

# Financial Forecasting in Public Institutions

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# Lecture Overview

## Topics covered

- Forecasting and public institutions
- Forecasting models
- Scenarios, sensitivity, and risk analysis

Additional information from the Government Finance Officers Association (GFOA)

- Financial Forecasting in the Budget Preparation Process

# Forecasting and Public Institutions

## Financial forecasting

- Process of estimating future financial outcomes based on historical data, economic trends, and assumptions about future policy
- Basis for (1) informed decisions by projecting revenues, expenditures, and service demand, (2) accurate (to the extent possible) budgets, and (3) effective and efficient use of public funds
- Justification for (future) spending and resource allocation
- Ability to model and simulate changes in funding or expenses based on changes in macroeconomic environment and policies

# Examples

## Revenue

- Sales tax revenue
- Motor fuel tax revenue

## Expenditures

- Salary expenditures for teachers
- Road maintenance

## Service demand

- Number of garbage bin collections per week
- Number of school places for children

# Public Sector Forecasting

## Differences between private and public sector financial forecasting

- Focus on service provision over profit, altering approach to forecasts
- Changes in taxes, grants, and appropriations may take longer to change impacting revenue and/or expenditure over multiple years (e.g., changes in the fuel taxes)

# Challenges in Forecasting for Public Institutions I

## Data availability and quality

- Limited historical data
- Inconsistent data collection methods
- Data gaps and missing values

## Complex stakeholder expectations

- Multiple, sometimes conflicting objectives
- Pressure from political entities and public opinion
- Requirement for transparency and accountability

## Budget constraints

- Limited funding for comprehensive forecasting tools
- Restricted resources for data acquisition and model development
- High dependency on public funding cycles

# Challenges in Forecasting for Public Institutions II

## External uncertainties

- Economic volatility (e.g., inflation, recession)
- Policy changes at local, state, and federal levels
- Unpredictable social and demographic shifts

## Technological limitations

- Limited access to advanced forecasting software and tools
- Lag in adopting modern data analytics technologies
- Constraints in technical expertise and training



# Challenges in Forecasting for Public Institutions III

## Long-term forecasting complexity

- Difficulty in capturing long-term trends accurately
- Need to balance short-term adjustments with long-term vision
- Influence of unpredictable events, such as natural disasters or pandemics

## Regulatory and compliance requirements

- Need to follow strict legal and regulatory guidelines
- Constraints from standardized reporting formats
- Frequent updates to compliance requirements impacting forecasting processes

# Forecasting Models

## Forecasting techniques

- Moving average
- Exponential smoothing
- Regression analysis
- Time series analysis

## Considerations for model selection

- Data availability: Type and amount of historical data
- Forecast horizon: Short versus long-term needs
- Complexity versus accuracy: Balancing the ease of use with forecast precision

Examples: Use exponential smoothing for monthly expenditure predictions or regression to estimate revenue changes due to economic shifts

## Moving Average Models

Use of averages of past observations to smooth data and identify trends

- Simple Moving Average (SMA): Equal weights for each period.
- Weighted Moving Average (WMA): More weight to recent data points.

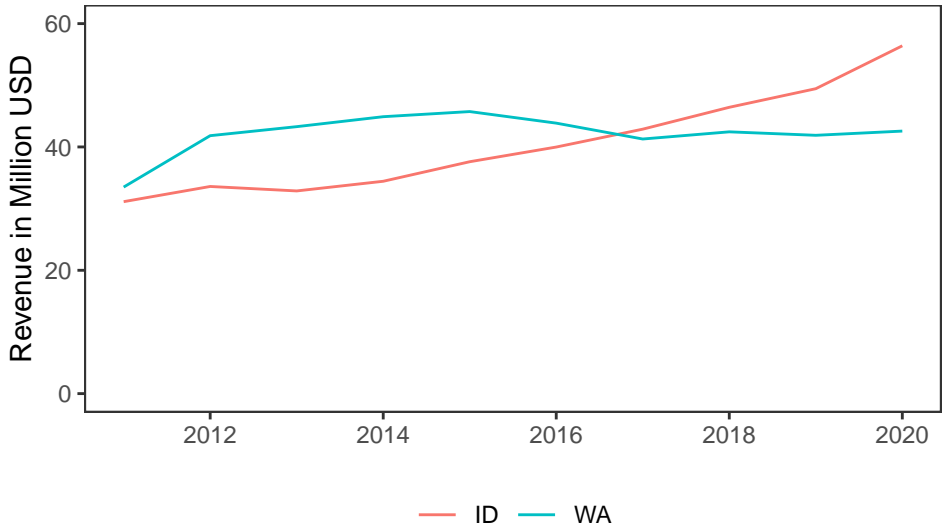
### Application

- Moving averages help forecast stable patterns with minimal volatility, such as routine expenses

### Example

- 2011–2020 hunt & fish licence tax revenue for Washington and Idaho
- Use of 2-year (2018–2019) and 3-year (2017–2019) data to predict 2020

# Hunt & Fish Tax Revenue Graph



## Hunt &amp; Fish Tax Revenue Data

	Idaho				Washington		
2017	42.89				41.29		
2018	46.43				42.45		
2019	49.45	2 Years	3 Years		41.89	2 Years	3 Years
2020	56.40	47.94	46.25		42.57	42.17	41.87
Difference	-15.01%	-18.00%			-0.95%	-1.64%	

Example

$$\frac{46.43 + 49.45}{2} = 47.94$$

Underestimation due to increasing licence tax revenue in Idaho

## SMA Considerations

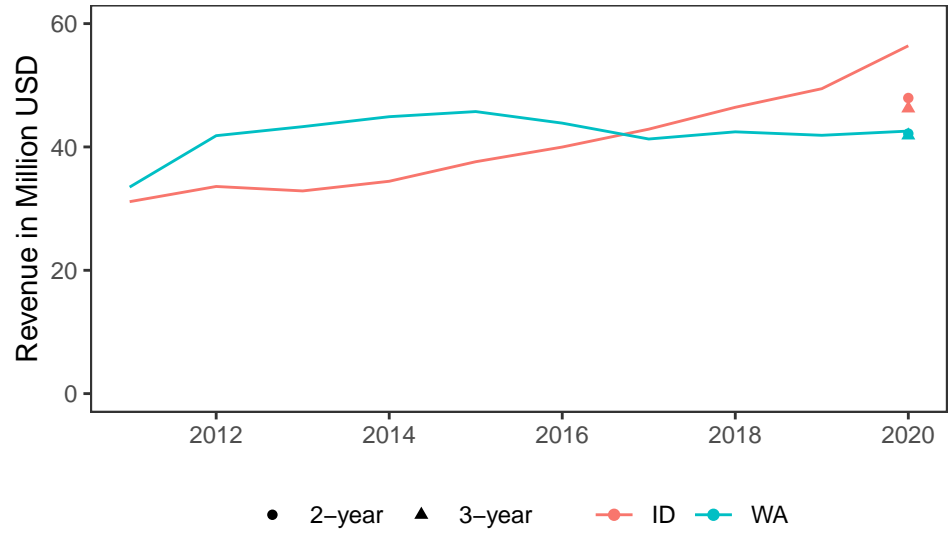
### Data with upward or downward trend

- Upward (downward) trend leads to under- (over-) estimation of the next period's data point

### Determinants of lengths of periods used for moving average calculation (assuming no data trend)

- Length of available data
- Desired smoothness of the data (if used for predictions of more than one period), i.e., longer periods used to average result in smoother results

# Hunt & Fish Tax Revenue Results





# Exponential Smoothing

Type of moving average that applies decreasing weights to older data points

- Simple exponential smoothing: For data without trend or seasonality
- Holt's method: For data with a trend
- Holt-Winters method: For data with trend and seasonality

Smoothing short-term fluctuations while maintaining a long-term trend for more accurate forecasting

# Simple Exponential Smoothing

## Overview

- Data with no clear trend or seasonality
- Next period's forecast ( $\hat{y}_{t+1}$ ) as a weighted average of the previous period's forecast and observed value

## Equation

$$\hat{y}_{t+1} = \alpha \cdot y_t + (1 - \alpha) \cdot \hat{y}_t$$

where

- $y_t$  as the observed value at time  $t$
- $\hat{y}_t$  as forecast for time  $t$
- $0 < \alpha < 1$  as the smoothing parameter controlling responsiveness of the forecast is to changes in the data with higher values giving more weight to recent observations

# Simple Exponential Smoothing in Excel

## Setup

- Time series data in column A (e.g., A2 downward for time periods 1, 2, ...) with column B as *Observed* and column C as *Forecast*

## Smoothing parameter ( $\alpha$ ):

- Value of  $0 < \alpha < 1$  (e.g., 0.3) in cell D1

## Initial forecast:

- First forecast equal to the first observed data point in cell C2 (i.e., =B2)

## Formula for forecast

- In cell C3, enter the exponential smoothing formula  $=\$D\$1*B2+(1-\$D\$1)*C2$

Weighted average of last observed value (B2) and previous forecast (C2)

## Holt's Method

Extension of simple exponential smoothing by adding trend component but no seasonality. Two equations for level ( $L_t$ ) and trend ( $T_t$ )

$$L_t = \alpha \cdot y_t + (1 - \alpha) \cdot (L_{t-1} + T_{t-1})$$

$$T_t = \beta \cdot (L_t - L_{t-1}) + (1 - \beta) \cdot T_{t-1}$$

Forecast

$$\hat{y}_{t+h} = L_t + h \cdot T_t$$

where

- $L_t$  and  $T_t$  as estimated level and trend at time  $t$
- $\alpha$  and  $\beta$  as smoothing parameters for the level and trend, respectively
- $h$  as the forecast horizon

# Holt's Method in Excel I

## Setup

- Observed data in column B with labels *Level*, *Trend*, *Forecast* for C–E

## Parameters ( $\alpha$ ) and ( $\beta$ )

- Entering values for ( $\alpha$ ) and ( $\beta$ ) (e.g., 0.3 and 0.1) in cells F1 and G1 with labels *Alpha* and *Beta*.

## Initial level and trend

- Level (C2) equal to observed data (=B2)
- Trend (D2) as the difference between the first two observed values (=B3–B2)

## Holt's Method in Excel II

### Level calculation

- Cell C3 as  $=\$F\$1*B2+(1-\$F\$1)*(C2+D2)$
- Calculation of new level based on the observed value, previous level, and trend

### Trend calculation

- Cell D3 as  $=\$G\$1*(C3-C2)+(1-\$G\$1)*D2$

### Forecast calculation:

- Cell E3 as  $=C3+D3$

## Holt-Winters Method

Extension of Holt's Method by adding a seasonal component. Three equations for level ( $L_t$ ), trend ( $T_t$ ), and seasonality ( $S_t$ ) components

$$L_t = \alpha \cdot \left( \frac{y_t}{S_{t-s}} \right) + (1 - \alpha) \cdot (L_{t-1} + T_{t-1})$$

$$T_t = \beta \cdot (L_t - L_{t-1}) + (1 - \beta) \cdot T_{t-1}$$

$$S_t = \gamma \cdot \frac{y_t}{L_t} + (1 - \gamma) \cdot S_{t-s}$$

$$\hat{y}_{t+h} = (L_t + h \cdot T_t) \cdot S_{t+h-s(k)}$$

where

- $S_t$  as the seasonal component at time  $t$
- $s$  as the seasonal period and  $k$  as the integer part of  $(h - 1)/s$
- $\alpha$ ,  $\beta$ , and  $\gamma$  as smoothing parameters for level, trend, and seasonality

# Regression Analysis

Relationship between a dependent variable  $y$  and one or more independent variables ( $x$ )

- Simple linear regression: Predictions using one independent variable
- Multiple regression: Predictions using multiple independent variable

Public institutions can use regression to forecast factors influenced by multiple variables, like demand for services or costs



# Scenarios, Sensitivity, and Risk Analysis

# Scenario Analysis and What-If Analysis I

Scenario analysis involves evaluating the impact of different hypothetical situations on financial forecasts

- Helps public institutions plan for uncertainties by modeling various outcomes
- Commonly used for budget forecasting under different economic or funding conditions (e.g., budget cuts, increased grant funding)

Key components of scenario analysis

- Best-case scenario: Assumes optimal conditions (e.g., increased funding, reduced costs)
- Worst-case scenario: Assumes challenging conditions (e.g., revenue shortfalls, unexpected expenses)
- Baseline: Most likely outcome based on current information

## Scenario Analysis and What-If Analysis II

What-if analysis examines how changes in specific variables impact financial forecasts.

- Provides insights into sensitivity of forecasts to changes in key factors (e.g., inflation rates, employee count)

Key benefits of scenario and what-if analysis

- Improved planning: Enables institutions to prepare for a range of outcomes, reducing risk
- Enhanced decision-making: Informs decisions by illustrating financial impacts of possible changes
- Transparency: Allows stakeholders to understand potential budgetary impacts of different assumptions

# Risk and Sensitivity Analysis I

Risk analysis and sensitivity assesses the likelihood and potential impact of uncertain events on financial forecasts

- Helps identify areas where financial forecasts may be vulnerable to external factors or changes in assumptions
- Essential for public institutions facing funding volatility, regulatory changes, or economic shifts

# Risk and Sensitivity Analysis II

## Types of risks in public sector forecasting

- Revenue risks: Potential for revenue sources (e.g., taxes, grants) to under perform
- Expenditure risks: Unplanned costs or overruns in budgeted expenses
- External risks: Economic downturns, policy changes, or unexpected crises affecting financial stability
- Operational risks: Risks associated with internal processes, staffing, or resource constraints