

ELT 061 – Dispositivos e Circuitos Eletrônicos Básicos

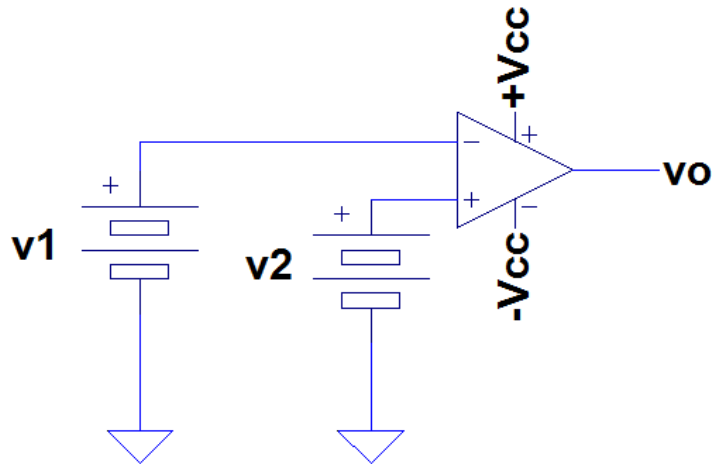
Circuitos Comparadores & Osciladores Senoidais

Referência: Sedra Smith, 5 edição
Capítulo 13



DEPARTAMENTO DE ENGENHARIA ELETRÔNICA
UNIVERSIDADE FEDERAL DE MINAS GERAIS

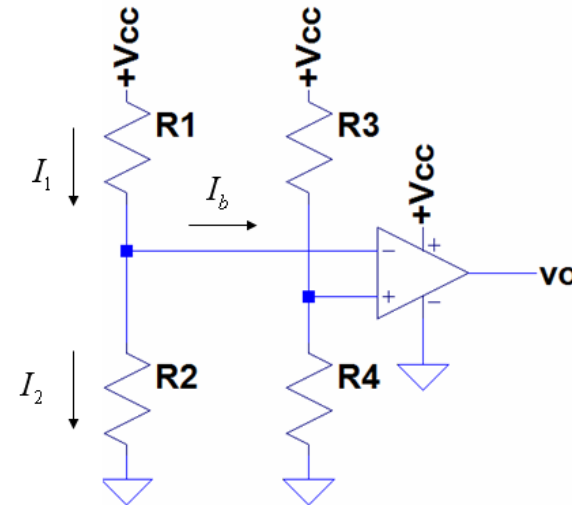
Circuitos Comparadores



$$v_o = (v^+ - v^-) \cdot A_d$$

$$v_o \rightarrow +V_{cc}, \text{ se } v_2 > v_1$$

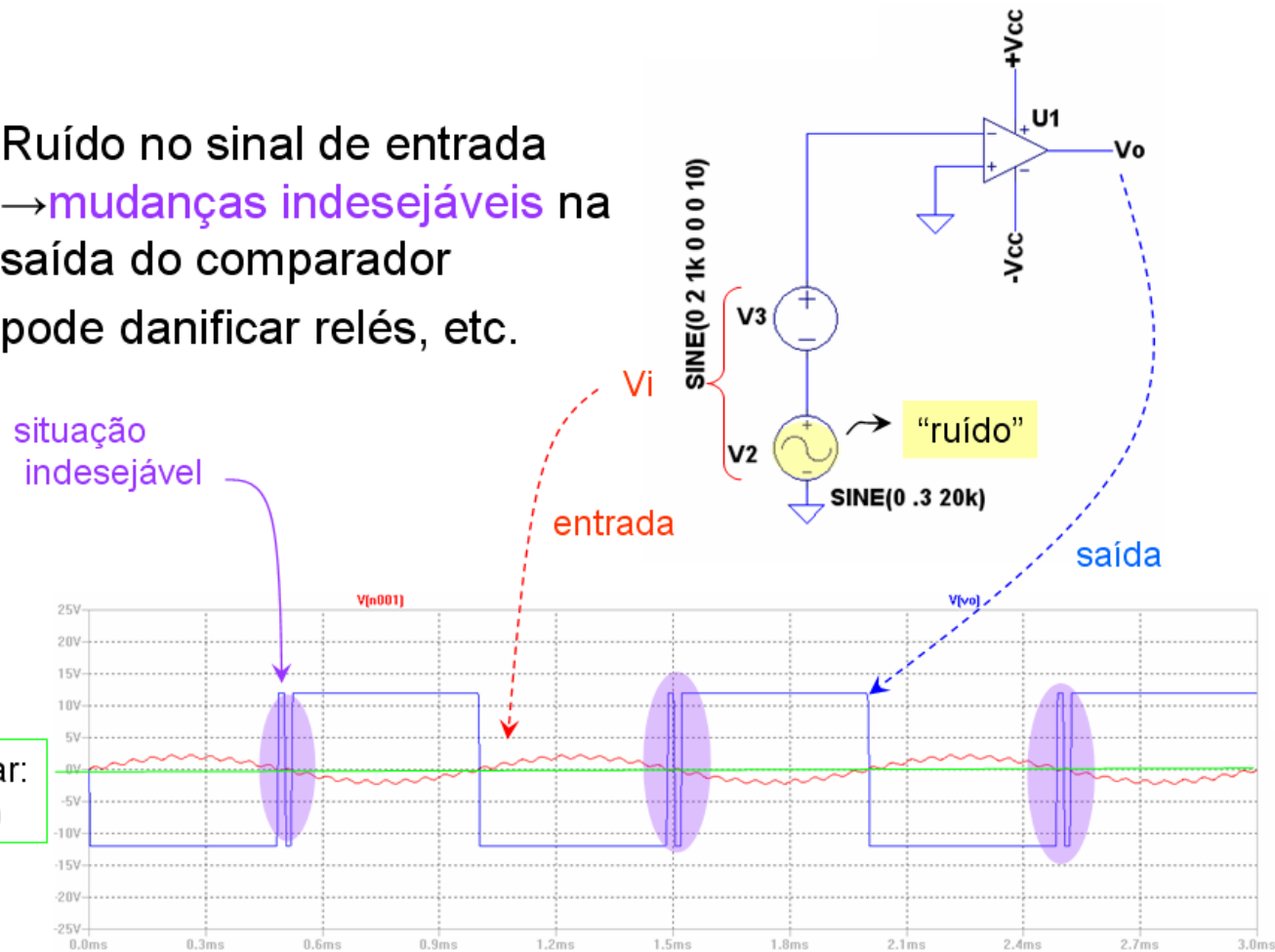
$$v_o \rightarrow -V_{cc}, \text{ se } v_2 < v_1$$



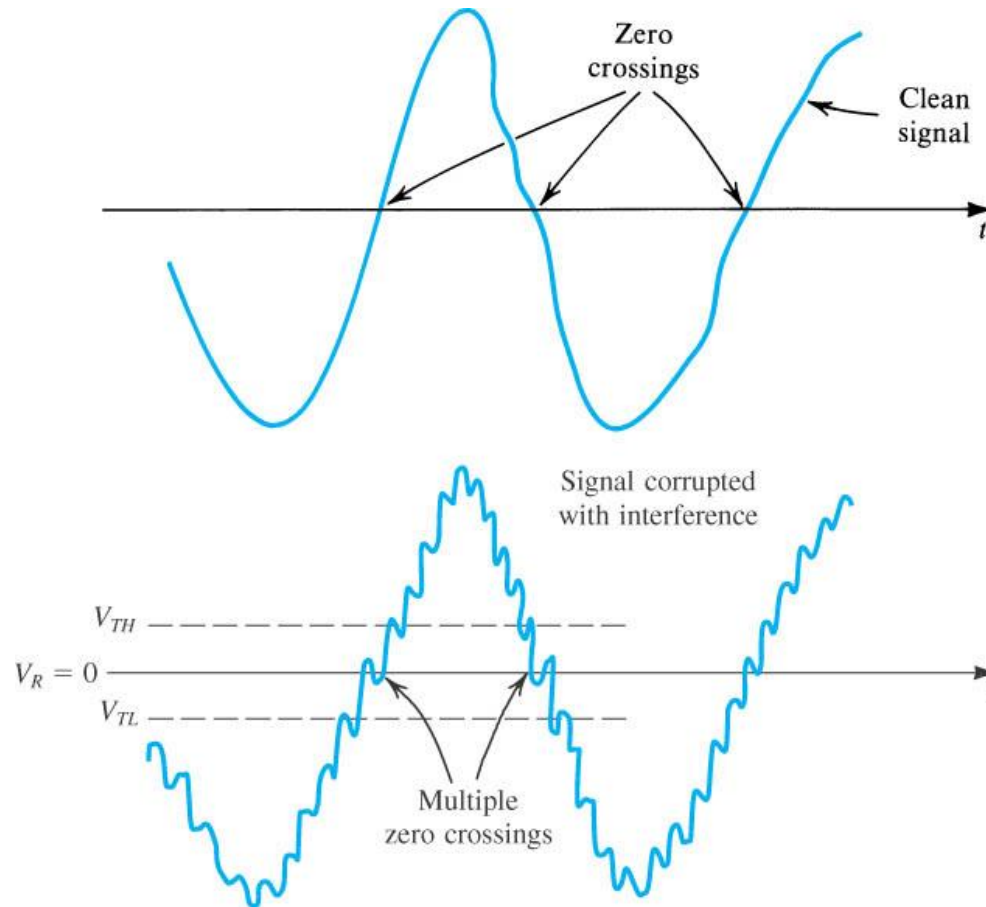
$$v^- \approx V_{cc} \frac{R_2}{R_1 + R_2}, \quad v^+ \approx V_{cc} \frac{R_4}{R_3 + R_4}$$

Circuitos Comparadores

- Ruído no sinal de entrada
→ **mudanças indesejáveis** na saída do comparador
- pode danificar relés, etc.

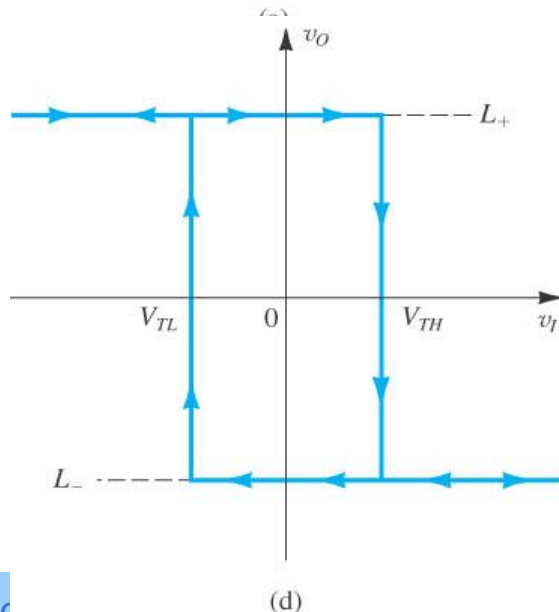
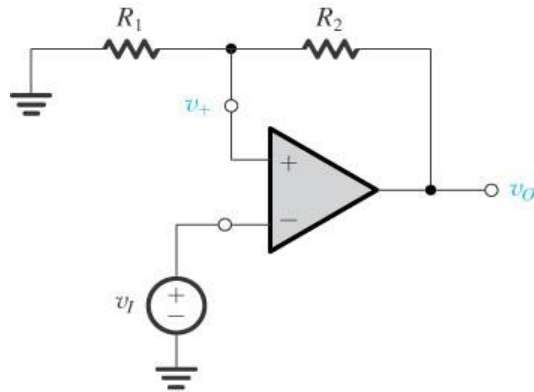


Circuitos Comparadores

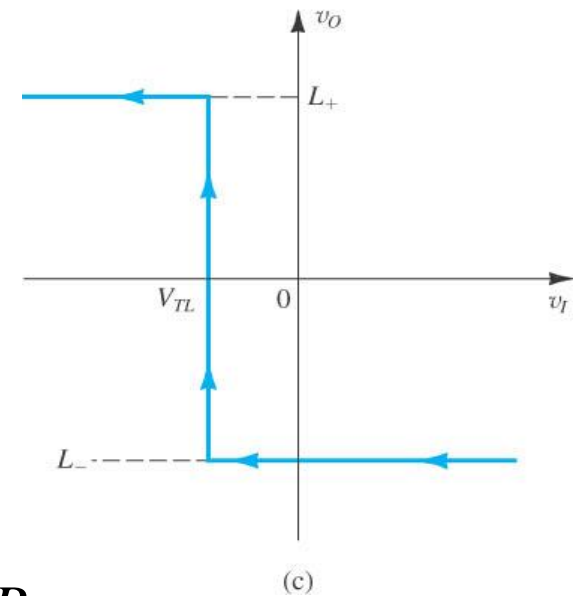
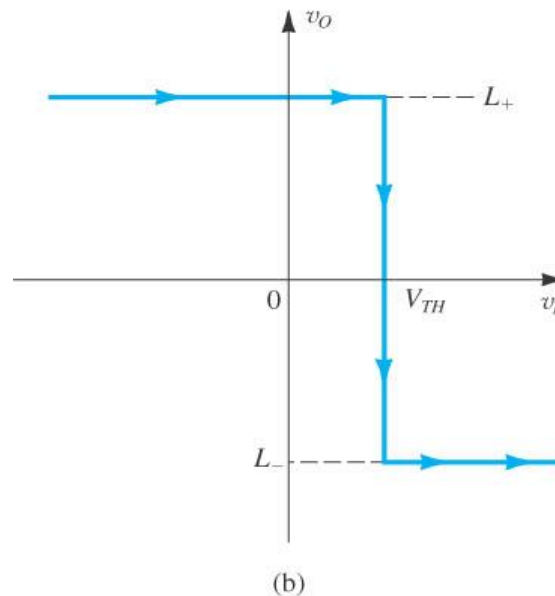


Circuitos Comparadores com histerese

v^+ é comprado com v_i



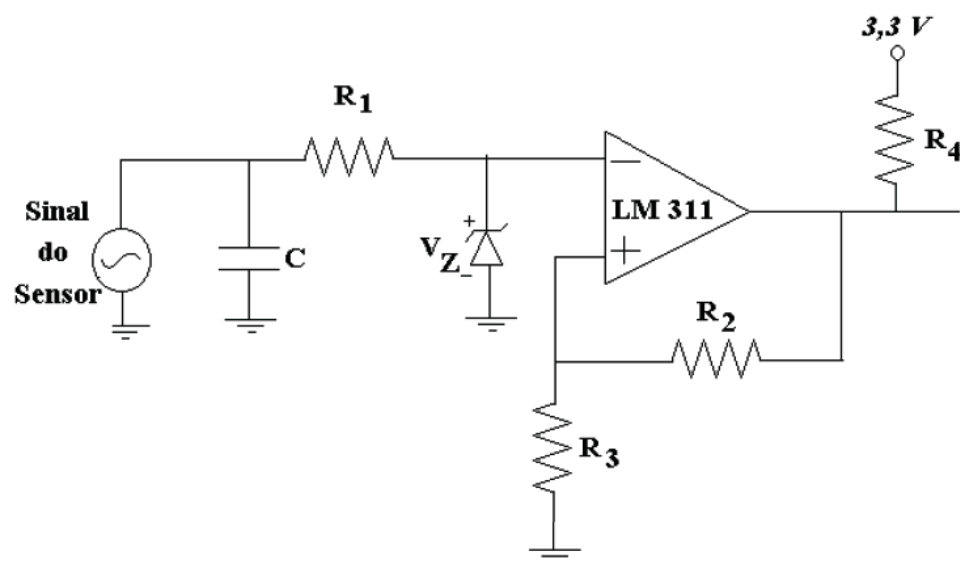
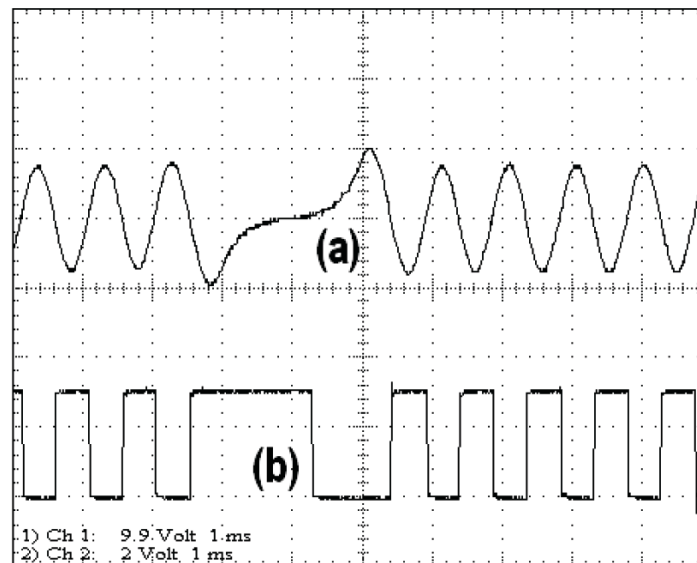
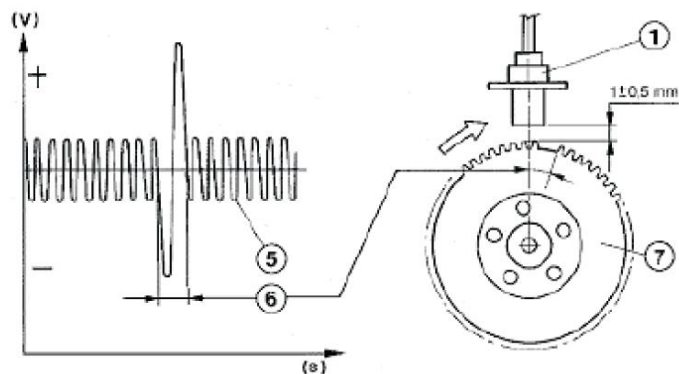
$$v^+ = \frac{R_1}{R_1 + R_2} v_0$$

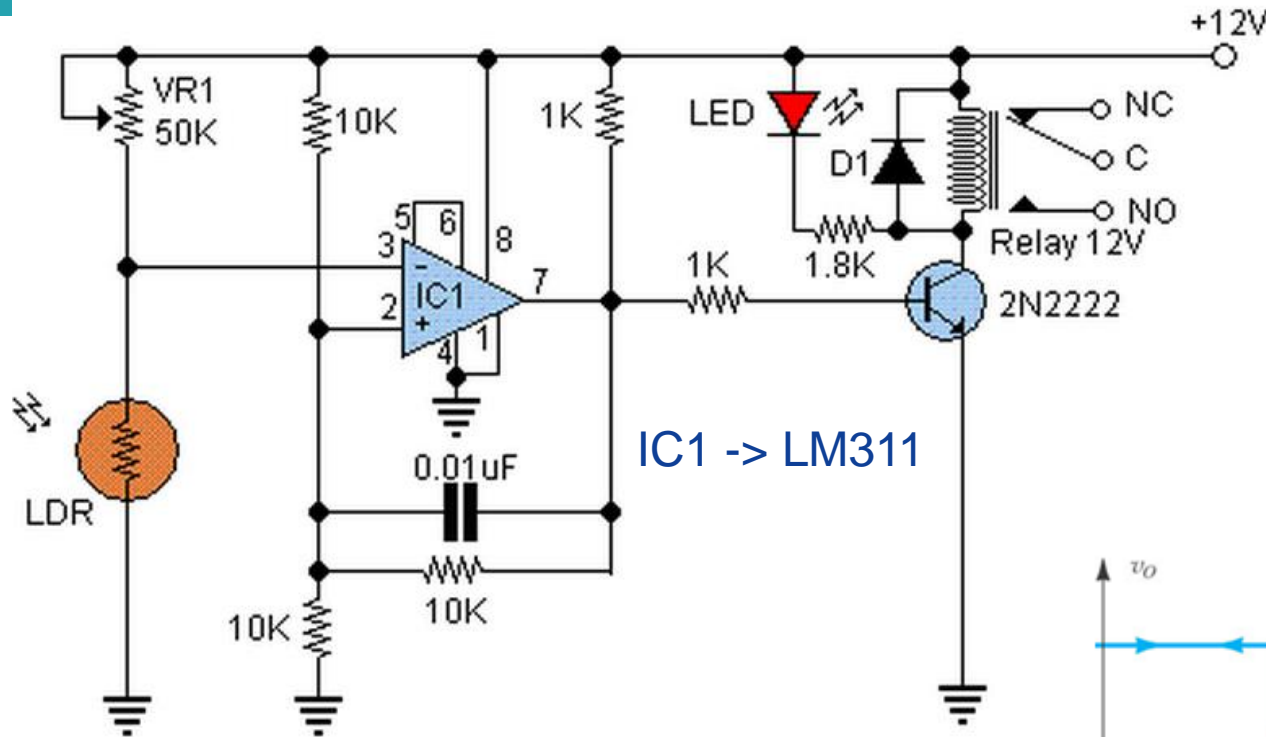


$$V_{TH} = \frac{R_1}{R_1 + R_2} L_+$$

$$V_{TL} = \frac{R_1}{R_1 + R_2} L_-$$

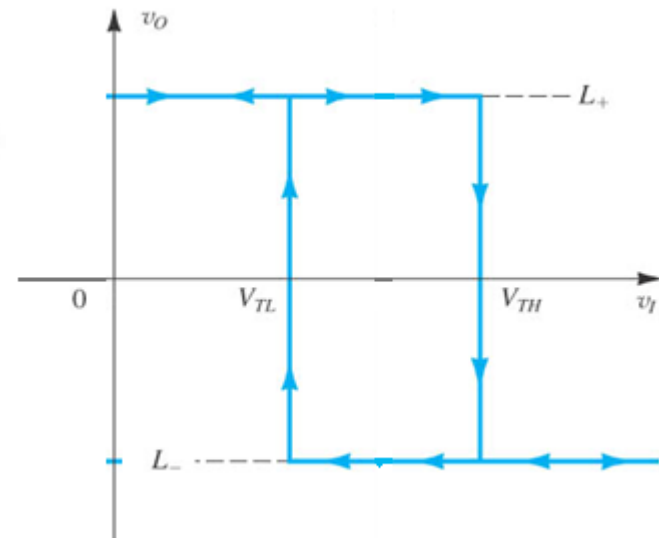
Circuitos Comparadores com histerese





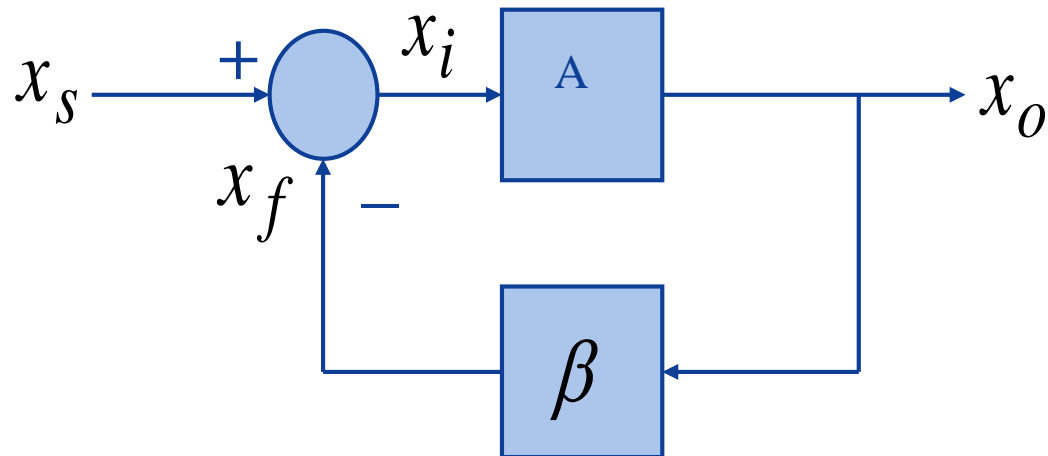
$$V_{TH} = \frac{10\text{k}\Omega}{15\text{k}\Omega} 12\text{V} = 8\text{V}$$

$$V_{TL} = \frac{5\text{k}\Omega}{15\text{k}\Omega} 12\text{V} = 4\text{V}$$



Osciladores Senoidal

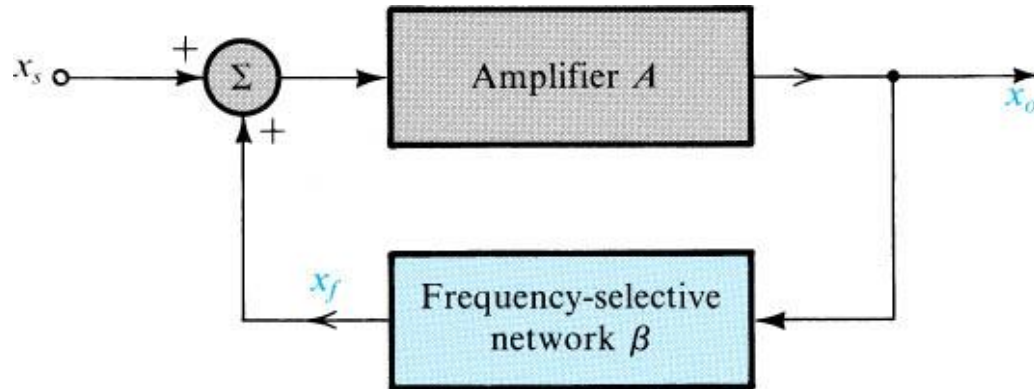
Realimentação negativa



$$A_f(s) = \frac{A(s)}{1 + \beta(s)A(s)}$$

Critério de oscilação

Realimentação Positiva



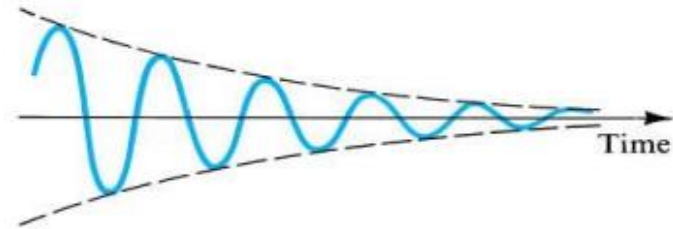
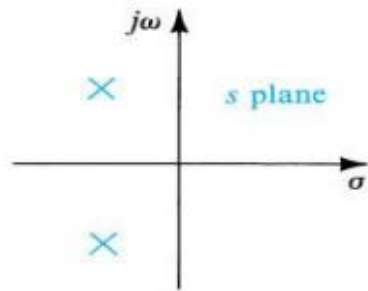
$$A_f(s) = \frac{A(s)}{1 - \beta(s)A(s)}$$

$$L(s) \equiv \beta(s)A(s)$$

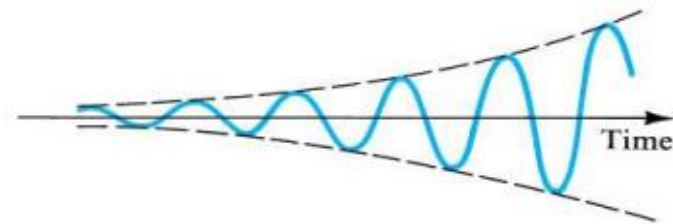
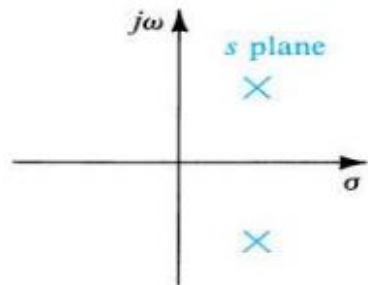
$$L(jw_o) \equiv \beta(jw_o)A(jw_o) = 1 \angle 0^0$$

Em w_o a fase do ganho de malha deve ser zero e a amplitude deve ser unitário

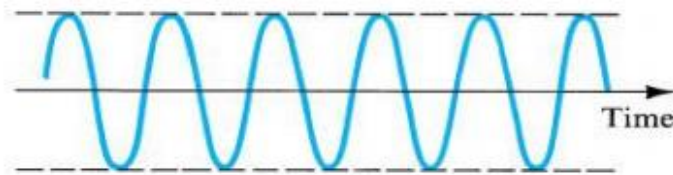
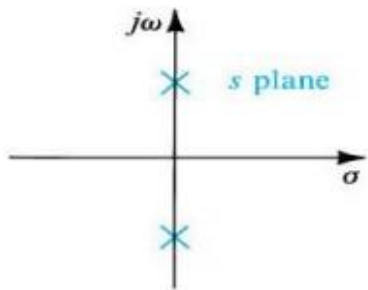
Critério de oscilação



(a)

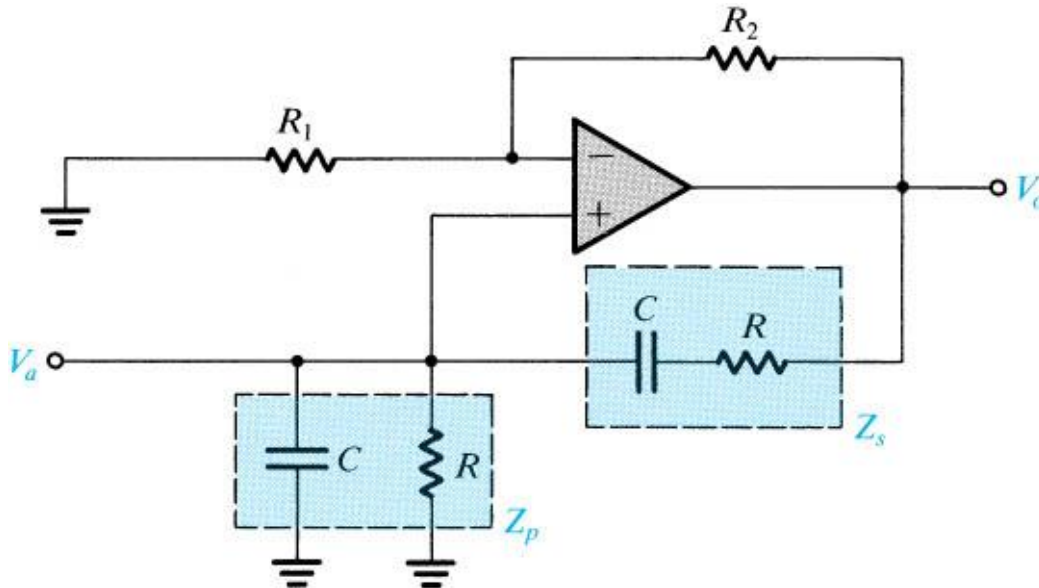


(b)



(c)

Oscilador em ponte Wien



$$L(s) = \left[1 + \frac{R_2}{R_1} \right] \frac{Z_p}{Z_s + Z_p} = \frac{1 + \frac{R_2}{R_1}}{3 + sCR + \frac{1}{sCR}}$$

Oscilador em ponte Wien

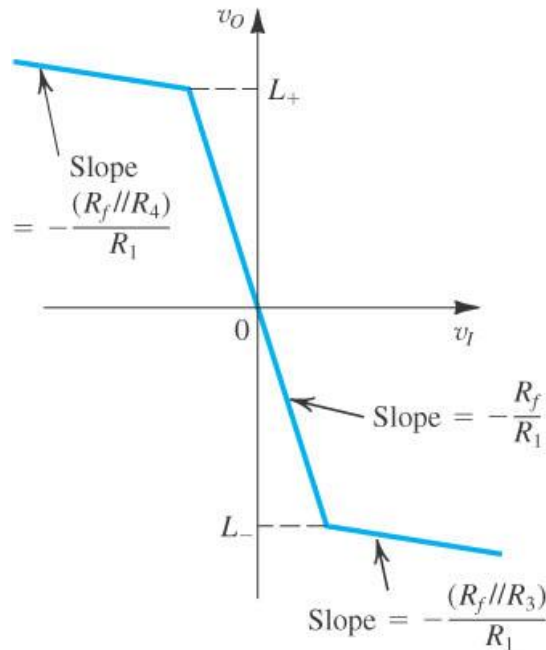
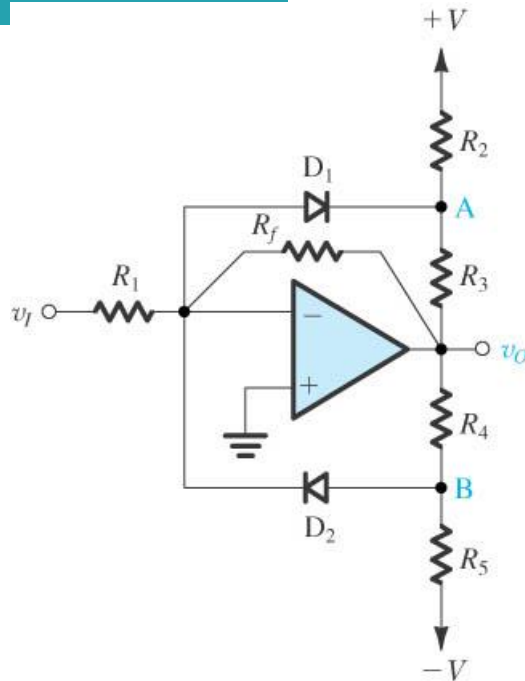
$$L(jw_o) \equiv \beta(jw_o)A(jw_o) = 1 \angle 0^\circ$$

$$L(jw) = \frac{1 + \frac{R_2}{R_1}}{3 + j\left(wCR - \frac{1}{wCR}\right)}$$

$$w_0 CR = \frac{1}{w_0 CR} \qquad w_0 = \frac{1}{CR}$$

$$\frac{R_2}{R_1} = 2$$

Oscilador em ponte Wien



$$v_A = V \frac{R_3}{R_3 + R_2} + v_o \frac{R_2}{R_3 + R_2}$$

$$v_B = -V \frac{R_4}{R_4 + R_5} + v_o \frac{R_5}{R_4 + R_5}$$

$$L_- = -V \frac{R_3}{R_2} - v_D \left(1 + \frac{R_3}{R_2} \right)$$

$$L_+ = V \frac{R_4}{R_5} + v_D \left(1 + \frac{R_4}{R_5} \right)$$

Oscilador em ponte Wien

$$\omega_0 = \frac{1}{CR} = \frac{1}{16\text{nF} * 10\text{k}\Omega} = 6250\text{rad/sec}$$

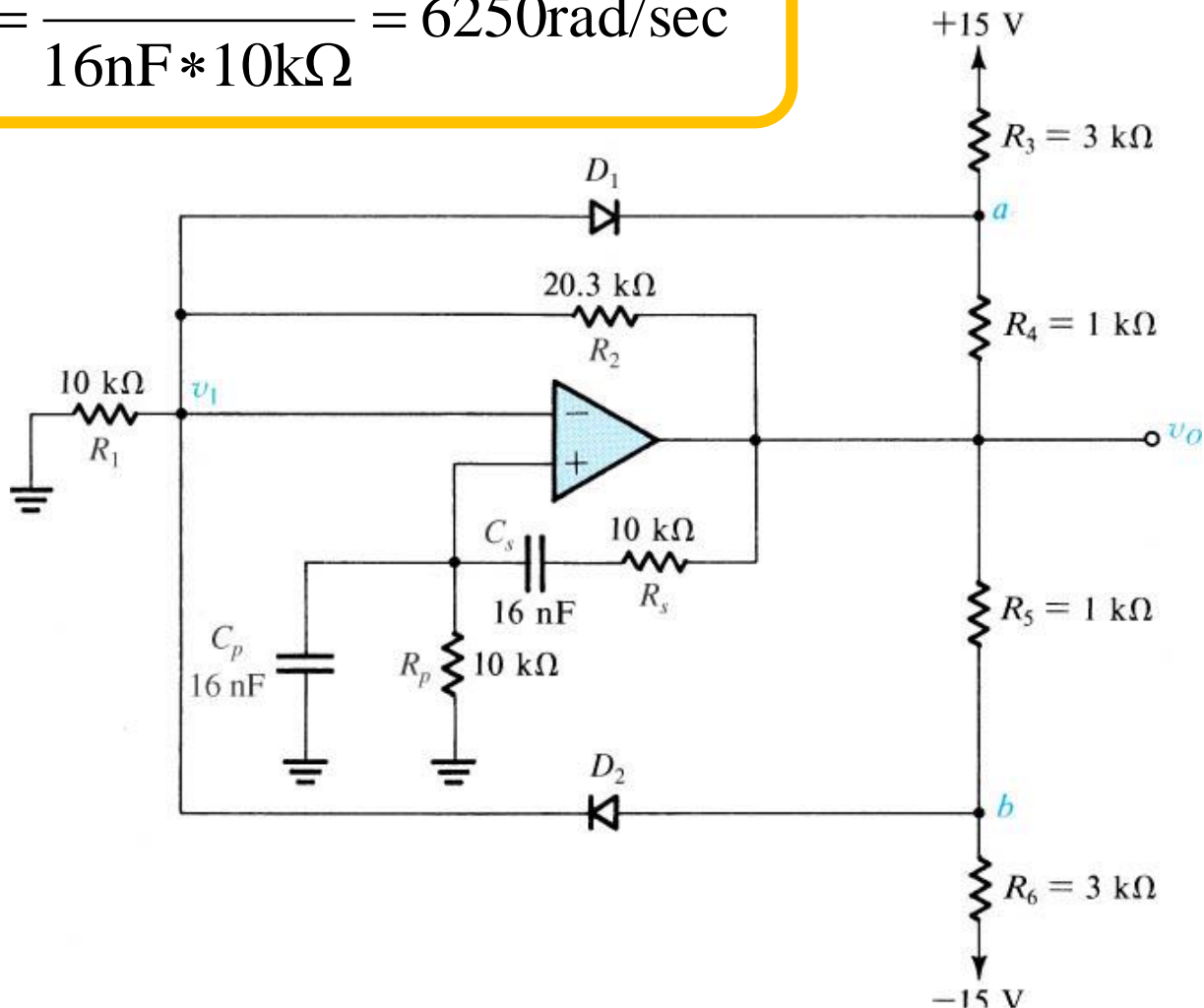
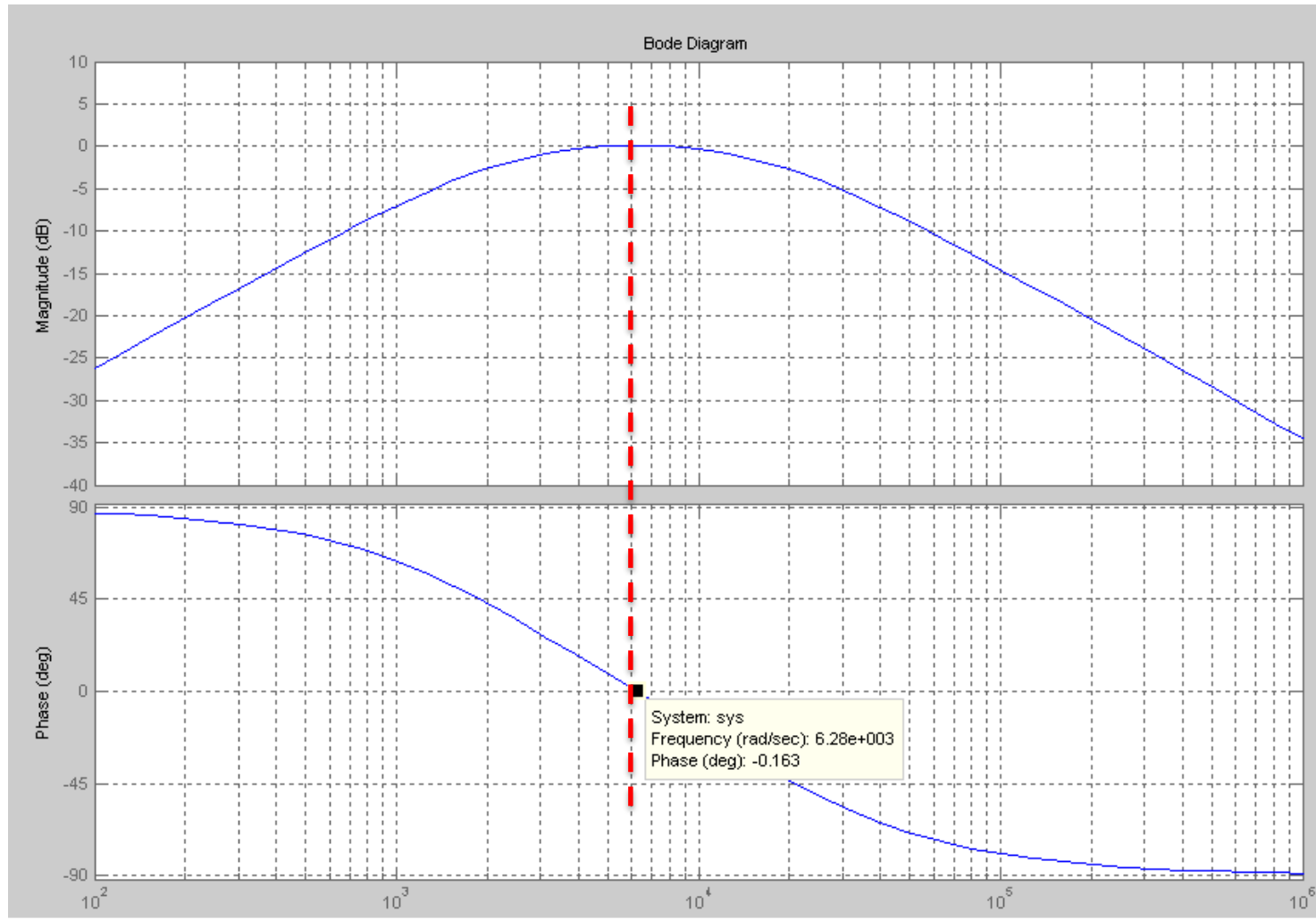
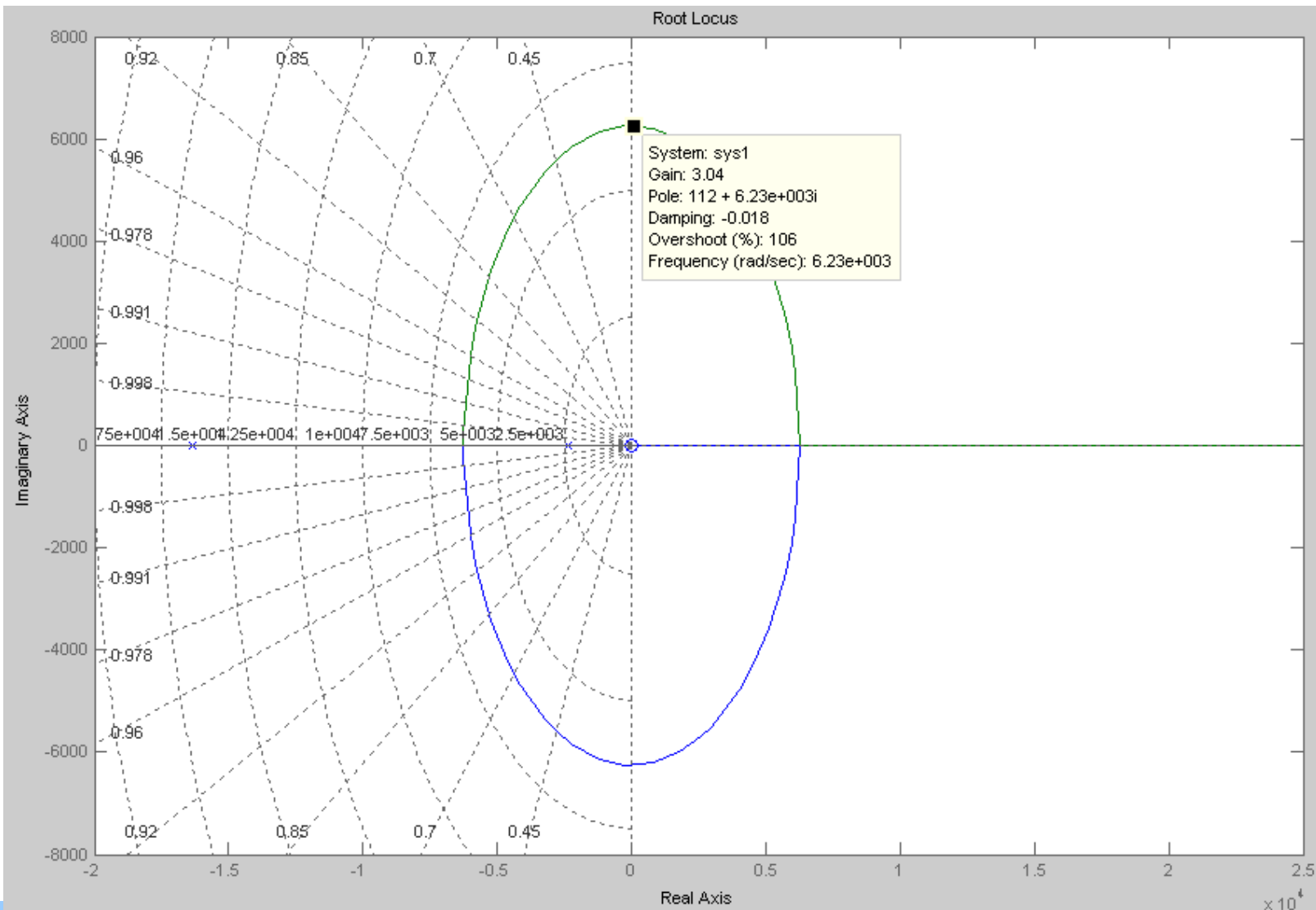


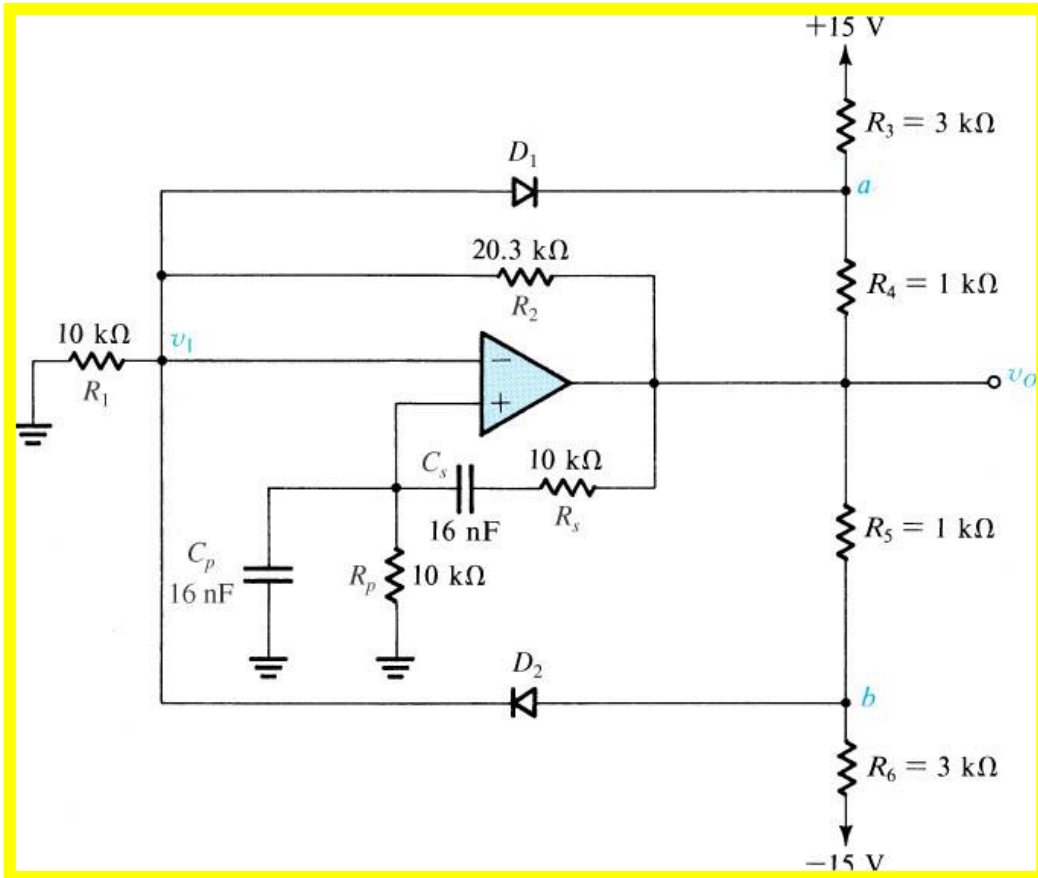
Diagrama de Bode



Lugar das raízes em malha fechada



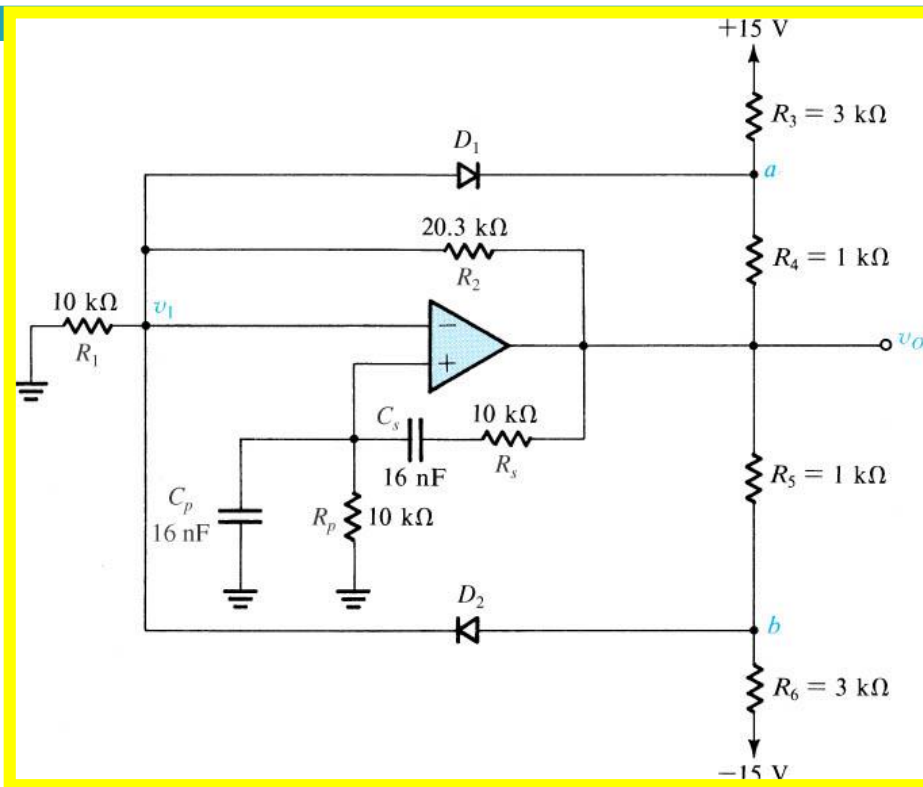
Oscilador em ponte Wien



$$\frac{v_{o\max} - v_b}{R_5} = \frac{v_b - (-V)}{R_6}$$

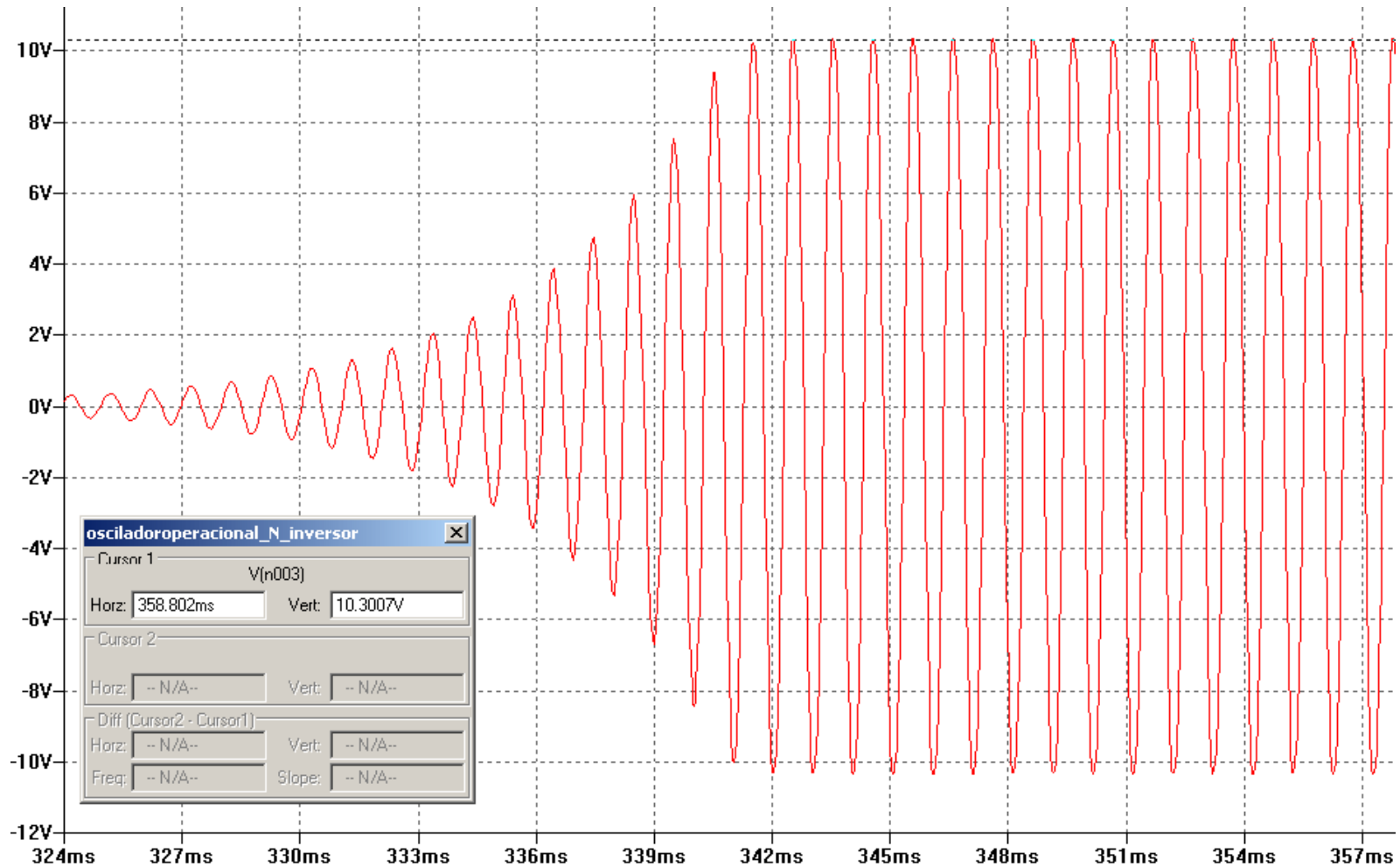
$$v_b = v_1 + v_{D2} = v_{o\max} \frac{R_1}{R_1 + R_2} + v_{D2}$$

Oscilador em ponte Wien



$$v_{o \max} \cong \frac{3 \left[\left(1 + \frac{R_6}{R_5} \right) v_{D2} + V \right]}{\left(\frac{2R_6}{R_5} + 1 \right)}$$

Oscilador em ponte Wien



Oscilador em ponte Wien

