



# Shape of the DT Chambers from Track-based Studies

Jim Pivarski

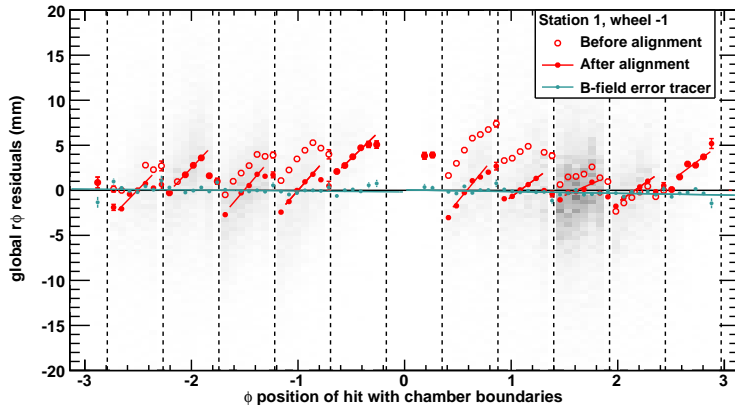
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28 January, 2009

# The clue (1/3)

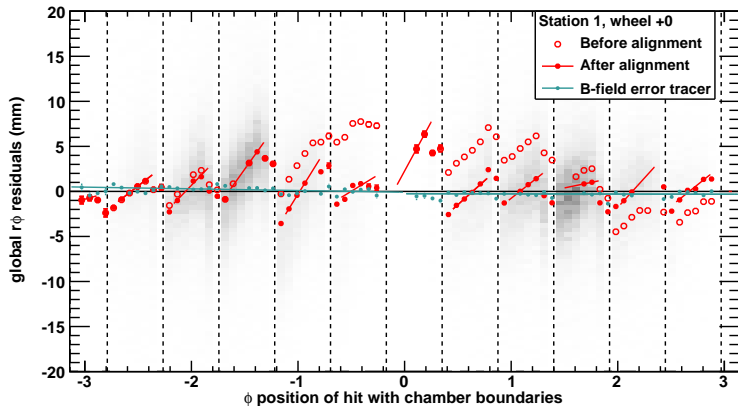
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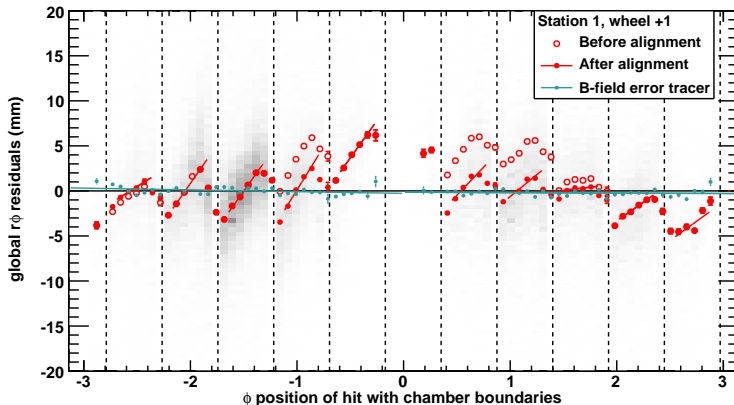
- ▶ Linear trends in unbiased  $r\phi$  residual vs.  $\phi$  inside each chamber
- ▶ Unaffected by local  $x$  alignment (as expected)
- ▶ Curious thing: they all seem to have the same slope

# The clue (2/3)

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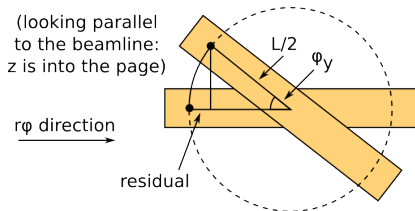
- ▶ What if it's a linear bias in the distribution from the track source, partly absorbed by the alignment?
  - ▶ impossible:  $\phi$  must have periodic boundary conditions
  - ▶ if we realigned chambers to make a continuous line, it could not match at  $\pm\pi$  (it would fail a "closure condition")



- ▶ So it's a real effect related to the chambers, not the track source
  - ▶ not fixing it would smear chamber resolution by 5 mm!
- ▶ What rigid body misalignments can cause it?
  - ▶  $\phi_y$  (rotation around axis parallel to the beamline)
  - ▶  $\Delta R$  (radial displacements)

# The $\phi_y$ possibility

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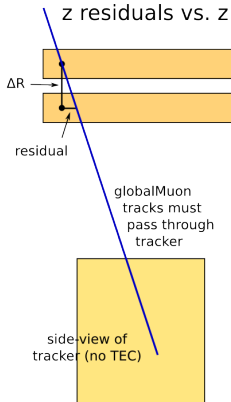
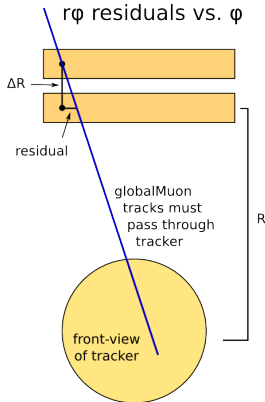
- ▶  $\phi_y$  rotation can make a chamber appear narrower
- ▶ but it's a second-order effect:

$$\text{residual} = (L/2)(1 - \cos \phi_y)$$
$$\phi_y \approx 70 \text{ mrad}$$

- ▶ Could *all* the chambers be independently misaligned by about 70 mrad?
- ▶ Same effect observed in IDEAL and CRAFT\_ALL\_V4 constants: it would have to be a physical misalignment of real chambers
- ▶ I think we can safely say that this is not what's happening
  - ▶ the magnitude is too big, and
  - ▶ the pattern is too regular

# The $\Delta R$ possibility

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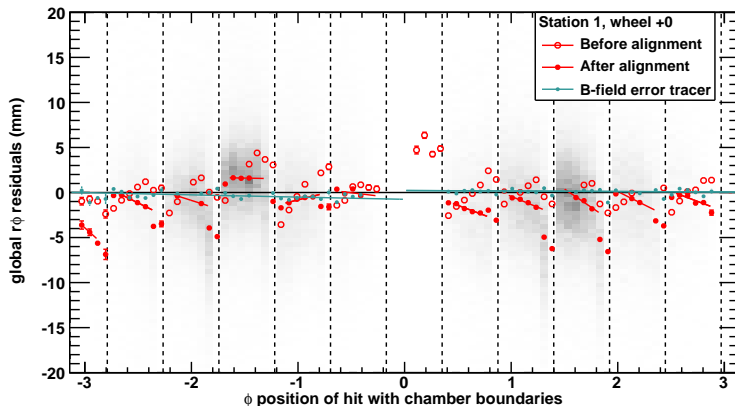
- ▶ A track sample constrained to pass through the tracker can introduce effects of this sort

$$\Delta R = \frac{R}{(L/2)} (\text{residual})$$

- ▶ But it has to appear in both types of residuals

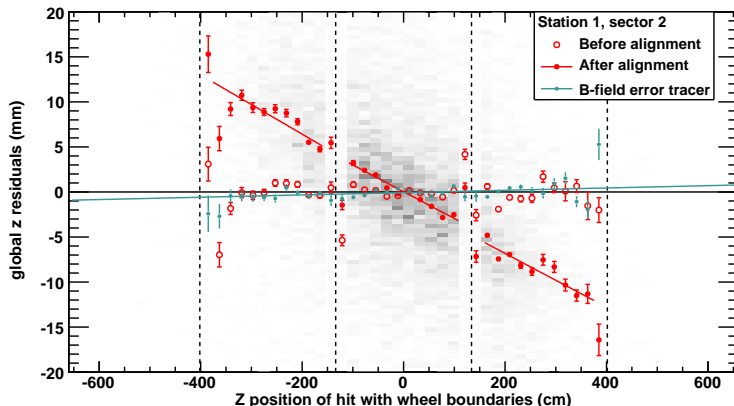


- ▶ To see if this is plausible, I expanded the radius of all DT stations by 15 mm in a private test
  - ▶ seems to cancel the  $r\phi$  residual vs.  $\phi$  trend in the  $-\pi < \phi < 0$  range, but overshoot slightly in the  $0 < \phi < +\pi$  range






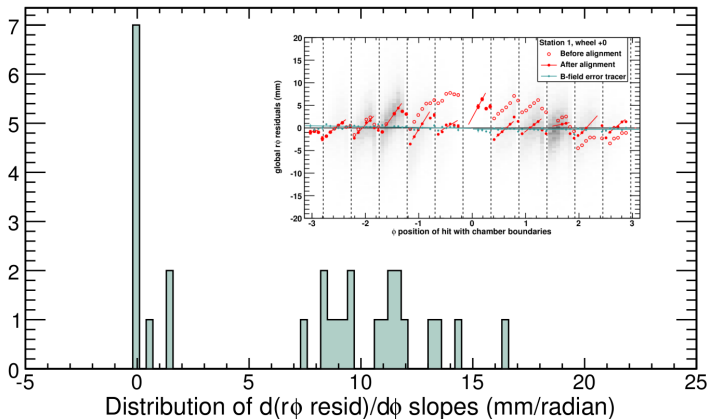
- ▶ However, look what happens to the  $z$  residual vs.  $z$ : clearly both types of residuals can't be satisfied!
- ▶ The open circles are the case of no  $\Delta R$  shift







- ▶ Process of elimination for all rigid body degrees of freedom
  - ▶  $\phi_y$ : implausible
  - ▶  $\Delta R$  (a local  $z$  translation): can't reconcile both  $r\phi$  and  $z$  residuals
  - ▶ local  $x, y$  translations: can't introduce any linear trends in residuals, only offsets
  - ▶  $\phi_z$  rotation: introduces a linear trend in  $r\phi$  residuals vs.  $z$  and  $z$  residuals vs.  $\phi$ , but not what we're looking for
  - ▶  $\phi_x$  rotation: also would have to be implausibly large, and only affects  $z$  residuals (the opposite of what we're looking for)
- ▶ Non-rigid degree of freedom
  - ▶ *some kind* of stretching would easily explain it
  - ▶ an error in the geometry description, duplicated by CMSSW, would account for its regularity (with outliers due to small individual  $\Delta R$  misalignments)



- Distribution of slopes in  $r\phi$  residuals vs.  $\phi$  (wheels  $-1, 0, +1$ ) peaks at roughly 10 mm/radian
- 0 underflows, 1 overflow
- Small individual  $\Delta R$  misalignments can smear this



- ▶ Last year, a similar track-based technique uncovered a 0.8 mm error in CSC widths
- ▶ For the same reasons, chamber stretching was degenerate with increasing the distance from the beamline
- ▶ Degeneracy was resolved with photogrammetry of alignment pins
  - ▶ track-based procedure reproduced  $r\phi$  positions of alignment pins with  $270\ \mu\text{m}$  accuracy
  - ▶  $R$  positions of pins were therefore directly comparable, and constrained distance from the beamline
- ▶ CSC geometry experts investigated and quickly found a  $10\ \mu\text{m}$  strip pitch angle error, which, compounded over 80 strips, changed the width by 0.8 mm, explaining the observation with tracks
- ▶ DTs have an advantage over CSCs in that they precisely measure  $z$  residuals in addition to  $r\phi$  residuals, so we can already break degeneracy between  $\Delta R$  and stretching
- ▶ In the CSC case, we predicted the magnitude but made a mistake in guessing the sign: we'd follow up on any effect of this magnitude



- ▶ I would like to ask DT geometry experts to look for a chamber description error on the order of 5 mm across the local  $x$  dimension
- ▶ We have shown that it is a real chamber-level effect and ruled out the possibility of it being caused by any rigid chamber misalignment
- ▶ “Stretching/squashing” can be interpreted loosely
  - ▶ only distortions which affect active elements matter
  - ▶ a bulging layer can look narrow (though that’s a second-order effect, like  $\phi_y$ )
  - ▶ a  $\phi_y \sim 70$  mrad rotation built into the chamber?
  - ▶ a  $\Delta R$  misalignment for superlayers 1 and 3 and not superlayer 2 could explain the incompatibility of  $r\phi$  and  $z$  residuals
  - ▶ it’s hard to imagine timing effects playing a role, since left- and right-hand sides of each wire would be affected oppositely
  - ▶ ...
- ▶ Since it’s causing  $\pm 2.5$  mm unbiased residuals errors at the ends of the chambers, it’s as important for resolution as alignment