

## Problem A. 2-Letter Strings

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**Time limit** 2000 ms

**Mem limit** 262144 kB

Given  $n$  strings, each of length 2, consisting of lowercase Latin alphabet letters **from 'a' to 'k'**, output the number of pairs of indices  $(i, j)$  such that  $i < j$  and the  $i$ -th string and the  $j$ -th string differ in exactly one position.

In other words, count the number of pairs  $(i, j)$  ( $i < j$ ) such that the  $i$ -th string and the  $j$ -th string have **exactly** one position  $p$  ( $1 \leq p \leq 2$ ) such that  $s_{ip} \neq s_{jp}$ .

The answer may not fit into 32-bit integer type, so you should use 64-bit integers like `long long` in C++ to avoid integer overflow.

### Input

The first line of the input contains a single integer  $t$  ( $1 \leq t \leq 100$ ) — the number of test cases. The description of test cases follows.

The first line of each test case contains a single integer  $n$  ( $1 \leq n \leq 10^5$ ) — the number of strings.

Then follows  $n$  lines, the  $i$ -th of which containing a single string  $s_i$  of length 2, consisting of lowercase Latin letters **from 'a' to 'k'**.

It is guaranteed that the sum of  $n$  over all test cases does not exceed  $10^5$ .

### Output

For each test case, print a single integer — the number of pairs  $(i, j)$  ( $i < j$ ) such that the  $i$ -th string and the  $j$ -th string have **exactly** one position  $p$  ( $1 \leq p \leq 2$ ) such that  $s_{ip} \neq s_{jp}$ .

Please note, that the answer for some test cases won't fit into 32-bit integer type, so you should use at least 64-bit integer type in your programming language (like `long long` for C++).

### Sample 1

Input	Output
4	5
6	6
ab	0
cb	6
db	
aa	
cc	
ef	
7	
aa	
bb	
cc	
ac	
ca	
bb	
aa	
4	
kk	
kk	
ab	
ab	
5	
jf	
jf	
jk	
jk	
jk	

**Note**

For the first test case the pairs that differ in exactly one position are: ("ab", "cb"), ("ab", "db"), ("ab", "aa"), ("cb", "db") and ("cb", "cc").

For the second test case the pairs that differ in exactly one position are: ("aa", "ac"), ("aa", "ca"), ("cc", "ac"), ("cc", "ca"), ("ac", "aa") and ("ca", "aa").

For the third test case, there are no pairs satisfying the conditions.