



Announcements

- Homework 6 due on tonight!
 - If it isn't in tonight, I make no guarantees about having it graded by Friday
- Exam 1 on Friday in class!
 - More homework solutions cleaned up but not quite through all of them
 - Still working on putting together learning objectives
- Read Ch 4.2 for Tuesday.



Questions

- Questions about expectations or format for the exam?



Q1

In which of the below situations is the dipole term the leading non-zero contribution to the potential?

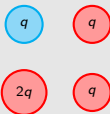
1



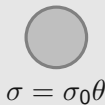
2



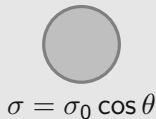
3



4



5



- A. 1 and 3
- B. 2 and 4
- C. 1 and 4
- D. 1 and 5



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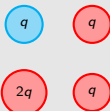
1



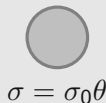
2



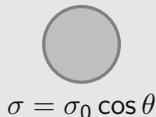
3



4



5



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Q2

Consider a single point charge at the origin. It will have *only* a monopole contribution to the potential at the location

$$\vec{r} = x\hat{x} + y\hat{y} + z\hat{z}$$

However, if we move the charge to another location, say at $\vec{r}_s = d\hat{z}$, the distribution now has a dipole contribute to the potential at \vec{r} !

What on earth is going on?

- A. It's just how the math works out. Nothing has changed physically at \vec{r} .
- B. There is something different about the field at \vec{r} and the potential is showing us that.
- C. The multipole expansion only applies for points far from the charge, so this doesn't matter.
- D. I'm confused and have no idea how to explain this.



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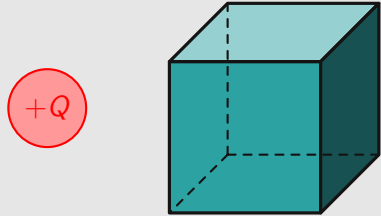
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Q3

A stationary point charge $+Q$ is near a block of insulating (of dielectric) material. The net electrostatic force on the block due to the point charge is:

- A. attractive (to the left)
- B. repulsive (to the right)
- C. 0
- D. attractive (upwards)

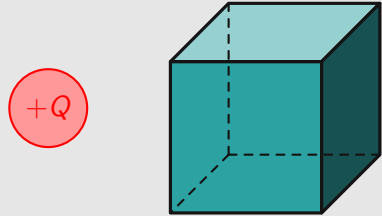




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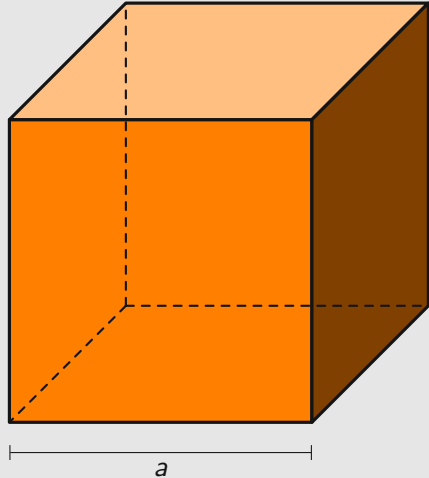




Q4

The cube to the right (with side length a) has uniform polarization $\vec{\mathbf{P}}_0$ pointing in the $\hat{\mathbf{z}}$ direction. What is the total dipole moment of this cube?

- A. 0
- B. $a^3 \vec{\mathbf{P}}_0$
- C. $\vec{\mathbf{P}}_0$
- D. $\vec{\mathbf{P}}_0 / a^3$

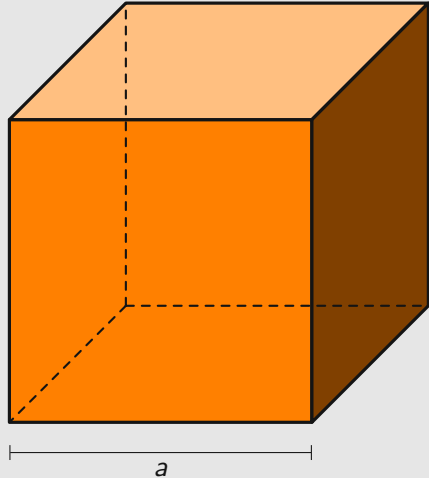




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Q5

Consider a cylinder of radius a and height b that has its base at the origin and is aligned along the z axis. The polarization of this cylinder is “baked in” and can be modeled by

$$\vec{P} = P_0 \left(\frac{z}{b} \right) \hat{z}$$

What is the total dipole moment of the cylinder?

- A. $P_0 \pi a^2 b \hat{z}$
- B. $\frac{1}{2} P_0 \pi a^2 b \hat{z}$
- C. $2 P_0 \pi a^2 b \hat{z}$
- D. Something else



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