

Step Functions: Intuition

- Polynomials impose a mathematical structure in the model
- Complex mathematical structures generally provide good fit in the training data but often perform poorly with test data, especially in the tail ends ("wagging the tail").
- If we note patterns in scatterplots showing that relationships **shift** at various **ranges** of the data, a step function breaking up the data into such sections may provide better predictions
- Step functions are pretty simple, the function predicts a mean value for each section
- For example, if predicting wage as a function of age, perhaps you notice that wages are generally higher after the age of 35, but then they tend to be lower after the age of 65. A step function will predict an average wage for age <35, another for 35 <= age < 65 and another for age >= 65

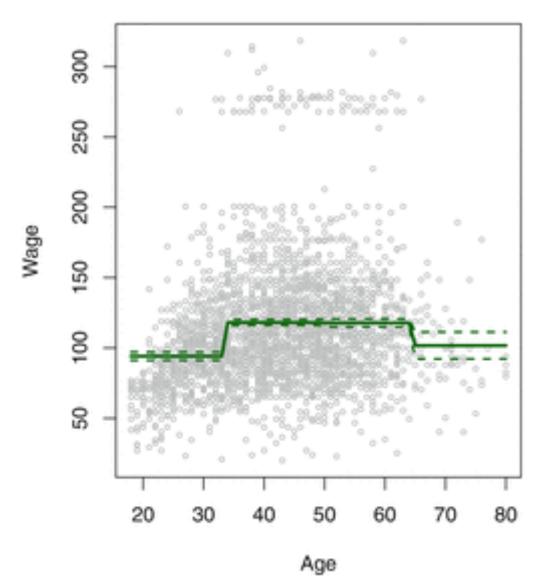




Step Function Illustration

Example:

Wage = \$95K for Age < 35 Wage = \$150K for 35 <= Age < 65 Wage = \$105K for Age >= 65









cut () → Function to partition the data for step functions

fit.step=lm(y~cut(x,4),data=dataName) \rightarrow Cuts x into 4 equal segments





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