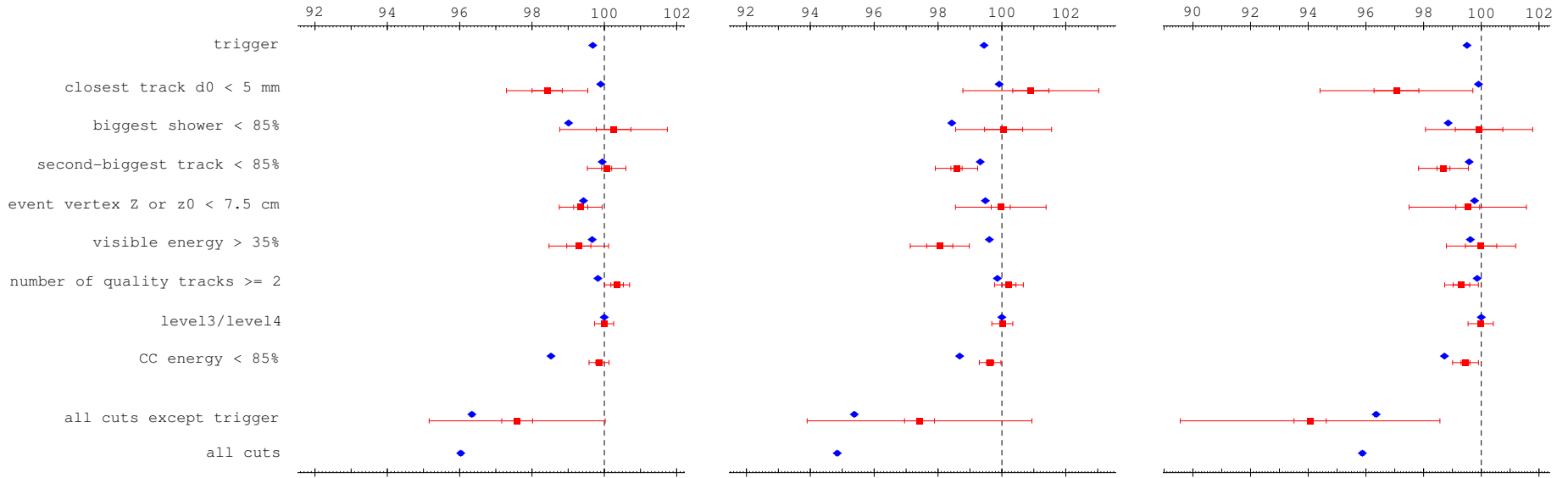


$\Upsilon(1S)$  $\Upsilon(2S)$  $\Upsilon(3S)$ 

Monte Carlo is hadronic (no prompt leptons, but everything else (including *cascades* to leptons)).

Data is hadronic (on-res minus off-res minus beamgas (from single-beam) minus cosmic rays (from no-beam) minus prompt decays to  $e^+e^-$ ,  $\mu^+\mu^-$ ,  $\tau^+\tau^-$  (from Monte Carlo)).

## Strategy for determining efficiency

$\left\{ \begin{array}{l} \text{trigger} \\ \text{closest } d_0 < 5 \text{ mm} \\ \text{biggest shower} < \\ 85\% \text{ beam energy} \\ \text{second-biggest track} < \\ 85\% \text{ beam energy} \end{array} \right\}$	Background subtraction dominates uncertainties
	Data/MC agreement looks good
	Cut boundaries are far from signal
	Measure from Monte Carlo

$\{ \text{Event vertex } Z < 7.5 \text{ cm} \}$	Only $\Upsilon(1S)$ has sub-percent errors
	Measure from $\Upsilon(1S)$ , apply to all three

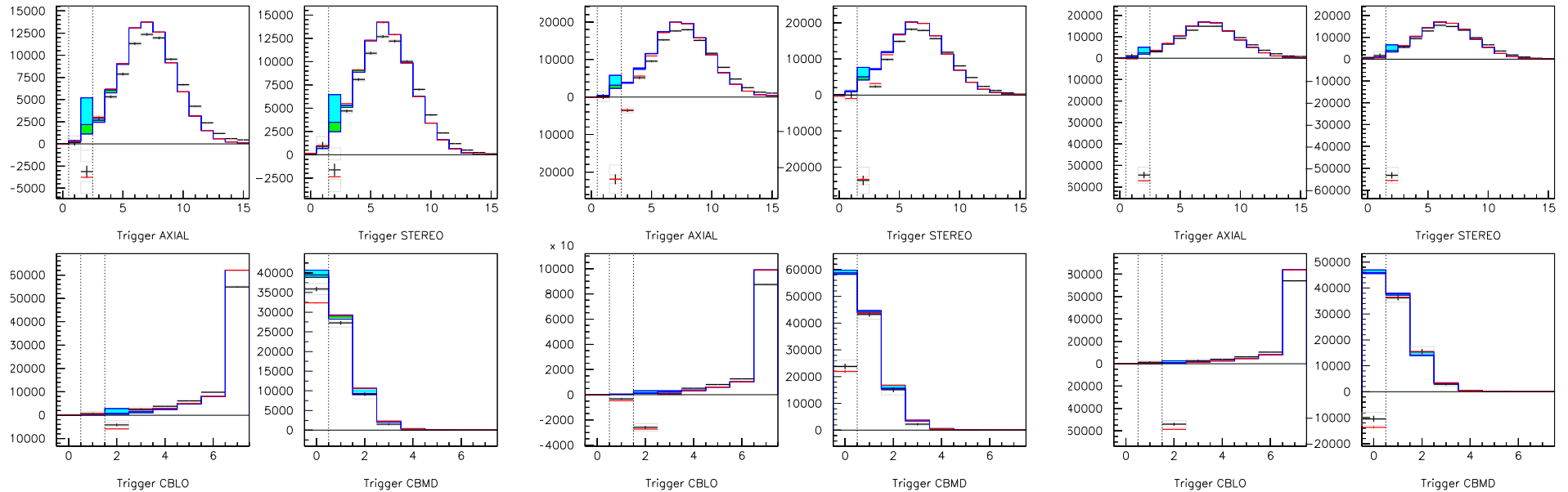
$\left\{ \begin{array}{l} \text{visible energy} < 35\% \text{ of} \\ \text{center-of-mass energy} \\ \text{quality tracks} \geq 2 \\ \text{level 3/level 4} \\ \text{CC energy} < 85\% \text{ of} \\ \text{center-of-mass energy} \end{array} \right\}$	No more backgrounds
	Measure from data

# Trigger variables

$\Upsilon(1S)$

$\Upsilon(2S)$

$\Upsilon(3S)$

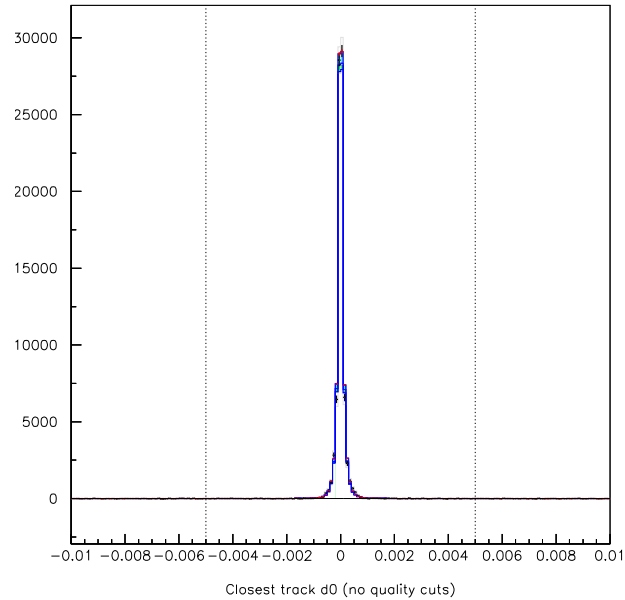


- Blue histogram is Monte Carlo
- Bluish bins are prompt decays to  $e^+e^-$  and  $\mu^+\mu^-$
- Greenish bins are prompt decays to  $\tau^+\tau^-$
- Red data points are the sum of these + beam-gas and cosmic rays
- Black points are on-res minus off-res data
- Black points should agree with red points

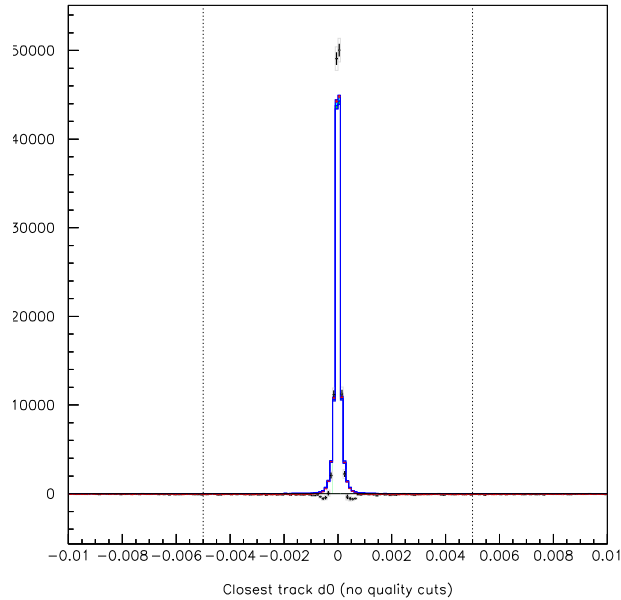
Suppose we take the error on trigger to be 100% of itself: 0.5% efficiency systematic.

$d_0$  of closest track  $< 5$  mm (trigger already implied existence of one track)

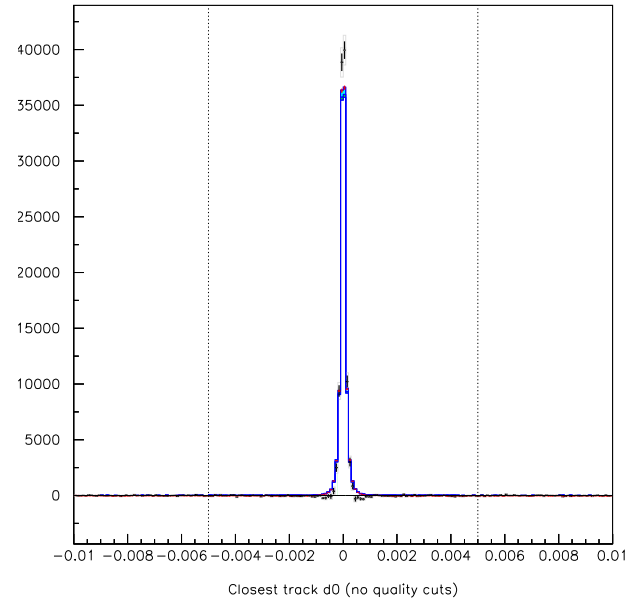
$\Upsilon(1S)$



$\Upsilon(2S)$



$\Upsilon(3S)$



(Fixed beamspot problem!)

Taking error to be 100% of cut region would yield a 0.1% efficiency systematic

Suppose we're wrong the other way: shift cut from 5 mm down to 2 mm changes the result by 0.25%

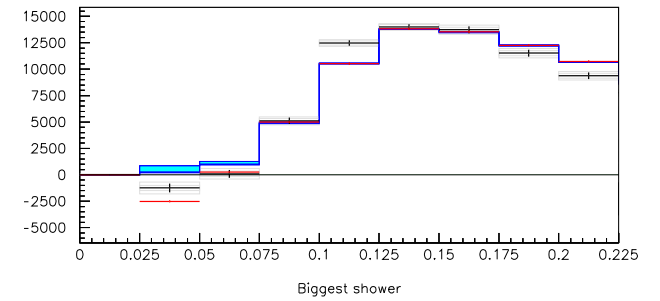
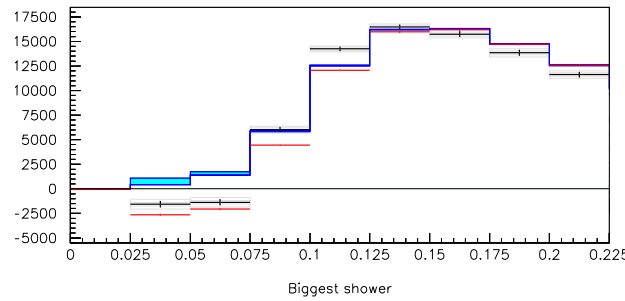
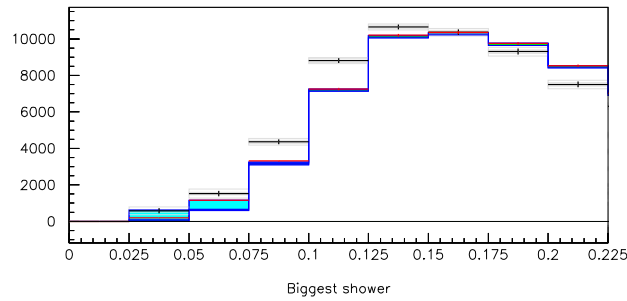
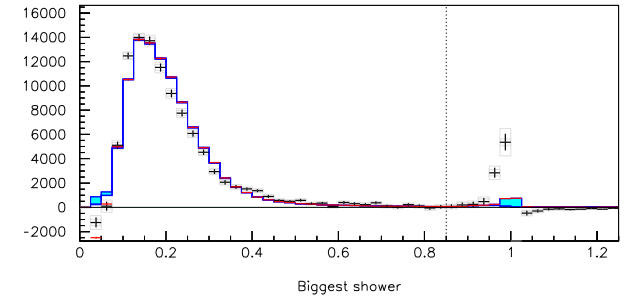
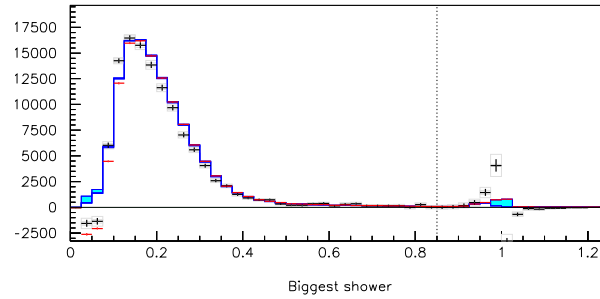
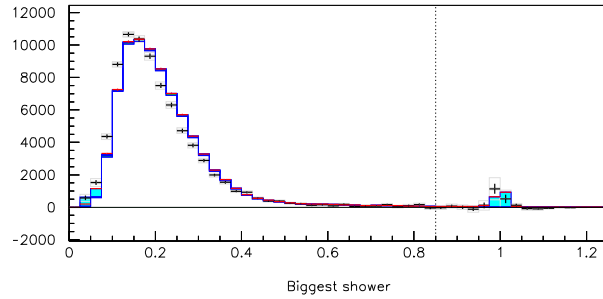
Take efficiency systematic to be 0.25%.

Biggest shower  $< 0.85\%$  of beam energy

$\Upsilon(1S)$

$\Upsilon(2S)$

$\Upsilon(3S)$

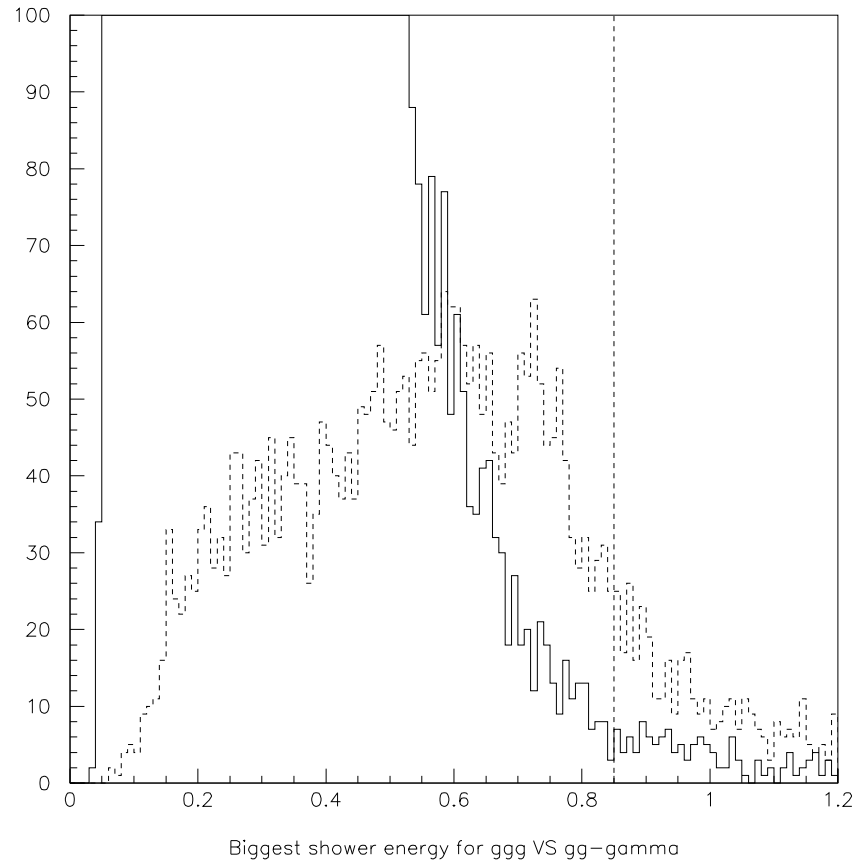


$ggg$  events are all easily below the cut-off

$gg\gamma$  span the boundary

cascade decays to  $e^+e^-$  are all to the right of the boundary

## Biggest shower uncertainty from $\Gamma_{gg\gamma}/\Gamma_{ggg}$



Solid is  $ggg$ , dashed is  $gg\gamma$  (boundary is also dashed)

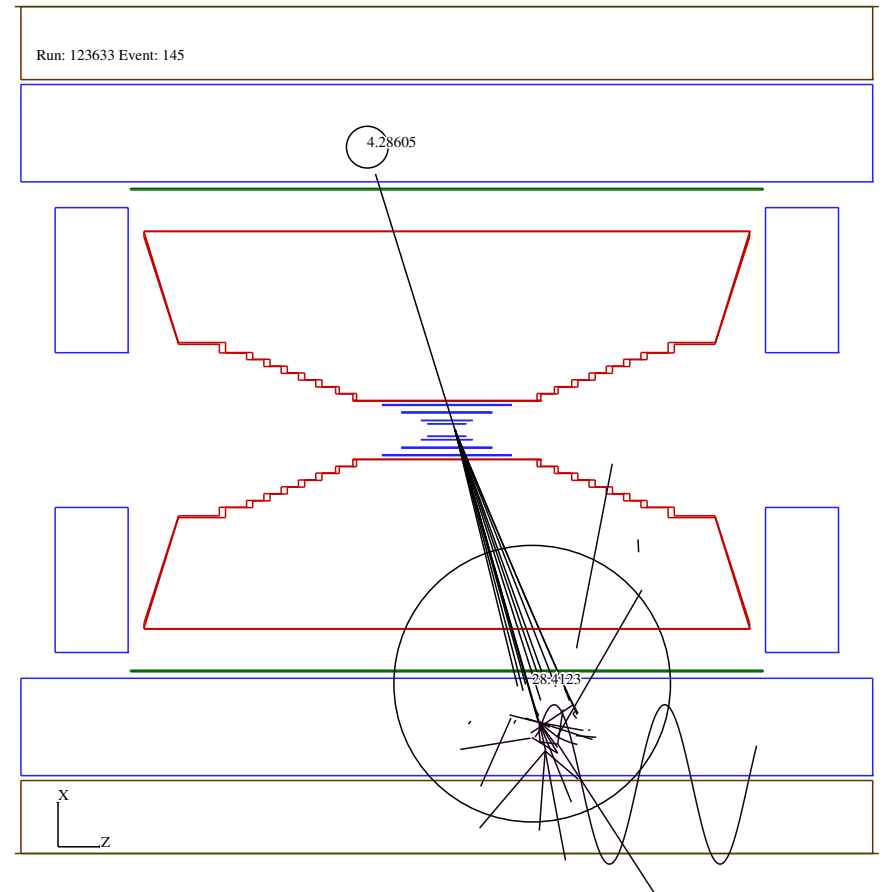
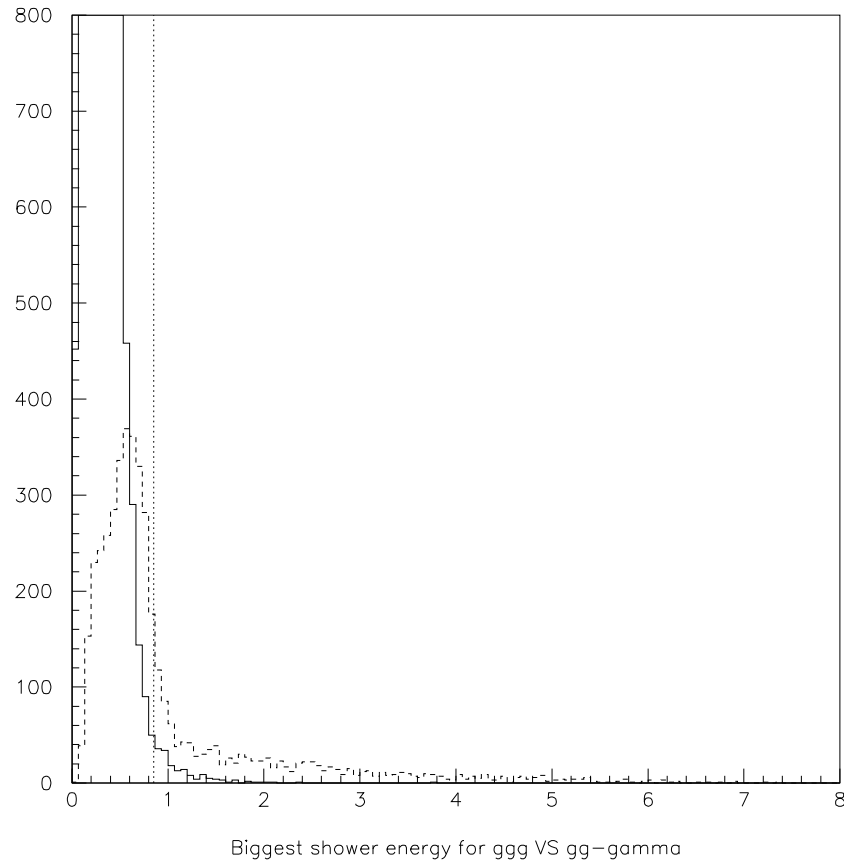
$\Gamma_{gg\gamma}/\Gamma_{ggg}$  is precise

- $2.75 \pm 0.15\%$  from CLEO PRD 55, 5273 direct measurement
- $3.646 \pm 0.054\%$  from PDG world-average and running to  $M_\Upsilon$

Even if we straddle both, efficiency gets a systematic of 0.15% error

But wait! There's a disaster!

# Disasterous uncertainty in $gg\gamma$ Monte Carlo



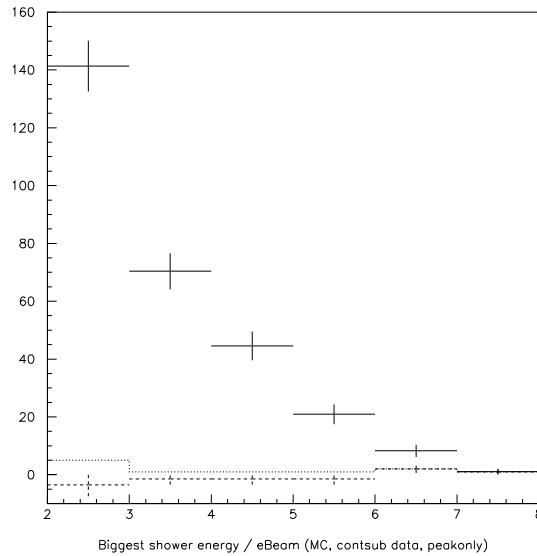
(Yes, that says 28.4 GeV in the bottom shower)

The big showers don't come from the prompt photon, they come from a massively overlapped jet from the  $gg$ . This tail extends way beyond the full center-of-mass energy.

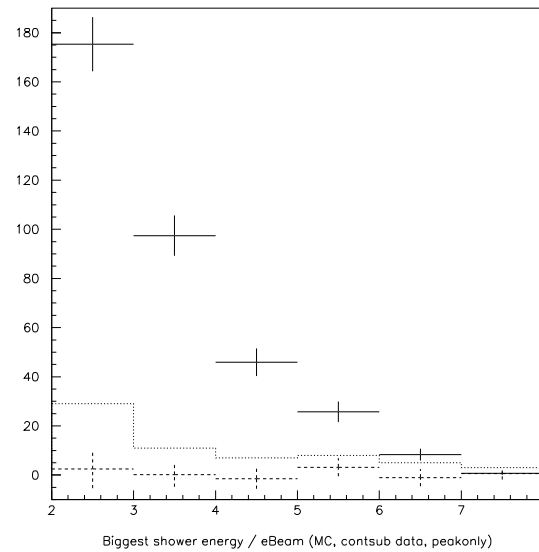
Is this feature in the data?

No. Not even a little bit.

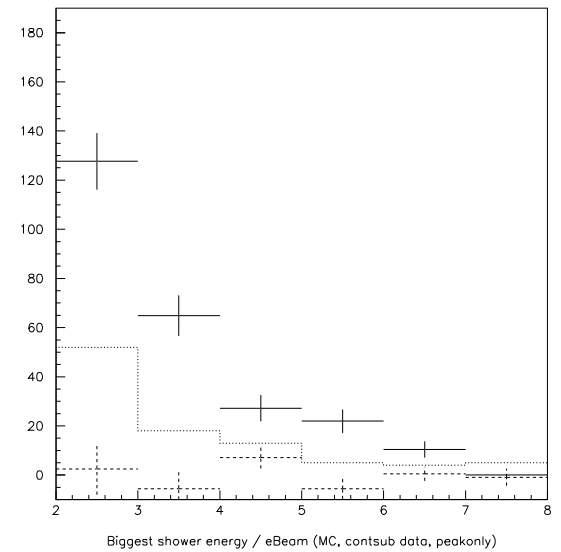
$\Upsilon(1S)$



$\Upsilon(2S)$



$\Upsilon(3S)$



- Horizontal axis is in units of center-of-mass energy
- Solid is Monte Carlo
- Dashed is on-res minus off-res
- Histogram is just on-res

If Monte Carlo didn't make this mistake, would  $gg\gamma$  events be below the cut boundary? I can't tell, so I'll take uncertainty in  $\Gamma_{gg\gamma}/\Gamma_{ggg}$  to be all of itself, incurring a 1.1% systematic in efficiency.

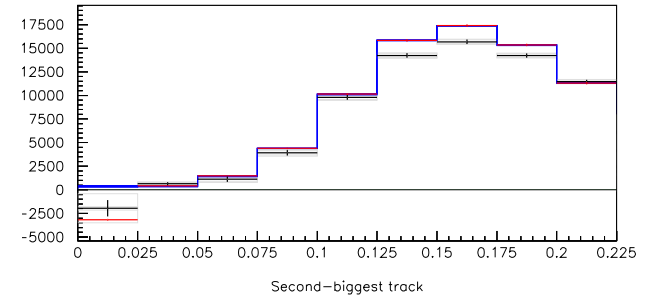
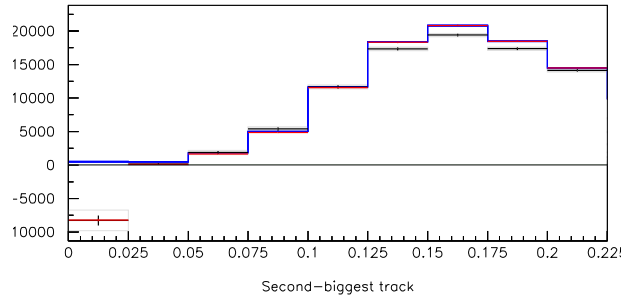
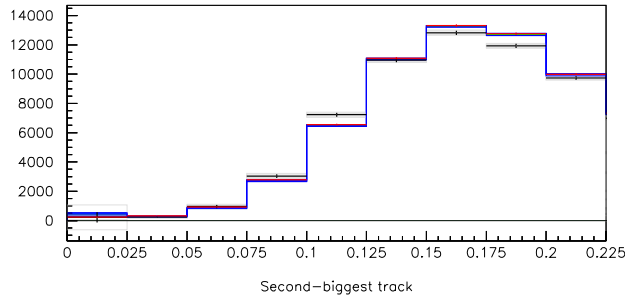
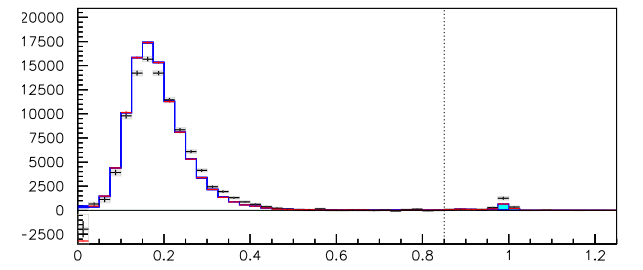
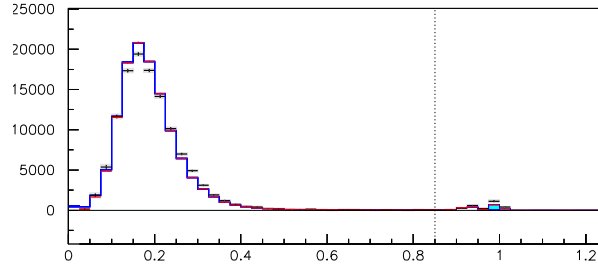
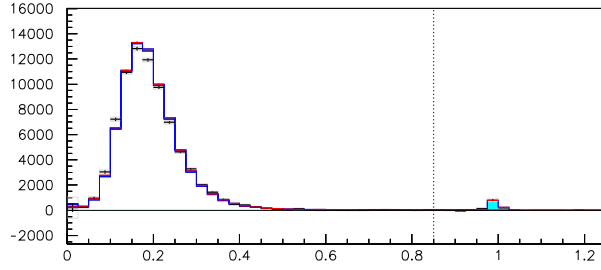


Second-biggest track  $< 0.85\%$  of beam energy

$\Upsilon(1S)$

$\Upsilon(2S)$

$\Upsilon(3S)$



No such problems here. All  $ggg$  and  $gg\gamma$  pass this cut.

I haven't forgotten the cascade to leptons systematic.

With Istvan's new  $\mathcal{B}_{\mu\mu}$ ,  $\Upsilon(nS) \rightarrow X\ell^+\ell^-$  (where  $X$  cannot be nothing)

is 0 for  $\Upsilon(1S)$ ,  $0.795 \pm 0.036\%$  for  $\Upsilon(2S)$  and  $0.480 \pm 0.028\%$  for  $\Upsilon(3S)$ .

Systematic error on efficiency for these uncertainties is 0.06%.

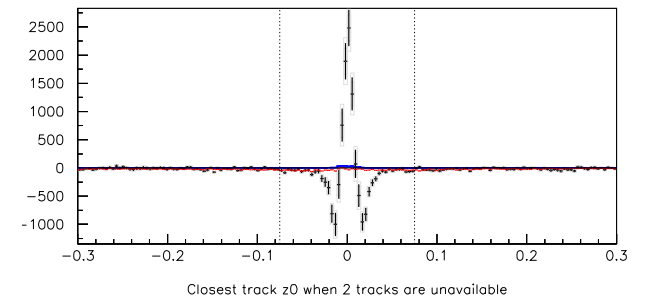
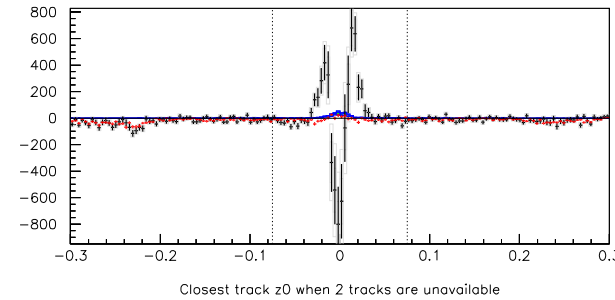
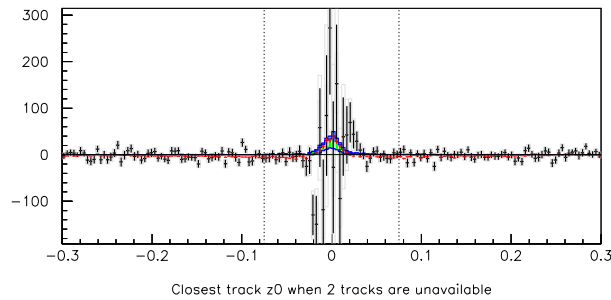
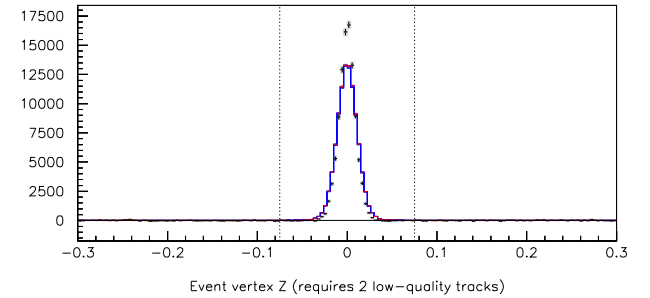
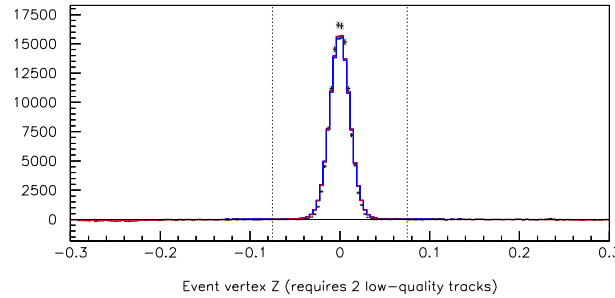
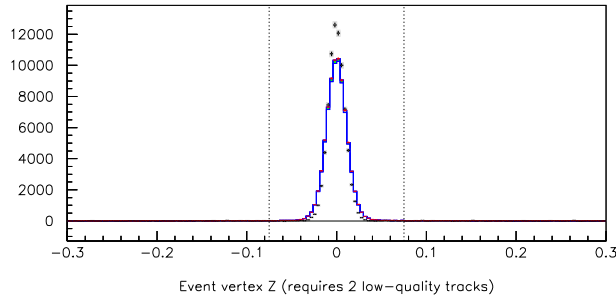
Supposing PHOTOS is wrong by 50%, we get another systematic of 0.03%.

Event vertex  $Z < 7.5$  cm (or closest track  $z_0 < 7.5$  cm, if only one track)

$\Upsilon(1S)$

$\Upsilon(2S)$

$\Upsilon(3S)$



(Bottom plot is closest  $z_0$  for those few events which didn't have two tracks to form a Z vertex. It doesn't cancel well because I forgot to move  $z_0$  to the beamspot—  $\Upsilon(2S)$  and  $\Upsilon(3S)$  samples contain many runs.)

This cut is perhaps a little too close to trust Monte Carlo, backgrounds are now controlled for  $\Upsilon(1S)$  (the tallest peak), and cut efficiency should be the same for all three resonances, so take  $\Upsilon(1S)$  value for each.

$$99.35 \pm 0.20 \pm 0.56\%$$

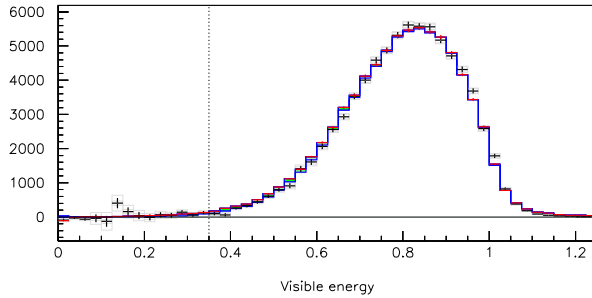
$$99.96 \pm 0.30 \pm 1.39\%$$

$$99.53 \pm 0.41 \pm 1.99\%$$

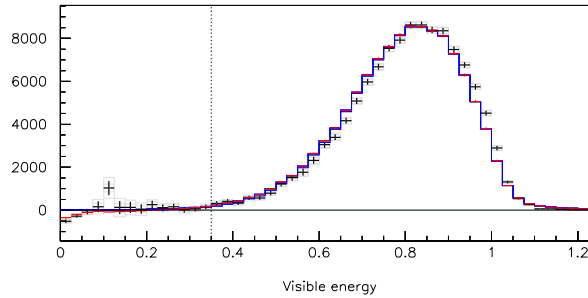
First error is statistical (binomial fluctuations in samples that pass cuts) and second is systematic (fluctuations in control samples, scale factors).

Visible energy < 0.35% of center-of-mass energy

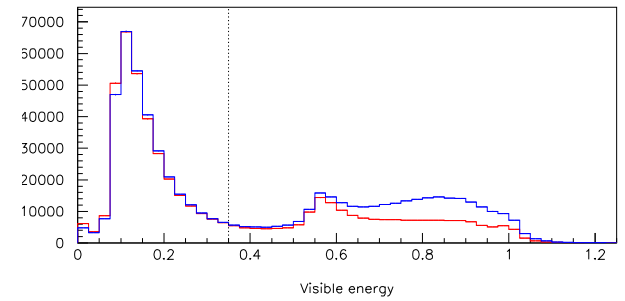
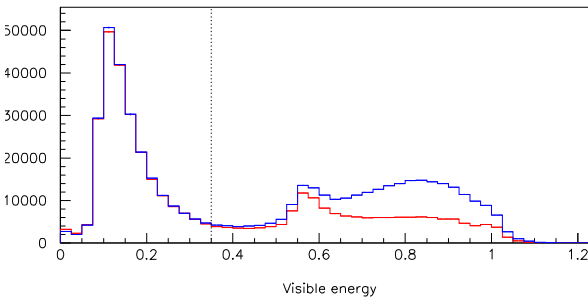
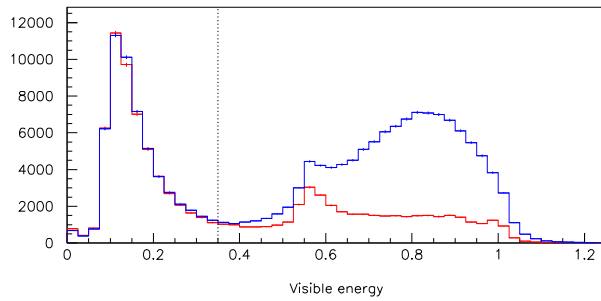
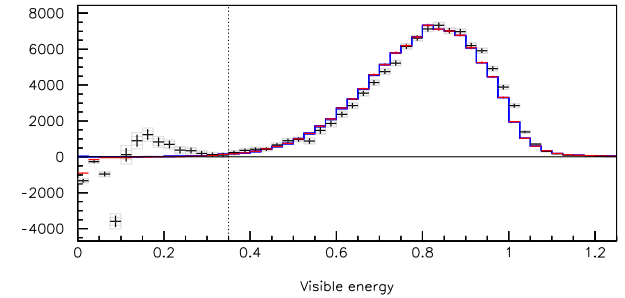
$\Upsilon(1S)$



$\Upsilon(2S)$



$\Upsilon(3S)$

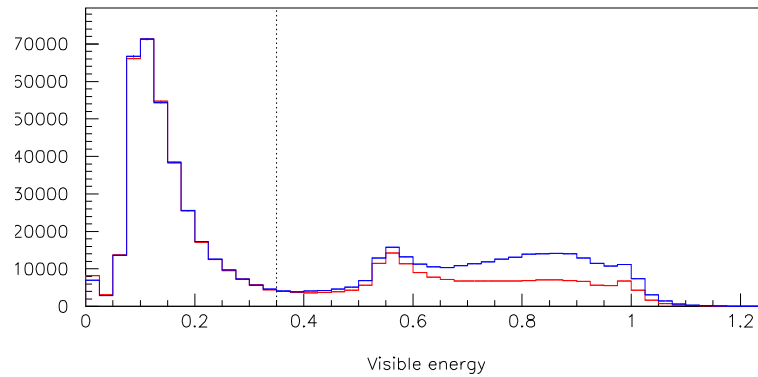
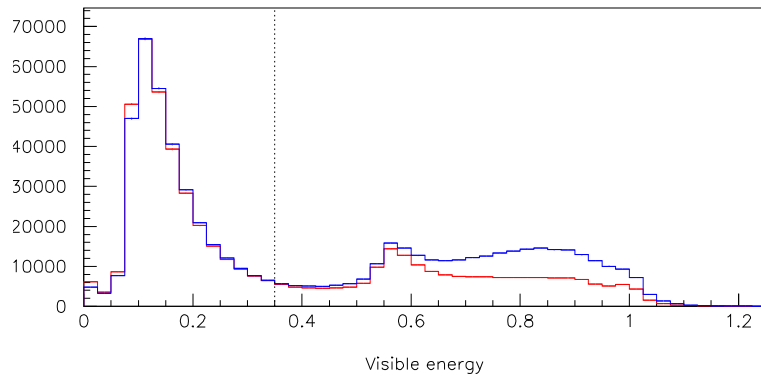
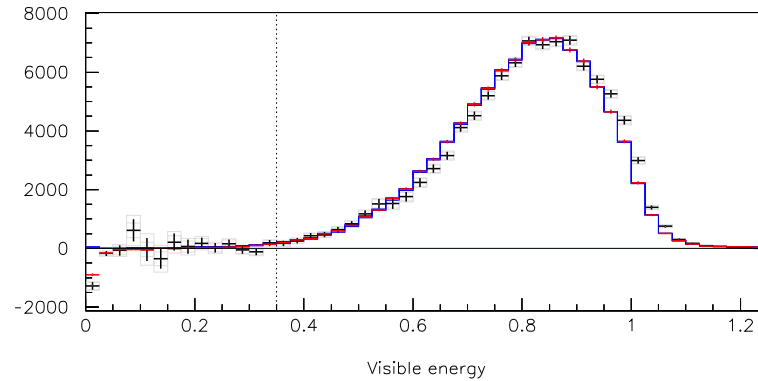
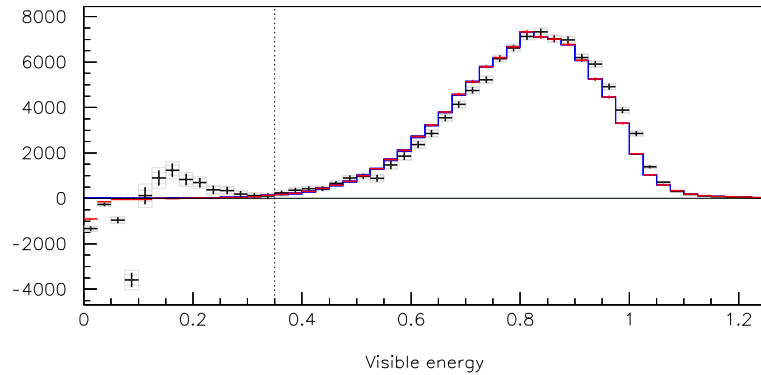


Bottom plot is the on-res (blue) and off-res (red) before subtraction.

The low-energy bump seems to be mostly two-photon events.

The problem:  $\Upsilon(3S)$  doesn't subtract perfectly—low-energy on-res events got about 50 MeV more neutral energy per event than off-res events.

The solution:



Normal visible energy

No hot showers

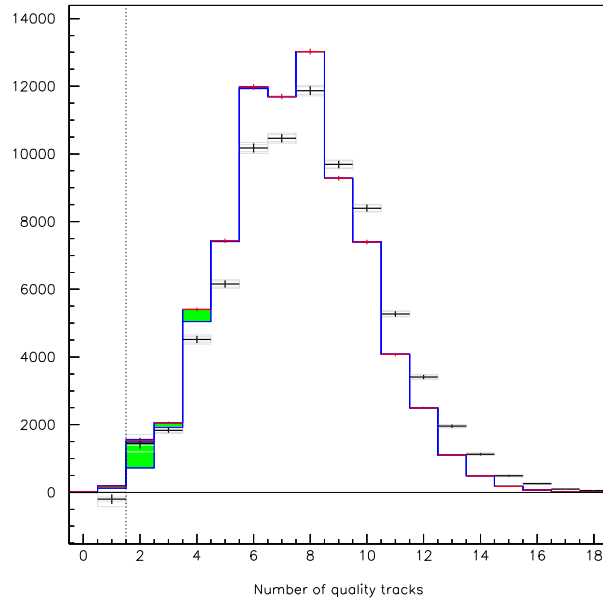
Calculate visible energy excluding hot showers and the mismatch is gone.

Tau subcollection cuts on visible energy including hot showers.

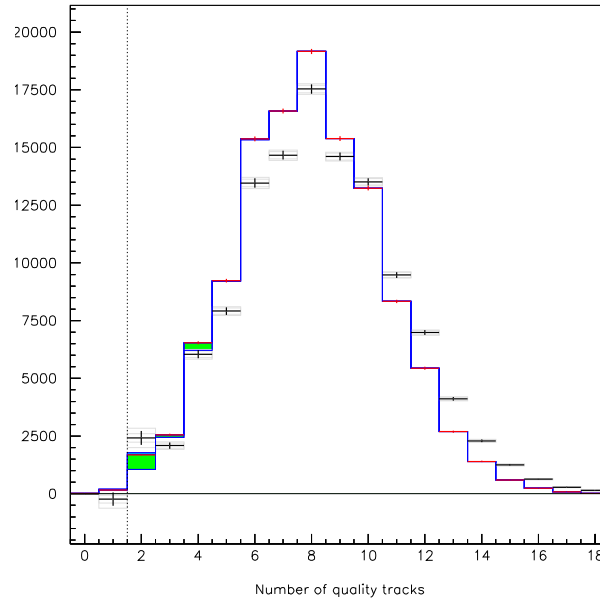
I will continue to cut on that variable, but raise the threshold above the dangerous bump.

Quality tracks  $\geq 2$

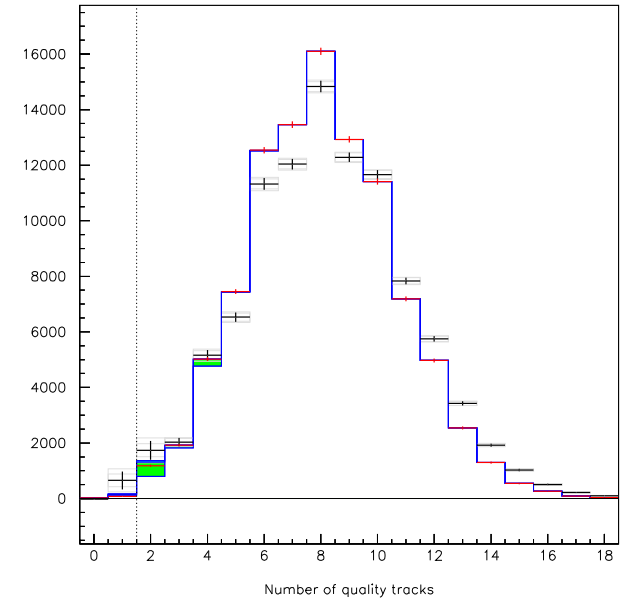
$\Upsilon(1S)$



$\Upsilon(2S)$



$\Upsilon(3S)$

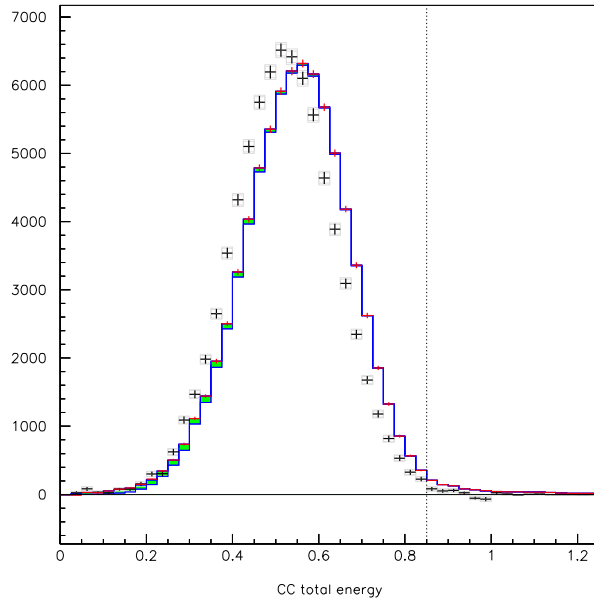


This was the reason I switched to the tau subcollection: data/MC mismatch doesn't matter when the cut is made so low.

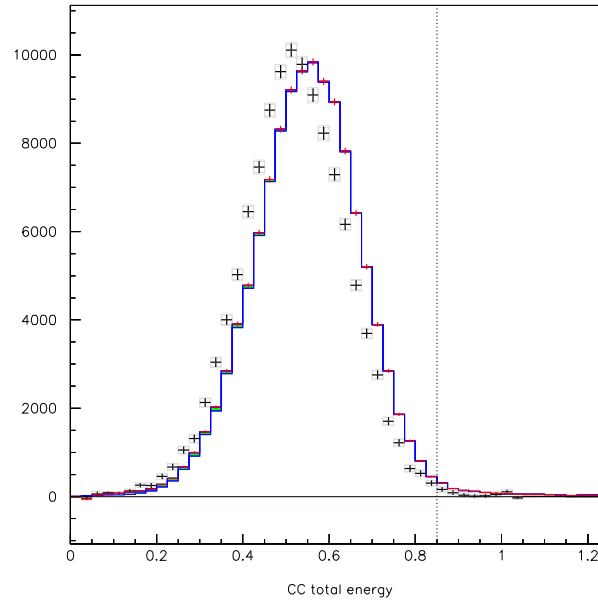
Nor does it matter now anyway, since I'm reading the efficiency from data for this variable.

CC energy < 0.85% of center-of-mass energy

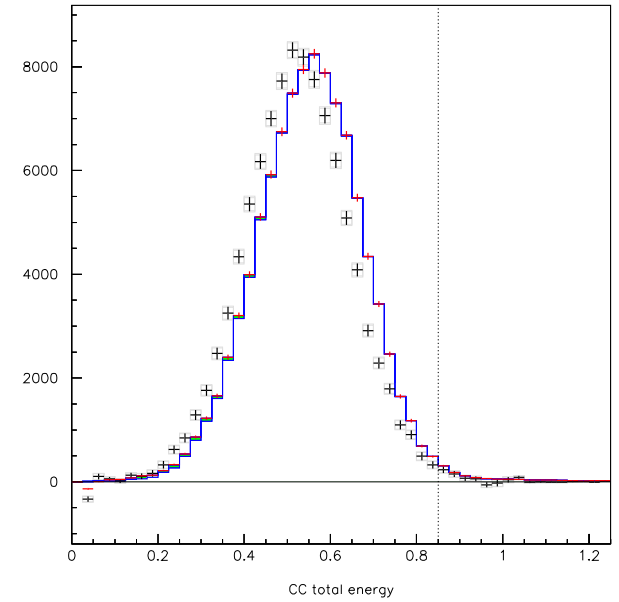
$\Upsilon(1S)$



$\Upsilon(2S)$



$\Upsilon(3S)$



This was the data/MC disagreement I introduced by the switch. I will remind you that I'm measuring the efficiency from the data.

# The big table

	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Monte Carlo part	0.9852	0.9711	0.9773
statistical	$\pm 0.00032$	$\pm 0.00040$	$\pm 0.00048$
trigger	$\pm 0.0050$	$\pm 0.0050$	$\pm 0.0050$
closest d0	$\pm 0.0025$	$\pm 0.0025$	$\pm 0.0025$
100% of $\Gamma_{gg\gamma}/\Gamma_{ggg}$	$\pm 0.0111$	$\pm 0.0108$	$\pm 0.0109$
$\mathcal{B}$ of cascade-leptons ( $1\sigma$ )	$\pm 0$	$\pm 0.0006$	$\pm 0.0005$
PHOTOS by 50%	$\pm 0$	$\pm 0.0003$	$\pm 0.0001$
event Z	0.9935	0.9935	0.9935
statistical	$\pm 0.0020$	$\pm 0.0020$	$\pm 0.0020$
systematic	$\pm 0.0056$	$\pm 0.0056$	$\pm 0.0056$
data part	0.9949	0.9792	0.9874
statistical	$\pm 0.0034$	$\pm 0.0039$	$\pm 0.0055$
systematic	$\pm 0.0081$	$\pm 0.0088$	$\pm 0.0110$
	0.9738	0.9447	0.9587
total	$\pm 0.0040$	$\pm 0.0044$	$\pm 0.0059$
	$\pm 0.0159$	$\pm 0.0160$	$\pm 0.0174$