



Announcements

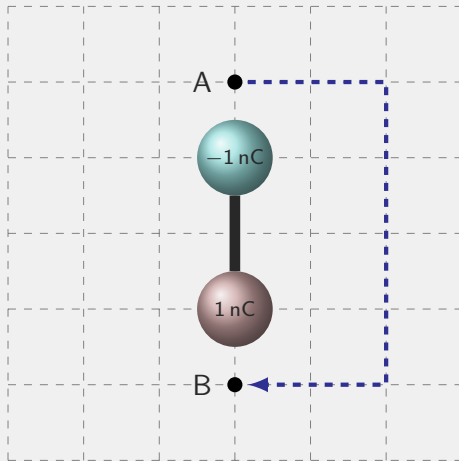
- Homework
 - Online HW10 due tonight
 - Video HW over the weekend
- Grade reports either out now or are going to go out this weekend
 - Lab scores won't be factored in probably
 - Mistakes or something missing? Let me know!
- Physics Fridays!
 - Physics Tea at 3pm today!
 - I don't think there is a speaker today
- Polling: `rembold-class.ddns.net`



Review Question!

You start a short distance above the dipole to the right at point A. If you follow the path to point B, what is your change in potential? Each grid line corresponds to 1 m.

- A. -6 V
- B. 6 V
- C. 9 V
- D. 12 V

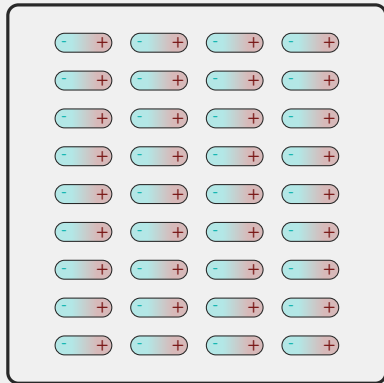


Solution: 12 V



Potential and Insulators

- Can be difficult to determine a net induced electric field inside an insulator
 - Efield points left then right as you pass by the induced dipoles
- Potential difference and loop rules can tell us that it must be pointing to the left! (in this image)
- Strength of this induced electric field determined by the dielectric constant





It's Dielectrical!

- Related to the polarizability:

$$\vec{p} = \alpha \vec{E}$$

- Gives the **net** electric field inside the conductor
 - Slightly less than the applied electric field

$$\vec{E}_{net,insulator} = \frac{\vec{E}_{applied}}{K}$$

where K is the dielectric constant

- K must be 1 or larger
- For a capacitor, a change in \vec{E} implies the same change in ΔV :

$$\Delta V_{insulator} = \frac{\Delta V_{vacuum}}{K}$$



Partial Capacitor

Suppose we have a capacitor in which the two plates are separated by a distance of 1 cm and have a potential difference of 10 V. We then slide a 2.5 mm thick piece of glass between the plates, which has a dielectric constant of 2.8. What is the new potential difference between the two plates?

Solution: 8.39 V



Electric Fields store Energy!

- Have related energy to interacting charged particles
- Alternatively, could consider energy to be thing stored in electric fields!
 - Sometimes, especially going forward, this is an easier way to consider things
- Consider a capacitor with plates barely separated such that

$$E_{\text{one plate}} = \frac{(Q/A)}{2\epsilon_0}$$

- Exerts a force on the other plate, and could move it a small distance, doing work:

$$F = QE_{\text{one plate}} \Rightarrow W = \Delta U = F\Delta s = Q \left(\frac{(Q/A)}{2\epsilon_0} \right) \Delta s$$



The Energy Density

- Can rearrange:

$$\Delta U = Q \left(\frac{Q}{2A\epsilon_0} \right) \Delta s = \frac{1}{2} \underbrace{\left(2 \cdot \frac{Q}{2A\epsilon_0} \right)^2}_{\text{E inside capacitor}} \epsilon_0 A \Delta s$$

- Since $A\Delta s = \Delta(\text{volume})$, we have

$$\frac{\Delta U}{\Delta(\text{volume})} = \frac{1}{2} \epsilon_0 E^2$$

- Called the **energy density**
- Describes more fundamental way of associating energy with fields



Capacitor Breakdown

A circular capacitor has a radius of 10 cm and the plates are spaced 1 cm apart. Both plates are initially neutral. How much work will it take to charge the plates to the point where a spark will jump across the plates? The electrical field breakdown point for air is about $3 \times 10^6 \text{ V/m}$.

Solution: 12.5 mJ

$u=3$
 $u=2$
 $u=1$

$E_3 = 3E_1$
 $E_2 = 4E_1$
 E_1

d

$h^2 = u^2 E_1$

$mg \downarrow$
 $mg \downarrow$

$|\vec{d}| = \frac{1}{4\pi\epsilon_0} \frac{dq}{r^2}$
 $= \frac{\lambda}{4\pi\epsilon_0} \frac{dx}{r^2}$

$d\vec{y} = \frac{\lambda}{4\pi\epsilon_0} \frac{dx}{r^2} \frac{y}{r}$
 $d\vec{E}_x = \frac{\lambda}{4\pi\epsilon_0} \frac{dx}{r^2} \frac{x}{r}$

$\Delta P = eQA(T_4 - T_0)$

$U = F_e r = F_r \sin \theta = F_L$
 $F_n \cdot x + F_g \cdot x = ma$
 $F_n \cdot x = 0; F_g \cdot x = F_n \sin \theta = mg \sin \theta$
 $ax = g \sin \theta$

$v^2 = 2gh$
 $v^2 = 2g \sin \theta \Delta x$
 $v^2 = 2gh$
 $v_s = \sqrt{2gh} \cdot \sin$

Upcoming:

Magnetic Fields

$|\psi|^2 = A^2 \exp(-\frac{x^2}{2\sigma^2})$
 $B(x) = \frac{\sqrt{x}}{\sqrt{\pi}} e^{-\sigma^2(x-x_0)^2}$

$\psi(\psi) = A \cos(k_0 x - \omega t)$

$|F| = \frac{1}{4\pi\epsilon_0} \frac{ze^2}{r}$
 $= \frac{mv^2}{r}$

$U_H = -\int \vec{B} \cdot (d\vec{r})$
 $U_H = E_H b = v d B b$
 $J = \frac{n}{V} q v d A$
 $b \frac{U}{V} = \frac{1}{A q v b} \int b d v d$
 $= \int \vec{J} \cdot d\vec{U}_H$

$E_{pot} = -\frac{1}{4\pi\epsilon_0} \frac{ze^2}{r}$
 $E_{kin} = \frac{1}{2} m v^2 = \frac{1}{2} \frac{1}{4\pi\epsilon_0} \frac{ze^2}{r}$
 $E_{pot} = -2 E_{kin}$

$E_{pot} = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r}$
 $= \frac{1}{4\pi\epsilon_0} \frac{ze^2}{r}$

$\frac{1}{s} = \frac{1}{s} + \frac{1}{s'}$
 $\frac{A'B'}{AB} = \frac{s'}{s}$

$F_2 = \frac{F_L}{2u}$
 $E = F_2 \cdot s$
 $= \frac{F_L}{u} \cdot u \cdot h$
 $FL = F_L \cdot h = m \cdot g \cdot h$
 $s = u \cdot h$

$\vec{B} = \vec{B}_2 + \mu_0 \vec{H} = \vec{B}_2 (1 + \chi_{mag})$
 $= \mu_{rel} \mu_0 \vec{H} = \mu \vec{H}$

$m_1 V_{1A} + m_2 V_{1B}$
 $= m_1 V_{2C} + m_2 V_{2D}$
 $\frac{1}{2} m_1 V_{1A}^2 + \frac{1}{2} m_2 V_{1B}^2 = \frac{1}{2} m_1 V_{2C}^2 + \frac{1}{2} m_2 V_{2D}^2$
 $\tan \theta = \frac{ax}{g}; a = g \tan \theta$
 $F_s = \frac{mg}{\cos \theta}; |F_s| = \frac{mg}{\sin \theta}$



- Charged particles have two fields associated with them
 - Stationary charges: electric fields
 - Moving charges: electric fields and magnetic fields
- Can quantify with the electron current, the number of electrons per second that enter a conductor
- Magnetic fields create a torque on a compass needle exactly like electric fields create a torque on dipoles.
- Can let us “see” the directions of the fields
- Evidence that moving charges create or interact with magnetic fields:
 - Demos!