

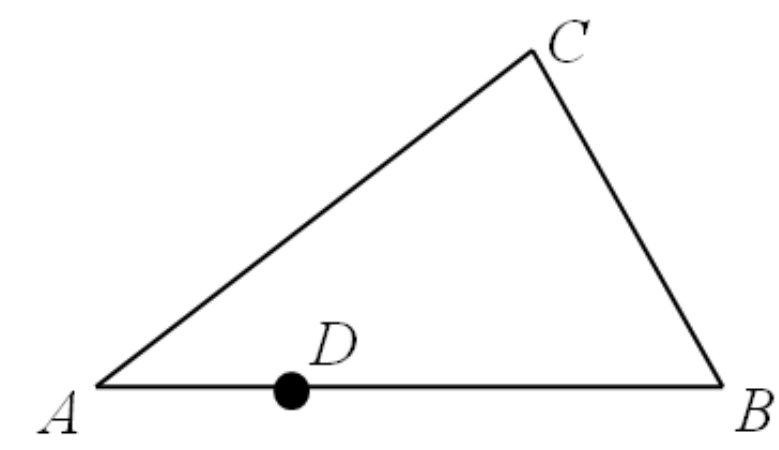
# Problem C

## "Center" of [p]erimeter midpoints

When I was a high school student, I learned that given a triangle  $ABC$ , denote  $D$ ,  $E$ ,  $F$  as the midpoints of  $AB$ ,  $BC$  and  $CA$ , then three segments  $CD$ ,  $AE$ ,  $BF$  intersect at one point: the centroid.

Then I thought about the following question: if we change "midpoint" by "perimeter midpoint", can  $CD$ ,  $AE$ ,  $BF$  still intersect at one point?

To be precise, if  $CA + AD = DB + BC$ , we say  $D$  is the "perimeter midpoint" on  $AB$ .



It's not difficult to see that there is exactly one such point lying strictly inside the segment  $AB$ . Point  $E$  and  $F$  are defined similarly and also have unique positions.

Help (the younger) me to find out the answer!

## Input

The first line contains the number of test cases  $T$  ( $T \leq 100$ ). Each test case contains 6 integers  $x_1, y_1, x_2, y_2, x_3, y_3$ , whose absolute values do not exceed 100. These integers represent three non-collinear points  $A(x_1, y_1)$ ,  $B(x_2, y_2)$ ,  $C(x_3, y_3)$ .

## Output

For each test case, if  $CD$ ,  $AE$ ,  $BF$  intersect at one point, print the position of the intersection to 6 decimal places. Otherwise print "ERROR" (without quotes).

## Sample Input

```
2
-1 0 1 0 0 1
0 0 5 0 3 3
```

## Output for the Sample Input

Case 1: 0.000000 0.171573

Case 2: 2.362911 0.665041

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*Rujia Liu's Present 6: Happy 30th Birthday to Myself*

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