Week-14: Course wrap-up

phase IV

What we have notably studied

- > R and data science-oriented environment (tidyverse).
- Descriptive statistics.
- Foundations to Null Hypothesis Significance Testing.
- Inferential statistics for different problem designs (e.g. one continuous variable, two continuous variables, etc).
- Modelling relationship with regression.
- Nonparametric inferential testing.
- Multiple testing correction.

EFFECT SIZES

- We should not rely solely on p-values to guide our research conclusions: enough large sample sizes can almost any result significant.
- Our results should be reported along with measures that quantify the size of the effect studied without taking sample size into account.
- > E.g. **Cohen's** *d* for one- and two-sample t-tests:

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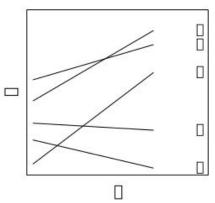
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$$t = \frac{\hat{\mu}_1 - \hat{\mu}_2}{\hat{\sigma}/\sqrt{N}} \longrightarrow d = \frac{\hat{\mu}_1 - \hat{\mu}_2}{\hat{\sigma}}$$

MODELS FOR CLUSTERED OR PANEL DATA

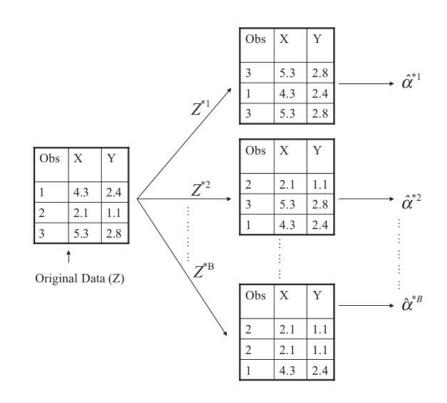
- Sometimes, our data might have some inherent underlying structure (e.g. a population of students from different schools).
- We may want to incorporate this structure to the parameter estimation (Mixed-effects models)
 Varying intercepts and slopes

$$y_i = \alpha_{j[i]} + \beta_{j[i]}x_i + \epsilon_i$$
, for students $i = 1, ..., n$
 $\alpha_j = a_0 + b_0u_j + \eta_{j1}$, for schools $j = 1, ..., J$
 $\beta_j = a_1 + b_1u_j + \eta_{j2}$, for schools $j = 1, ..., J$.



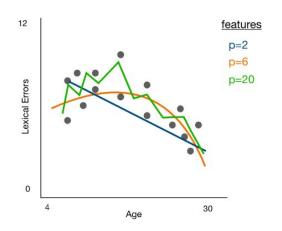
BOOTSTRAPPING

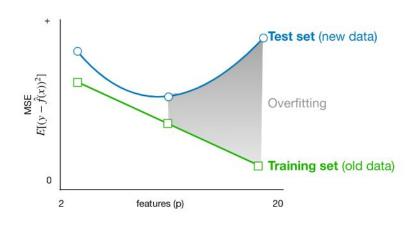
- It is a powerful resampling method that allows you to simulate the sampling distribution of any measure assuming that your population looks the same as your sample.
- Very useful for instance to build confidence intervals without relying to any specific distribution.



EFFECTS GENERALIZABILITY

- > The model that best describes our data needs not to behave well on new data!
- We need models with the appropriate complexity that generalize well. (Sign up for Prof. Verstynen's course on Data Science!)





BAYESIAN STATISTICS

- The statistics covered in this course belongs to what is called frequentist perspective.
- > Frequentist statistics: probabilities are inherent properties of the system.
- Bayesian statistics: probabilities are measure of uncertainty or subjective belief in the outcomes.

BAYESIAN STATISTICS

In contrast to frequentists, bayesians can estimate probabilities for the hypotheses!

$$P(H|D) = \frac{P(D|H) \cdot P(H)}{P(D)}$$
 Posterior Evidence

THE END

"Statistical thinking will one day be as necessary for efficient citizenship as the ability to read and write."

Samuel S. Wilks

