# Read-me for plots in 'param 28 31 32 33 compare'

#### August 21, 2018

These plots are to compare the effects of translating  $\Delta V$  in the  $\phi$  direction. Each plot compares several runs with the same initial conditions and uses a  $\Delta V$  that differs only in the choice of  $\phi_p$ .

The idea was to try to distinguish between the behaviour when sub-horizon fluctuations are and are not present. Two main difficulties in comparing between runs are:

- Since the width of  $\Delta V$  is dependent on  $\phi$ , changing  $\phi_p$  will change the amount of time for which the instability will act (since  $\dot{\phi}$  is not constant). This means the amount of growth experienced by a  $\chi$  fluctuation depends indirectly on the choice of  $\phi_p$ .
- Changing the  $\phi_p$  allow the initial fluctuations to evolve for a different amount of time, so comparing between runs on a per trajectory basis is not straight forward.

#### potential

This plot shows the potentials being considered in the rest of the plots.  $\Delta V$  differs only in the choice of  $\phi_p$ .

### • horizon

This plot compares the horizon to lattice spacing, vertical lines show the location of  $\Delta V$ .

### • sampled trajectories phidot wdv

This plot shows  $\phi$  for the different choices of  $\phi_p$ . The bump after the vertical blue line is related to  $|V_{,\phi}|$  decreasing by differing amounts along different trajectories due to the  $\chi$  dependence of  $\Delta V_{,\phi}$ .

### • sampled trajectories phidot dif

Similar to the above plot, but with the  $\Delta V = 0$  contribution subtracted off. I think the shape of these plots is what would be expected from the slow-roll approximation and the shape of  $V_{,\phi}$ , as the shape of  $V_{,\phi}$  goes from negative to positive when  $\phi > \phi_p + b$  where b is the standard deviation of the Gaussian envelope of  $\Delta V$ .

## • sampled trajectories chi wody

This plot shows  $\chi_{\Delta V=0}$  with vertical lines showing the location of  $\Delta V$ . In the top subplot  $\Delta V$  before the initial  $\chi$  fluctuations have frozen, while in the bottom subplot  $\Delta V$  acts at as the initial  $\chi$  fluctuations are freezing.

## $\bullet \ sampled\_trajectories\_chi\_dif \\$

Comparing between the subplots there are two obvious differences: the overall amplitude, and the shape of the tail at low  $\phi$ . I think the change in overall amplitude is due to different values of  $\dot{\phi}$ . For the top subplot initial conditions are after  $\Delta V$  has started to turn on, so the magnitude of the  $\chi$  fluctuations is smaller than it otherwise would be. In the top subplot ( $\Delta V$  before the initial  $\chi$  fluctuations have frozen) the trajectories do not spread in the tail, whereas in the other three subplots trajectories show various amounts of fanning out. Given these plots I can't tell if the spreading of the tail is a function of the overall amplitude of the  $\chi$  fluctuations or something to do with where  $\Delta V$  is applied.

### • sampled trajectories zeta wdv

This plot shows  $\zeta$  as calculated along a sample of trajectories. In the top subplot, the magnitude of  $\zeta$  due the  $\chi$  fluctuations put in at initial condition is of the same order as  $\zeta$  generated by  $\Delta V$  (compare to 'sampled\_trajectories\_zeta\_dif'). In the other three subplots  $\zeta$  generated by  $\Delta V$  is the dominant effect. My guess is the difference in the magnitude of  $\zeta$  between the different subplots is due to the difference in magnitude of  $\chi$  fluctuations between the different  $\Delta V$ 's.

#### • mean zeta wdv

This plot is of  $\zeta$  averaged over the lattice. The step is more abrupt for the subplots where  $\Delta V$  is applied earlier, I'm not sure why this is.