



# Relative alignment of tracker and muon system and track-based study of hardware results

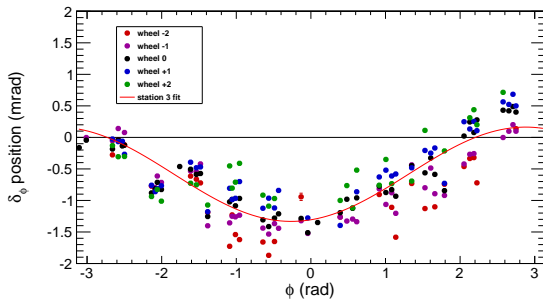
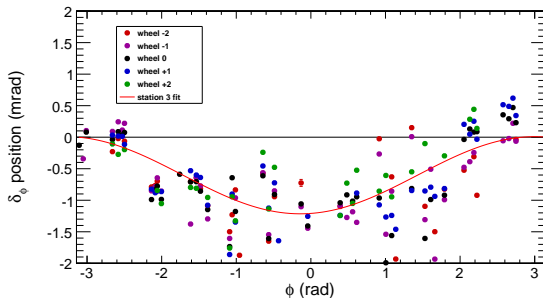
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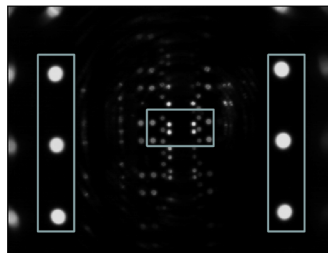
8 December, 2009



- ▶ Comparison of hardware geometry with track-based geometry
- ▶ Studies of tracker shape using muon residuals

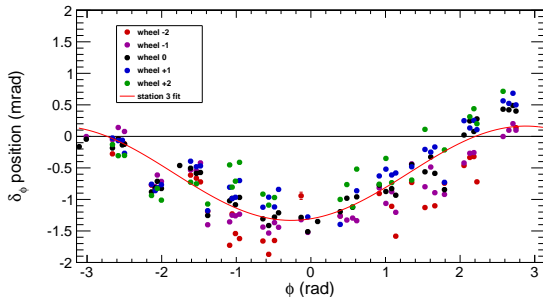
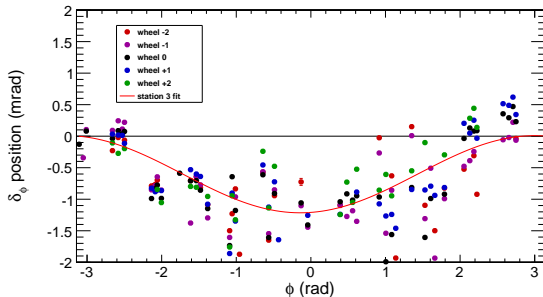


- Differences in chamber positions between hardware and track-based geometries
- Top-left: reconstruction was following some LED reflections
- Bottom-left: corrected



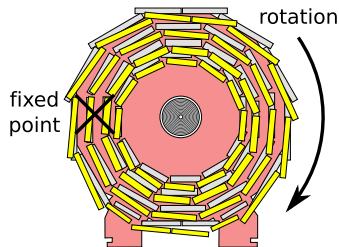
# Barrel hardware – track-based

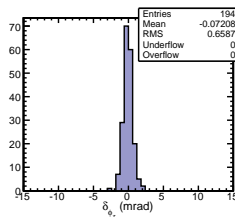
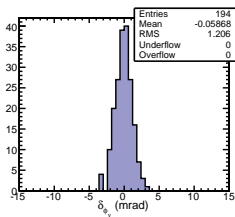
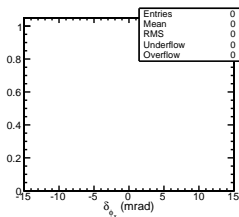
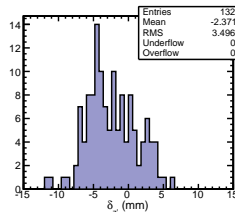
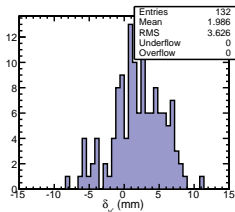
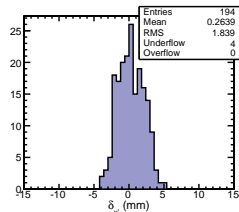
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- Differences in chamber positions between hardware and track-based geometries
- Sine curve: global position with respect to tracker

- $x \rightarrow 1.2$  mm
- $y \rightarrow 4.5$  mm
- $\phi_z \rightarrow 0.58$  mrad

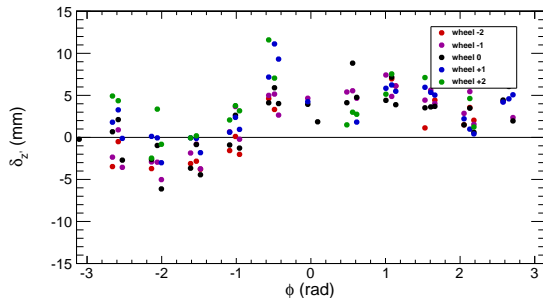
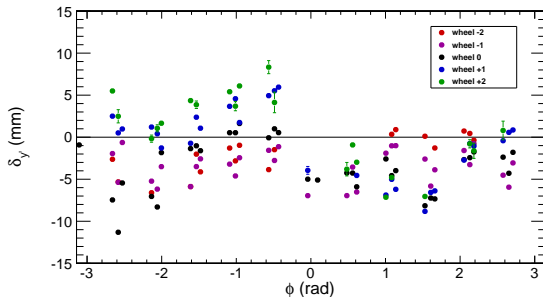




- RMS of  $x'$  deviations (top-left) is only 1.8 mm after removing global offset in transverse plane
- Similar to photogrammetry, which had an RMS of 1.6 mm

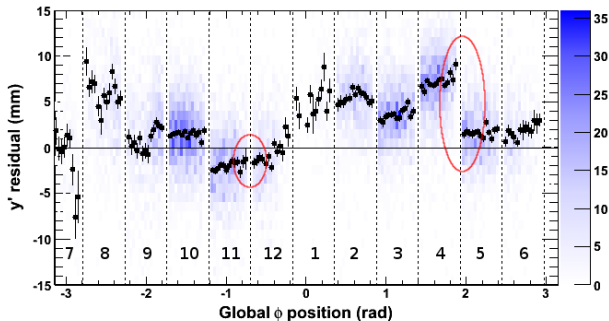
# Other translational d.o.f.

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- ▶ Top:  $y'$  differences (direction parallel to beamline)
- ▶ Bottom:  $z'$  differences (radial)
- ▶ These are more consistent within sector groups
- ▶  $y'$  has a clear trend with respect to wheel

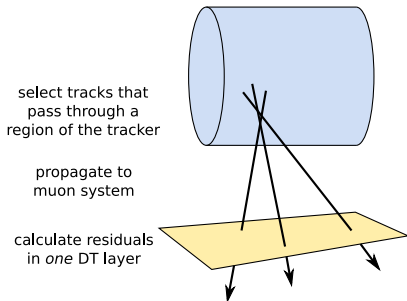
wheel +0, station 1



- ▶ Map plots show that the remaining differences are not due to tracker distortions
- ▶ For example, the statement “relative misalignment of sectors 4 and 5 is 6 mm” is tracker-independent and propagation-independent
- ▶ When the hardware geometry correctly describes the muon system as a rigid body, the differences with respect to track-based will be a *smooth* function in these plots (e.g. between sectors 11 and 12)



- ▶ We can identify tracker global distortions using muon chamber data
- ▶ Without introducing circularity when we later align the muon system with tracker tracks



- ▶ Independence from muon alignment: plot residuals in *only one muon layer* (wh 0, st 1, sec 10, lay 2) and disregard global position of that layer
- ▶ Look at muon residuals as a function of  $p_T$
- ▶ We only assume that the muon layer is in one location that can't be a function of the  $p_T$  of the tracks used to measure it

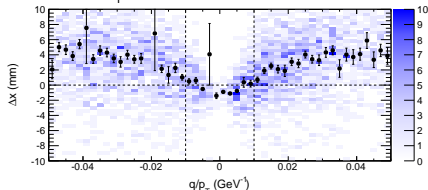


# $p_T$ -dependent muon residuals

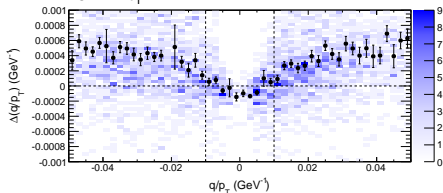
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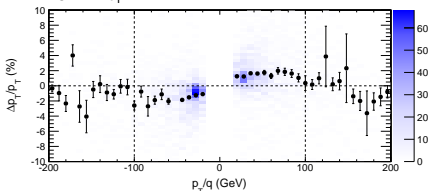
CRAFT-09 aligned with  $p_T > 100$  GeV tracks



CRAFT-09 aligned with  $p_T > 100$  GeV tracks



CRAFT-09 aligned with  $p_T > 100$  GeV tracks



- ▶ Three ways of looking at it:
  - ▶ as a muon residual ( $\Delta x$ )
  - ▶ tracker curvature error ( $\Delta\kappa = \Delta x \frac{d\kappa}{dx}$ ,  $\kappa = q/p_T$ )
  - ▶ tracker momentum error ( $\Delta p_T = \Delta x \frac{dp_T}{dx}$ )

where  $\frac{d\kappa}{dx}$  and  $\frac{dp_T}{dx}$  come from track propagator, numerically

- ▶  $\frac{d\kappa}{dx}$  is nearly constant for a single DT layer (depends on distance from tracker)
- ▶ From muon hits, we learn something which is purely about the tracker's shape
- ▶ If errors were from  $\vec{B}(\vec{x})$  or  $dE/dx$ , top plot would be antisymmetric, not symmetric

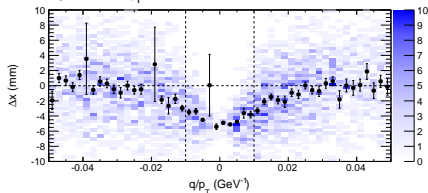
# Ambiguity from muon alignment

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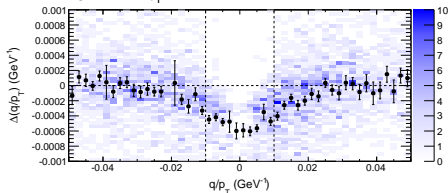
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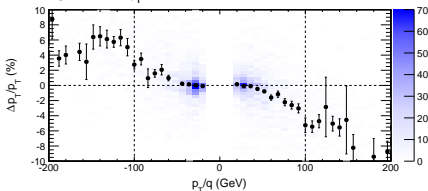
CRAFT-09 aligned with low- $p_T$  tracks



CRAFT-09 aligned with low- $p_T$  tracks



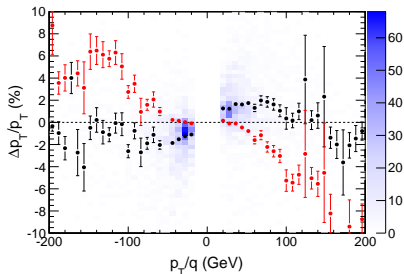
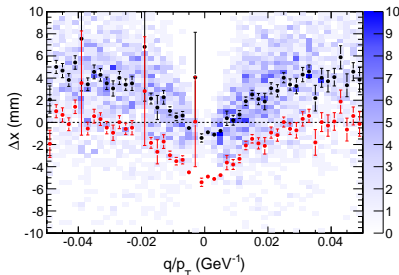
CRAFT-09 aligned with low- $p_T$  tracks



- ▶ To avoid a circular argument, we should keep the position of the muon chamber as a free parameter in this study
- ▶ Knowledge of tracker shape will later be used to determine positions of muon chambers (track-based alignment)
- ▶ Freedom to make low- $p_T$  region “correct” and high- $p_T$  region “wrong”
- ▶ Still, difference in curvature between low- and high- $p_T$  regions is the same: this should constrain models of the tracker’s shape



- Freedom in DT layer position yields different fractional  $p_T$  error profiles
- One thing which is not consistent with the data is: zero momentum bias across the whole  $p_T$  range
- Minibias alignment, with primary vertex constraint, information from resonance masses, etc. can further correct or constrain this

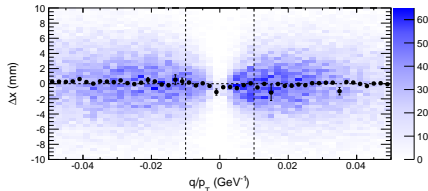


# Does this analysis make sense?

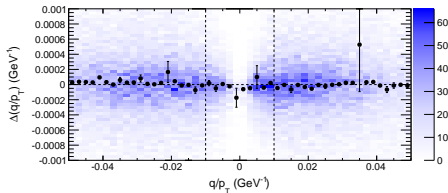
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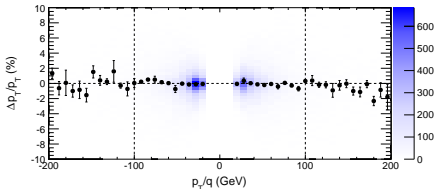
ideal Monte Carlo



ideal Monte Carlo



ideal Monte Carlo

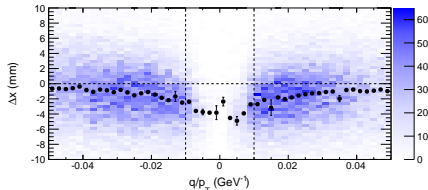


- ▶ When applied to ideal MC, everything is perfect
- ▶ That's good (not a software problem or anything)

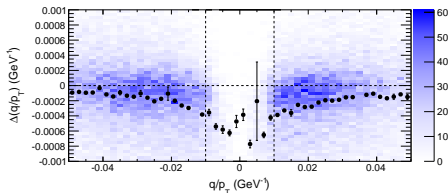
# Straw-man global distortions (1) Jim Pivarski 13/17



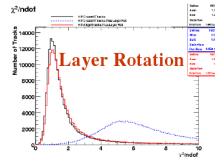
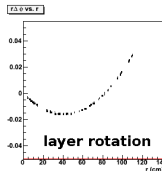
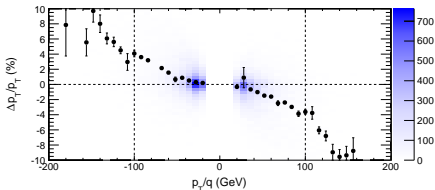
Monte Carlo with layerRotation in the tracker (ruled out by track  $\chi^2$ )



Monte Carlo with layerRotation in the tracker (ruled out by track  $\chi^2$ )



Monte Carlo with layerRotation in the tracker (ruled out by track  $\chi^2$ )

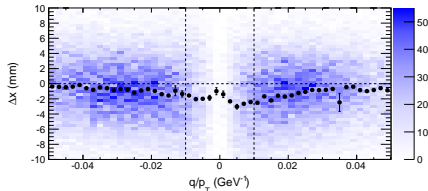


- ▶  $r\phi$  rotation of tracker layers as a function of  $r$
- ▶ Tracker track  $\chi^2$  is highly sensitive to this, so it has been ruled out
- ▶ Nevertheless, it would produce a similar effect

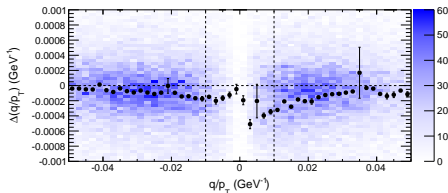
# Straw-man global distortions (2) Jim Pivarski 14/17



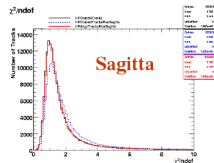
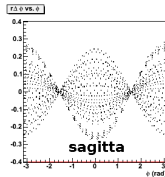
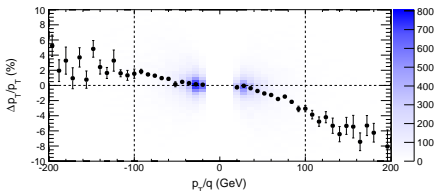
Monte Carlo with sagitta in the tracker (plausible)



Monte Carlo with sagitta in the tracker (plausible)



Monte Carlo with sagitta in the tracker (plausible)



- $r\phi$  rotation of tracker layers as a function of  $\phi$
- Cosmic ray tracker tracks are not very sensitive to this
- It also produces a similar effect
- That doesn't mean that it's the only explanation

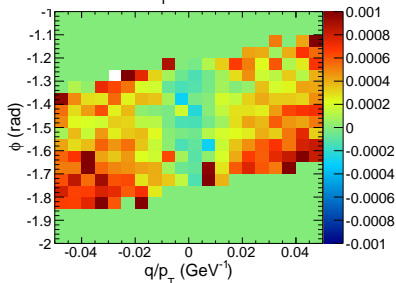
# Why it's not sagitta

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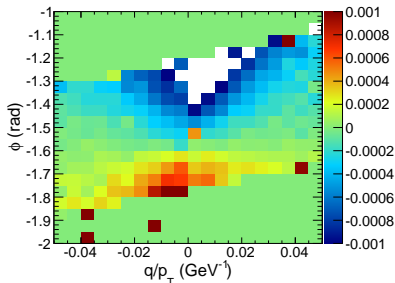


- Plot tracker curvature error  $\Delta(q/p_T)$  on the color scale ( $\text{GeV}^{-1}$ )
- Horizontal axes as indicated

CRAFT-09 aligned with  $p_T > 100$  GeV tracks



Monte Carlo with sagitta in the tracker (plausible)



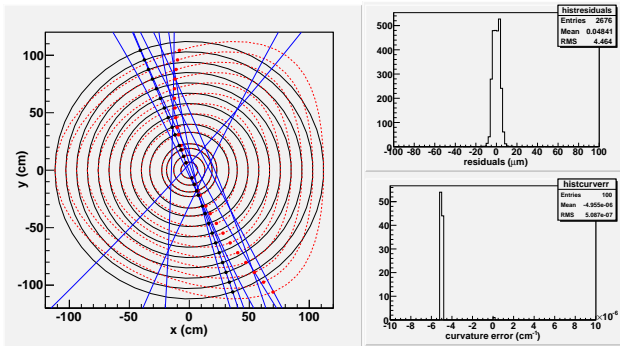
- Real distortion is more a function of  $q/p_T$  than  $\phi$
- Sagitta error is more a function of  $\phi$  than  $q/p_T$

# Trying other distortions

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- ▶ Following an idea by Markus, trying  $f(x, y) = (x + 5 \times 10^{-6} y^2, y)$
- ▶ Quick toy MC: causes  $5 \times 10^{-6} \text{ cm}^{-1} = 0.0005 \text{ GeV}^{-1}$  distortions
  - ▶ without large residuals
  - ▶ without affecting cosmic ray splitting
  - ▶ unfortunately, also no dependence on  $p_T$  (this isn't the one)
  - ▶ collisions and resonances may be sensitive to it
- ▶ Should try this and variants on it with the real tracker alignment tools







- ▶ Barrel hardware alignment produced, actively being compared with track-based data
- ▶ Muon residuals provide some constraints on the global tracker shape
  - ▶ including estimates of momentum bias
  - ▶ should be part of a larger program of integrating knowledge from cosmics, minbias, resonances, etc.
  - ▶ large project: looking for people interested in working on it
  - ▶ tentative interest: Markus Stoye, Roberto Castello