Announcements

- Be making progress on Homework 4! Don't save it all till Monday!
- I'm going to see about getting grade reports posted soon
- Monday we start Ch 3! Read Ch 3.1.

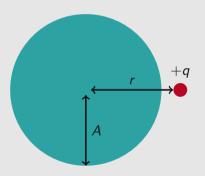
A point charge +q sits outside a solid neutral conducting copper sphere of radius A. The charge q is a distance r > A from the center, on the right side. What is the electric field at the center of the sphere, assuming the system is in equilibrium?

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C. $|\vec{\mathbf{E}}| > 0$, to right

C.
$$|ec{\mathbf{E}}|>0$$
, to right

$$\mathsf{D}. \ |\vec{\mathbf{E}}| = 0$$

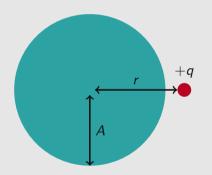


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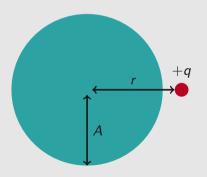
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A point charge +q sits outside a solid conducting copper sphere of radius A with a total charge of +Q. The charge q is a distance r > A from the center, on the right side. Now what is the electric field at the center of the sphere, assuming the system is in equilibrium?

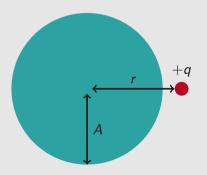


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We have a large copper plate with a uniform surface charge density, σ . Imagine the Gaussian surface drawn below. Calculate the electric field a small distance s above the conductor's surface.



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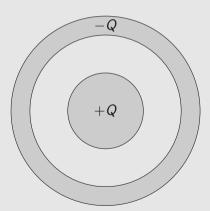
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Exercise

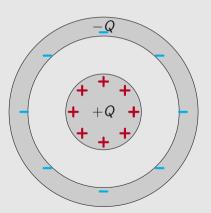
Consider a long coaxial cable with charge +Q placed on the inside wire and charge -Q placed on the outside metal sheath as shown.

Sketch the distribution of charge in this situation using plus signs to represent positive charges and minus signs to represent negative charges.



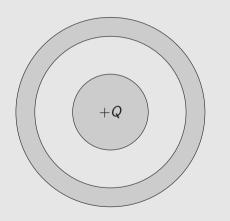
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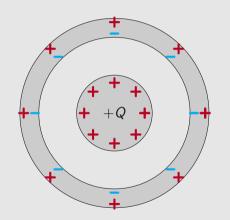
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Exercise



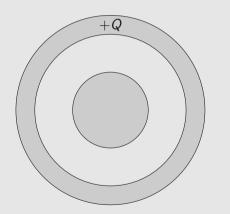
Now draw the charge distribution (+ and - signs) if the inner conductor has a total charge +Q on it and the outer conductor is electrically neutral.

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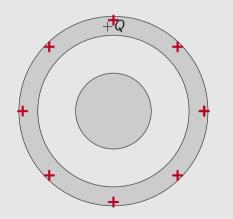
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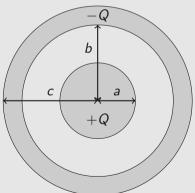
WILLAMETTE UNIVERSITY ELECTROMAGNETICS

Exercise



Now draw the charge distribution (+ and - signs) if the outer conductor has a total charge +Q on it and the inner conductor is electrically neutral.

- A. a < s < b
- B. b < s < c
- C. s > c
- D. More than one of these

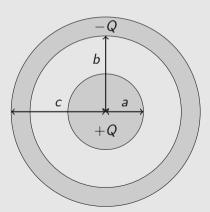


If you were calculating the potential difference ΔV between the center of the inner conductor (s=0) and infinitely far away ($s\to\infty$), what regions of space would have a non-zero contribution to your calculation?

A.
$$a < s < b$$

B.
$$b < s < c$$

D. More than one of these





Uncovered Slides

Subsequent slides were not covered during class hours, but I'll leave them here for extra problems you can look at.

With $\nabla imes \vec{\mathbf{E}} = 0$, we know that

$$\oint \vec{\mathbf{E}} \cdot d\vec{\ell} = 0$$

So if we choose a loop that includes metal and vacuum (both in and outside of the metal), we know that the contribution inside the metal vanishes. What can we can we say about the contribution just outside the metal?

- A. **E** must be zero out there
- B. $\vec{\mathbf{E}}$ must be perpendicular to $d\vec{\ell}$ everywhere out there
- $\vec{\mathbf{E}}$ is perpendicular to the metal surface
- D. More than one of these

ELECTROMAGNETICS

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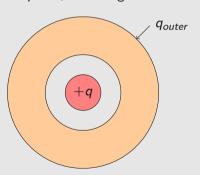
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ELECTROMAGNETICS

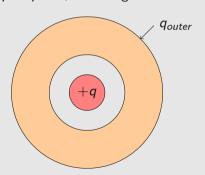
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- A. 0
- D. $0 < q_{outer} < +q$

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- A. 0

- D. $0 < q_{outer} < +q$