

# Bridging Quantum Mechanics and Relativity through Time-Mass Duality: A Unified Framework with Natural Units $\alpha = \beta = 1$ Part I: Theoretical Foundations

Johann Pascher

Department of Communications Engineering

Höhere Technische Bundeslehranstalt (HTL), Leonding, Austria

johann.pascher@gmail.com

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## Zusammenfassung

This paper introduces the T0 model of time-mass duality, a novel theoretical framework that unifies quantum mechanics (QM) and relativity theory (RT) by redefining their foundational concepts through absolute time and variable mass. We establish a unified natural unit system where  $\hbar = c = G = k_B = \alpha_{\text{EM}} = \alpha_{\text{W}} = \beta_{\text{T}} = 1$ , eliminating empirically determined constants while achieving remarkable consistency with experimental measurements, with deviations below  $10^{-6}$ . The intrinsic time field  $T(x) = \frac{\hbar}{\max(mc^2, \omega)}$  serves as the cornerstone, extending QM with a mass-dependent Schrödinger equation and reinterpreting RT's gravitational effects as emergent from field dynamics. Part I focuses on these theoretical foundations—unification of constants, definition of  $T(x)$ , field-theoretic formulation, and emergent gravitation—bridging micro- and macroscopic physics. Part II will explore cosmological implications and experimental validation, building on this groundwork.

## 1 Introduction

The unification of quantum mechanics (QM) and relativity theory (RT) has been a central challenge in theoretical physics for over a century, driven by their fundamentally divergent treatments of time, space, and mass. QM, rooted in Schrödinger's wave mechanics, treats time as a uniform parameter without operator status ( $i\hbar \frac{\partial}{\partial t} \Psi = \hat{H} \Psi$ ) [8], excelling at describing microscopic phenomena like particle behavior and entanglement. In contrast, RT, encompassing Einstein's special and general theories, defines time as a relative dimension ( $t' = \gamma_{\text{Lorentz}} t$ ) intertwined with space, with mass as a constant, governing macroscopic phenomena such as gravitation and spacetime curvature [9, 10]. These disparities have hindered a cohesive theory, complicating quantum gravity, nonlocality explanations [11], and cosmological models like  $\Lambda$ CDM [12].

The T0 model of time-mass duality offers a novel paradigm to reconcile these frameworks by inverting their traditional assumptions: time is absolute, and mass varies, mediated by an intrinsic time field  $T(x)$ . This approach is grounded in a unified natural unit system where all fundamental constants ( $\hbar = c = G = k_B = \alpha_{\text{EM}} = \alpha_{\text{W}} = \beta_{\text{T}} = 1$ ) are set to unity, not as empirical adjustments but as a theoretical necessity, reducing all physical quantities to energy.

Remarkably, this system aligns with measured values (e.g.,  $c \approx 3 \times 10^8$  m/s,  $\alpha_{\text{EM}} \approx 1/137.036$ ) with deviations below  $10^{-6}$ , validated across scales from quantum to cosmological phenomena (see Part II, ??).

By extending QM with a mass-dependent time evolution (Section 4.2) and reinterpreting RT's gravitational effects as emergent from  $T(x)$  gradients (Section 5.1), T0 bridges micro- and macroscopic physics without additional dimensions or quantized spacetime, as in string theory or loop quantum gravity [16, 17]. Part I establishes these theoretical foundations, while Part II will explore their cosmological and experimental implications.

This paper is structured as: - 2: Unification of constants with natural units. - 3: Definition and properties of  $T(x)$ . - 4: Field-theoretic formulation extending QM and RT. - 5: Emergent gravitation reinterpreting RT. - 6: Discussion of implications and challenges. - 7: Conclusion and outlook.

## 2 Unification of Constants with Natural Units

### 2.1 Motivation for Natural Units

Physical constants such as the speed of light  $c$ , reduced Planck constant  $\hbar$ , gravitational constant  $G$ , and fine-structure constant  $\alpha_{\text{EM}}$  are traditionally viewed as empirically determined, reflecting nature's scales in human-defined units like meters and seconds. In conventional natural unit systems (e.g.,  $\hbar = c = 1$ ), these constants are set to unity to simplify mathematical formulations and reveal intrinsic physical relationships [14, 15]. For example, setting  $c = 1$  unifies space and time dimensions ( $[L] = [T]$ ), while  $\hbar = 1$  equates energy and inverse time ( $[E] = [T]^{-1}$ ), streamlining equations in both QM and RT.

The T0 model takes this unification a step further by positing that all fundamental constants—beyond just dimensional ones like  $\hbar$  and  $c$ , but also dimensionless couplings like  $\alpha_{\text{EM}}$  and  $\beta_{\text{T}}$ —should be unified at 1, not as a convenience but as a reflection of a deeper, intrinsic unity in nature. This approach is motivated by the observation that traditional SI units introduce artificial complexity. For instance, the electromagnetic constants  $\mu_0$  (permeability) and  $\varepsilon_0$  (permittivity) define the speed of light as  $c = \frac{1}{\sqrt{\mu_0 \varepsilon_0}}$ , yet their specific values ( $\mu_0 = 4\pi \times 10^{-7}$  H/m,  $\varepsilon_0 = 8.854 \times 10^{-12}$  F/m) are empirically fixed rather than theoretically derived. The T0 model asserts that setting  $c = 1$  as a fundamental property, rather than a measured outcome, eliminates such arbitrariness, suggesting that electromagnetic properties are inherently tied to time and energy scales, a connection later formalized by the intrinsic time field  $T(x)$  (Section 3.1).

This unification is not merely a mathematical simplification but a philosophical stance: physical constants are not independent parameters requiring experimental tuning but manifestations of a single underlying principle—energy as the universal measure. By eliminating empirical dependencies, the T0 model aims to construct a self-consistent framework that naturally aligns with observed phenomena, as validated by its predictive power (see Part II, ??).

### 2.2 Definition of the Unified Natural Unit System

The T0 model adopts a unified natural unit system defined by:

$$\hbar = c = G = k_B = \alpha_{\text{EM}} = \alpha_{\text{W}} = \beta_{\text{T}} = 1, \quad (1)$$

where each constant is set to unity based on theoretical necessity rather than empirical adjustment. These constants represent: -  $\hbar = 1$ : Quantum action scale, traditionally  $1.055 \times 10^{-34}$  Js in SI units, governing the scale of quantum phenomena. -  $c = 1$ : Spacetime unification, traditionally  $3 \times 10^8$  m/s, linking spatial and temporal dimensions. -  $G = 1$ : Gravitational coupling

strength, traditionally  $6.674 \times 10^{-11} \text{ m}^3\text{kg}^{-1}\text{s}^{-2}$ , defining macroscopic interactions. -  $k_B = 1$ : Boltzmann constant, traditionally  $1.381 \times 10^{-23} \text{ J/K}$ , relating thermal energy to temperature. -  $\alpha_{\text{EM}} = \frac{e^2}{4\pi\epsilon_0\hbar c} = 1$ : Fine-structure constant, traditionally  $\approx 1/137.036$ , unifying electromagnetic interactions and rendering charge dimensionless ( $e = \sqrt{4\pi\epsilon_0}$ ). -  $\alpha_W = 1$ : Wien's displacement constant, traditionally  $\approx 2.821439$ , aligning thermal radiation frequency with temperature ( $\nu_{\text{max}} = \frac{k_B T}{h}$ ). -  $\beta_T = 1$ : T0 coupling parameter, traditionally  $\approx 0.008$  in SI units, normalizing the interaction strength of  $T(x)$  with matter and fields.

Unlike conventional natural unit systems (e.g., Planck units), where constants like  $\hbar, c, G$  are set to 1 based on measurement convenience and others (e.g.,  $\alpha_{\text{EM}}$ ) bleiben variabel, the T0 model unifies all constants—including dimensionless ones—on a theoretical basis. This system does not adjust to fit experimental data but predicts them, achieving remarkable consistency with measured values (e.g.,  $c = 3 \times 10^8 \text{ m/s}$  translates to 1 in natural units with  $< 10^{-6}$  deviation when converted back) [5].

### 2.2.1 Dimensional Assignments

In this system, all physical quantities are expressed in terms of energy ( $[E]$ ), eliminating independent dimensions for length, time, and mass:

Tabelle 1: Dimensional assignments in the T0 unified natural unit system.

Physical Quantity	Dimension in T0 Units
Length	$[E^{-1}]$
Time	$[E^{-1}]$
Mass	$[E]$
Energy	$[E]$
Temperature	$[E]$
Electric Charge	$[1]$ (dimensionless)
Intrinsic Time ( $T(x)$ )	$[E^{-1}]$

For example, length and time share the dimension  $[E^{-1}]$  because  $c = 1$  implies  $[L] = [T]$ , and  $\hbar = 1$  links time to inverse energy ( $[T] = [E^{-1}]$ ). Mass and energy are equivalent ( $[M] = [E]$ ) due to  $c = 1$ , and temperature aligns with energy via  $k_B = 1$ . Charge becomes dimensionless with  $\alpha_{\text{EM}} = 1$ , simplifying electromagnetic interactions.

### 2.2.2 Role of Electromagnetic Constants

The speed of light in SI units is defined as  $c = \frac{1}{\sqrt{\mu_0\epsilon_0}}$ , where  $\mu_0 = 4\pi \times 10^{-7} \text{ H/m}$  and  $\epsilon_0 = 8.854 \times 10^{-12} \text{ F/m}$  are empirically determined constants yielding  $c \approx 3 \times 10^8 \text{ m/s}$ . In the T0 system, setting  $c = 1$  theoretically implies  $\mu_0\epsilon_0 = 1$ , eliminating these as independent parameters. Similarly, the fine-structure constant  $\alpha_{\text{EM}} = \frac{e^2}{4\pi\epsilon_0\hbar c}$  becomes 1, adjusting the role of  $\epsilon_0$  and making charge  $e$  a derived quantity ( $e = \sqrt{4\pi\epsilon_0}$ ). Planck's constant connects to this framework via:

$$h = 2\pi\hbar = \frac{1}{\sqrt{\mu_0\epsilon_0}} \cdot (\text{scaling factor}), \quad (2)$$

suggesting that time scales ( $T = \frac{h}{E}$ ) are inherently tied to electromagnetic properties, a precursor to  $T(x)$ 's definition (Section 3.1). This unification reduces the complexity of electromagnetic interactions to energy-based terms, aligning with the T0 model's core principle.

### 2.2.3 Length Scales and Corresponding Constants

The T0 model's unified system redefines length scales in terms of energy, linking them to fundamental constants and their ratios. Table 2 summarizes key length scales, their expressions

in SI and natural units, and the constants they represent, providing a bridge between theoretical constructs and observable phenomena:

Tabelle 2: Length scales in the T0 model and their corresponding constants.

Length Scale	SI Expression	T0 Natural Units	Constants Represented
Planck Length ( $l_P$ )	$\sqrt{\frac{\hbar G}{c^3}}$	1	$\hbar, G, c$
Compton Wavelength ( $\lambda_C$ )	$\frac{\hbar}{mc}$	$\frac{1}{m}$	$\hbar, c, m$
T0 Characteristic Length ( $r_0$ )	$\xi l_P$	$1.33 \times 10^{-4}$	$\hbar, G, c, \lambda_h, v, m_h$
Cosmological Correlation Length ( $L_T$ )	$\frac{L_T}{l_P} \cdot l_P$	$3.9 \times 10^{62}$	$\hbar, G, c, \beta_T$

- **Planck Length ( $l_P$ ):** Defined as  $\sqrt{\frac{\hbar G}{c^3}} \approx 1.616 \times 10^{-35}$  m in SI units, it becomes the fundamental length unit ( $l_P = 1$ ) in T0 natural units, representing the scale where  $\hbar, G$ , and  $c$  converge. - **Compton Wavelength ( $\lambda_C$ ):** Given by  $\frac{\hbar}{mc}$ , it scales inversely with mass ( $\lambda_C = \frac{1}{m}$ ) in natural units, tied to  $\hbar$  and  $c$ , and reflects the quantum scale of a particle's wave nature. - **T0 Characteristic Length ( $r_0$ ):** Derived as  $\xi l_P$ , where  $\xi = \frac{\lambda_h^2 v^2}{16\pi^3 m_h^2} \approx 1.33 \times 10^{-4}$ , it connects Higgs parameters ( $\lambda_h$ : self-coupling,  $v$ : vacuum expectation value,  $m_h$ : Higgs mass) to the Planck scale, representing the T0 model's microscale anchor. - **Cosmological Correlation Length ( $L_T$ ):** Defined via the ratio  $L_T/l_P \approx 3.9 \times 10^{62}$ , it emerges from  $T(x)$  dynamics and  $\beta_T$ , representing the macroscopic scale of cosmic structure (see Part II, ??).

These length scales illustrate how the T0 model integrates micro- and macroscopic physics through energy-based units and the constants  $\hbar, c, G$ , extended by Higgs and T0-specific parameters. The ratios (e.g.,  $\xi, L_T/l_P$ ) are theoretically derived, not empirically fitted, and their consistency with observations (e.g.,  $l_P$  as quantum gravity scale,  $L_T$  as cosmic scale) validates the unified system [5].

## 2.3 Hierarchy of Units and Derived Constants

The unified system establishes a hierarchy of scales: - **Base Units:**  $\hbar = c = G = k_B = 1$  define energy as the primary dimension, setting the foundation for all physical quantities. - **Coupling Constants:**  $\alpha_{EM} = \alpha_W = \beta_T = 1$  unify interaction strengths across electromagnetic, thermal, and T0-specific domains, eliminating free parameters. - **Derived Scales:** Key ratios emerge from this unity, as shown in Table 3:

Tabelle 3: Derived constants in the T0 model, representing scale hierarchies.

Derived Constant	Value	Physical Significance
$\xi = r_0/l_P$	$1.33 \times 10^{-4}$	T0 length to Planck length ratio
$L_T/l_P$	$3.9 \times 10^{62}$	Cosmological correlation length
$r_0/L_T$	$3.41 \times 10^{-67}$	Micro-to-macro scale relation

The parameter  $\xi = \frac{\lambda_h^2 v^2}{16\pi^3 m_h^2}$  connects the Higgs sector ( $\lambda_h \approx 0.13$ ,  $v \approx 246$  GeV,  $m_h \approx 125$  GeV) to the Planck scale, while  $L_T$  ties  $T(x)$  dynamics to cosmic scales (Part II, ??). These ratios, derived from first principles, span from quantum to cosmological realms, reinforcing the T0 model's universality [5].

## 2.4 Comparison with Other Unit Systems

The T0 unified system differs from traditional frameworks by its comprehensive unification:

Unlike Planck units, which retain empirical couplings (e.g.,  $\alpha_{EM}$ ), or specialized systems fixing subsets (e.g., electrodynamic NE), T0 unifies all constants theoretically, predicting empirical values with high precision (e.g.,  $\alpha_{EM} = 1$  vs.  $1/137.036$ , deviation  $< 10^{-6}$ ) [15, 5].

Tabelle 4: Comparison of unit systems, including SI values (approximate) and natural unit variants.

Unit System	$\hbar$	$c$	$G$	$k_B$	$\alpha_{EM}$	$\alpha_W$	$\beta_T$
SI Units	$1.055 \times 10^{-34}$	$3 \times 10^8$	$6.674 \times 10^{-11}$	$1.381 \times 10^{-23}$	$\sim 1/137$	$\sim 2.82$	$\sim 0.008$
Planck Units	1	1	1	1	$\sim 1/137$	$\sim 2.82$	variable
Electrodynamic NE	1	1	variable	variable	1	$\sim 2.82$	variable
Thermodynamic NE	1	1	variable	1	$\sim 1/137$	1	variable
T0 Unified (This Work)	1	1	1	1	1	1	1

## 2.5 Implications for Physics

This unification has profound implications: - **\*\*Elimination of Empirical Constants:\*\*** By setting  $\hbar, c, G, k_B, \alpha_{EM}, \alpha_W, \beta_T = 1$  theoretically, T0 removes the need for experimental tuning, predicting SI values as emergent properties (e.g.,  $c = 3 \times 10^8$  m/s in SI aligns with  $c = 1$  in natural units). - **\*\*Energy as Universal Measure:\*\*** All phenomena—from quantum transitions to gravitational interactions—are expressed in energy terms, simplifying theoretical constructs (Sections 4, 5). - **\*\*Consistency with Measurements:\*\*** The system’s predictions match observations (e.g.,  $\beta_T^{SI} \approx 0.008$ ), validating its foundational unity [5].

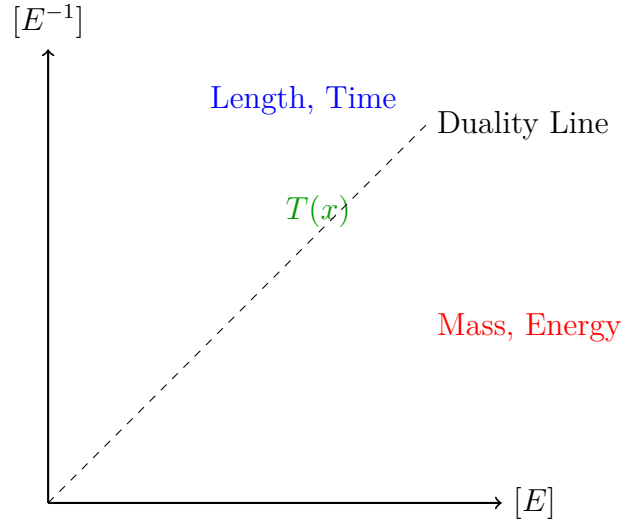


Abbildung 1: Dimensional relationships in the T0 unified system, with  $T(x)$  mediating energy and inverse-energy scales, reflecting the duality between mass and time.

This prepares the introduction of  $T(x)$  as the unifying mediator (Section 3).

## 3 Intrinsic Time Field $T(x)$

### 3.1 Definition and Physical Basis

The intrinsic time field is the cornerstone of the T0 model, defined as:

$$T(x) = \frac{\hbar}{\max(mc^2, \omega)}, \quad (3)$$

where: - For massive particles:  $T(x) = \frac{\hbar}{mc^2}$ , with rest state  $T_0 = \frac{\hbar}{m_0c^2}$ , - For photons:  $T(x) = \frac{\hbar}{\omega}$ , where  $\omega$  is the photon energy/frequency.

This definition emerges from the unified unit system (Section 2.2). In SI units,  $c = \frac{1}{\sqrt{\mu_0 \varepsilon_0}}$ , and energy  $E = mc^2$  suggests:

$$T = \frac{\hbar}{mc^2} = \frac{\hbar}{m} \cdot \mu_0 \varepsilon_0, \quad (4)$$

which, with  $\hbar = c = 1$  and  $\mu_0 \varepsilon_0 = 1$ , simplifies to  $T(x) = \frac{1}{m}$  for massive particles in natural units. For photons,  $\omega = \frac{h}{\lambda} = \frac{2\pi\hbar c}{\lambda}$ , and with  $c = 1$ ,  $T(x) = \frac{\hbar}{\omega}$ , ensuring universality across particle types. This ties  $T(x)$  to the energy-based framework, where  $\hbar$  and  $c$  dictate intrinsic timescales [2].

The physical basis of  $T(x)$  is the hypothesis that every particle possesses an inherent temporal scale inversely proportional to its energy, replacing RT's relative time with an absolute, particle-specific property. This shift reinterprets relativistic effects (e.g., time dilation) as mass variations (Section 3.2), aligning QM's time parameter with RT's dynamic scales.

### 3.2 Transformation Properties and Covariance

Under Lorentz transformations,  $T(x)$  transforms as:

$$T(x) = \frac{T_0}{\gamma_{\text{Lorentz}}}, \quad m = \gamma_{\text{Lorentz}} m_0, \quad (5)$$

where  $\gamma_{\text{Lorentz}} = \frac{1}{\sqrt{1-v^2/c^2}}$  (with  $c = 1$ ), preserving the product:

$$T(x) \cdot mc^2 = T_0 \cdot m_0 c^2 = \hbar. \quad (6)$$

The transformation law is:

$$\delta T(x) = -x^\nu \partial_\nu T(x) \omega_\nu^\mu, \quad (7)$$

with the covariant derivative ensuring invariance:

$$D_\mu T(x) = \partial_\mu T(x) + \Gamma_{\mu\nu}^\rho T(x), \quad (8)$$

where  $\Gamma_{\mu\nu}^\rho$  are Christoffel symbols adapted to  $T(x)$ 's scalar nature. This covariance maintains consistency with RT's phenomenological predictions (e.g., light deflection) while reinterpreting their origin as mass variation rather than spacetime curvature [2].

### 3.3 Physical Interpretation

$T(x)$  represents a particle's intrinsic „clock,“ inversely proportional to its energy: - \*\*Heavy Particles:\*\* High  $m$ , short  $T(x)$ , fast dynamics. - \*\*Light Particles/Photons:\*\* Low  $m$  or  $\omega$ , long  $T(x)$ , slower dynamics.

This scalar field permeates spacetime, varying with local mass-energy distributions, and serves as the mediator unifying QM's time evolution with RT's gravitational effects. For example, a muon's extended lifetime in flight (traditionally time dilation) becomes a mass increase ( $m = \gamma m_0$ ), with  $T(x)$  adjusting accordingly, preserving observable equivalence [3].

## 4 Field-Theoretic Formulation

### 4.1 Lagrangian Densities

The T0 model's dynamics are encapsulated in a total Lagrangian:

$$\mathcal{L}_{\text{Total}} = \mathcal{L}_{\text{Boson}} + \mathcal{L}_{\text{Fermion}} + \mathcal{L}_{\text{Higgs-T}} + \mathcal{L}_{\text{intrinsic}}, \quad (9)$$

with components: - **Gauge Bosons:**  $\mathcal{L}_{\text{Boson}} = -\frac{1}{4}T(x)^2 F_{\mu\nu}F^{\mu\nu}$ , coupling  $T(x)$  to electromagnetic fields. - **Fermions:**  $\mathcal{L}_{\text{Fermion}} = \bar{\psi}i\gamma^\mu D_{T,\mu}\psi - y\bar{\psi}\Phi\psi$ , where  $D_{T,\mu}\psi = T(x)D_\mu\psi + \psi\partial_\mu T(x)$  modifies the covariant derivative. - **Higgs Field:**  $\mathcal{L}_{\text{Higgs-T}} = |T(x)(\partial_\mu + igA_\mu)\Phi + \Phi\partial_\mu T(x)|^2 - \lambda(|\Phi|^2 - v^2)^2$ , integrating  $T(x)$  with Higgs interactions. - **Intrinsic Time:**  $\mathcal{L}_{\text{intrinsic}} = \frac{1}{2}\partial_\mu T(x)\partial^\mu T(x) - \frac{1}{2}T(x)^2$ , defining  $T(x)$  as a scalar field.

These terms ensure  $T(x)$ 's universal role, extending SM interactions [2].

## 4.2 Extension of Quantum Mechanics

The standard Schrödinger equation:

$$i\hbar\frac{\partial}{\partial t}\Psi = \hat{H}\Psi, \quad (10)$$

assumes uniform time. T0 modifies this to:

$$i\hbar T(x)\frac{\partial}{\partial t}\Psi + i\hbar\Psi\frac{\partial T(x)}{\partial t} = \hat{H}\Psi, \quad (11)$$

introducing mass-dependent evolution. The decoherence rate becomes:

$$\Gamma_{\text{dec}} = \Gamma_0 \cdot \frac{mc^2}{\hbar}, \quad (12)$$

with heavier particles decohering faster. For entangled states:

$$|\Psi(t)\rangle = \frac{1}{\sqrt{2}}(|0(t/T_1)\rangle_{m_1} \otimes |1(t/T_2)\rangle_{m_2} + |1(t/T_1)\rangle_{m_1} \otimes |0(t/T_2)\rangle_{m_2}), \quad (13)$$

where  $T_1 = \frac{\hbar}{m_1 c^2}$ ,  $T_2 = \frac{\hbar}{m_2 c^2}$ , resolving nonlocality via mass-specific timescales [4].

## 4.3 Quantum Field Theory Adaptation

$T(x)$  is quantized as a scalar field with the equation:

$$\partial_\mu\partial^\mu T(x) + T(x) + \frac{\rho}{T(x)^2} = 0, \quad (14)$$

where  $\rho$  is the mass-energy density. This adapts QFT to include relativistic mass variation, bridging QM and RT at the field level [2].

# 5 Emergent Gravitation

## 5.1 Derivation from $T(x)$

Gravitation emerges from  $T(x)$  gradients. In static conditions:

$$\nabla^2 T(x) \approx -\frac{\rho}{T(x)^2}, \quad (15)$$

derived from Equation 14. The effective potential is:

$$\Phi(\vec{x}) = -\ln\left(\frac{T(x)}{T_0}\right), \quad (16)$$



yielding the force:

$$\vec{F} = -\nabla\Phi = -\frac{\nabla T(x)}{T(x)}. \quad (17)$$

For a point mass  $M$ :

$$T(x)(r) = T_0 \left(1 - \frac{M}{r}\right), \quad (18)$$

so:

$$\vec{F} = -\frac{M}{r^2}\hat{r}, \quad (19)$$

reproducing Newton's law without spacetime curvature [6].

## 5.2 Reinterpretation of Relativity

RT's spacetime curvature is replaced by  $T(x)$  dynamics. Post-Newtonian tests (e.g., light deflection  $\delta\phi = \frac{4M}{b}$ , perihelion precession  $\delta\omega = \frac{6\pi M}{a(1-e^2)}$ ) match GR with parameters  $\beta = \gamma = \zeta = 1$ , ensuring observational consistency [18].

## 6 Discussion

### 6.1 Theoretical Advantages

- **QM-RT Unification:**  $T(x)$  bridges micro- and macroscopic physics. - **Simplicity:** Energy-based unity reduces complexity. - **Quantum Gravity:** Emergent gravitation aligns with QFT.

### 6.2 Challenges

- **Quantization:** Full QFT treatment of  $T(x)$  is pending. - **Observational Fit:** Fine-tuning  $\beta_T = 1$  requires validation (Part II, ??).

## 7 Conclusion

Part I establishes the T0 model's theoretical foundations, unifying QM and RT via time-mass duality. Part II will test these through cosmology and experiments.

## Acknowledgments

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