Light versus Dark in Strong Lensing Galaxies: Dark matter halos are rounder than their stars

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ABSTRACT

We measure the shape and alignment of stars and dark matter in 11 strong lensing galaxies with good quality data. We find that in all cases the dark matter halos are more elliptical than the light distribution over the range $R_e < R < 5R_e$. As we average over larger radii, the lenses become increasingly elliptical both in their dark matter and stars, but dark matter halos are never more elliptical than $s_{dm}=1.15$, while their stars can extend to $s_*>1.4$ (where s is the ratio of the largest to smallest eigenvalue of the 2D moment of inertia tensor). Three systems have very high stellar ellipticity $(s_*>1.6)$ and correspondingly high alignment between light and dark. One of these – B1608 – is a known merging pair; we suggest that the other two (B0712 and B2016) may also be recent post-merger systems. Galaxies with high dark matter ellipticity and weak external shear show very strong alignment between light and dark; those with strong shear $(\gamma \gtrsim 0.1)$ can be very highly misaligned. This is reassuring since isolated misaligned galaxies are expected to be unstable.

Our results provide a new constraint on galaxy formation models that must explain the origin of very round dark matter halos (not expected in pure dark matter only simulations), and highly misaligned systems. Such misalignments also present a new challenge for alternative gravity theories in which the light and dark must necessarily be highly correlated.

Key words: Gravitational lensing: strong — galaxies: structure

1 INTRODUCTION

The ellipticity and shape of stars relative to their host dark matter halo encodes information both about our cosmological model (ΛCDM) and galaxy formation (e.g. Dubinski 1994; Ibata et al. 2001; Kazantzidis et al. 2004; Macciò et al. 2007; Debattista et al. 2008; Lux et al. 2012; Read 2014). 'Dark-matter-only' (DMO) simulations in ACDM predict dark matter halos that are triaxial (Dubinski & Carlberg 1991; Warren et al. 1992; Navarro et al. 1996; Jing & Suto 2002), with mean 'shape parameter' $\langle q \rangle = (b+c)/2a \sim 0.8$ (where a > b > c are the long, intermediate and short axes of the figure; Macciò et al. 2007). This corresponds to a typically *prolate* halo. However, including 'baryons' (stars and gas) in the models produces halos that are significantly rounder and - at least for disc galaxies - well-aligned with the light distribution (Katz & Gunn 1991; Dubinski 1994; Debattista et al. 2008). Halo shapes and alignments also constrain alternative gravity models (Mortlock & Turner 2001; Helmi 2004; Read & Moore 2005; Ferreras et al. 2012; Debattista et al. 2013). If the visible light is the only source of gravity in a galaxy, then we expect the light and mass distribution to be highly correlated; if dark matter is present, however, such correlations can, at least in principle, be broken.

Strong lensing provides a unique probe of the alignment and shape of the total mass distribution in galaxies (e.g. Blandford & Narayan 1986; Schneider et al. 1992; Keeton et al. 1998; Kochanek et al. 2000; Koopmans et al. 2006; Auger et al. 2017; Ferreras et al. 2008; Auger et al. 2010; Leier et al. 2012). For 'red and dead' ellipticals that are largely devoid of gas, their baryonic content can be mapped through stellar population synthesis modelling of their light distribution (e.g. Ferreras et al. 2005; Treu et al. 2006; Ferreras et al. 2008). This opens up the possibility of directly comparing the light and mass in strong lensing systems (Keeton et al. 1998; Ferreras et al. 2008; Treu et al. 2009; Sluse et al. 2012). Previous work in the literature has found

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that the light and mass are well-aligned (though a mis-match of up to 10° is not uncommon; e.g. Sluse et al. 2012). However, results on the ellipticity of light and mass agree less well, with Sluse et al. (2012) finding a strong correlation and Keeton et al. (1998) and Ferreras et al. (2008) finding none. It it difficult, however, to compare the results between these different studies because they use different lens modelling techniques; different definitions of ellipticity; and different radii over which the shapes and alignments are probed. Furthermore, none to date have applied their methodology to mock data to determine the robustness of the results.

Weak lensing can also be used to probe the shape and alignment between light and dark, but only for 'stacked' galaxies (Brainerd & Wright 2000; Natarajan & Refregier 2000). Hoekstra et al. (2004) applied this idea to data from the Red-Sequence Cluster Survey (RCS) to measure the first weak lensing signal of halo flattening. They found that dark matter halos appear to be rounder then their light distributions, with some weak evidence for alignment. Both measurements are challenging, however, and more recent data appear to be at odds with this early work, favouring dark matter halos that are more elliptical than their stars (Mandelbaum et al. 2006; Parker et al. 2007; van Uitert et al. 2012).

Recently, we introduced a new non-parametric lens tool, Glass (Coles et al. 2014). Applying this to a large suite of mock data, we showed that mass and light can only reliably be disentangled in strong lensing systems if: i) there are at least four images; and ii) time delay data are available and/or the stellar mass dominates the potential over the region of the images. In this paper, we collate data of the above quality, compiling a sample of 11 strong lens galaxies. We apply GLASS to these lenses to non-parametrically measure the shape and alignment of the stars and dark matter in these lensing galaxies, for the first time. This differs from previous works that have all compared the light distribution with the total mass, rather than the dark matter. Since the stars often dominate the central potential, the total mass naturally correlates with the light, potentially masking theoretically interesting results about the dark matter distribution. Our comparison between light and dark is made possible by the fact that GLASS uses the light distribution as a prior on the mass map, ensuring that the dark matter mass is always positive.

This paper is organised as follows. In §2, we briefly review the GLASS code. In §3, we present our data compilation with references. In §4, we present our results. Finally, in §5 we discuss the implications of these results and we present our main conclusions.

2 GLASS: A NON-PARAMETRIC LENS TOOL

GLASS (Gravitational Lensing AnalysiS Software) is a new 'non-parametric' lens modelling framework. (Non-parametric here simply means that we deliberately use many more parameters than data constraints such that our system of equations is under-constrained.) GLASS shares some aspects with an earlier code PIXELENS (??). However, GLASS – which contains all new code written from the ground up – significantly improves upon PIXELENS in several key ways:

(i) At the heart of Glass is a new uniform sampling algo-

rithm for high dimensional spaces (?). This allows for large ensembles of > 10,000 models to be efficiently generated.

- (ii) GLASS provides a modular framework that allows new priors to be added and modified easily.
- (iii) The basis functions approximating a model can be easily changed (in this paper, we assume pixels as in PIXE-LENS).
- (iv) With so many models in the final ensemble, we can afford to apply non-linear constraints (for example stellar kinematic data; or the removal of models with spurious extra images) to accept/reject models in a post-processing step.
- (v) The central region of the mass map can have a higher resolution to more efficiently capture steep models.
- (vi) Stellar density can be used as an additional constraint on the models.
- (vii) Point or extended mass objects can be placed in the field.

GLASS is described in detail in the code paper: Coles et al. (2014). Here, we simple list the default priors we use to model each lens. Where the priors differ from these defaults for any given lens, this is spelled out in data Table 2:

(i) JR. CLAUDIO TO ADD PRIORS HERE.

3 DATA

JR. CLAUDIO TO ADD DATA HERE. Content:

- Describe data set (why this data set, special features of galaxies (environment: y/n/unknonwn, elliptical/disk))
 - JR. Claudio to add this bit?

4 RESULTS

JR. CLAUDIO OR JUSTIN TO WRITE RESULTS SECTION? Content:

- Describe special features in reconstructed lenses
- Show the wedges money plot
- Discuss the results, especially:
- 1. Dark matter halos seem quite round, stars not necessarily
- 2. Both DM and stars more elliptical with increasing radius
- 3. DM halos with weak shear are aligned (apart from spherical systems that don't count); strong shear systems can be highly misaligned.
- 4. No sensitivity to shear prior. Only one lens B2045 requires a shear prior to avoid spurious extra images; doesn't affect the shape measure though.
 - 5. Merger systems stand out.

5 CONCLUSION

JR. JUSTIN TO WRITE DISCUSSION/CONCLUSIONS ONCE FINAL PLOTS ARE FINISHED.

blah blah

Table 1. Table with lens properties

blah blah

Table 2. Table with lens properties relevant for modelling (point masses, positions, time delays)

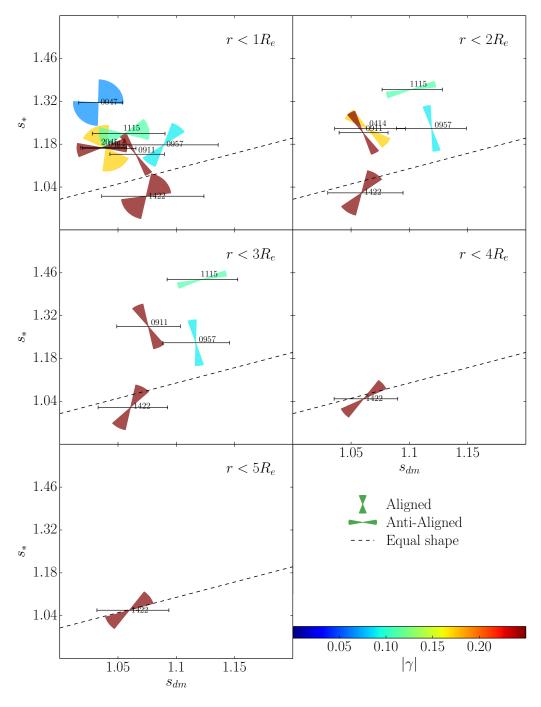


Figure 2.

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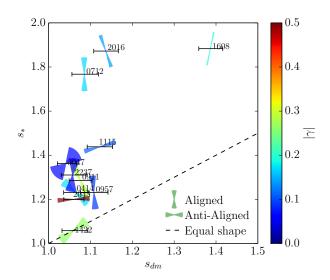


Figure 1.

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APPENDIX A: RECONSTRUCTED LENSES

In this appendix, we show the results of our lens modelling for each individual lens (Figures A1, A2, and A3). The panels show, from left to right: the arrival time surface; the surface mass density of the dark matter; and the surface mass density of the stars. The solid lines mark the eigenvalues and eigenvectors of the 2D moment of inertia tensor in each case; the dotted lines the 68% confidence interval of these for the dark matter map. Figure 1 is constructed from the ratio of largest to smallest eigenvalue in each case (to measure the shape parameter s), and the angle between the dark matter and stellar major axes. Note that the angular scale is always the same for the dark matter and stellar maps, but varies between the different lenses as marked on the Figure axes.

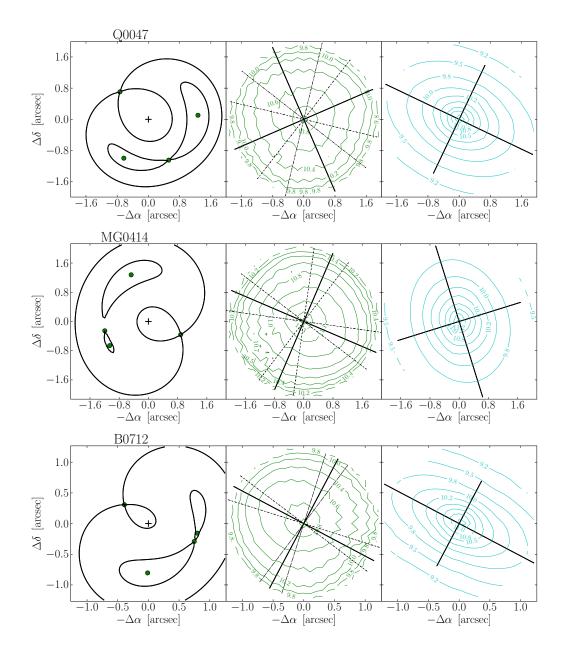


Figure A1. The results of our lens modelling for each individual lens. The panels show, from left to right: the arrival time surface (the images are marked by the green circles); the surface mass density of the dark matter; and the surface mass density of the stars. The solid lines mark the eigenvalues and eigenvectors of the 2D moment of inertia tensor in each case; the dotted lines the 68% confidence interval of these for the dark matter map.

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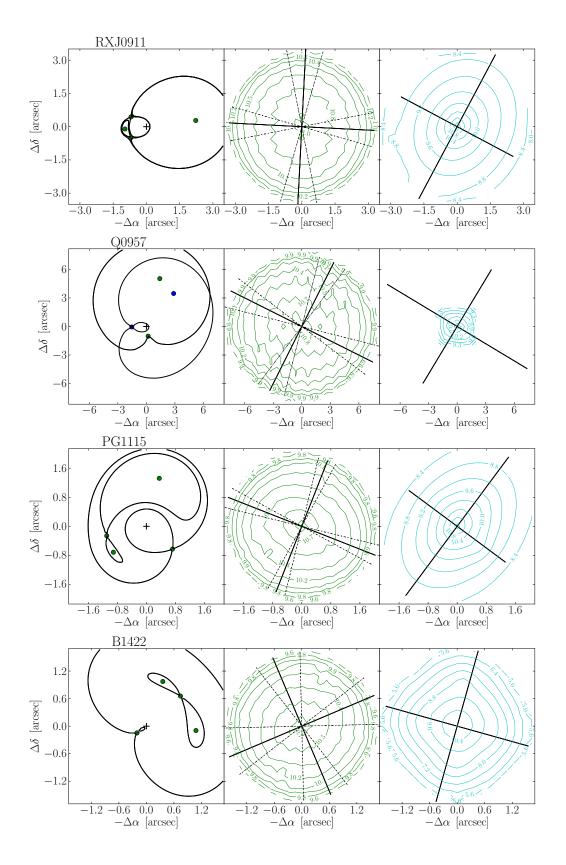


Figure A2. The results of our lens modelling for each individual lens. Lines and symbols are as in Figure ??.

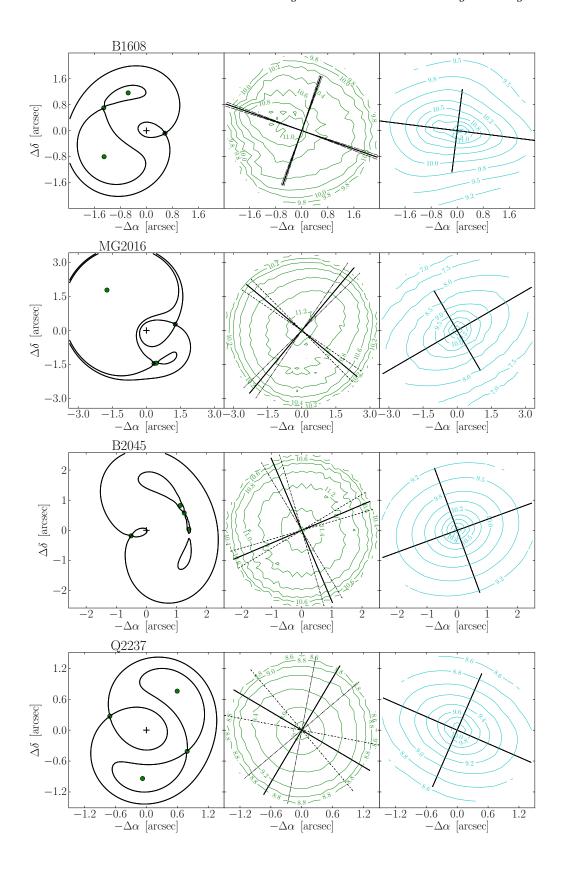


Figure A3. The results of our lens modelling for each individual lens. Lines and symbols are as in Figure ??.