

March 25, 2016

### **Abstract**

## **1 Overview of Machine Learning**

1. Logistic Classification
2. Stochastic Optimization
3. Data and Parameter Tuning
4. Deep Networks
5. Regularization
6. Convolutional Networks
7. Embeddings
8. Recurrent Models

## **2 History of Neural Networks**

1. Fukushima's Neocognitron - 1980's
2. Lecun's Net - 1990
3. Krizhevsky's Alexnet
4. Speech Recognition - 2009
5. Computer Vision - 2012
6. Machine Translation - 2014

## **3 Classification**

Given set of images and labels in training data. In test data completely new image comes. Classify image. After classification we can do

1. Regression
2. Ranking - In web page. Classify relevant or irrelevant
3. Reinforcement Learning
4. Detection - Eg : Detect presence or absence of pedestrian

### 3.1 Logistic Classifier

$$WX + b = Y \quad (1)$$

X - Image Pixels  
Y - Labels  
W- Weight  
b- Bias

#### 3.1.1 Soft Max Function

Softmax function converts scores into probability

$$S(y_i) = \frac{e^{y_i}}{\sum_j e^{y_j}} \quad (2)$$

#### 3.1.2 One Hot Encoding

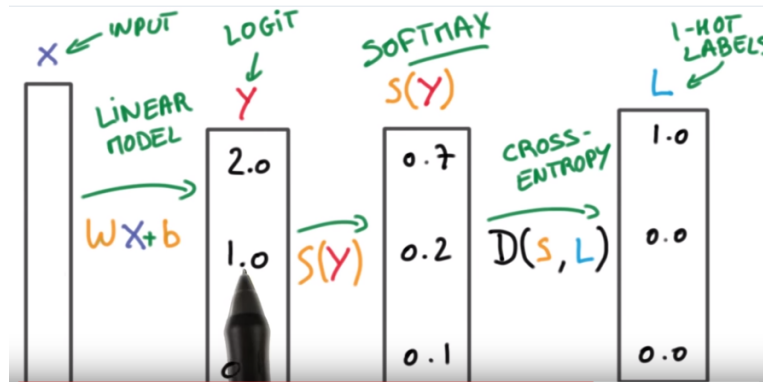
One for correct class and zero to other class labels.

#### 3.1.3 Cross Entropy

The way to measure distance between two probabilities is called cross entropy.

$$D(S, L) = - \sum_i L_i \log(S_i) \quad (3)$$

Cross Entropy is not symmetric.  $D(S, L) \neq D(L, S)$



## 4 Training Loss

Loss = Average Cross entropy. We do to minimize distance between similar labels and maximize distance between dissimilar labels.

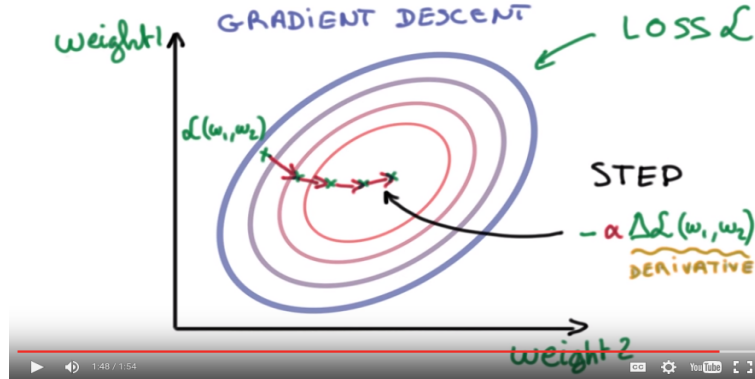
$$L = \frac{1}{N} \sum_i D(S(WX_i + b), L_i) \quad (4)$$

## 5 Gradient Descend

While taking average to calculate training loss we are taking average of distance between probabilities. Gradient descend for two weights is calculated as follows.

$$\text{GradientDescent for weight } w_1 \text{ and } w_2 = \Delta L(w_1, w_2) \quad (5)$$

But in real-time the weight is computed for all parameters.



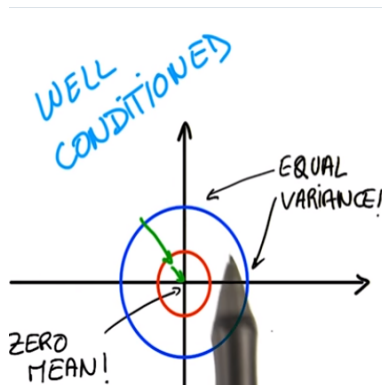
### 5.1 Big Loss Function because of Numerical Unstability

To overcome Big Loss function keep mean zero and equal variance. Mean

$$X_i = 0$$

Variance

$$\sigma(X_i) = \sigma(X_j)$$



### 5.2 Normalize Input for Gradient Descend

To normalize pixel input normalize as follows.

$$\frac{R - 128}{128} \quad \frac{G - 128}{128} \quad \frac{B - 128}{128}$$

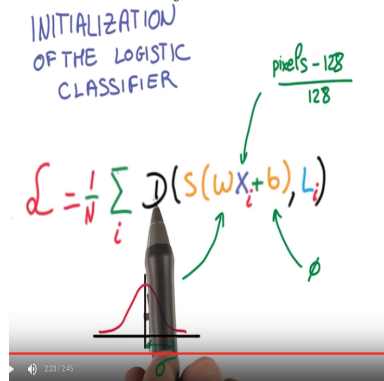
### 5.3 Initialize Weight for Gradient Descend

Initialize  $w_0, b_0$

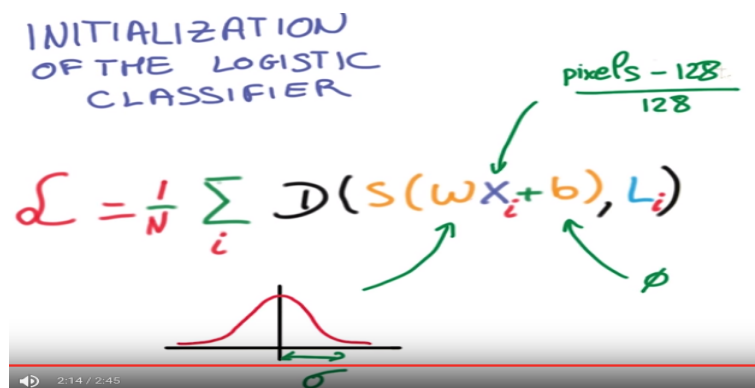
Large value of  $\sigma$  - Distribution has large peaks

Small value of  $\sigma$  - Distribution is very uncertain.

Start with very small value of  $\sigma$



### 5.4 Steps to Train Logistic Classifier



1.  $X_i$  - Training data is normalized to zero mean and equal variance
2.  $w$  - Initialized with random weights
3. Do softmax
4. Do cross entropy loss
5. calculate average for entire training data
6. Optimization - Compute derivative loss function w.r.to weight

## OPTIMIZATION



$$w \leftarrow w - \alpha \Delta_w \mathcal{L}$$

$$b \leftarrow b - \alpha \Delta_b \mathcal{L}$$