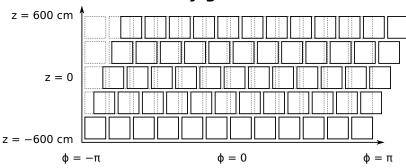
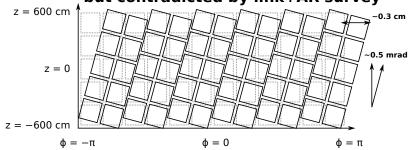


## wheel-to-wheel rotation: ruled out by global and local tracks



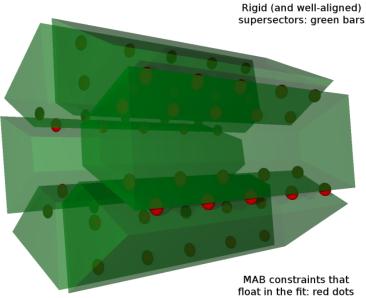


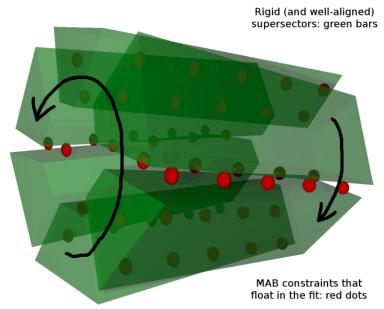
## supersector rotation: plausible from tracks, but contradicted by link+AR survey



- It would be interesting to know what the inclinometers and transfer lines have to say about this, since they would provide data which are independent of the link+AR and tracks
- As it stands, it's enough of a problem that link+AR and tracks disagree, and that's why we want to investigate more deeply



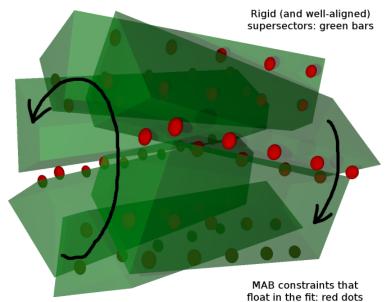




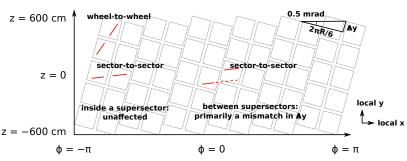
## Supersector rotation model: 3D

Jim Pivarski





## **Local segment extrapolations**



- Should be a constant offset for all wheels, for all 6 supersector boundaries:  $\Delta y = \frac{2\pi R}{6} \tan 0.0005 = 2.6 \text{ mm at } R = 5 \text{ m}$
- "Map plot" style plot of  $\Delta y$  vs.  $\phi$  with a multiple of 12 bins (preferably 48 or more) would show discontinuities between supersectors and linear slopes between them... or not, if the model isn't true

► A "supersector rotation" of 0.5 mrad would have the following consequences for barrel hardware measurements between neighboring supersectors:

$$\Delta \phi = 0, \quad \Delta R = \left(Z_{\mathsf{pos}}\right) \tan 0.0005, \quad \Delta z = \left(\frac{2\pi R_{\mathsf{pos}}}{6}\right) \tan 0.0005$$

- $ightharpoonup \phi$  and  $r\phi$  measurements are completely insensitive to it
- the sensitivity of radial measurements are proportional to  $Z_{pos}$ , the distance of the sensor from the symmetry plane of CMS
- the sensitivity of  $\Delta z$  measurements are proportional to  $R_{pos}$ , the distance of the sensor from the beamline
- I've created a mathematical model to verify the above and to search for auxiliary rotations or translations of the supersectors that can absorb a "supersector rotation," thus providing for a weak mode. There aren't any: this is a straight-forward measurment. If the barrel's inter-supersector measurements are sensitive to  $\Delta R$  or  $\Delta z$ at the level of  $\mathcal{O}(1 \text{ mm})$ , then it can rule out the effect.