



Announcements

- Happy Chaper Day!!
- Still working on the tests, sorry
- Homework 7 is due on Monday!
- Physics Club on Thursday at 4:30pm
 - Nobody showed last week, so there goes my faith in you being able to solve the world's problems. . .
 - This week it gets easier. Solving mazes using a computer. Brought to you by me.
 - http://jrembold.github.io/code_challenge
- No class on Friday!



Q1

On Monday we saw that, for the case of the electret, despite there being no free charges present, $\vec{E} \neq 0$ and thus $\vec{D} \neq 0$. Since $\nabla \cdot \vec{D} = \rho_{free}$, this implies that $\nabla \times \vec{D} \neq 0$. Where is there a non-zero value of the curl of \vec{D} in this problem?

- A. In the center of the cylinder
- B. At the top surface
- C. At the bottom surface
- D. Just outside the cylinder



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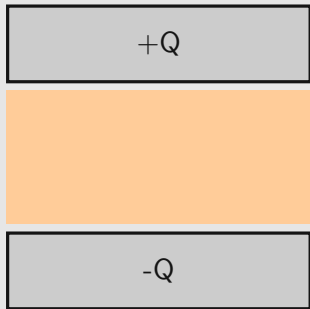


Q2

A very large (basically infinite) capacitor has charge Q . A neutral dielectric is inserted into the gap (and it will of course then polarize). We want to find \vec{D} everywhere.

Which equation would you head to first?

- A. $\vec{D} = \epsilon_0 \vec{E} + \vec{P}$
- B. $\oint \vec{D} \cdot d\vec{A} = Q_{free}$
- C. $\oint \vec{E} \cdot d\vec{A} = \frac{Q}{\epsilon_0}$
- D. More than one of these would work



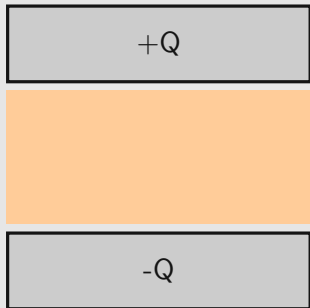


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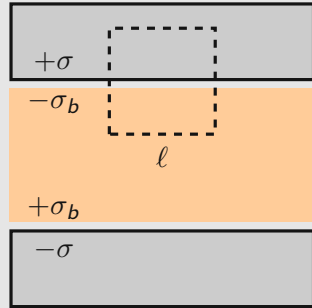




Q3

A large capacitor has charge Q . A neutral linear dielectric is inserted into the gap. We want to find \vec{D} in the dielectric. For the Gaussian cube shown, what is $Q_{\text{free, enclosed}}$?

- A. $\sigma \ell^2$
- B. $-\sigma_b \ell^2$
- C. $(\sigma - \sigma_b) \ell^2$
- D. $(\sigma + \sigma_b) \ell^2$

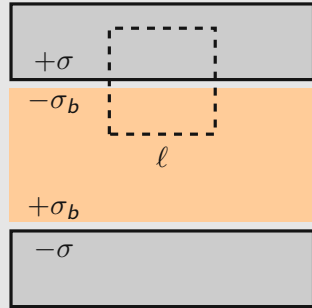




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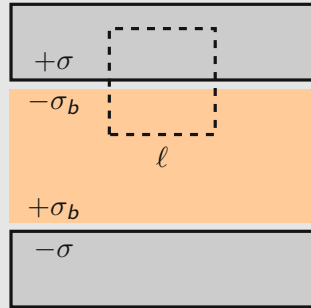
Q4

A large capacitor has charge Q . A neutral linear dielectric is inserted into the gap.

We want to find \vec{D} in the dielectric.

Is \vec{D} zero inside the metal?

- A. It must be zero in there.
- B. It depends.
- C. It is definitely *not* zero in there.





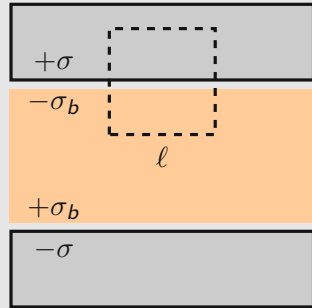
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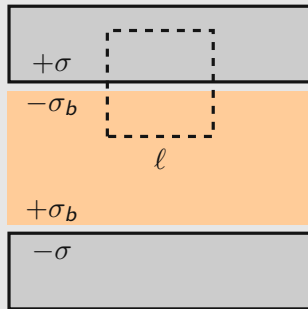


Q5

A large capacitor has charge Q . A neutral linear dielectric with dielectric constant ϵ_r is inserted into the gap.

What is the electric field inside the dielectric?

- A. $E = \frac{\sigma}{\epsilon_0 \epsilon_r}$
- B. $E = \frac{\sigma}{2\epsilon_0 \epsilon_r}$
- C. $E = \frac{\sigma \epsilon_r}{2\epsilon_0}$
- D. $E = \frac{2\sigma \epsilon_r}{\epsilon_0}$





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