Name: Jonathan Ogden

Course: CS 5402

Assignment: Programming Assignment 3

Date: 07/07/2020

In [1]:

```
### IMPORTS ###
# For managing data
import pandas as pd
# For frequency counts
import collections
# For plotting data
import matplotlib.pyplot as plt
# For model training
from sklearn.neighbors import KNeighborsClassifier
# For splitting data into test/train sets
from sklearn.model selection import train test split
# For confusion matricies and other statistics
from sklearn.metrics import confusion_matrix, accuracy_score, classification_report
# for Graphing
import seaborn
# For Regression
import statsmodels.api as sm
# for math
import numpy as np
```

Concept Description:

Analyze the provided data to determine any connections between certain given biological metrics and Chronic Hear Disease.

Data Collection:

Data was provided by the instructor, Perry Koob.

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Example Description:

age

The person's age (Int - interval)

cigsPerDay

The count of the person's Cigarettes per Day (Int - ratio)

totChol

The person's total cholesterol (Int - interval)

sysBP

The person's systolic blood pressure (Float - interval)

diaBP

The person's diastolic blood pressure (Float - interval)

BMI

The person's body mass index (Float - interval)

heartRate

The person's heart rate (Int - interval)

glucose

The person's blood glucose level (Int - interval)

CHD

Where or not the person has Chronic Heart Disease - CHD (Boolean - Binary, Nominal)

Data Import and Wrangling:

The data is imported from a csv format to a dataframe format to make working with it in python easier. Care is taken to ensure the data is read as a string of characters.

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In [2]:

```
df = pd.read_csv("../src-data/heart-disease.csv", dtype=str)
# make all data numeric instead of sting
df = df.apply(pd.to_numeric)
df
```

Out[2]:

	age	cigsPerDay	totChol	sysBP	diaBP	BMI	heartRate	glucose	CHD
0	39	0.0	195.0	106.0	70.0	26.97	80.0	77.0	0
1	46	0.0	250.0	121.0	81.0	28.73	95.0	76.0	0
2	48	20.0	245.0	127.5	80.0	25.34	75.0	70.0	0
3	61	30.0	225.0	150.0	95.0	28.58	65.0	103.0	1
4	46	23.0	285.0	130.0	84.0	23.10	85.0	85.0	0
4233	50	1.0	313.0	179.0	92.0	25.97	66.0	86.0	1
4234	51	43.0	207.0	126.5	80.0	19.71	65.0	68.0	0
4235	48	20.0	248.0	131.0	72.0	22.00	84.0	86.0	0
4236	44	15.0	210.0	126.5	87.0	19.16	86.0	NaN	0
4237	52	0.0	269.0	133.5	83.0	21.47	80.0	107.0	0

4238 rows × 9 columns

Mining or Analytics:

cigsPerDay, totChol, BMI, heartRate, and glucose all have missing values, so we deterine the correlation between the values to find a value that can predict each.

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In [3]:

df.corr()

Out[3]:

	age	cigsPerDay	totChol	sysBP	diaBP	ВМІ	heartRate	gluco
age	1.000000	-0.192791	0.262131	0.394302	0.206104	0.135800	-0.012823	0.1222
cigsPerDay	-0.192791	1.000000	-0.026320	-0.088780	-0.056632	-0.092856	0.075157	-0.0589
totChol	0.262131	-0.026320	1.000000	0.208908	0.165182	0.115767	0.091125	0.0464
sysBP	0.394302	-0.088780	0.208908	1.000000	0.784002	0.326981	0.182246	0.1406
diaBP	0.206104	-0.056632	0.165182	0.784002	1.000000	0.377588	0.181255	0.0612
ВМІ	0.135800	-0.092856	0.115767	0.326981	0.377588	1.000000	0.067678	0.0873
heartRate	-0.012823	0.075157	0.091125	0.182246	0.181255	0.067678	1.000000	0.0945
glucose	0.122256	-0.058960	0.046408	0.140621	0.061231	0.087377	0.094500	1.0000
CHD	0.225256	0.057884	0.082184	0.216429	0.145299	0.075192	0.022913	0.1255

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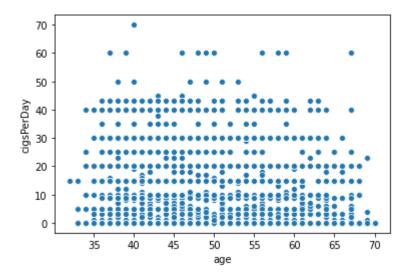
In [4]:

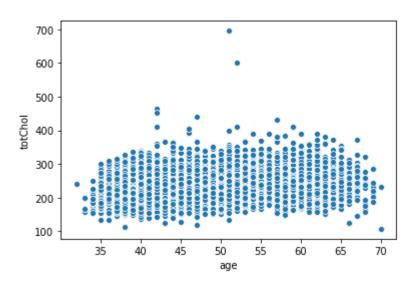
```
#Plotting all combinations
graphs = []
# remove the CHD column for comparisons
temp_df = df.drop(['CHD'], axis=1)
for x in temp_df:
    for y in temp_df:
        # Remove comparing it to itself (1)
        if x != y:
            plt.figure()
            seaborn.scatterplot(x=x,y=y,data=df)
```

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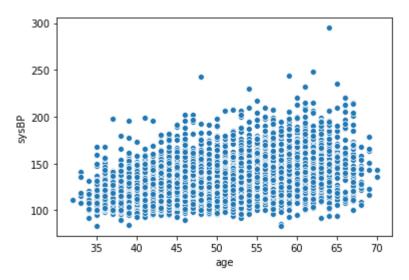
c:\users\jon\appdata\local\programs\python\python36-32\lib\site-packages\ipyk ernel_launcher.py:9: RuntimeWarning: More than 20 figures have been opened. F igures created through the pyplot interface (`matplotlib.pyplot.figure`) are retained until explicitly closed and may consume too much memory. (To control this warning, see the rcParam `figure.max_open_warning`).

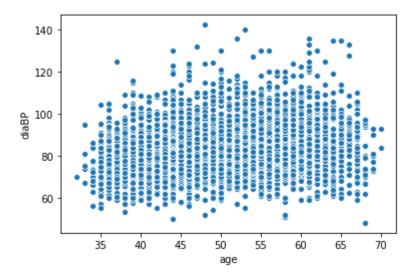
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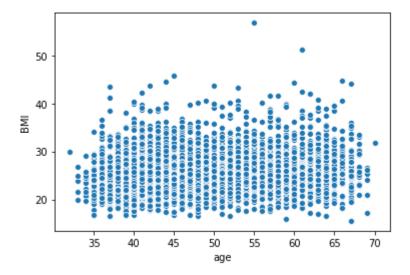


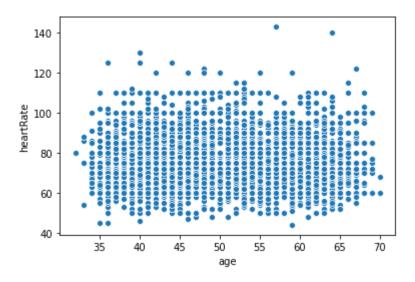
localhost:8888/lab 6/43



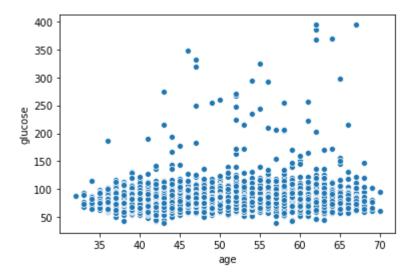


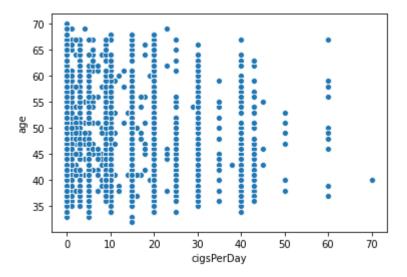
localhost:8888/lab 7/43



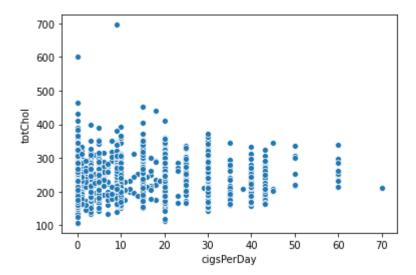


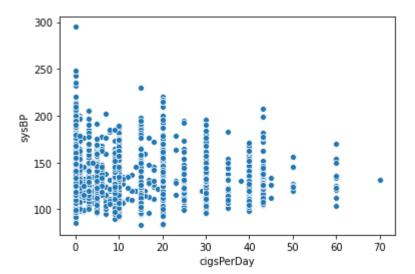
localhost:8888/lab



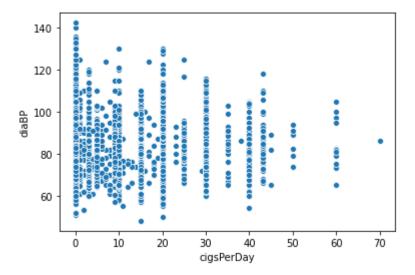


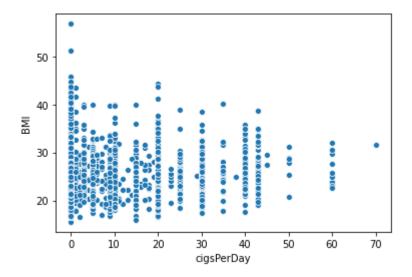
localhost:8888/lab 9/43



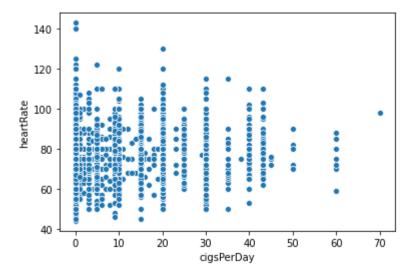


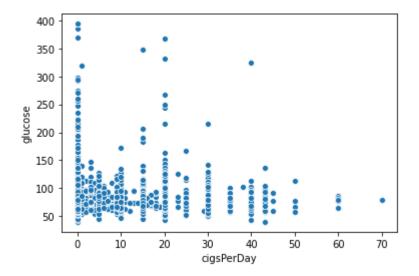
localhost:8888/lab 10/43



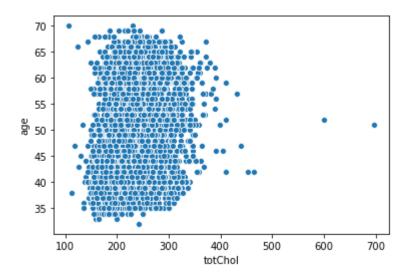


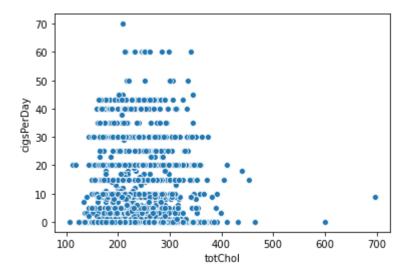
localhost:8888/lab 11/43



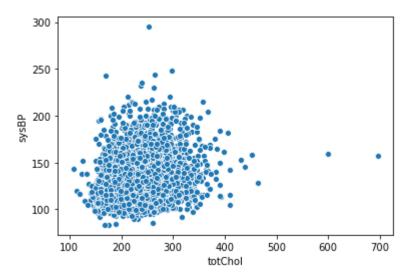


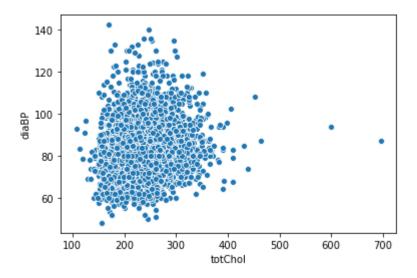
localhost:8888/lab 12/43



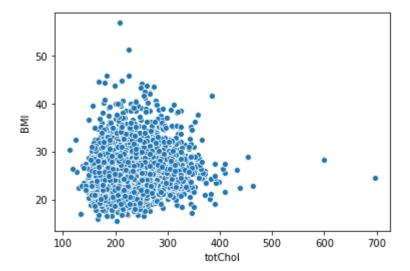


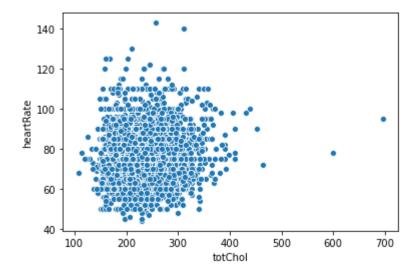
localhost:8888/lab 13/43



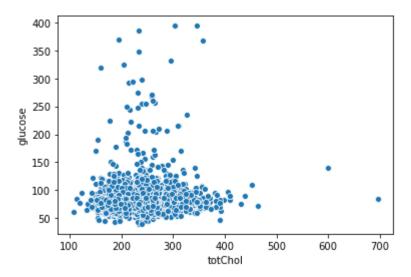


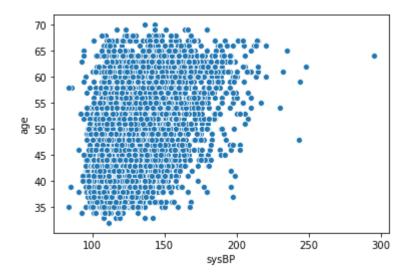
localhost:8888/lab 14/43



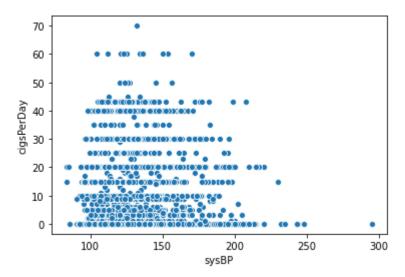


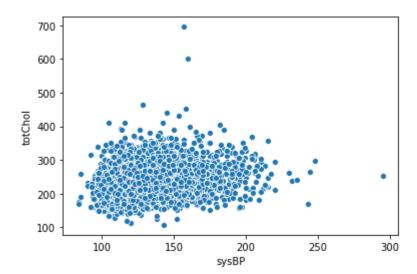
localhost:8888/lab 15/43



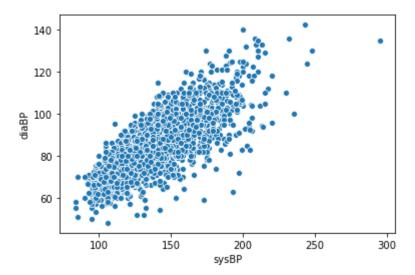


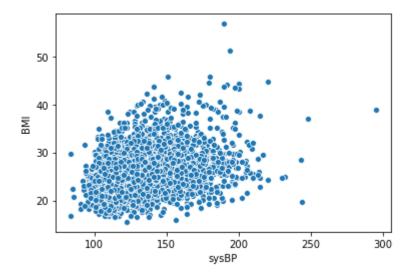
localhost:8888/lab 16/43



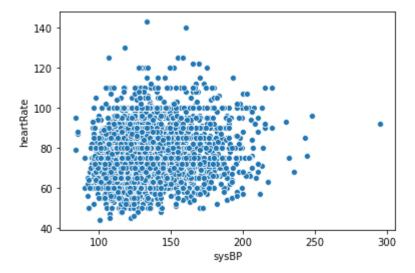


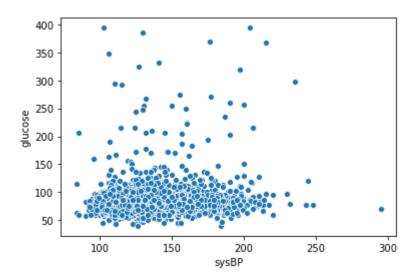
localhost:8888/lab 17/43



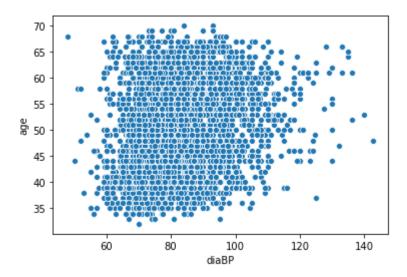


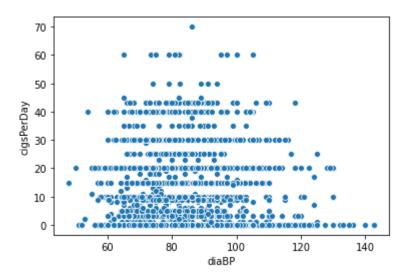
localhost:8888/lab



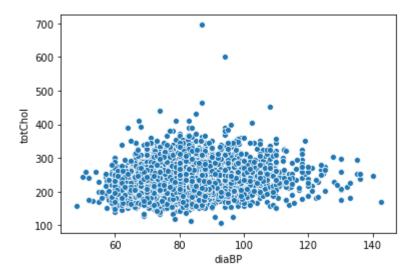


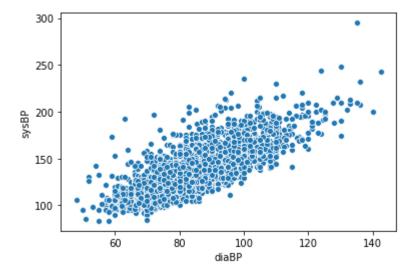
localhost:8888/lab 19/43



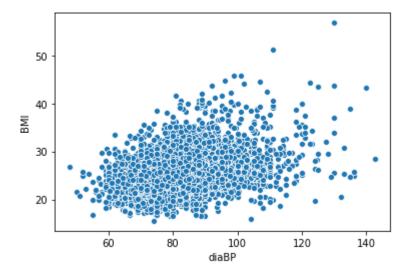


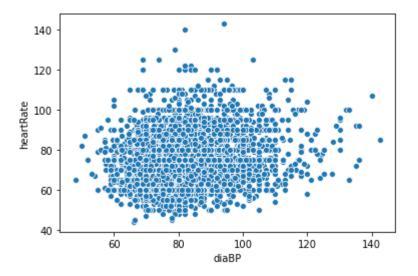
localhost:8888/lab 20/43



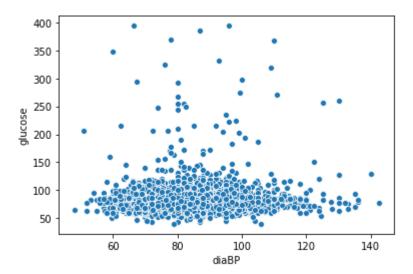


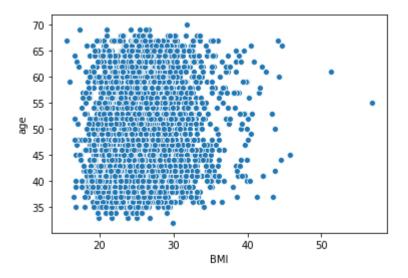
localhost:8888/lab 21/43



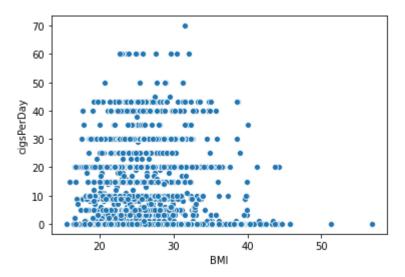


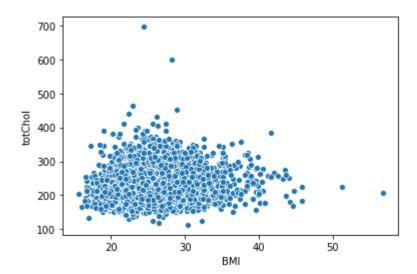
localhost:8888/lab 22/43



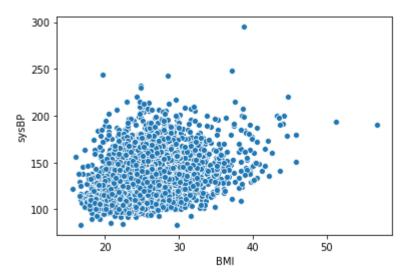


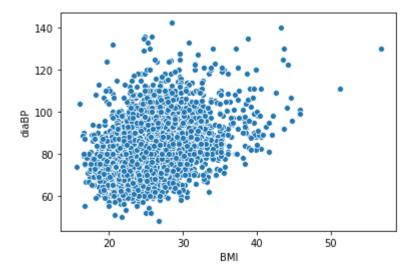
localhost:8888/lab 23/43



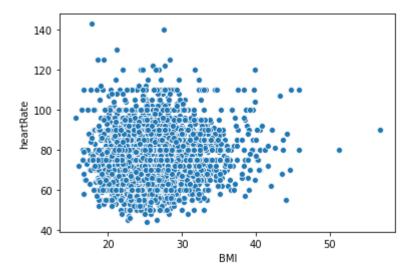


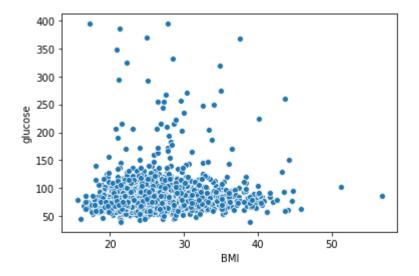
localhost:8888/lab 24/43



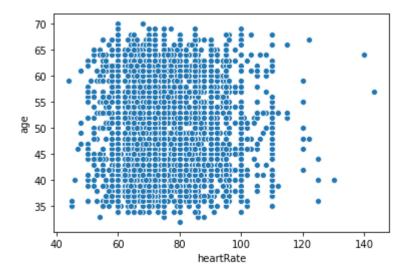


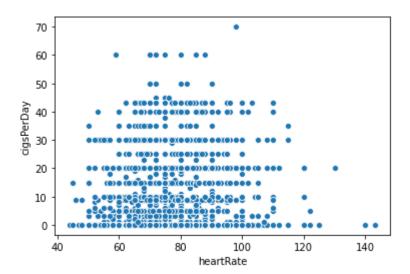
localhost:8888/lab 25/43



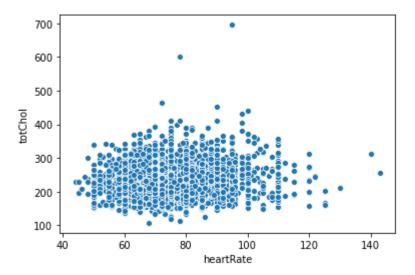


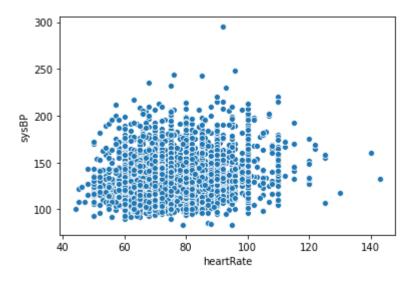
localhost:8888/lab 26/43



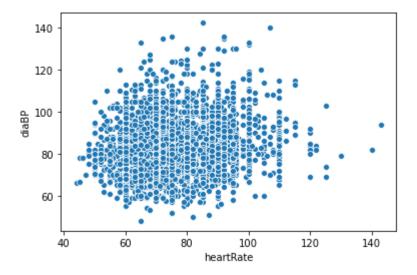


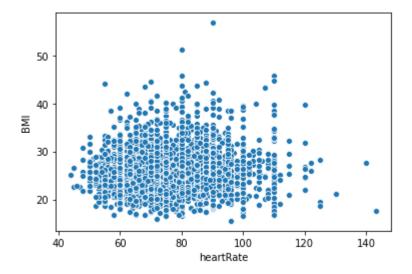
localhost:8888/lab 27/43



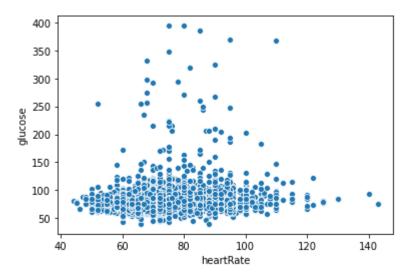


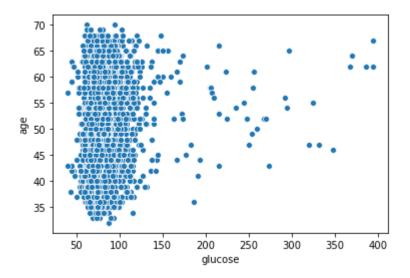
localhost:8888/lab 28/43



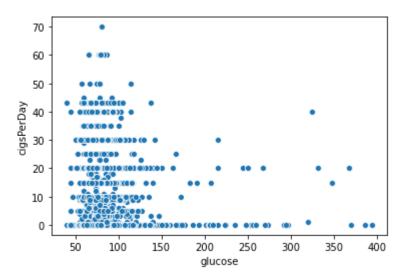


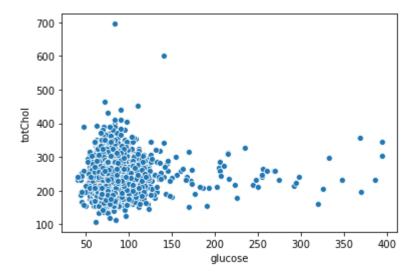
localhost:8888/lab 29/43



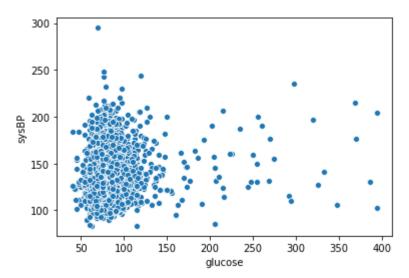


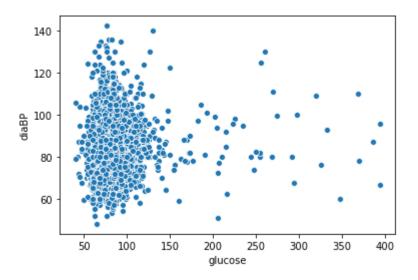
localhost:8888/lab 30/43



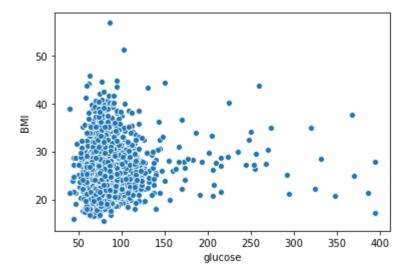


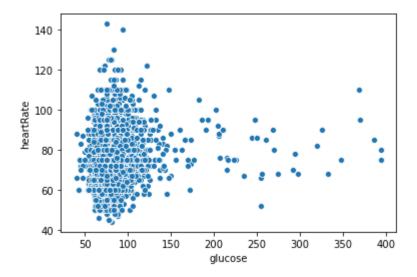
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After the calculation and graphs above, the best correlated attributes are:

cigPerDay <- Age,

totChol <- Age,

BMI <- diaBP,

heartRate <- sysBP,

glucose <- sysBP

We then fill in the missing values with our estimates:

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In [5]:

```
## cigsPerDay
temp_df = df[df['cigsPerDay'].notna()]
x = temp_df["age"]
x = sm.add_constant(x)
y = temp_df["cigsPerDay"]

model = sm.OLS(y,x).fit()
model.summary()
```

Out[5]:

OLS Regression Results

```
Dep. Variable:
                       cigsPerDay
                                          R-squared:
                                                           0.037
          Model:
                              OLS
                                     Adj. R-squared:
                                                           0.037
         Method:
                     Least Squares
                                          F-statistic:
                                                           162.4
            Date: Tue, 07 Jul 2020
                                    Prob (F-statistic):
                                                        1.59e-36
           Time:
                          19:31:37
                                     Log-Likelihood:
                                                         -16323.
No. Observations:
                             4209
                                                AIC: 3.265e+04
    Df Residuals:
                                                BIC: 3.266e+04
                             4207
        Df Model:
                                 1
Covariance Type:
                         nonrobust
          coef std err
                                         [0.025
                                                 0.975]
                                  P>|t|
const 22.2803
                         21.072 0.000
                                         20.207
                  1.057
                                                 24.353
 age
       -0.2678
                 0.021 -12.744 0.000
                                         -0.309
                                                 -0.227
      Omnibus: 785.277
                            Durbin-Watson:
                                                 1.978
Prob(Omnibus):
                   0.000 Jarque-Bera (JB):
                                              1322.127
         Skew:
                   1.236
                                  Prob(JB): 8.01e-288
```

Warnings:

Kurtosis:

4.194

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

295.

Cond. No.

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In [6]:

```
## totChol
temp_df = df[df['totChol'].notna()]
x = temp_df["age"]
x = sm.add_constant(x)
y = temp_df["totChol"]

model = sm.OLS(y,x).fit()
model.summary()
```

0.069

R-squared:

Out[6]:

OLS Regression Results

Dep. Variable:

_			_						
Model:		:	OLS		Adj. R-squai		(0.068	
	Method	: Leas	Least Squares		F-statistic:			308.9	
	Date	: Tue, 07	ie, 07 Jul 2020		Prob (F-statisti		9.19	e-67	
	Time	:	19:31:37		Log-Likelihood:			1697.	
No. Ob	servations	:	4188	AIC:			4.340	e+04	
Df	Residuals	:	4186		В	IC:	4.341	e+04	
	Df Model	:	1						
Covariance Type:		:	nonrobust						
	coef	std err	t	P> t	[0.025	0	.975]		
const	169.0609	3.907	43.271	0.000	161.401	176	5.721		
age	1.3652	0.078	17.574	0.000	1.213	1	1.517		
Omnibus:		909.943	Durbi	n-Wats	on: 2	.020			
Prob(Omnibus):		0.000	Jarque-	Bera (J	B): 4685	.659			
	Skew:	0.944		Prob(J	B):	0.00			
	Kurtosis:	7.825		Cond. I	No.	296.			

totChol

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

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In [7]:

```
## BMI
temp_df = df[df['BMI'].notna()]
x = temp_df["diaBP"]
x = sm.add_constant(x)
y = temp_df["BMI"]

model = sm.OLS(y,x).fit()
model.summary()
```

Out[7]:

OLS Regression Results

Dep. Variable: BMI R-squared: 0.143 Model: OLS Adj. R-squared: 0.142 Method: Least Squares F-statistic: 701.2 **Date:** Tue, 07 Jul 2020 Prob (F-statistic): 4.56e-143 Time: 19:31:37 Log-Likelihood: -11594. No. Observations: 4219 AIC: 2.319e+04 **Df Residuals:** 4217 BIC: 2.320e+04 **Df Model:** 1 **Covariance Type:** nonrobust

 const
 std err
 t
 P>|t|
 [0.025
 0.975]

 const
 15.0733
 0.409
 36.826
 0.000
 14.271
 15.876

 diaBP
 0.1294
 0.005
 26.480
 0.000
 0.120
 0.139

 Omnibus:
 525.294
 Durbin-Watson:
 1.992

 Prob(Omnibus):
 0.000
 Jarque-Bera (JB):
 1094.179

 Skew:
 0.767
 Prob(JB):
 2.52e-238

 Kurtosis:
 4.968
 Cond. No.
 589.

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

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In [8]:

```
## heartRate
temp_df = df[df['heartRate'].notna()]
x = temp_df["sysBP"]
x = sm.add_constant(x)
y = temp_df["heartRate"]

model = sm.OLS(y,x).fit()
model.summary()
```

Out[8]:

OLS Regression Results

Dej	o. Variable	:	heartRate	e	R-squ	ared:	0.033	
Model:		:	OLS		Adj. R-squared:		0.033	
	Method	: Leas	st Square:	3	F-stat	istic:	145.5	
	Date	: Tue, 0	7 Jul 2020	Prol	b (F-stati	stic):	5.79e-33	
	Time	:	19:31:3	7 Lo	g-Likelih	nood:	-16478.	
No. Obs	servations	:	423	7		AIC:	3.296e+04	
Df	Residuals	:	423	5		BIC:	3.297e+04	
	Df Model	:		1				
Covari	ance Type	:	nonrobus	t				
	coef	std err	t	P> t	[0.025	0.97	5]	
const	62.7132	1.107	56.676	0.000	60.544	64.88	33	
sysBP	0.0995	0.008	12.062	0.000	0.083	0.11	16	
c	mnibus:	287.739	Durb	in-Wats	son:	2.008		
Prob(O	mnibus):	0.000	Jarque	-Bera (JB): 38	38.903		
	Skew:	0.598		Prob(JB): 3.5	55e-85		

Warnings:

Kurtosis:

3.878

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

817.

Cond. No.

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In [9]:

```
## glucose
temp_df = df[df['glucose'].notna()]
x = temp_df["sysBP"]
x = sm.add_constant(x)
y = temp_df["glucose"]

model = sm.OLS(y,x).fit()
model.summary()
```

Out[9]:

OLS Regression Results

De	p. Variable	:	glucos	е	R-squ	ared:	0.020
Model		: OLS		S Ac	Adj. R-squared		0.020
	Method	: Lea	st Square	s	F-stat	tistic:	77.63
	Date	: Tue, 0	7 Jul 202	0 Prol	b (F-stati	istic):	1.85e-18
	Time	•	19:31:3	7 L o	g-Likelil	nood:	-17653.
No. Ob	servations	:	385	0		AIC:	3.531e+04
Df Residuals		:	3848 BIC :			BIC:	3.532e+04
	Df Model	•		1			
Covari	ance Type	:	nonrobus	st			
	coef	std err	t	P> t	[0.025	0.97	5]
const	61.8044	2.320	26.638	0.000	57.256	66.3	53
sysBP	0.1522	0.017	8.811	0.000	0.118	0.18	36
c	Omnibus:	4515.24	1 D ur	bin-Wa	tson:	2.	.035
Prob(O	mnibus):	0.00	0 Jarq u	e-Bera	(JB): 5	60136	.877
	Skew:	6.11	3	Prob	(JB):	(0.00

Warnings:

Kurtosis:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Cond. No.

Based on the simple linear regressions above we can get the following equations for the missing values:

815.

```
cigsPerDay = 22.2803 - 0.2678(age)
totChol = 169.0609 + 1.3652(age)
```

BMI = 15.0733 + 0.1294(diaBP)

heartRate = 62.7312 + 0.0775(sysBP) glucose = 61.8044 + 0.1522(sysBP)

Filling in the missing values with those equations:

60.812

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```
In [10]:
```

```
# cigsPerDay
df['cigsPerDay'] = df.apply(
    lambda row: 22.2803 - (0.2678*row['age']) if np.isnan(row['cigsPerDay']) else row['cig
sPerDay'],
    axis=1
)
```

In [11]:

```
# totChol
df['totChol'] = df.apply(
    lambda row: 169.0609 + (1.365*row['age']) if np.isnan(row['totChol']) else row['totCho
l'],
    axis=1
)
```

In [12]:

```
# BMI
df['BMI'] = df.apply(
    lambda row: 15.0733 + (0.1294*row['diaBP']) if np.isnan(row['BMI']) else row['BMI'],
    axis=1
)
```

In [13]:

```
# heartRate
df['heartRate'] = df.apply(
    lambda row: 15.0733 + (0.1294*row['sysBP']) if np.isnan(row['heartRate']) else row['he
artRate'],
    axis=1
)
```

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In [14]:

```
# glucose
df['glucose'] = df.apply(
    lambda row: 61.8044 + (0.1522*row['sysBP']) if np.isnan(row['glucose']) else row['glucose'],
    axis=1
)
df.isnull().sum(axis = 0)
```

Out[14]:

```
0
age
cigsPerDay
               0
totChol
               0
sysBP
               0
diaBP
               0
BMI
heartRate
glucose
               0
CHD
dtype: int64
```

Exploratory Data Analysis:

The data is split into a training and testing set with an 80/20 split. Seed = 8675309 (Jenny's Number)

In [15]:

```
X = df.drop(['CHD'], axis=1)
Y = df[['CHD']]
X_Train, X_Test, Y_Train, Y_Test = train_test_split(X, Y, train_size = 0.80, random_state = 8675309)
```

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In [16]:

Error_rate: 0.1875

```
# Training k=3
model = KNeighborsClassifier(n neighbors=3)
model.fit(X Train, Y Train['CHD'])
y pred = model.predict(X Test)
pred = pd.DataFrame(y pred, )
pred.rename(columns = {0:"Pred"}, inplace = True)
results = pd.concat([pred, Y_Test.reset_index(drop=True)], axis = 1)
x = confusion_matrix(results['CHD'], results["Pred"])
y = accuracy score(results['CHD'], results["Pred"])
print("Matrix: ")
print(x)
print("Accuracy: ", y)
print("Error_rate:", 1 - y)
Matrix:
[[665 45]
[123 15]]
Accuracy: 0.8018867924528302
Error_rate: 0.19811320754716977
In [17]:
# Training k=5
model = KNeighborsClassifier(n neighbors=5)
model.fit(X Train, Y Train['CHD'])
y pred = model.predict(X Test)
pred = pd.DataFrame(y_pred, )
pred.rename(columns = {0:"Pred"}, inplace = True)
results = pd.concat([pred, Y_Test.reset_index(drop=True)], axis = 1)
x = confusion matrix(results['CHD'], results["Pred"])
y = accuracy score(results['CHD'], results["Pred"])
print("Matrix: ")
print(x)
print("Accuracy: ", y)
print("Error_rate:", 1 - y)
Matrix:
[[676 34]
[125 13]]
Accuracy: 0.8125
```

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In [18]:

```
# Training k=7
model = KNeighborsClassifier(n_neighbors=7)

model.fit(X_Train, Y_Train['CHD'])
y_pred = model.predict(X_Test)
pred = pd.DataFrame(y_pred, )
pred.rename(columns = {0:"Pred"}, inplace = True)
results = pd.concat([pred, Y_Test.reset_index(drop=True)], axis = 1)
x = confusion_matrix(results['CHD'], results["Pred"])
y = accuracy_score(results['CHD'], results["Pred"])
print("Matrix: ")
print(x)
print("Accuracy: ", y)
print("Error_rate:", 1 - y)
```

```
Matrix:

[[687 23]

[128 10]]

Accuracy: 0.8219339622641509

Error_rate: 0.17806603773584906
```

Evaluation:

Comparing the error rates of the 3 k-values, the highest k that was tested, k=7, had the highest accuracy rate, leading to the lowest error rate, making it the best overall option for predicting the CHD diagnosis. Although the other 2 models using lower k's never fell below 0.8 accuracy, they still were worse than k=7. My suggestion to the client would be KNeighbors k = 7 for the highest chance of being right overall.

Results:

Using k=7 or higher would yield the best results for the tests, and it would be smart to not rely on the glucose to predict the CHD, as alot of those data points themselves were predicted, which could lead to the data become skewed and becoming less accurate. Further testing could reveal a better k value which would raise the accuracy, more than likely that k-value would be larger than 7.

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Reference:

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