen(x)]^{(3x)}(6) +^* [tan(x)][ln(x)](5)$$

POST-ORDEN:

$$(3x)(6)^{n}[cos(x)][sen(x)] + (x)(x)(2)^{n} + [tan(x)][ln(x)] + 5 + -$$

QUINTO EJERCICIO:

IN-ORDEN:

$$((z + 1) * (z - 1)) \div ((a * 2) - (a + 1))$$

PRE-ORDEN:

$$\div$$
*+ $(z)(1) - (z)(1) -$ * $(a)(2) + (a)(1)$

POST-ORDEN:

$$(z)(1) + (z)(1) - (a)(2) (a)(1) + - \div$$

SEXTO EJERCICIO:

IN-ORDEN:

$$\{[2 * tg(45)] \div [40^{\circ}log(3)]\} + (\sqrt{69}) ^{\circ} \pi$$

PRE-ORDEN:

$$+\div^* (2)[tan(45)] ^(40)[log(3)]^(\sqrt{69})(\pi)$$

POST-ORDEN:

$$(2)[tan(45)] * (40)[log(3)]^{ } \div (\sqrt{69})(\pi)^{ } +$$

SÉPTIMO EJERCICIO:

IN-ORDEN:

$$((16^2 \pm 4^4) * ln(x)) - (tan(x)^2)$$

PRE-ORDEN:

$$-*\div ^{(16)(2)^{(4)(4)[ln(x)]^{[tan(x)](2)}}$$

POST-ORDEN:

$$(16)(2)^{(4)}(4)^{(4)} \div [ln(x)] * [tan(x)](2)^{(4)} -$$

OCTAVO EJERCICIO:

IN-ORDEN:

$${e^{[ln(45)]/[arcsen(56)]} - [(4 * 36^8) * sen(95)]}$$

PRE-ORDEN:

$$-\div^{(e)}[ln(45)][arcsen(56)] ** 4^{(36)}(8)[sen(95)]$$

POST-ORDEN:

$$(e)[ln(45)]^{arcsen(56)}$$
 $\div (4)(36)(8)^{*} [sen(95)] *-$

NOVENO EJERCICIO:

IN-ORDEN:

$$[ln(e) \land x) * (sen(x) * cos(x)] + (2 \land 5 \div 2 \land 4)$$

PRE-ORDEN:

$$+* ^[ln(e)](x) * [sen(x)][cos(x)] \div ^(2)(5)^(2)(4)$$

POST-ORDEN:

$$[ln(e)](x)^{\wedge}[sen(x)][cos(x)] \ ^{**} \ (2)(5)^{\wedge}(2)(4)^{\wedge} \div \ +$$