



# Optimizing the corrected alignment procedure

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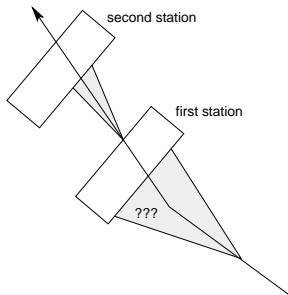
## In this talk

1. New three-pass procedure
2. Optimizing Alignment Parameter Errors (APEs) in a 1-dimensional setting
3. Optimizing degrees of freedom in a 6-dof setting, with application to TeV muons

This is a work-in-progress talk: how things are going, rather than final results

## Why not align everything at once?

**Problem:** tracks emerge from calorimeter/solenoid with more uncertainty than they do when passing through the iron between stations, so we get a poor alignment if we let everything float at once



**Solution:** align the outer stations only after the inner stations are well-placed: at least two passes



## The current procedure

1. Align muon barrel station 1 (MB1) and endcap stations ME1/1 and ME1/2 with 2 cm APEs (loose), all other muon stations have 5 cm (very loose).

*At this point, the inner stations are aligned to 400–500  $\mu\text{m}$ .)*

2. Align all other stations (MB1, ME1/1, and ME1/2 are now fixed) with 5 mm APEs.

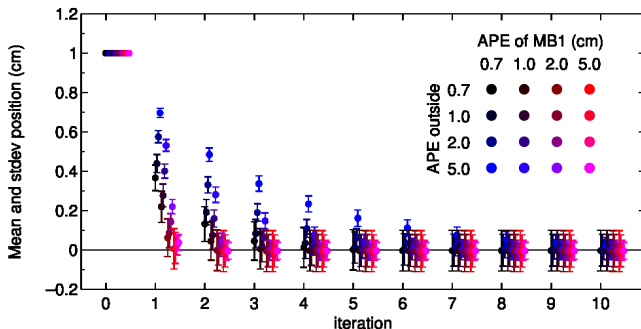
*At this point, the outer stations are aligned to 400–800  $\mu\text{m}$ , with MB4 and ME4/1 having the worst resolution: 1.5 cm. Chambers probably have better relative alignments than global alignments.*

3. Try to align groups of internally-aligned chambers to the tracker by re-aligning everything with 500  $\mu\text{m}$  APEs.

## How APEs were optimized

Start with artificial misalignments: all chambers in a station (MB1 here) are moved 1 cm, chambers in other stations are Gaussian-distributed.

Each chamber is realigned independently: plot mean and stdev





## Alignment results: general 1-dimensional

Now we do more a realistic alignment with all chambers randomly distributed  $\pm 5$  mm, but still 1-dimensional (local  $x$ ).

Alignment resolution of  $x$  in microns (stages 1&2 only):

MB1	430	MB2	400	MB3	700	MB4	1174
ME1/2	380	ME1/3	340	ME2/2	510	ME3/2	730
ME1/1	520	ME2/1	620	ME3/1	850	ME4/1	1030

Alignment resolution *if inner chambers were perfectly aligned*

MB1	430	MB2	70	MB3	120	MB4	160
ME1/2	380	ME1/3	190	ME2/2	200	ME3/2	230
ME1/1	520	ME2/1	270	ME3/1	120	ME4/1	130

(There's still a significant problem with propagating errors through the system, mostly at the third step: maybe I should revisit the idea of one pass for each station. . . )

## More general misalignments:

- ▶ Misalign chambers uniformly  $\pm 5$  mm,  $\pm 5$  mrad in all directions (very messy starting point!)
- ▶ No wheel/disk misalignments yet (I expect that to be easy)
- ▶ Assume that the optimal 1-dof APEs optimize the 6-dof problem
- ▶ Allow various parameters to float
  - ▶ MB1–3 (good  $y$  measurement): drop all combinations of  $z$  and  $\phi_x$
  - ▶ MB4 (no  $y$  measurement): certainly drop  $y$  and  $\phi_x$ , maybe drop  $z$
  - ▶ ME (poor  $y$  measurement): probably drop  $z$ ,  $\phi_x$ , and maybe even  $\phi_y$
- ▶ Determine alignment quality from TeV  $p_T$  resolution

What was allowed to float

2 TeV track resolutions  
through  $\eta$  ranges (in % of  $p_T$ )

MB1-3	MB4	ME	barrel	ME1/3	ME1/2	ME1/1
ideal	ideal	ideal	5.3	4.9	5.0	5.9
$xy.. \phi_y \phi_z$	$x... \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.4	6.1	6.1	6.7
$xy.. \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.4	6.1	6.1	6.6
$xy. \phi_x \phi_y \phi_z$	$x... \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.3	6.2	6.0	6.5
$xyz. \phi_y \phi_z$	$x... \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.2	5.8	6.2	6.4
$xyz. \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.2	5.8	6.2	6.2
$xyz \phi_x \phi_y \phi_z$	$x... \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.2	5.8	6.0	6.2
$xyz \phi_x \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.1	5.8	6.0	6.2
$xyz \phi_x \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xyz \phi_x \phi_y \phi_z$	6.1	5.8	6.0	6.2
$xyz \phi_x \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xy... \phi_z$	6.1	5.7	6.0	6.6
$xyz \phi_x \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xy.. \phi_y \phi_z$	6.1	5.7	5.9	6.5
$xyz \phi_x \phi_y \phi_z$	$x.Z. \phi_y \phi_z$	$xy. \phi_x \phi_y \phi_z$	6.1	5.8	5.9	6.6

Conclusion: it doesn't make much difference, but allowing more to float is slightly better.



## Results for best scenario (MB1-3 $xyz\phi_x\phi_y\phi_z$ MB4 $x.z.\phi_y\phi_z$ ME $xyz\phi_x\phi_y\phi_z$ )

Stages 1&2 only (mm and mrad):

	$x$	$y$	$z$	$\phi_x$	$\phi_y$	$\phi_z$
barrel	0.94	2.1	2.6	2.0	0.87	0.78
endcap	0.91	3.5	4.0	flat 5 mm	1.5	1.2

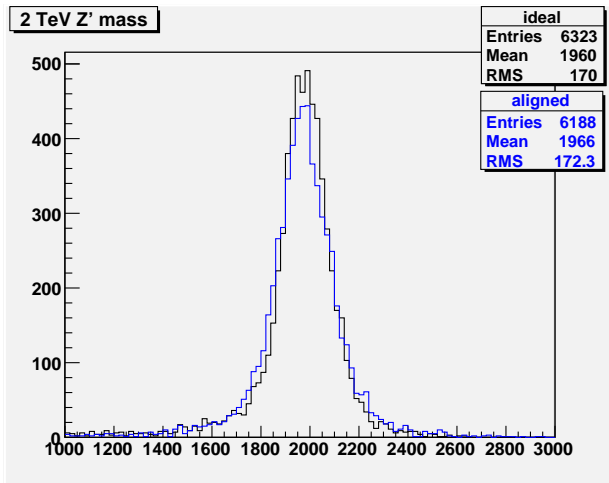
Stage 3 (small APE align everything):

	$x$	$y$	$z$	$\phi_x$	$\phi_y$	$\phi_z$
barrel	0.81	2.0	2.4	2.0	0.70	0.63
endcap	0.85	3.5	4.0	flat 5 mm	1.1	1.1

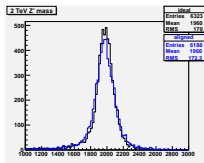
- ▶ Stage 3 does help in  $x$  and  $\phi_z$  (the most important parameters)
- ▶ Let's not align endcap  $z$  or  $\phi_x$ ; they're not really converging in  $10 \text{ pb}^{-1}$

## The Bottom Line!

Reconstructed 2 TeV  $Z'$  from scratch using the new alignments:  
this is our latest 10  $\text{pb}^{-1}$  scenario



## Comments on the bottom line



- ▶ Still much better than standard muon alignment scenario (which has about  $\frac{1}{2}$  the resolution of ideal)
- ▶ Standard scenario has 500  $\mu\text{m}$  chamber errors and 2–5 mm wheel/disk errors; our simulation had no wheel/disk misalignments
- ▶ Time to try wheel/disk alignments in the new procedure!
- ▶ The track-finding efficiency is 2% lower with misalignment
- ▶ Baseline track-finding efficiency is 94% (Dubna group)