Competitive Markets for Personal Data

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Motivation introduction

Consumers supply a crucial input for modern economy: their personal data

Yet, they often have limited control over how and by whom their data is used:

This may lead to inefficiencies and inequality

New legislation gives consumers more control over their data (GDPR, CCPA, ...)

Lays foundations upon which data markets could emerge

What properties would these markets have, and how should they be designed to promote desirable outcomes?

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3. Propose three **remedies** to market failure: Data taxes, data union, Lindahl pricing

Exploit progress in info-design to microfound components of data economy:

 $-\,$ How does an intermediary use the data? Information design (Bergmann-Morris '19, Kamenica '19)

– What's the value of data for an intermediary? (GLP '23)

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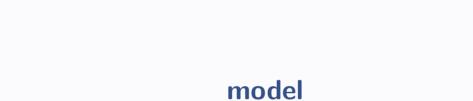
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More broadly, we contribute to the growing literature on the economics of platforms, data, & privacy

Bergemann and Ottaviani '21, Baley and Veldkamp '24



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Two periods: 1. Data are traded 2. Data are used

Period 1: Competitive Data Markets

The consumers and the platform trade data records at prices $p=(p(\omega))_{\omega\in\Omega}$, which they take as given

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The supply side:

- If a type- ω consumer sells her record to the platform, she is paid $p(\omega)$ and is later intermediated with merchant
- $-\,$ If she doesn't her record, she enjoys her outside option $r\sim F_{\omega}$

- It commits to signal for merchant about each ω in its database
- Given signal, the merchant chooses action $a \in A \quad \text{(e.g., price/variety/quality)}$
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Remark: Info design problem equivalent to a linear program: (BM '16)

$$\begin{split} V(q) &= \max_{\boldsymbol{x}: \Omega \to \Delta(A)} \sum_{\omega, a} v(a, \omega) x(a|\omega) q(\omega) \\ \text{s.t. } \forall a, a': \sum_{\omega} \Big(\pi(a, \omega) - \pi(a', \omega) \Big) x(a|\omega) q(\omega) \geq 0 \end{split}$$

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A profile $(p^{\ast},q^{\ast},x^{\ast})$

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(a). Given p^* , q^* solves the platform's problem in the first period, i.e.,

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- (b). Given q^* , x^* solves platform's info-design problem
- (c). Given p^* and x^* , a type- ω consumer with outside option r sells record if

$$r \le p^*(\omega) + \sum_a x^*(a|\omega)u(a,\omega) \triangleq r_\omega^*$$

(d). Data markets clear, i.e. $q^*(\omega) = \bar{q}(\omega) F_\omega(r_\omega^*) \qquad \forall \omega$

Discussion

All results extend to large class of information-intermediation problems:

- Multiple agents (e.g., competing merchants)
- Arbitrary downstream (finite) games (e.g., a second-price auctions)
- More than information: Platform can take enforceable action (e.g., set reservation price, charge merchants for information, etc.)

Leading applications: Online marketplaces and advertisement auctions

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Substantive assumptions we made:

- A competitive data market
- Platform is a "gate keeper"

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main results

Goal main results

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Definition

discussion

An allocation (q, x) is **efficient** if it solves

$$\max_{q,x} \mathcal{W}(q,x)$$

 $\text{s.t.} q \leq \ \bar{q} \ \text{ and } \ x \text{ solves platform's info-design problem given } q$

Data Externality

Main Insight: This economy may feature an externality

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This externality makes equilibria inefficient

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Externality is endogenous: Its presence depends on how platform use data

(Aside:) Not related with "externality" from GLP '23, which are "priced in" by the competitive market

An externality exists if the platform's optimal mechanism \boldsymbol{x}^* locally depends on \boldsymbol{q}

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Proposition

An equilibrium (p^*, q^*, x^*) is efficient only if

$$\sum_{a,\omega'} q^*(\omega') u(a,\omega') \frac{\partial x^*(a|\omega')}{\partial q^*(\omega)} = 0 \qquad \forall \omega$$

If welfare function $\mathcal{W}(q,x_q)$ is concave in q, such a condition is also sufficient

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So what? E.g., what ways of using consumer data leads to (in)efficiency?

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A non-partitional mechanism requires the platform to randomize

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Fix an equilibrium (p^*, q^*, x^*) . If x^* is a full-disclosure mechanism, the equilibrium is efficient.

Thus, inefficiency requires platform to withhold information from merchant

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The converse holds under additional conditions (satisfied in apps such as BBM'15)

Proposition

Let $[\mathcal{W}(q,x_q)]$ be concave in q] and (p^*,q^*,x^*) be an equilibrium.

If x^* is partitional [and $q^* \in \text{int}(R_i)$ for some i], the equilibrium is efficient

an application

So far, minimal assumptions on the intermediation problem

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Let's specialize setting to a canonical application: Price discrimination à la BBM

- Let $\omega \in \mathbb{R}_{++}$ be the consumer's WTP for merchant's product
- Let a denote price the merchant sets for his product
- Players payoffs are

Consumer's:
$$u(a, \omega) = \max\{\omega - a, 0\}$$

Merchant's:
$$\pi(a,\omega) = a \ \mathbb{1}(\omega \ge a)$$

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- ▶ If $\gamma_u > \gamma_\pi$, the equilibrium is efficient if and only if x^* is no disclosure.

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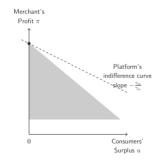
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That is, any "non-trivial" use of information by the platform will lead to inefficiencies

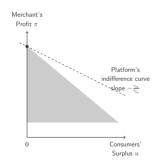






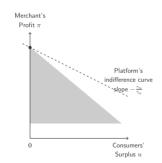


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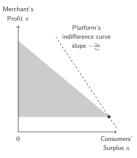


- At all q, full disclosure is optimal
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- Therefore, $x^{\ast}(a,\omega)$ does not depend on q
- Therefore, no externality! All equilibria are constrained efficient

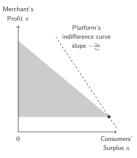




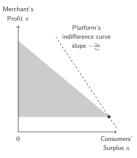




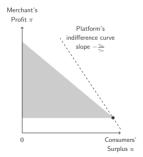






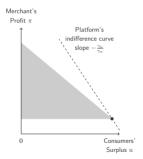






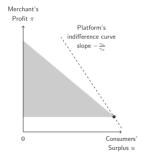
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- Thus, x_q depends on q
- Thus, $\sum_{\omega'} q(\omega') \frac{\partial U(\omega', x^*)}{\partial q^*(\omega)}$ can be non-zero: data externality

Application highlights when there is **no conflict of interest** btw platform and merchant \Rightarrow full disclosure is optimal \Rightarrow data market is efficient

Special case: if platform is the merchant \Rightarrow no intermediation

Bigger Picture

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Thus the source of the inefficiency is the role platforms play as **information intermediaries**

- Platforms typically balance conflicting interests, which they rarely resolve with full disclosure
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- Instead, they often garble the data they have collected

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This paper shows why garbling can lead to a failure of the first-welfare theorem in a competitive data market

Remedies

How to fix this market failure?

The paper also explores three alternative market designs to fix this market failure:

- 1. Introducing a data union
- 2. Implementing data taxes
- 3. Making data markets more complete

data union

Data Unions remedies

Recent policy proposals for the data economy (Posner-Weyl 18; Bergemann et al 23)

A data union would represent consumers by managing data on their behalf

We offer some theoretical support to these policy proposals

Data Union remedies

How does a data union work?

- Consumers can participate in the union
- If they do, they relinquish their data to the union
- Union sells some of this data to the platform
 - Consumers retain reservation utility unless record is sold to platform
- With the proceeds of sale, union compensates all participating consumers (to incentivize their participation)
- Union maximizes welfare of participating consumers

Formally, the data union problem is:

$$\begin{split} \max_{(p,q,x)} & & \sum_{\omega} p(\omega) \bar{q}(\omega) + \sum_{a,\omega} u(a,\omega) x(a|\omega) q(\omega) + \sum_{\omega} (\bar{q}(\omega) - q(\omega)) \bar{r} \\ \text{such that} & & q \leq \bar{q}, \\ \text{and} & & \sum_{\omega} p(\omega) \bar{q}(\omega) = V(q), \\ \text{and} & & x \text{ solves } \mathcal{P}_q, \\ \text{and} & & p(\omega) + \frac{q(\omega)}{\bar{q}(\omega)} \sum_a u(a,\omega) x(a|\omega) + \left(1 - \frac{q(\omega)}{\bar{q}(\omega)}\right) \bar{r} \geq \bar{r}. \end{split}$$

Data Union remedies

Proposition

Equilibria of the data-union economy are constrained efficient and maximize consumers' welfare (and vice versa), regardless of the platform's objective

Some intuition:

Data union coordinates consumers by deciding which records to sell and how to compensate them

By doing so, data union acts as a substitute for the competitive market and avoids market failure



Data Taxes remedies

Enrich competitive economy by introducing a simple data tax:

lacktriangle When selling her record, consumer pays tax $au(\omega)\in\mathbb{R}$ to the govt

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Proposition

Let (q°, x°) be a constrained-efficient allocation. There exists a profile of taxes τ^* , of prices p^* , and of consumer choices ζ^* , such that $(p^*, \zeta^*, q^\circ, x^\circ)$ is an equilibrium of the economy with taxation τ^* and the government does not run a deficit.

Let allocation (q°, x°) be constrained efficient

Let p^* be a supergradient of $V(q^\circ)$

Define
$$\boxed{\tau^*(\omega) \triangleq p^*(\omega) + \sum_a x^{\circ}(a|\omega)u(a,\omega) - \bar{r}}$$

Notice that $U^*(\omega) - \tau^*(\omega) \equiv \bar{r}$

Therefore, all consumers indifferent \rightsquigarrow choose ζ^* to implement q°

more-complete markets

We let price of data depend not only on its type (i.e., ω) but also on its "intended use" (i.e., a)

Platform and the consumer trade on **how** record will be used—i.e., which fee a platform will recommend to the merchant

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This is reminiscent of GDPR: "The **specific purposes** for which personal data are used should be determined at the time of the collection"

A market for each (a,ω) , where ω -records can be traded for use a at price $p(a,\omega)$

Our equilibrium definition extends naturally to this richer economy

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Proposition

Equilibria of this economy are (unconstrained) efficient and maximize consumers' welfare, regardless of platform's incentives



conclusion

Summary

- 1. A framework to study competitive markets for personal data
- Identify novel inefficiency leading this otherwise perfectly competitive market to fail

Show how inefficiency critically depends on platform's role as an information intermediary

3. Propose three alternative market designs that fix inefficiency: data unions, data taxes, richer data prices

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Bonus: In eqm, platform makes not profits. Thus, $W(q^*, x^*)$ equals consumer welfare. Thus, any constrained-efficient eqm maximizes consumer welfare

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Is it efficient? I.e., does it maximize the welfare of its participants?

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Definition

An allocation (q°, x°) is **efficient** if it solves

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To illustrate failure in data market, this less-demanding benchmark is desirable

(We also study "social" welfare and "unconstrained" efficiency discussion)