

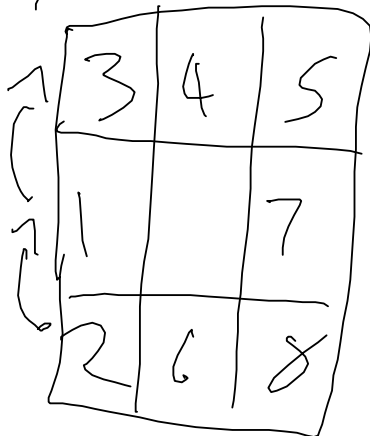
Heuristics cont'd

Friday, September 16, 2016 10:31 AM

- Consistent heuristics are admissible
- not always true other way
- Mostly true though

Design

- More an art than science
- Some strategies for design
- Relax the problem



constraints

- 1) Can only move A if adj to B
- ~~2) A or B must be blank~~

- Remove constraint 2,
Manhattan Distance

- Remove 1 & 2

- # of tiles out of place

- Remove 1

Gaschnig's distance

Heuristic Design

Friday, September 16, 2016 10:41 AM

Subproblems

- Find subproblem that's not too hard to compute
- Solve that
- 8 puzzle, solve $\frac{1}{2}$ tiles
- Provides lower bound on full problem complexity
- Make sure $h()$ isn't too hard to calculate

Review

Monday, September 19, 2016 9:03 AM

$$f(n) = g(n) + h(n)$$

rank states on the open list

A^* - admissible heuristic

WHILE (NOT isgoal(current) AND open \neq NIL) DO:

Handling shortcuts

closed \leftarrow closed + {current}

FOREACH $n \in$ successors(current, ops) DO:

IF n is not on open or closed THEN DO:

compute $g(n)$

Insert n into open (ranked on $g()$)

ELSE IF n is on open AND n is reached by a shorter path THEN DO:

$n.parent \leftarrow$ current

update $g(n)$

resort open

END FOREACH

current \leftarrow pop(open)

END WHILE

Shortcuts

Best-First: $h()$ can be admissible or not

WHILE (NOT isgoal(current) AND open \neq NIL) DO:

closed \leftarrow closed + {current}

FOREACH $n \in$ successors(current, ops) DO:

IF n is not on open or closed THEN DO:

compute $f(n)$

Insert n into open (ranked on $g()$)

ELSE IF n is on open AND **not on closed** AND n is reached by a shorter path THEN DO:

$n.parent \leftarrow$ current

update $f(n)$

resort open

ELSE IF n is on closed AND n is reached by a shorter path THEN DO:

$n.parent \leftarrow$ current

update $f(n)$

Propagate new f -values to all descendants using DFS (stop generating successors if a node is on open)

END FOREACH

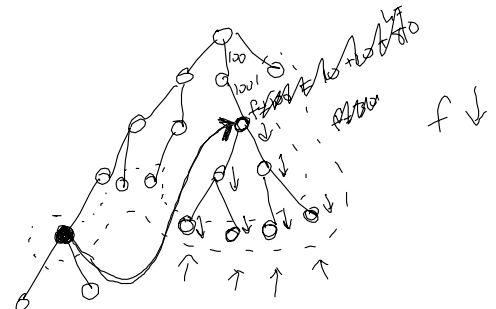
current \leftarrow pop(open)

Handling shortcuts for Best-First

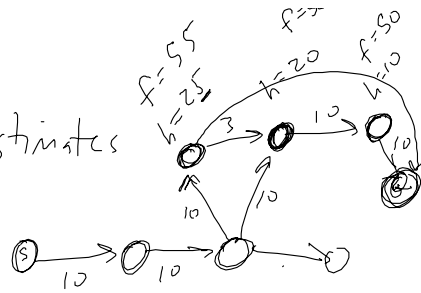
haven't generated successors yet

Shortcuts

Start w/ changed parent
Depth bounded



Admissible
 $h()$ never overestimates

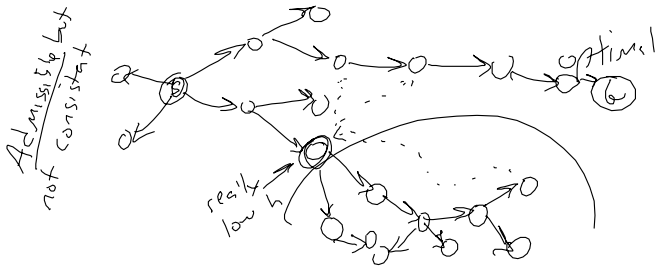


If you don't have
 admissibility \rightarrow Non-optimal alg.

Consistency \rightarrow Admissible

Admissible h under-estimates

Consistent h under-estimates too much
 going up
 $h(A) - h(B) \leq K(A, B)$



$h(n) = 0$ for all $n \leftarrow$ Admissible

\hookrightarrow ~~Breadth first~~ Uniform-cost

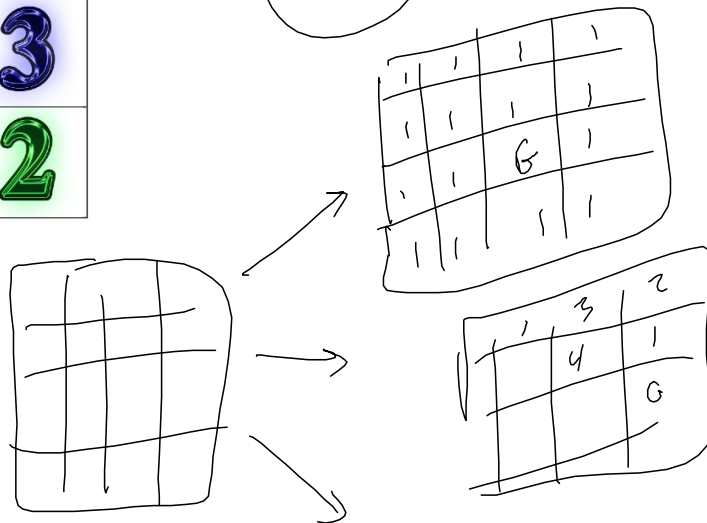
Rook Jumping

Monday, September 19, 2016 9:24 AM

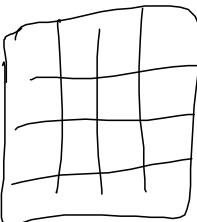
Start

| | | | | |
|---|---|---|---|---|
| 3 | 4 | 1 | 3 | 1 |
| 3 | 3 | 3 | G | 2 |
| 3 | 1 | 2 | 2 | 3 |
| 4 | 2 | 3 | 3 | 3 |
| 4 | 1 | 4 | 3 | 2 |

BFS
DFS
UCS
A*



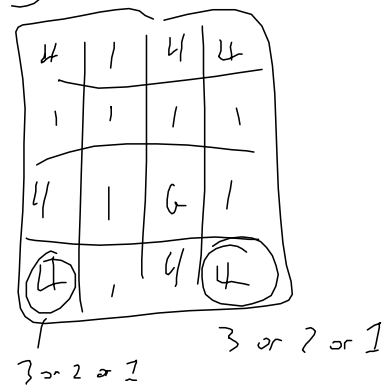
Solution: DRLUDLRULLRDU

state:  Complete config
set of cells
w/ numbers
(or empty)

init: random state, or grid of 3s or empty grid

goal: (G)

Actions: picked a cell & changed the number



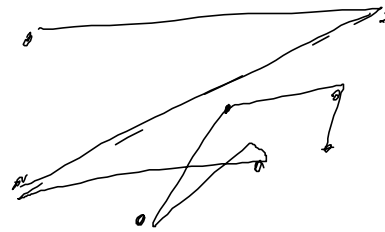
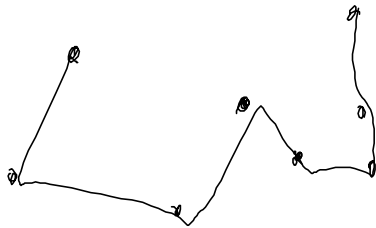
Hill Climbing Search

Monday, September 19, 2016 9:26 AM

state ✓
init ✓
goal ?

intuition that some states better than others

Traveling Sales Person



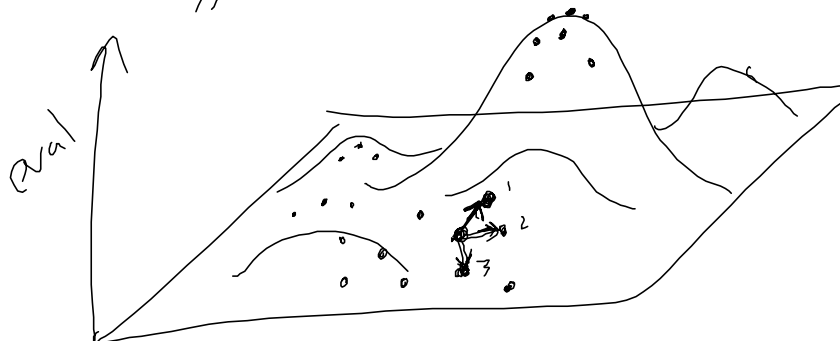
Search for the state w/ the best properties

| | | | |
|---|---|---|---|
| 1 | 1 | 1 | 3 |
| 1 | 4 | 3 | 3 |
| 2 | 2 | 3 | 3 |
| 3 | 4 | 3 | 2 |

| | | | |
|---|---|---|---|
| 4 | 1 | 1 | 4 |
| 1 | 1 | G | 1 |
| 1 | 1 | 1 | 1 |
| 4 | 1 | 1 | 4 |

intuition

Evaluation $f_n()$ = captures this intuition
- bigger the # the better the state



Blind Hill Climbing

- 1. 1. 1. = random state

- Start with a random state
- Generate K successors
- Sort successors by eval fn
- Move to best successor
- Repeat

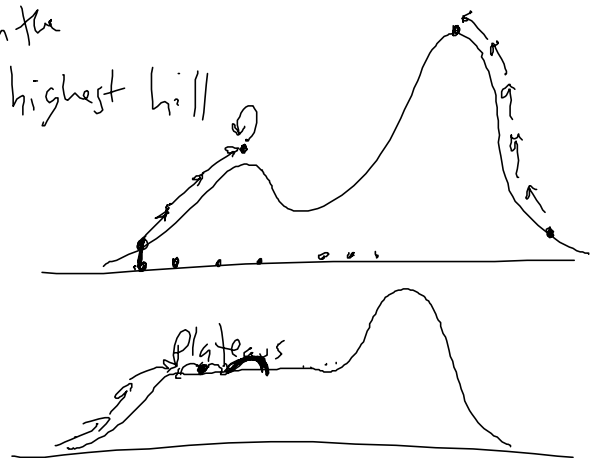
Problems:

- you might not be highest hill ^{or the}

- local maxima

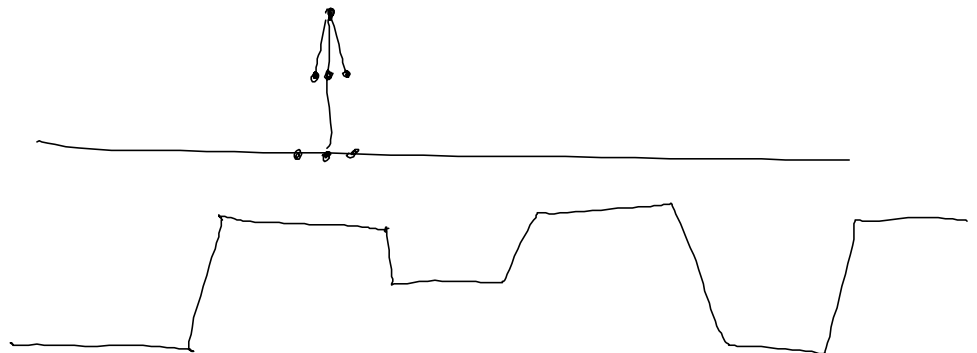
- plateaus - ∞ loops

- No open or closed



Fixes:

- Random bad moves (down-hill moves)
- Multiple restarts (Keep multiple states)
- Gradient measure
- Keep history (beam search for limited open list)



Genetic Algorithms (Game AI) 4731

Simulated Annealing

Successors Neighborhood

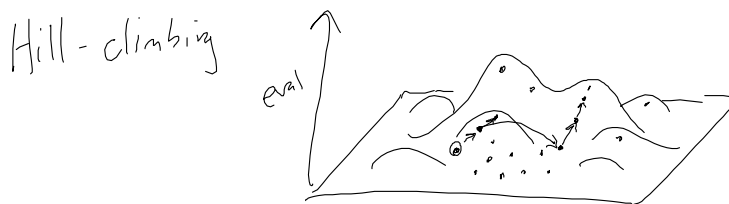
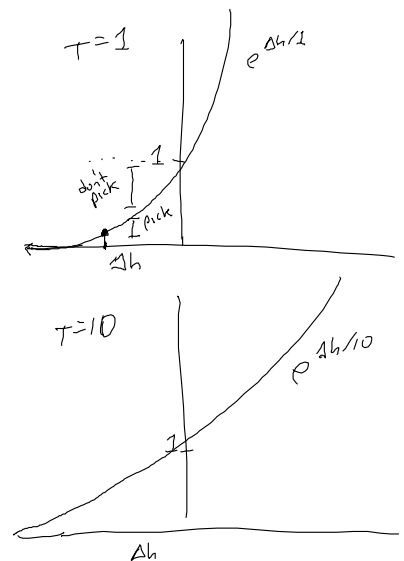
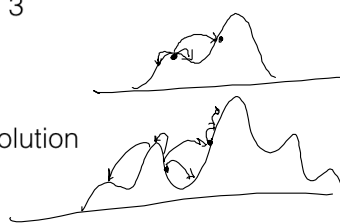


Simulated annealing

Monday, September 19, 2016 9:28 AM

1. $T \leftarrow$ starting temperature
- 2. current \leftarrow random starting node
3. next \leftarrow pick ^{1 neighbor} a random move and ~~apply it~~
4. $\Delta h \leftarrow h(\text{next}) - h(\text{current})$
5. If $\Delta h > 0$ then current \leftarrow next, goto 3
6. current \leftarrow next with probability $e^{\Delta h/T}$ or goto 3
7. Reduce T by some given schedule
8. If $T > 0$ goto 3, or terminate with current as solution

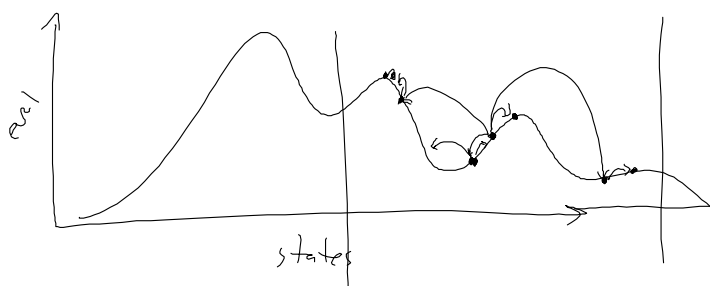
current
next
downhill is negative Δh
uphill is positive Δh



Random downhill move

Simulated Annealing

- Define a neighborhood
- If you find a successor better do it
- Prob you also move downhill
→ decreases as time goes on



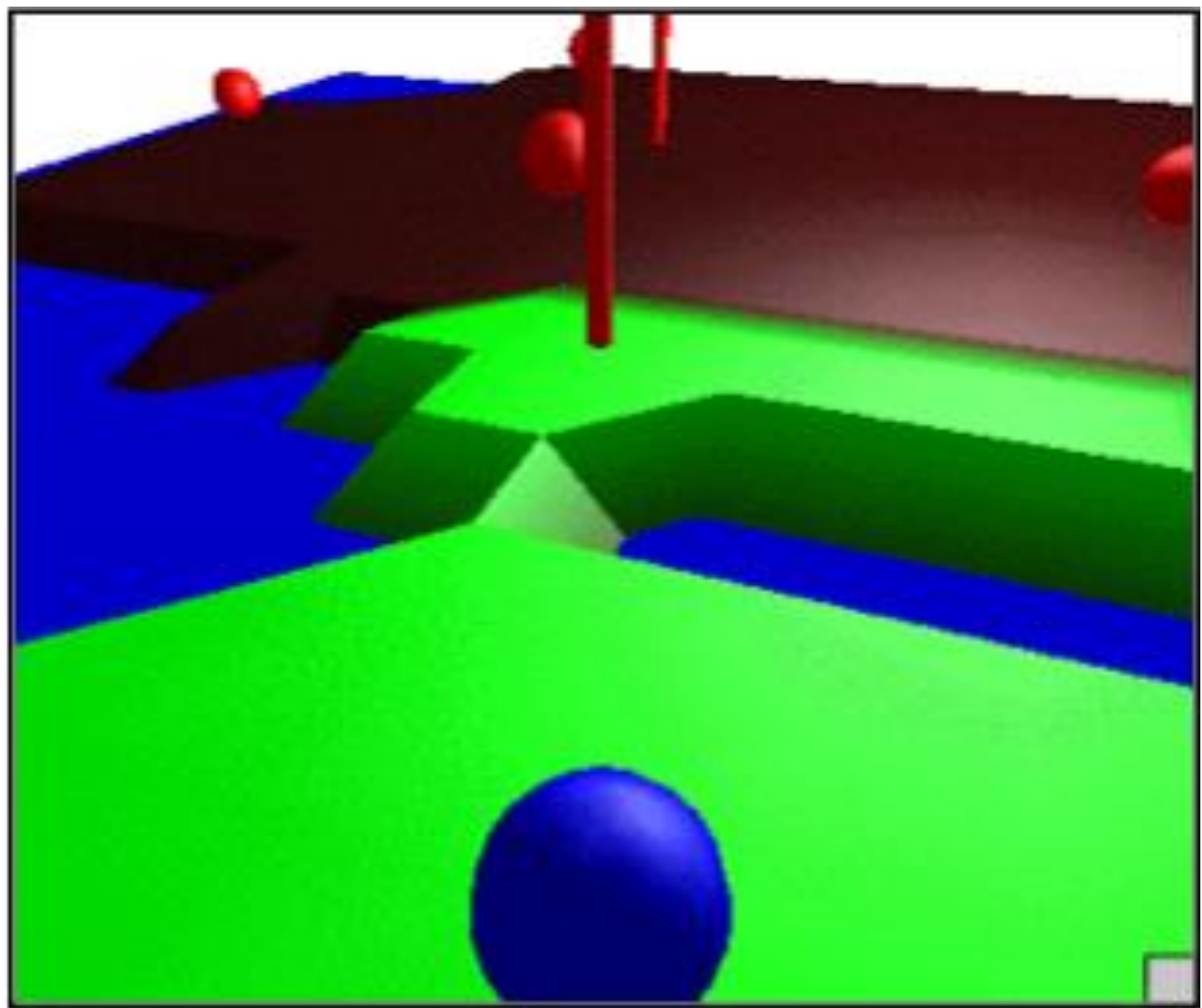
Temperature variable - decreases over time
How fast to decrease?

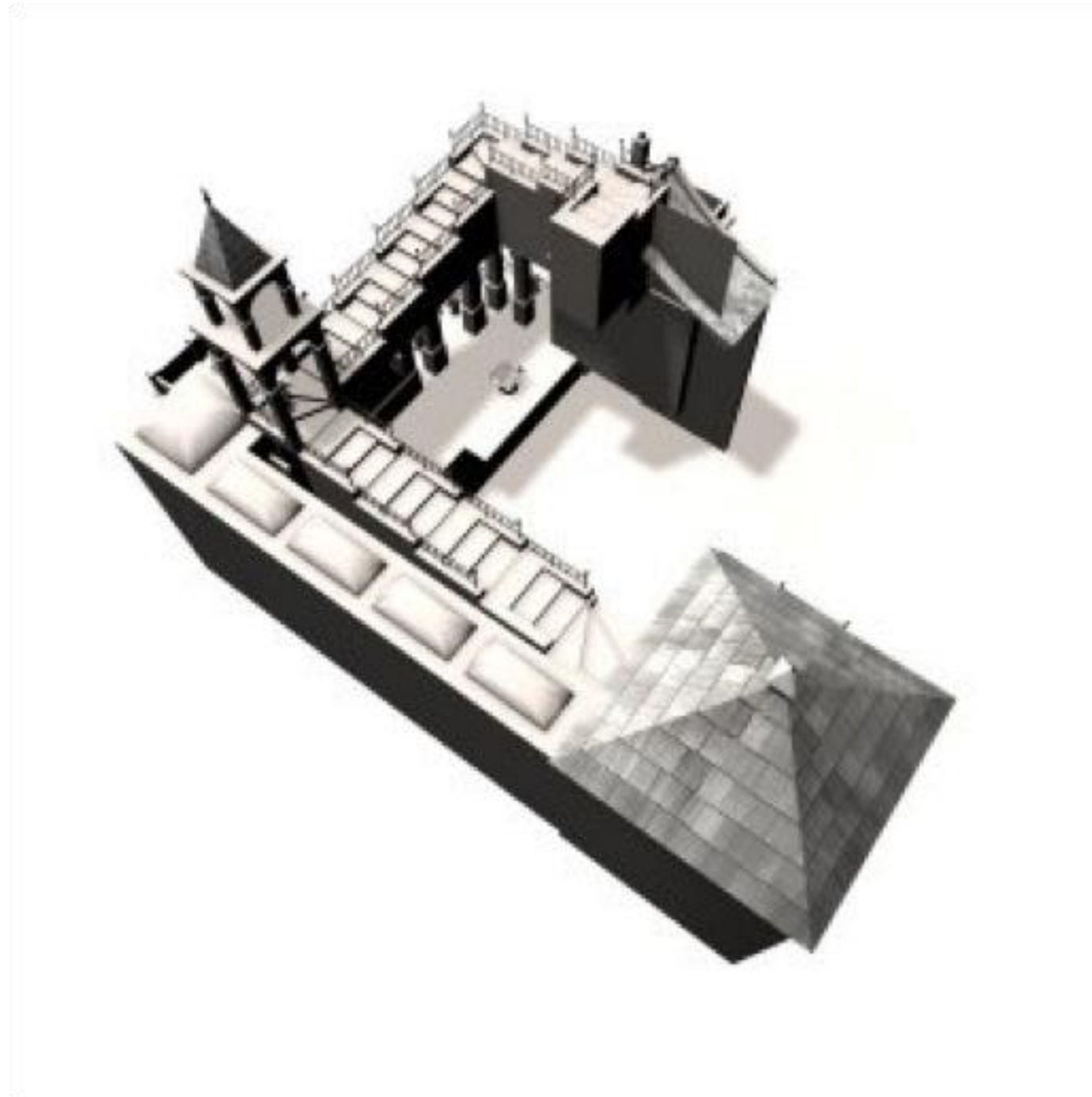
Tradeoff: time & quality of solution

Decrease slow enough → increase likelihood of a good solution

Satisficing Search - any alg where more time \rightarrow better quality solution
- okay to return sub-optimal solution

Just-in-time - Can be interrupted at any time
and still return some solution





Halper and Olivier. (2000). Smart Graphics.

