

# jnoxon\_4.R

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```
#Assignment 4

library(lpSolveAPI)

WD<-setwd("C:/Users/Jason/Documents/MSBA/Quant")

#Problem 1

##### Plant A #####
# Plant A Production cost = $600
# Plant A -> Wharehouse 1 = $22
# Plant A -> Wharehouse 2 = $14
# Plant A -> wharehouse 3 = $30
##### Plant B #####
# Plant B Production cost = $625
# Plant B -> Wharehouse 1 = $16
# Plant B -> Wharehouse 2 = $20
# Plant B -> Wharehouse 3 = $24
##### Supply & Demand #####
# Total Demand = 210
# Total Supply = 220
# Supply > Demand
# Need dummy demand variable

##### Objective Function #####
#  $C = 622X_1 + 614X_2 + 630X_3 + 641X_4 + 645X_5 + 649X_6$ 

##### Constraints #####
##Demand##
#  $X_1 + X_4 = 80$ 
#  $X_2 + X_5 = 60$ 
#  $X_3 + X_6 = 70$ 
#  $X_7 + X_8 = 10$ 
##Supply##
#  $X_1 + X_2 + X_3 + X_7 = 100$ 
#  $X_4 + X_5 + X_6 + X_8 = 120$ 

lpobj1 <- make.lp(0, 8)

set.objfn(lpobj1, c(622, 614, 630, 641, 645, 649, 0, 0))
```

```
lp.control(lpobj1, sense = "min")
```

```
## $anti.degen
## [1] "fixedvars" "stalling"
##
## $basis.crash
## [1] "none"
##
## $bb.depthlimit
## [1] -50
##
## $bb.floorfirst
## [1] "automatic"
##
## $bb.rule
## [1] "pseudononint" "greedy"      "dynamic"      "rcostfixing"
##
## $break.at.first
## [1] FALSE
##
## $break.at.value
## [1] -1e+30
##
## $epsilon
##      epsb      epsd      epsel      epsint  epsperturb  epspivot
##      1e-10      1e-09      1e-12      1e-07      1e-05      2e-07
##
## $improve
## [1] "dualfeas" "thetagap"
##
## $infinite
## [1] 1e+30
##
## $maxpivot
## [1] 250
##
## $mip.gap
## absolute relative
##      1e-11      1e-11
##
## $negrange
## [1] -1e+06
##
## $obj.in.basis
## [1] TRUE
##
## $pivoting
## [1] "devex"      "adaptive"
##
## $presolve
## [1] "none"
##
## $scalelimit
```

```
## [1] 5
##
## $scaling
## [1] "geometric" "equilibrate" "integers"
##
## $sense
## [1] "minimize"
##
## $simplextype
## [1] "dual" "primal"
##
## $timeout
## [1] 0
##
## $verbose
## [1] "neutral"
```

```
add.constraint(lpobj1, c(1, 0, 0, 1, 0, 0, 0, 0), "=", 80)
add.constraint(lpobj1, c(0, 1, 0, 0, 1, 0, 0, 0), "=", 60)
add.constraint(lpobj1, c(0, 0, 1, 0, 0, 1, 0, 0), "=", 70)
add.constraint(lpobj1, c(0, 0, 0, 0, 0, 0, 1, 1), "=", 10)
add.constraint(lpobj1, c(1, 1, 1, 0, 0, 0, 1, 0), "=", 100)
add.constraint(lpobj1, c(0, 0, 0, 1, 1, 1, 0, 1), "=", 120)
```

```
set.bounds(lpobj1, lower = c(0, 0, 0, 0, 0, 0, 0, 0), columns = 1:8)
```

```
solve(lpobj1)
```

```
## [1] 0
```

```
get.objective(lpobj1)
```

```
## [1] 132790
```

```
get.variables(lpobj1)
```

```
## [1] 0 60 40 80 0 30 0 10
```

```
# Problem 2
```

```
##### Oil Well Production #####
```

```
# Well 1 = 93
```

```
# Well 2 = 88
```

```
# Well 3 = 95
```

```
##### Refinery Demand #####
```

```
# R1 = 30
```

```
# R2 = 57
```

```
# R3 = 48
```

```
# R4 = 91
```

```
# R5 = 48
```

```
##### Total Supply #####
```

```
93 + 88 + 95 # = 276
```

```
## [1] 276
```

```
##### Total Demand #####  
30 + 57 + 48 + 91 + 48 # = 274
```

```
## [1] 274
```

```
# Supply > Demand  
# Need dummy demand variable  
##### Transport Costs Wells -> Pumps #####  
## Well 1 ##  
# W1 -> P1 = 1.52  
# W1 -> P2 = 1.60  
# W1 -> P3 = 1.40  
## Well 2 ##  
# W2 -> P1 = 1.70  
# W2 -> P2 = 1.63  
# W2 -> P3 = 1.55  
## Well 3 ##  
# W3 -> P1 = 1.45  
# W3 -> P2 = 1.57  
# W3 -> P3 = 1.30  
##### Transport costs Pumps -> Refineries #####  
## Pump 1 ##  
# P1 -> R1 = 5.15  
# P1 -> R2 = 5.69  
# P1 -> R3 = 6.13  
# P1 -> R4 = 5.63  
# P1 -> R5 = 5.80  
## Pump 2 ##  
# P2 -> R1 = 5.12  
# P2 -> R2 = 5.47  
# P2 -> R3 = 6.05  
# P2 -> R4 = 6.12  
# P2 -> R5 = 5.71  
## Pump 3 ##  
# P3 -> R1 = 5.32  
# P3 -> R2 = 6.16  
# P3 -> R3 = 6.25  
# P3 -> R4 = 6.17  
# P3 -> R5 = 5.87  
  
##### Objective function #####  
# C = 1.52X1 + 1.60X2 + 1.40X3 + 1.70X4 + 1.63X5 + 1.55X6 + 1.45X7 +  
#   + 1.57X8 + 1.30X9 + 5.15X10 + 5.69X11 + 6.13X12 + 5.63X13 + 5.80X14  
#   + 5.12X15 + 5.47X16 + 6.05X17 + 6.12X18 + 5.71X19 + 5.32X20 + 6.16X21  
#   + 6.25X22 + 6.17X23 + 5.87X24  
  
##### Constraints #####  
## Well Constraints ##  
# X1 + X2 + X3 = 93  
# X4 + X5 + X6 = 88  
# X7 + X8 + X9 = 95
```

```

## Refinery Constraints ##
#  $X_{10} + X_{15} + X_{20} = 30$ 
#  $X_{11} + X_{16} + X_{21} = 57$ 
#  $X_{12} + X_{17} + X_{22} = 48$ 
#  $X_{13} + X_{18} + X_{23} = 91$ 
#  $X_{14} + X_{19} + X_{24} = 48$ 
## Dummy variable constraint ##
#  $X_{25} + X_{26} + X_{27} = 2$ 
## Transshipment constraints ##
#  $-X_1 + -X_4 + -X_7 + X_{10} + X_{11} + X_{12} + X_{13} + X_{14} = 0$ 
#  $-X_2 + -X_5 + -X_8 + X_{15} + X_{16} + X_{17} + X_{18} + X_{19} = 0$ 
#  $-X_3 + -X_6 + -X_9 + X_{20} + X_{21} + X_{22} + X_{23} + X_{24} = 0$ 

lpobj2 <- make.lp(0, 27)

set.objfn(lpobj2, c(1.52, 1.60, 1.40, 1.70, 1.63, 1.55, 1.45, 1.57, 1.30, 5.15, 5.69, 6.13, 5.63, 5.80,
lp.control(lpobj2, sense = "min")

```

```

## $anti.degen
## [1] "fixedvars" "stalling"
##
## $basis.crash
## [1] "none"
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## $bb.depthlimit
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## $break.at.first
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## [1] -1e+30
##
## $epsilon
##      epsb      epsd      epsel      epsint  epsperturb  epspivot
##    1e-10    1e-09    1e-12    1e-07    1e-05    2e-07
##
## $improve
## [1] "dualfeas" "thetagap"
##
## $infinite
## [1] 1e+30
##
## $maxpivot
## [1] 250
##

```

[illegible]

6

```
get.objective(lpobj2)
```

```
## [1] 1963.82
```

```
get.variables(lpobj2)
```

```
## [1] 93 0 0 0 86 0 28 0 67 30 0 0 91 0 0 57 29 0 0 0 0 19 0 48 2  
## [26] 0 0
```

```
#Well 1 & Well 3 are used to capacity  
#Well 2 is not  
1963.82 * 1000
```

```
## [1] 1963820
```

```
# $1,963,820 is minimum cost
```