Adversarial Attack and Defense

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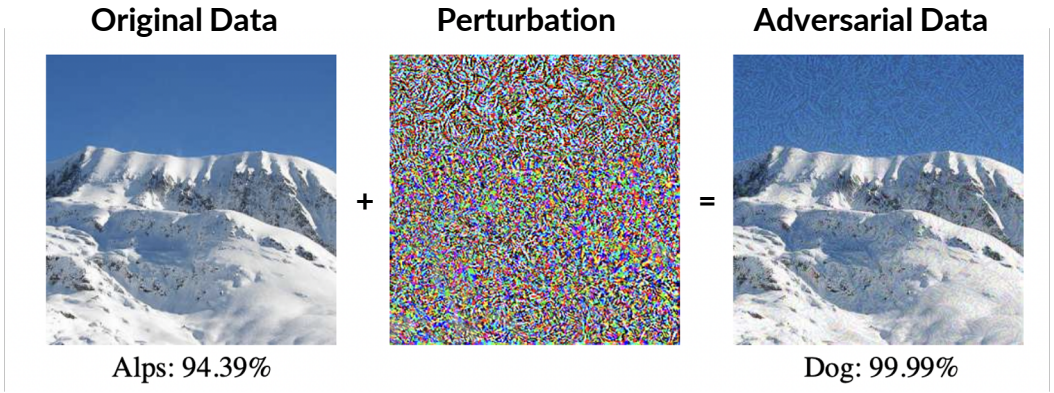
YouTube Video Link: **https://youtu.be/maMC93Lf-mY**

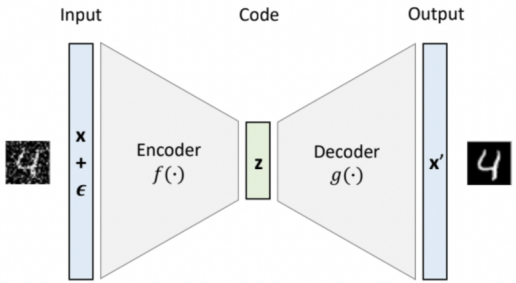
Introduction

- **Adversarial Examples** input data with an imperceptible change
- **Adversarial Examples** = Original data (x) + Perturbation with noise (ϵ)
- **Adversarial Attack** induce misclassification in purpose to make machine learning models more **ROBUST**



Course related material

Stacked Denoising Autoencoder = The **NOISY INPUT** will be inputted to denoising autoencoder, which will learn how to recover the original input (x). Such method will help to create a **MORE ROBUST CODE**, so that the model will **NOT BE SENSITIVE TOWARDS NOISY INPUTS**.

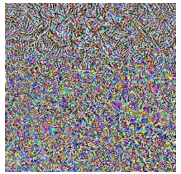


Real-life adversarial attack example

(1) INPUT

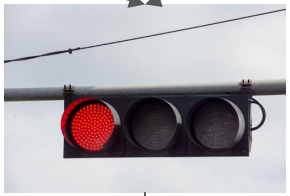
Original Data

+

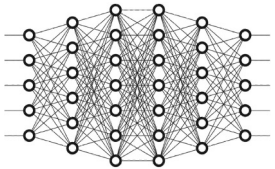


Noise

(2) ADVERSARIAL EXAMPLE



(3) DEEP LEARNING MODEL



"Green"

(4) OUTPUT

MOVE FORWARD

(5) ACTION

(6) CONSEQUENCE

Adversarial Defense

ATTACK (Step 1)

DEFENSE (Step 2)

Input

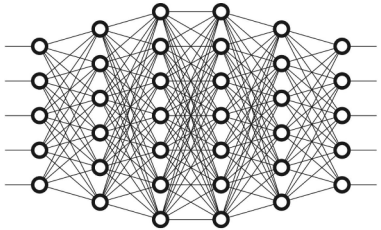
Adversarial Examples

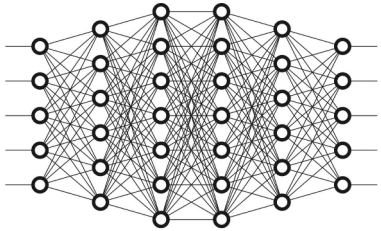
+

Clean data

Adversarial Examples

Deep learning Model





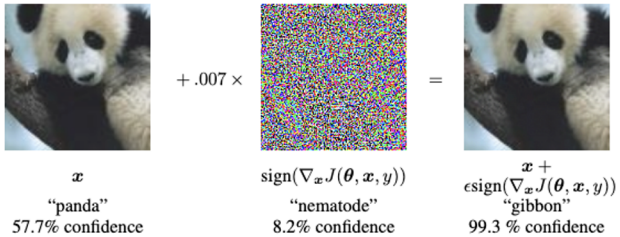
Output

"Green"

"Red"

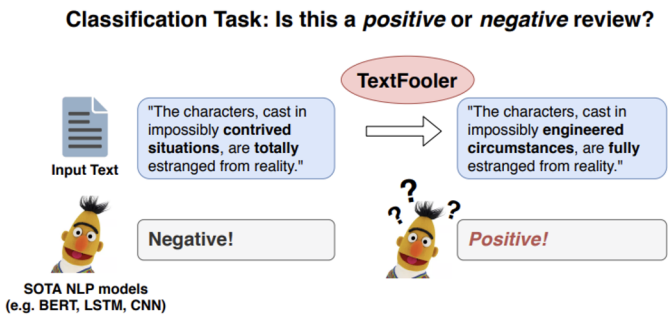
Representative models/algorithms

(Image Credit: (Goodfellow et al. 2014b))



- *Explaining and Harnessing Adversarial Examples (2015)*
  - *Ian.J.Goodfellow, Jonathon Shlens & Christian Szegedy*

- *Is BERT Really Robust? A Strong Baseline for Natural Language Attack on Text Classification and Entailment*
  - *Di Jin, Zhijing Jin, Joey Tianyi Zhou, Peter Szolovits*



Explaining and Harnessing Adversarial Examples

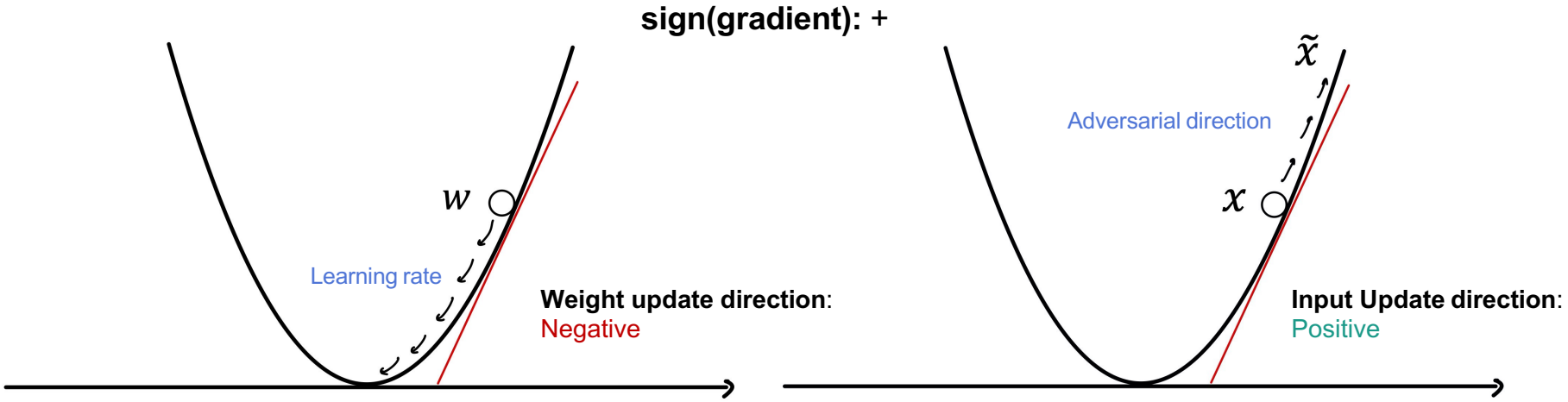
Fast Gradient Sign Method (FGSM)

- Gradient Descent Method

  OPPOSITE direction of the gradient of the cost function

- Fast Gradient Sign Method (FGSM)

  SAME direction of the gradient of the cost function



How adversarial example is formed

$$x + \epsilon \cdot sign\left(\nabla_x J(\theta, x, y)\right)$$

Cost Function

Gradient

Adversarial Example

FGSM (Continued)

input
(panda image)

x ("$panda$")

$+$

$$\epsilon \cdot sign(\nabla_x J(\theta, x, y))$$

Parameters
of the model

output
("panda" label)

$=$

x^* ("$gibbon$")

Mathematical Notation and Concepts

activation value
(with perturbation)

$$w^T \tilde{x} = w^T x + w^T \eta$$

activation growth

original desired output

perturbation

$$\eta = \epsilon \cdot sign(\nabla_{x^*} J(\theta, x, y))$$

Deciding perturbation

FGSM uses the **"*max norm* constraint":**

$$(In\ all\ definitions, x = (x_1, x_1, \dots, x_n))$$

$$L^{\infty}\ distance:\ \| x \|_{\infty} = \max_{1 \le i \le n} |x_i|$$

$$L^{1}\ distance:\ \| x \|_{1} = \sum_{i=1}^{n} |x_i|$$

L^{∞} : moving as many pixels as possible but only by a small number

L^{1} : summed absolute value difference between x and x^*

Example 1: 1-Dimensional Calculation

$$w^T\tilde{x} = w^T x + w^T\eta = w^T(x + \eta)$$

$$\underset{x}{\begin{pmatrix} 3 \\ -2 \\ 5 \end{pmatrix}} * \underset{w}{\begin{pmatrix} 7 \\ 10 \\ 20 \end{pmatrix}} = \underset{w^T x}{\begin{pmatrix} 21 \\ -20 \\ 100 \end{pmatrix}} \Rightarrow 101$$

activation value
(**WITHOUT** perturbation)

$$\overline{\eta = sign(w)}$$

$$sign\left(\begin{pmatrix} 7 \\ 10 \\ 20 \end{pmatrix}\right) = \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix}$$

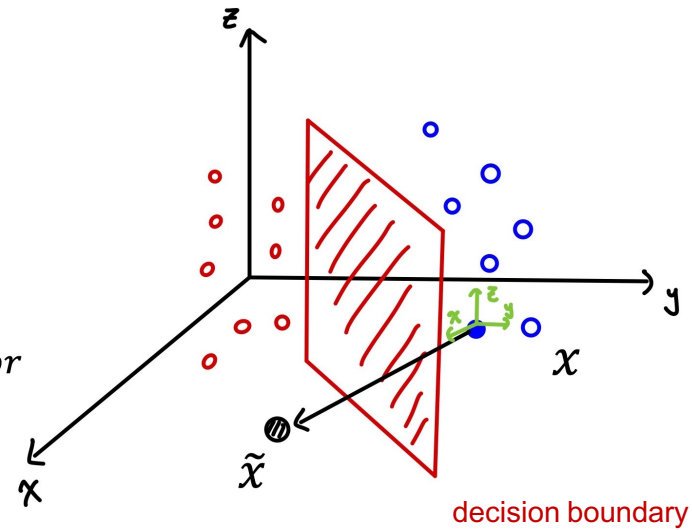
$$\left[\underset{x}{\begin{pmatrix} 3 \\ -2 \\ 5 \end{pmatrix}} + \underset{\eta}{\begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix}}\right] * \underset{w}{\begin{pmatrix} 7 \\ 10 \\ 20 \end{pmatrix}} = \underset{w^T\tilde{x}}{\begin{pmatrix} 28 \\ -10 \\ 120 \end{pmatrix}} \Rightarrow 138$$

activation value
(**WITH** perturbation)

Example 2: 3-Dimensional Calculation

$$x + \epsilon \cdot sign\left(\nabla_x J(\theta, x, y)\right)$$

$sign(w_x)$ → POSITIVE			$+\epsilon$			
$sign(w_y)$ → NEGATIVE	x	ϵ_{vector}	=	$-\epsilon$	+	x_{vector}
$sign(w_z)$ → POSITIVE				$+\epsilon$		



$$= x^*_{vector}$$

Adversarial Defense (FGSM)

$$\underset{(3)}{\tilde{J}(\theta, x, y)} = \underset{(1)}{\alpha \cdot J(\theta, x, y)} + \underset{(2)}{(1-\alpha) \cdot J(\theta, \tilde{x}, y)}$$

α : **proportion** to use between the original data and the adversarial example

(1) $\tilde{J}(\theta, x, y)$: cost function of the **original data**

(2) $J(\theta, \tilde{x}, y)$: cost function of the **adversarial example**

(3) $J(\theta, x, y)$: cost function of both **original data AND adversarial example**

Adversarial Attack in Natural Language Processing

Hardship of natural language adversarial attack

Image domain (CONTINUOUS values)

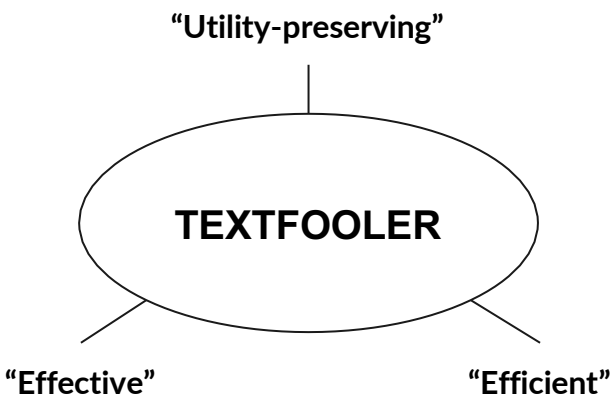
Adding a minimal noise to the pixels is not noticeable through naked eyes

Text domain (DISCRETE values)

The difference between the original text and the adversarial example is easily recognizable

Introduction

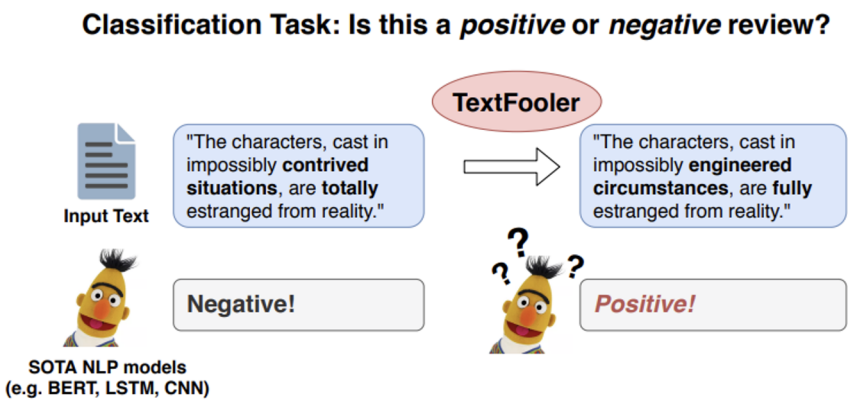
- Proposing *TextFooler*



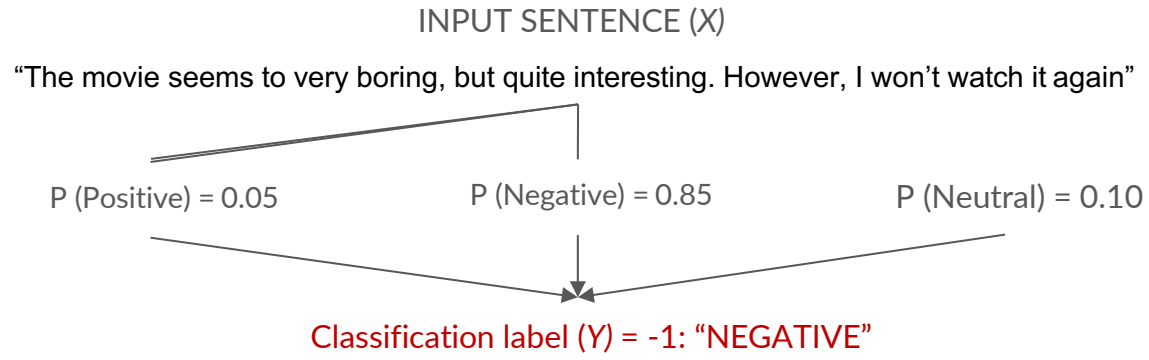
- How to test such the robustness?

Models: 1. WordLSTM 2. WordCNN 3. BERT

Task: 5 classification tasks and 2 textual entailment tasks



Classification & Recognizing Text Entailment (NLP tasks)



HYPOTHESIS SENTENCE

Input: “It was a very touching movie”

Entailment	Contradiction	Neutral
“The movie made me cry”	“The movie made me laugh”	“There was no discount for the movie ticket”

Forming text adversarial example

- **Text adversarial example** need to meet the following **requirement**:

$$F(X_{\text{adv}}) \neq F(X), \text{and } \text{Sim}(X_{\text{adv}}, X) \geq \epsilon,$$

Classification result of adversarial text

Classification result of original data

Semantic similarity between *Xadv and X*

Minimum similarity

TEXTFOOLER Attack Algorithm

Steps:

1. **Word Importance Score**
2. **Word Transformer**
    a. Adversarial example candidates POS (Part of Speech) checking
    b. Semantic Similarity Filter
    c. Finalizing Adversarial Example

Algorithm 1 Adversarial Attack by TEXTFOOLER

Input: Sentence example $X = \{w_1, w_2, ..., w_n\}$, the corresponding ground truth label Y, target model F, sentence similarity function $\text{Sim}(\cdot)$, sentence similarity threshold ϵ, word embeddings Emb over the vocabulary Vocab.
Output: Adversarial example X_{adv}

Initialization: $X_{\text{adv}} \leftarrow X$
for each word w_i in X **do**
  Compute the importance score I_{w_i} via Eq. (2)
end for

Create a set W of all words $w_i \in X$ sorted by the descending order of their importance score I_{w_i}.
Filter out the stop words in W.
for each word w_j in W **do**
  Initiate the set of candidates CANDIDATES by extracting the top N synonyms using $\text{CosSim}(\text{Emb}_{w_j}, \text{Emb}_{\text{word}})$ for each word in Vocab.
  CANDIDATES $\leftarrow$ POSFilter(CANDIDATES)
  FINCANDIDATES $\leftarrow \{\}$
  for c_k in CANDIDATES **do**
    $X' \leftarrow$ Replace w_j with c_k in X_{adv}
    if $\text{Sim}(X', X_{\text{adv}}) > \epsilon$ **then**
      Add c_k to the set FINCANDIDATES
      $Y_k \leftarrow F(X')$
      $P_k \leftarrow F_{Y_k}(X')$
    end if
  end for
  if there exists c_k whose prediction result $Y_k \neq Y$ **then**
    In FINCANDIDATES, only keep the candidates c_k whose prediction result $Y_k \neq Y$
    $c^* \leftarrow \underset{c \in \text{FINCANDIDATES}}{\text{argmax}} \text{Sim}(X, X'_{w_j \rightarrow c})$
    $X_{\text{adv}} \leftarrow$ Replace w_j with c^* in X_{adv}
    return X_{adv}
  else if $P_{Y_k}(X_{\text{adv}}) > \underset{c_k \in \text{FINCANDIDATES}}{\min} P_k$ **then**
    $c^* \leftarrow \underset{c_k \in \text{FINCANDIDATES}}{\text{argmin}} P_k$
    $X_{\text{adv}} \leftarrow$ Replace w_j with c^* in X_{adv}
  end if
end for
return None

1. Word Importance Ranking

"*Measuring the influence the word,* w_i "

Input without the word, w_i

$$I_{w_i} = \begin{cases} F_Y(X) - F_Y(X_{\setminus w_i}), & \text{if } F(X) = F(X_{\setminus w_i}) = Y \\ (F_Y(X) - F_Y(X_{\setminus w_i})) + (F_{\bar{Y}}(X_{\setminus w_i}) - F_{\bar{Y}}(X)), & \\ \quad \text{if } F(X) = Y, F(X_{\setminus w_i}) = \bar{Y}, \text{ and } Y \neq \bar{Y}. & \end{cases}$$

Classification output

Two different labels

"*Prediction change before, and after the word,* w_i "

a. Candidates and POS Checking

Output: Adversarial example X_{adv}

1: Initialization: $X_{\text{adv}} \leftarrow X$
2: **for** each word w_i in X **do**
3: (1) Compute the importance score I_{w_i} via Eq. (2)
4: **end for**

8: **for** each word w_j in W **do** (3)
9: Initiate the set of candidates CANDIDATES by extracting the top N synonyms using $\text{CosSim}(\text{Emb}_{w_j}, \text{Emb}_{\text{word}})$ for each word in Vocab. (2)
10: CANDIDATES $\leftarrow$ POSFilter(CANDIDATES) (4)

(1): Process **importance score** for every word in the **sentence example**

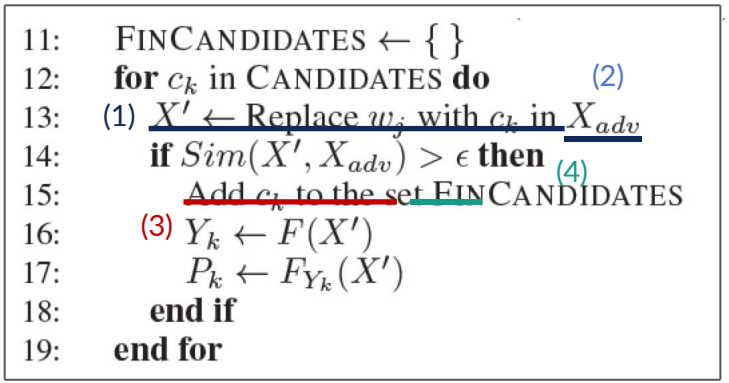
(2): **Cosine Similarity Score** between the Embedding(deleting word) and Embedding(Vocab)

(3): Extract top N synonyms and append to **CANDIDATES** list

(4): Check **POS** (Part of Speech) for every candidate word and filter

b. Semantic Similarity Filter

(3) **Cosine Similarity** between ***X (original sentence) and Xadv (Adversarial Example)***



(1) Substitute that specific word in the sentence with each of the words in the **CANDIDATES**

(2) Such sentence becomes *Xadv (Adversarial Example)*

(4) Words with **similarity score > ϵ** (defined by the programmer) will be stored in **FINCANDIDATES** list

c. Finalizing the Adversarial Example

In the **descending order** of similarity scores, replace the word:

(1)

if there exists c_k whose prediction result $Y_k \neq Y$ **then**
  In FINCANDIDATES, only keep the candidates c_k whose prediction result $Y_k \neq Y$
  $c^* \leftarrow \underset{c \in \text{FINCANDIDATES}}{\text{argmax}} \text{Sim}(X, X'_{w_j \rightarrow c})$
  $X_{\text{adv}} \leftarrow$ Replace w_j with c^* in X_{adv}
  return X_{adv}
else if $P_{Y_k}(X_{\text{adv}}) > \min_{c_k \in \text{FINCANDIDATES}} P_k$ **then**
  $c^* \leftarrow \underset{c_k \in \text{FINCANDIDATES}}{\text{argmin}} P_k$
  $X_{\text{adv}} \leftarrow$ Replace w_j with c^* in X_{adv}
end if
end for
return None

(2)

(1) IF the **prediction of the target model changes:**

- Within those candidates that **changed the output of the target model**
- Select the word that had the **highest similarity score between *X* and *Xadv.***

(2) ELSE IF choose the word with the **least confidence level**

(word that is most likely to change the prediction of the model)

- **Prediction changed → Attack Success!**

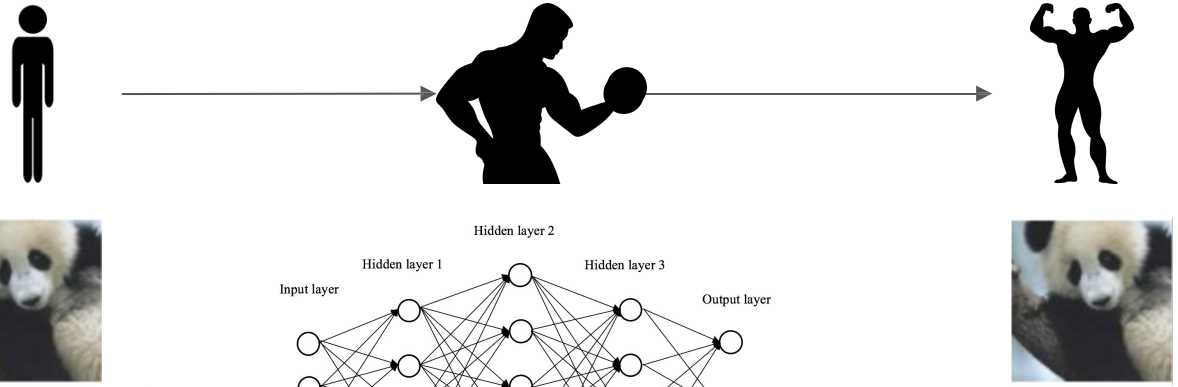
Run through this process in the descending order of importance score of each word.

Summary

Adversarial ATTACK

Adversarial TRAINING

ROBUST
deep learning model



x^* ("gibbon")

A Deep Learning Model

x ("panda")

Reference

- Attack & Defense (1): Goodfellow, Ian J., Jonathon Shlens, and Christian Szegedy. "Explaining and harnessing adversarial examples." *arXiv preprint arXiv:1412.6572* (2014).
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Thank you!

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