## 1 Eight Schools Model

```
data {
  int < lower = 0 > J;
                             // number of schools
  real y[J];
                              // estimated treatment effect (school j)
  real < lower=0> sigma[J];
                             // std err of effect estimate (school j)
parameters {
  real mu;
  real theta[J];
  real<lower=0> tau;
}
model {
  theta ~ normal(mu, tau);
  y ~ normal(theta, sigma);
    Funnel Model
parameters {
  real y;
  vector [9] x;
}
model {
  y \sim normal(0,3);

x \sim normal(0,exp(y/2));
    Gaussian Process
// Fit a Gaussian process's hyperparameters
// for squared exponential prior
data {
  int < lower=1 > N;
  vector [N] x;
  vector [N] y;
transformed data {
  vector [N] mu;
  for (i in 1:N)
    mu[i] \leftarrow 0;
parameters {
  real<lower=0> eta_sq;
```

```
real<lower=0> rho_sq;
  real<lower=0> sigma_sq;
}
model {
  matrix [N,N] Sigma;
   // off-diagonal elements
   for (i in 1:(N-1)) {
     for (j in (i+1):N) {
        Sigma[i,j] \leftarrow eta\_sq * exp(-rho\_sq * pow(x[i] - x[j],2));
        Sigma[j,i] <- Sigma[i,j];
     }
  }
  // diagonal elements
   for (k in 1:N)
     Sigma[k,k] \leftarrow eta\_sq + sigma\_sq; // + jitter
  \begin{array}{ll} {\tt eta\_sq} & \tilde{\ } & {\tt cauchy}\left(0\;,5\right); \\ {\tt rho\_sq} & \tilde{\ } & {\tt cauchy}\left(0\;,5\right); \end{array}
  sigma_sq \sim cauchy(0,5);
  y ~ multi_normal(mu, Sigma);
```