

Di-electron widths of the Upsilon(1S,2S,3S) Resonances

CLEO Paper Vote

December 2005

Richard S. Galik

Authors: Pivarski, Berkelman, Patterson

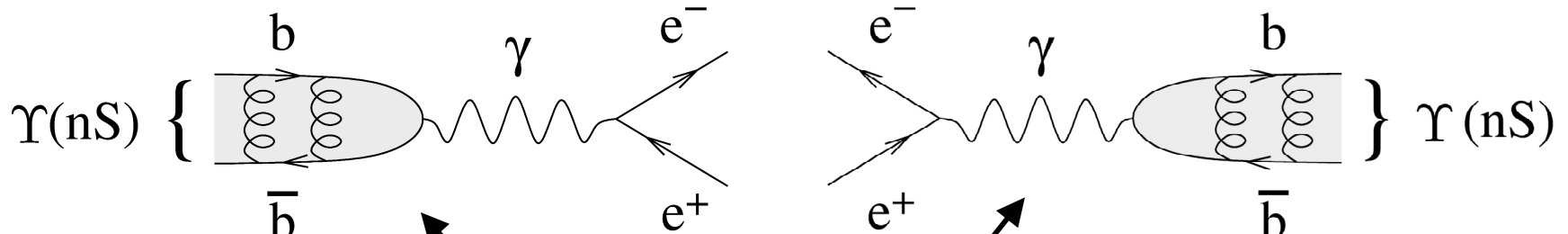
Committee: RSG, Heltsley, Duboscq

Lots of prior presentations !

- **15** PTA talks (most recently Sept '05)
- Raw spectra shown **MANY** times (starting with APS 02)
- Analysis writeup in **CBX05-41** (July 2005)
- Plenary talk at **July '05 Physics Fest**
- Prelim results shown at **EPS, PANIC, Lattice05, PAC**
- Follow-up note of this past week (on meeting page)
- Today's **paper vote**

History and Motivation for Measuring Γ_{ee}

- Long-known to be an important test of (unquenched) LQCD, which should be able to determine Γ_{ee} to a “few” percent
- Want to match that precision
- Current experimental knowledge at 2%, 4% and 9%
- Yellow Book: $<3\%$ for Γ_{ee} and $<5\%$ for Γ_{tot}



$$\Upsilon(nS) \left\{ \begin{array}{c} b \\ \bar{b} \end{array} \right\} \gamma \begin{array}{c} e^- \\ e^+ \end{array} \quad \begin{array}{c} e^- \\ e^+ \end{array} \gamma \left\{ \begin{array}{c} b \\ \bar{b} \end{array} \right\} \Upsilon(nS)$$

$$\Gamma_{ee} = \frac{M_\Upsilon^2}{6\pi^2} \int \sigma(e^+e^- \rightarrow \Upsilon) dE,$$

Basic plan ... scan the three resonances and integrate the hadronic cross section!!

Get Γ_{ee} Γ_{had} / Γ_{tot} without knowing $B_{\mu\mu}$

Use $B_{\mu\mu}$ to get Γ_{ee}

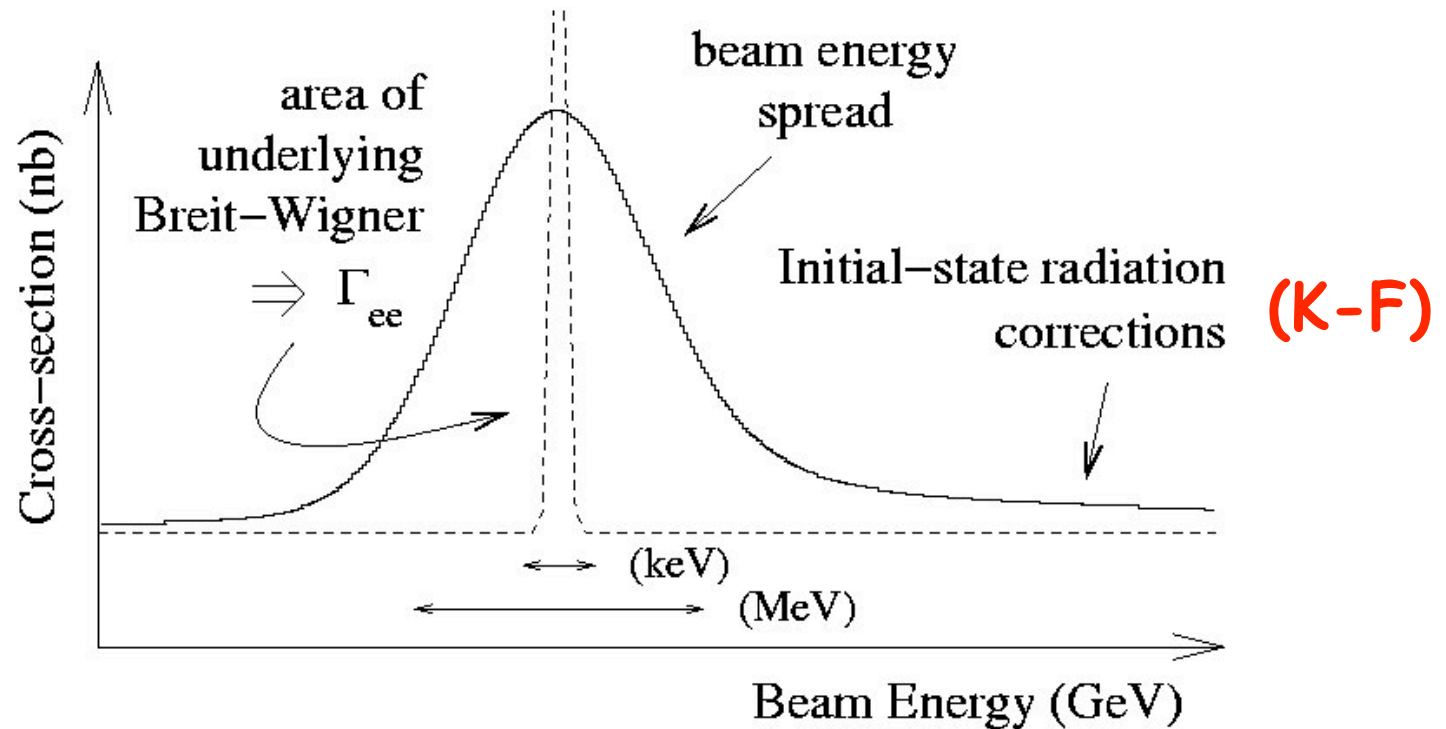
Use $B_{\mu\mu}$ again to get $\Gamma_{tot} = \Gamma_{ee} / B_{\mu\mu}$

Scans:

11 $\Upsilon(1S)$

6 $\Upsilon(2S)$

7 $\Upsilon(3S)$

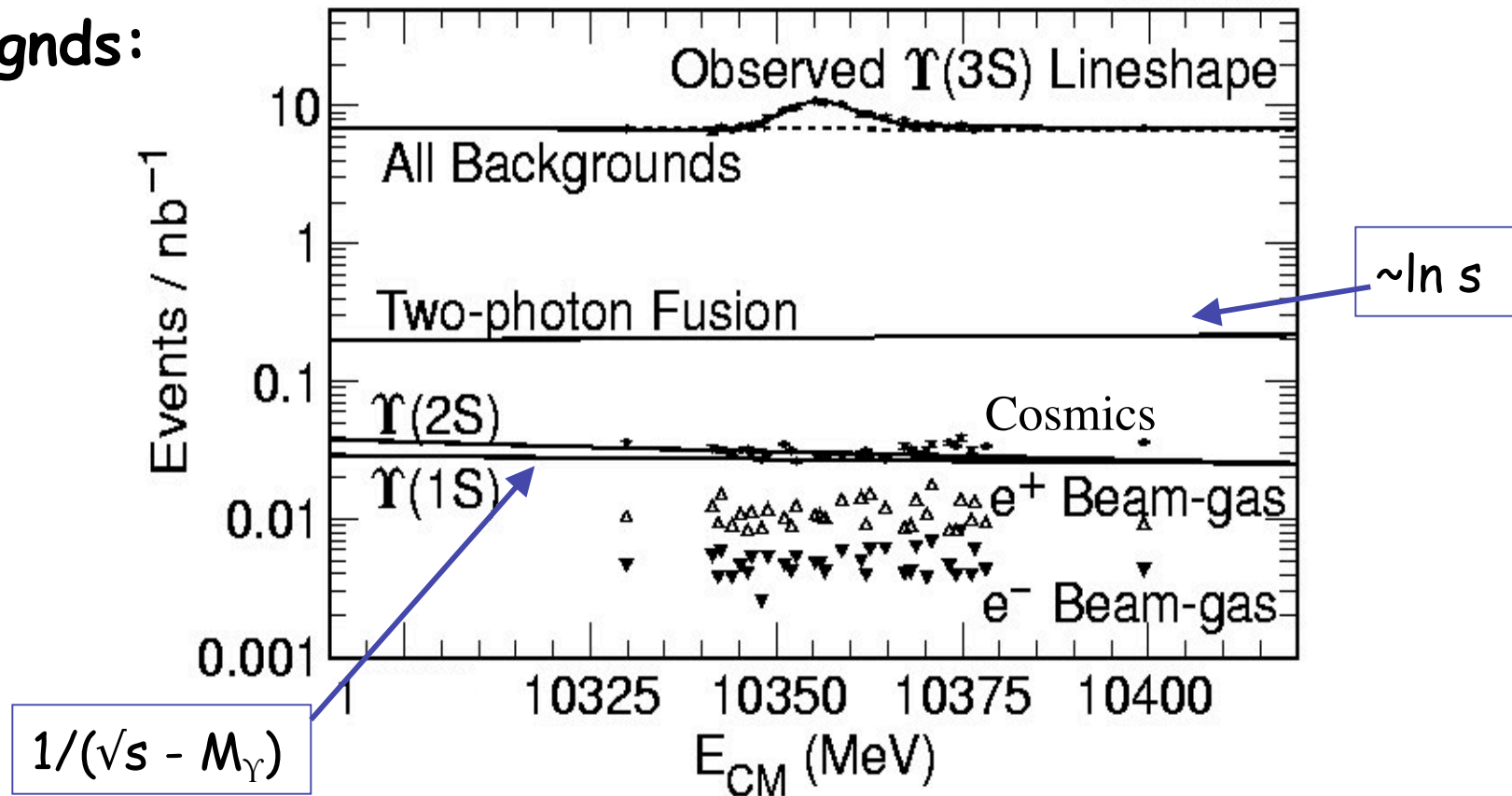


Shape of B-W smeared, but its area preserved, by beam-energy spread; radiative corrections important but well understood

Need to address "height" (lumi, eff, bkgnds, etc.)

Need to address "width" (energy shifts, energy spread)

Bkgnds:



Evaluate CR and bm gas with special runs and subtract

Fit includes terms for $\ln s$, $1/(\sqrt{s} - M_\Upsilon)$, and $\tau\tau$ (with interf)

Fit for area is BW \oplus Gaussian (bm energy spread) \oplus ISR

Other “Height” Issues:

- Luminosity “scale” set on continuum point using ee , $\mu\mu$, $\gamma\gamma$; this is biggest single syst uncert at 1.3%
- Point-to-point luminosity done with $\gamma\gamma$ for EPS; redone with Bhabhas (including int) for PRL; 0.4% syst uncert
- cut efficiency obtained from **data**; for $\Upsilon(1S)$ use dipion cascades from $\Upsilon(2S)$ with trigger effects also taken from data; for $\Upsilon(2S)$ and $\Upsilon(3S)$ correct for energy dependence and specific transitions using MC
- hadronic interference ($\Upsilon \rightarrow q \bar{q}$ with $e^+e^- \rightarrow q \bar{q}$); slight change in shape; most important on $\Upsilon(1S)$ [more on this later]

Width Issues:

- Scans from different weeks allowed different energy scales (shifts)
- Runs used for peak limited to be with 48 hr of scan
- Beam energy spread a parameter in the fit
- Beam energy spread for each resonance allowed to be different for each CESR lattice/steering configuration (added since EPS)

Changes since EPS:

- Bhabhas used for point-to-point lumi; reduces stat uncert; important for 2S, 3S and ratios
- Beam energy spread allowed to vary with CESR configurations of lattice/steering
- Scale factor used on stat uncert to force reduced χ^2 of fit to unity (factors of $\sqrt{1.3}$, $\sqrt{1.6}$, 1.0)
- Level of qq hadronic interference checked; investigation of possible ggg interference as well
- Other “tidying up”

The Final Fits (figure from the draft):

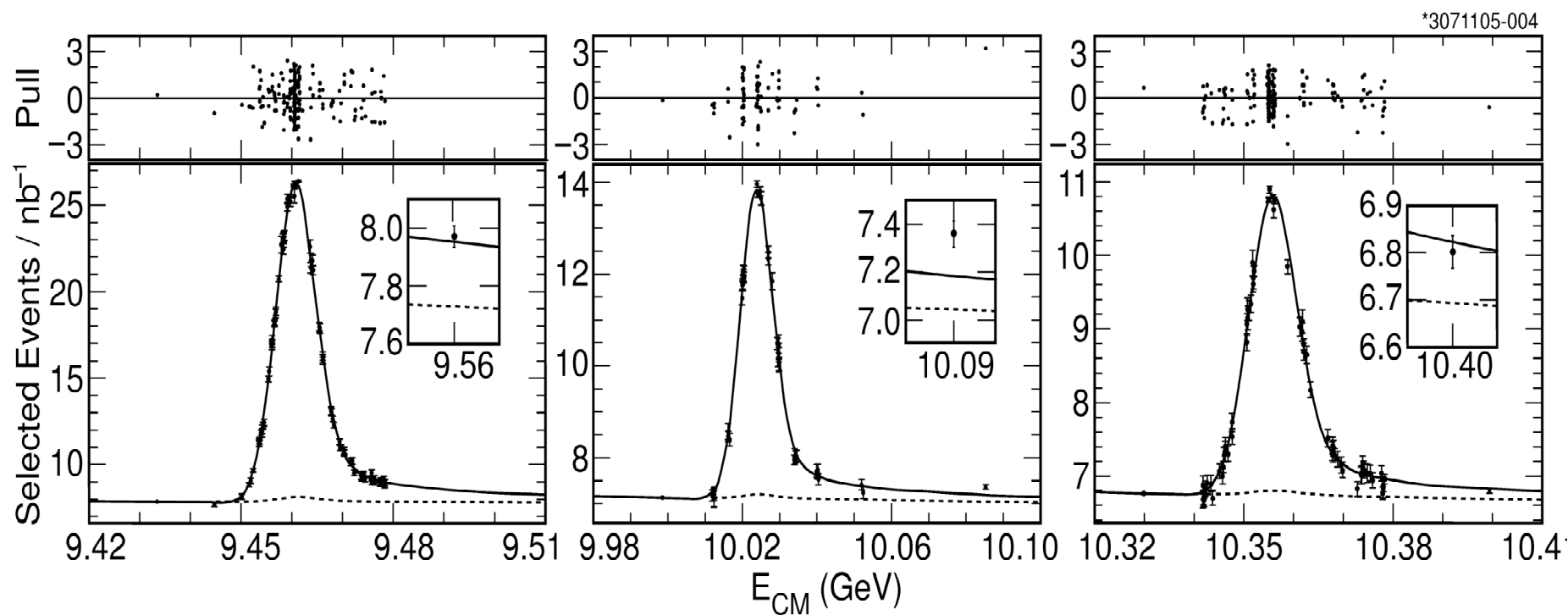


TABLE I: All uncertainties in Γ_{ee} measurements in the order in which they are discussed in the text. Uncertainties common to all resonances are indicated with an asterisk (*). Statistical uncertainty is multiplied by the χ^2_{red} of the fit (see text).

| Contribution to Γ_{ee} | $\Upsilon(1S)$ | $\Upsilon(2S)$ | $\Upsilon(3S)$ |
|--------------------------------------|--------------------|--------------------|----------------|
| Correction for leptonic modes | 0.2% | 0.2% | 0.3% |
| * Hadronic efficiency | 0.5% | 0.5% | 0.5% |
| Xe^+e^- , $X\mu^+\mu^-$ correction | 0 | 0.15% | 0.13% |
| * Overall luminosity scale | 1.3% | 1.3% | 1.3% |
| Bhabha/ $\gamma\gamma$ inconsistency | 0.4% | 0.4% | 0.4% |
| Beam energy measurement drift | 0.2% | 0.2% | 0.2% |
| Fit function shape | 0.2% | 0.2% | 0.2% |
| Total systematic uncertainty | 1.5% | 1.5% | 1.5% |
| Scaled statistical uncertainty | $1.3 \times 0.3\%$ | $1.6 \times 0.7\%$ | 1.0% |
| Total | 1.5% | 1.9% | 1.8% |

Needs sqrt!

All better than 2% !

TABLE II: The results of $\Gamma_{ee}\Gamma_{\text{had}}/\Gamma_{\text{tot}}$ for the three resonances, the di-electron widths Γ_{ee} , and their ratios. The first uncertainty is scaled statistical and the second is systematic.

| | | | |
|--|------|---|-----|
| $\Gamma_{ee}\Gamma_{\text{had}}/\Gamma_{\text{tot}}(1S)$ | | $(1.252 \pm 0.005 \pm 0.019) \text{ keV}$ | |
| $\Gamma_{ee}\Gamma_{\text{had}}/\Gamma_{\text{tot}}(2S)$ | | $(0.581 \pm 0.006 \pm 0.009) \text{ keV}$ | % |
| $\Gamma_{ee}\Gamma_{\text{had}}/\Gamma_{\text{tot}}(3S)$ | EPS | $(0.413 \pm 0.004 \pm 0.006) \text{ keV}$ | |
| $\Gamma_{ee}(1S)$ | 1.34 | $(1.354 \pm 0.005 \pm 0.020) \text{ keV}$ | 1.5 |
| $\Gamma_{ee}(2S)$ | 0.62 | $(0.619 \pm 0.007 \pm 0.009) \text{ keV}$ | 1.9 |
| $\Gamma_{ee}(3S)$ | 0.42 | $(0.446 \pm 0.004 \pm 0.007) \text{ keV}$ | 1.8 |
| $\Gamma_{ee}(2S)/\Gamma_{ee}(1S)$ | | $(0.457 \pm 0.006 \pm 0.003)$ | 1.5 |
| $\Gamma_{ee}(3S)/\Gamma_{ee}(1S)$ | | $(0.329 \pm 0.004 \pm 0.002)$ | 1.3 |
| $\Gamma_{ee}(3S)/\Gamma_{ee}(2S)$ | | $(0.720 \pm 0.011 \pm 0.006)$ | 1.7 |

Concluding Comments

Analysis now complete and ready for paper vote

“Math” being checked one last time

Wordsmithing paragraph on hadronic interference

If approved, will go to 7-day review “soon”

Jim Pivarski's thesis to follow in January 2006