

Sprawozdanie - WEAlilB			
Podstawy automatyki 2			
Ćwiczenie 8: Układ regulacji dwupołożeniowej cz2			
Czwartek godz.	14:30	Data wykonania:	04.05.2023
Imię i nazwisko:	Jan Rosa	Data zaliczenia:	
		Ocena:	

## Wstęp

Celem niniejszego sprawozdania jest zbadanie stabilności układu regulacji z liniowym obiektem i nieliniowym regulatorem statycznym. W zadaniu został przedstawiony zamknięty układ regulacji z liniowym obiektem oraz regulatorem 2-położeniowym bez histerezy i z histerezą. W ramach zadania należy sprawdzić, dla jakiej wartości amplitudy przekaźnika  $y_m$  oraz histerezy równej  $h = 0.0$ ,  $h = 0.05$ ,  $h = 0.1$ , amplituda cyklu granicznego będzie większa od 1, 2, 5. W ramach opracowania wyników należy przedstawić rysunek z przebiegiem wielkości regulowanej w układzie oraz narysować wykres Nyquista części liniowej wraz z wykresem krytycznym. Porównanie wyników analitycznych z otrzymanymi podczas laboratorium będzie dodatkową analizą.

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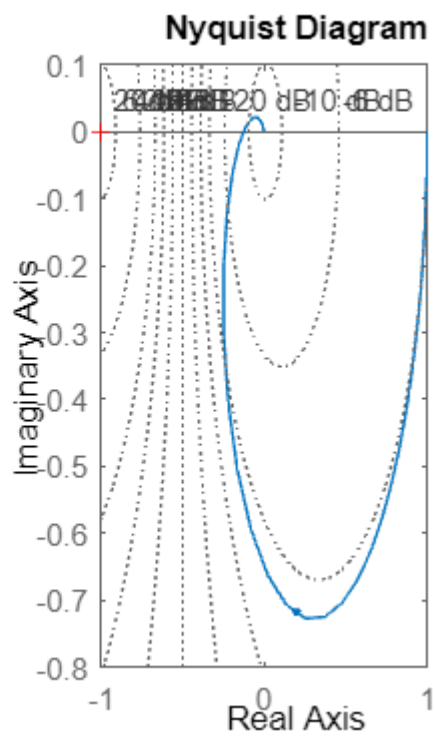
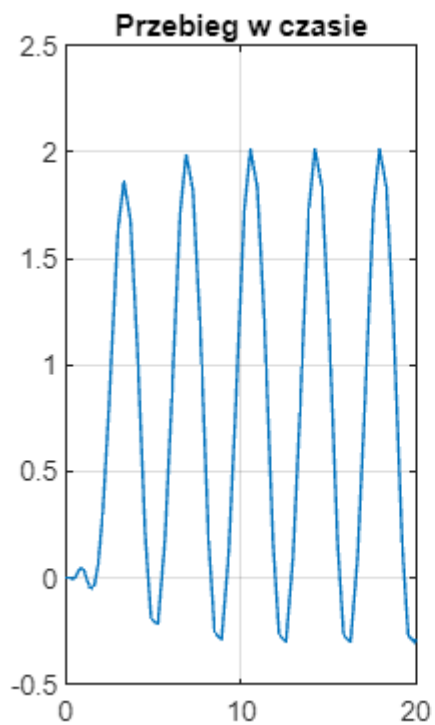
G = [1, 3, 3, 1];
h_vec = [0, 0.05, 0.1];
y_mat = [[ 7.3, 13, 33];
          [ 6, 12, 32];
          [ 5, 12, 31]];
y = 10;
for i = 1:3
    for j = 1:3
        h = h_vec(i);
        y = y_mat(i, j);
        test(G, h, y);
    end
end

```

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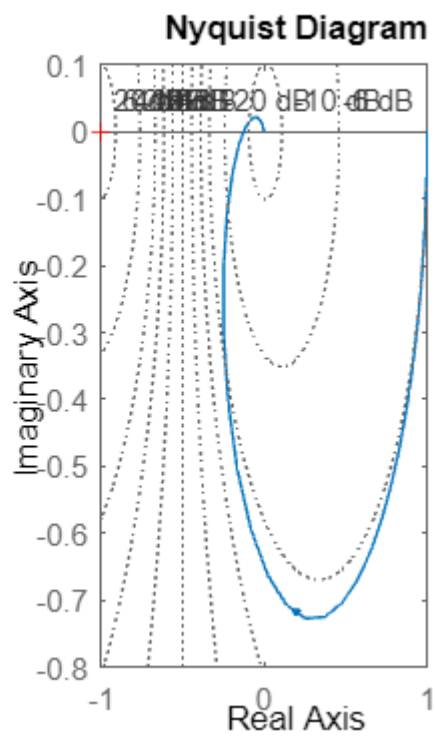
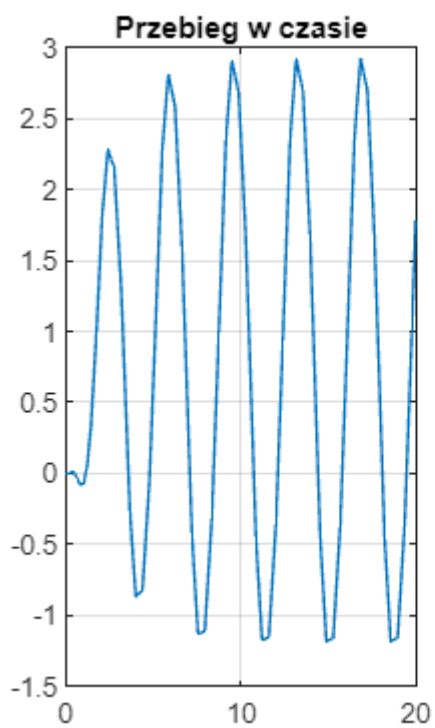
h = 0
y = 7.3000

```



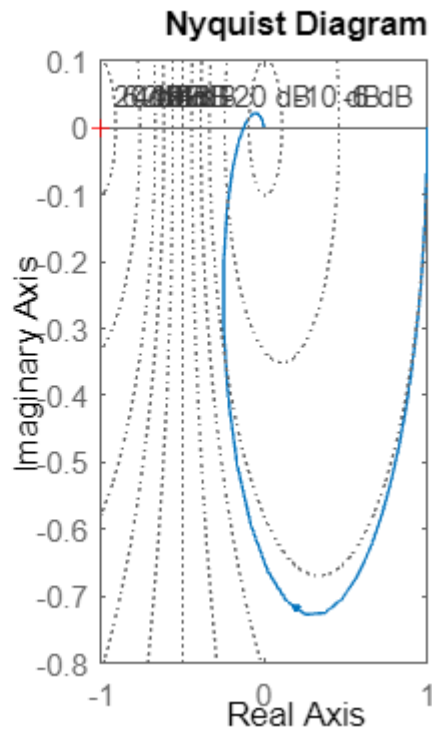
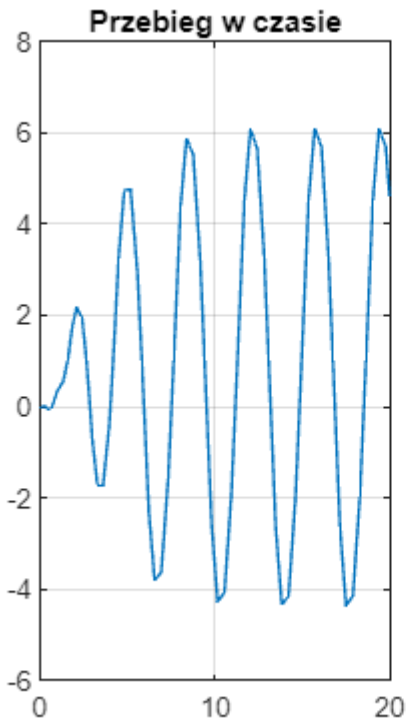
$h = 0$

$y = 13$

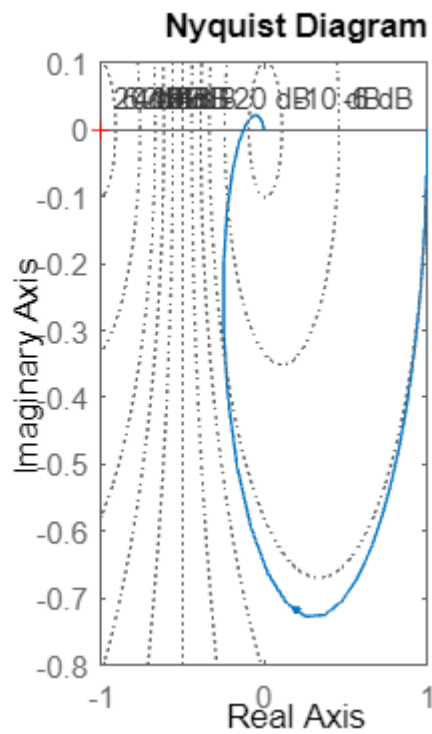
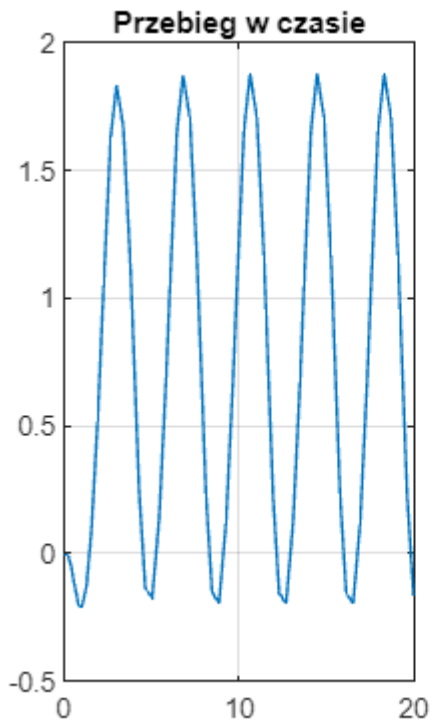


$h = 0$

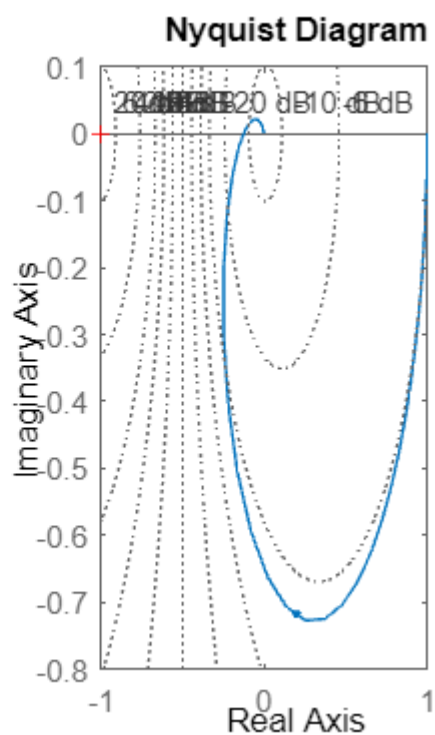
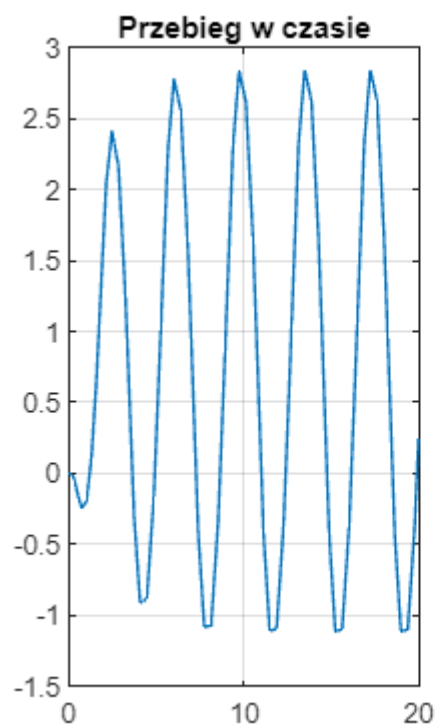
$y = 33$



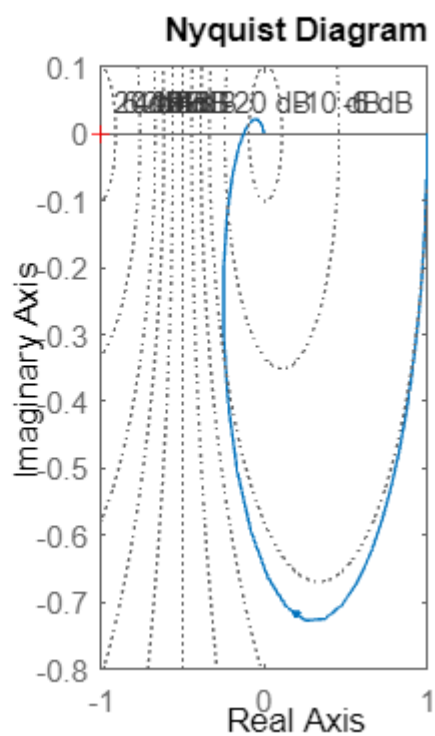
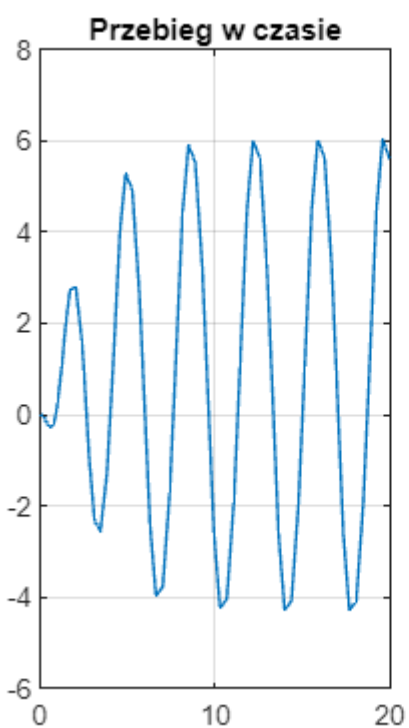
$h = 0.0500$   
 $y = 6$



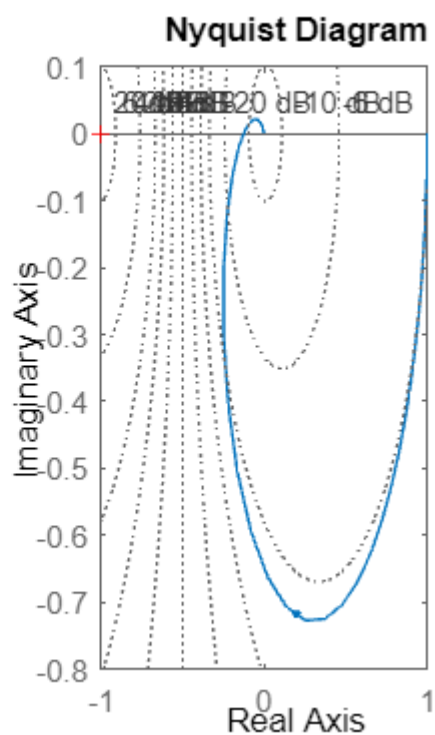
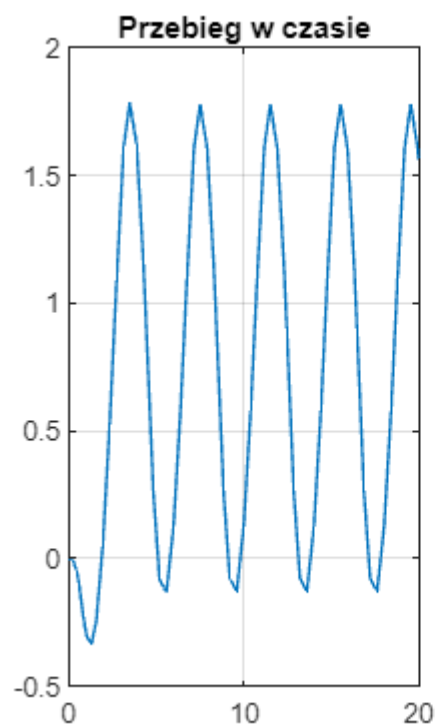
$h = 0.0500$   
 $y = 12$



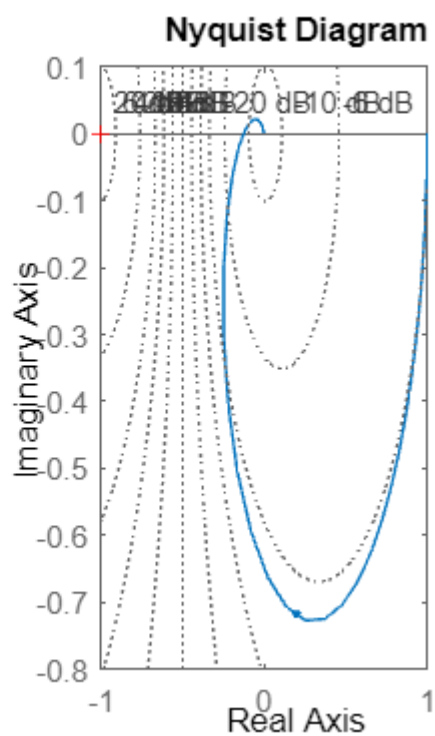
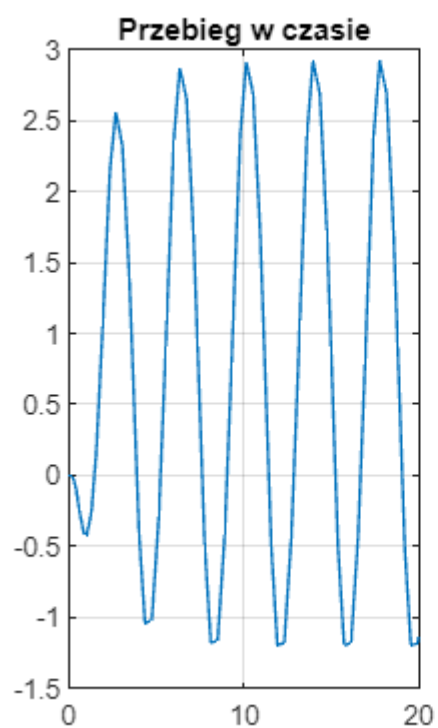
$h = 0.0500$   
 $y = 32$



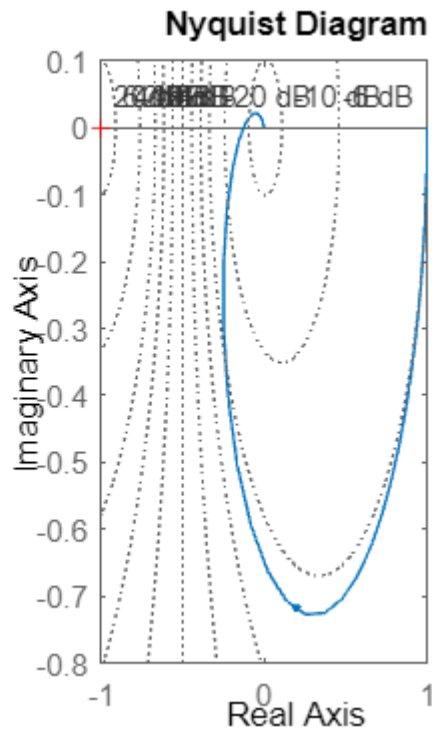
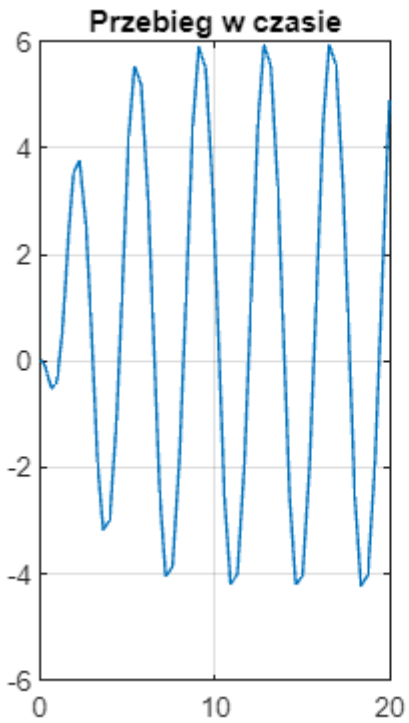
$h = 0.1000$   
 $y = 5$



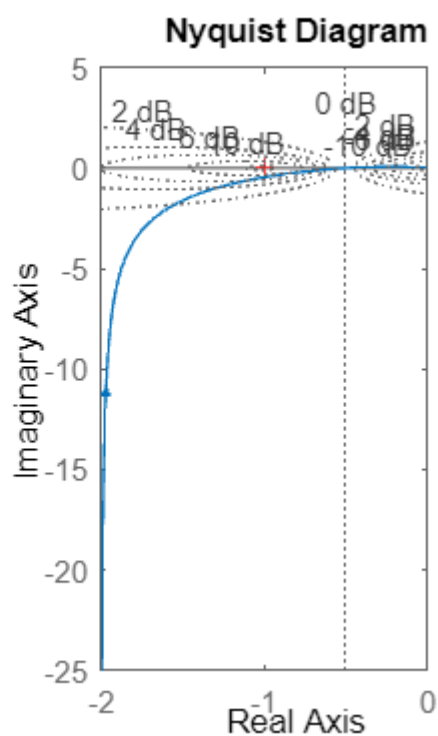
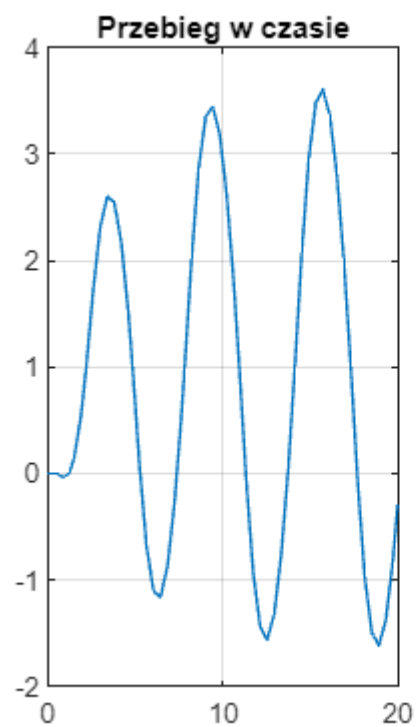
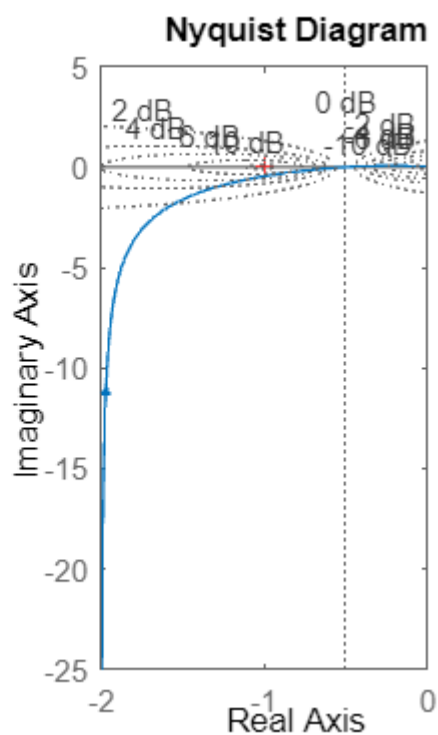
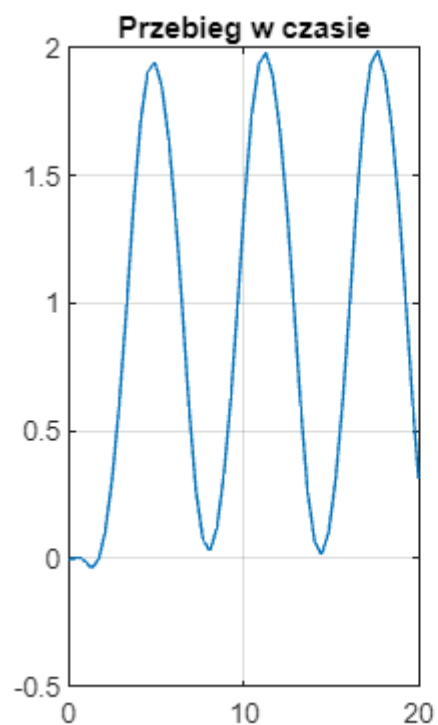
$h = 0.1000$   
 $y = 12$

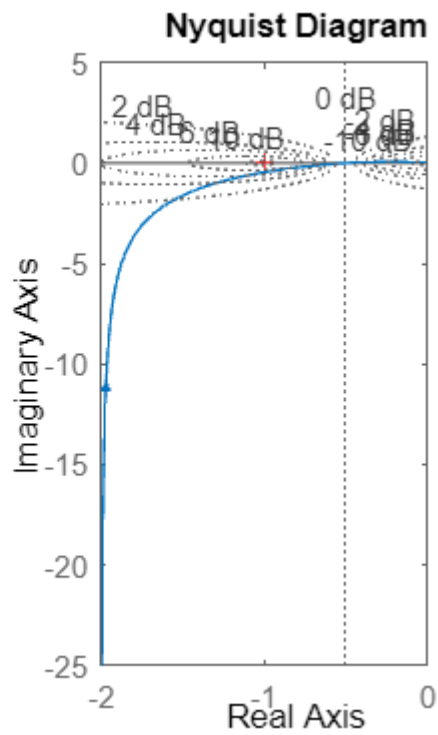
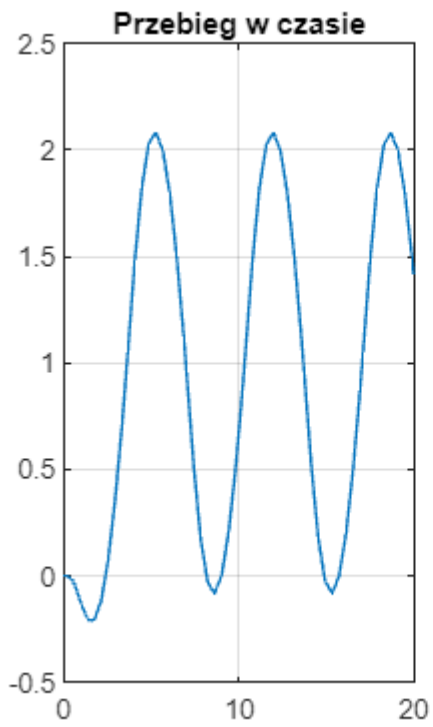
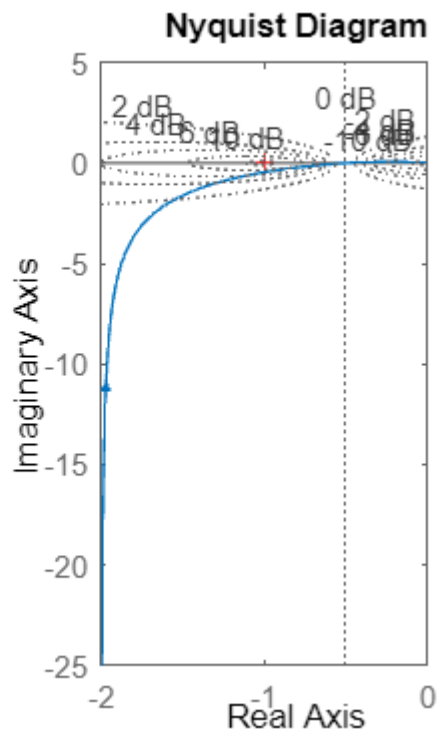
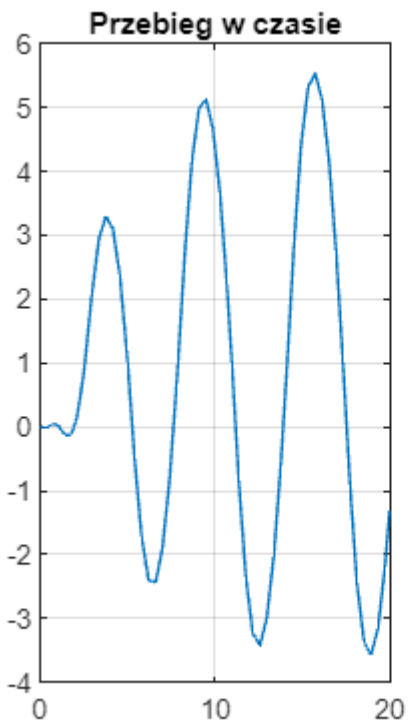


$h = 0.1000$   
 $y = 31$

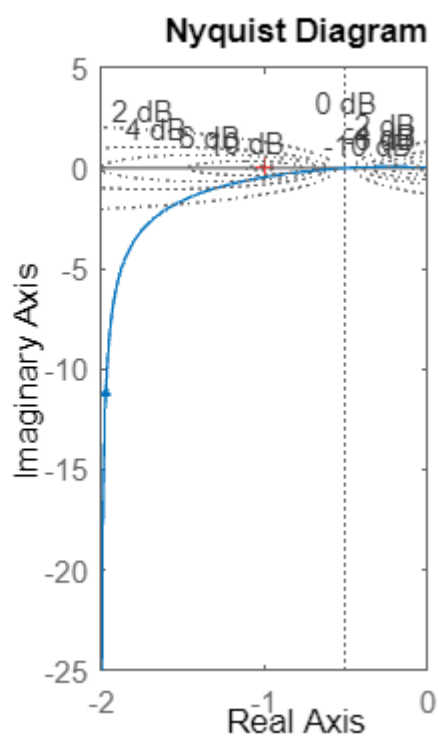
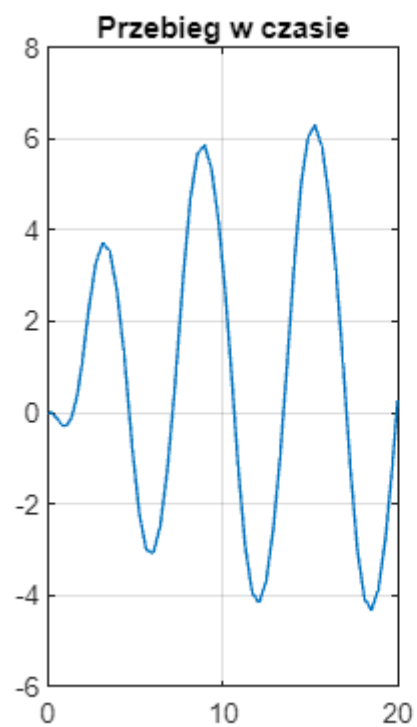
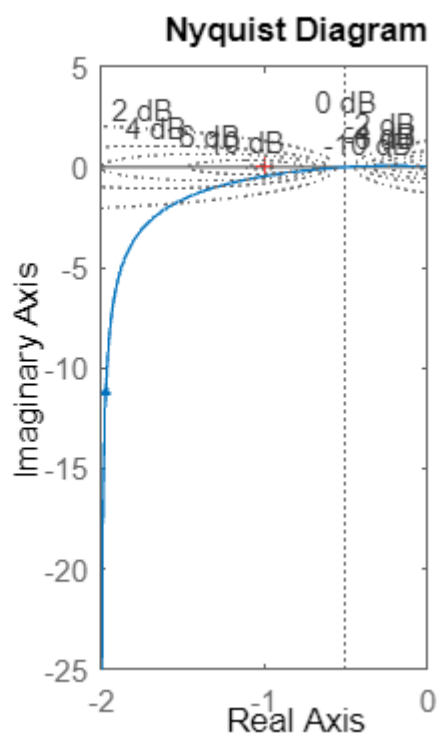
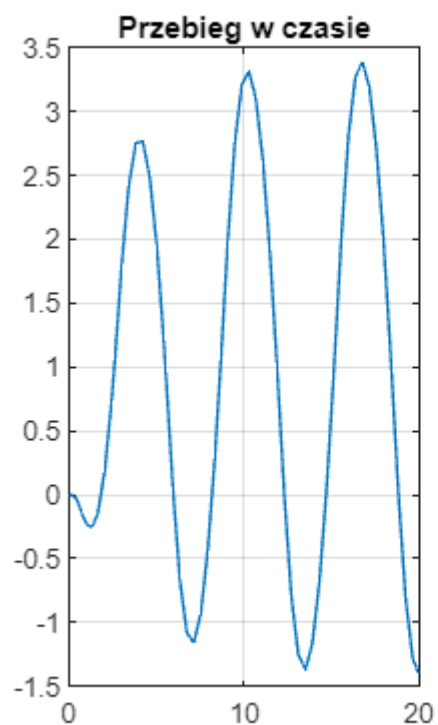


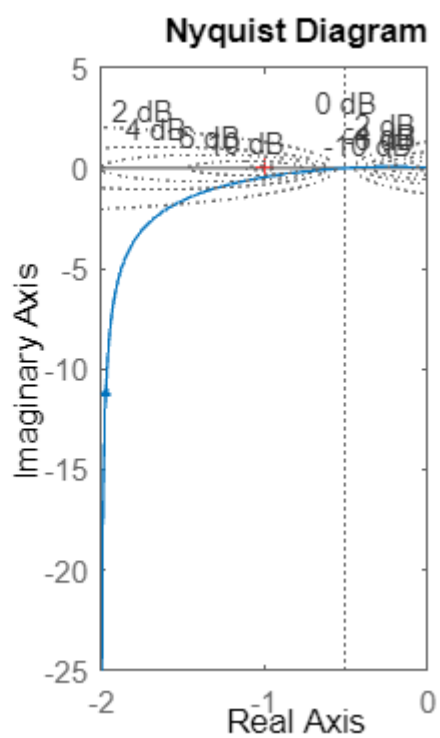
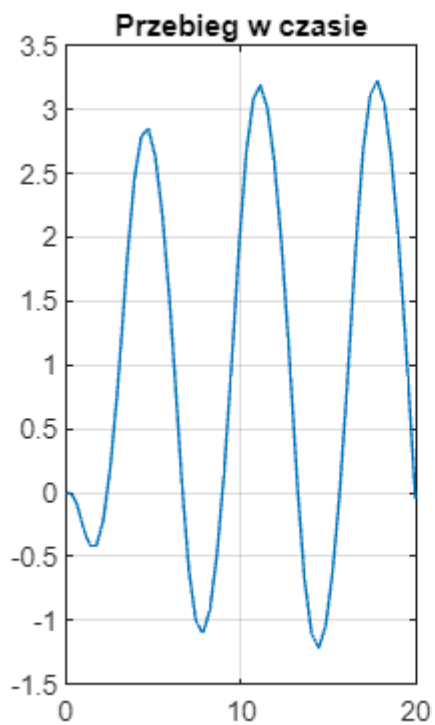
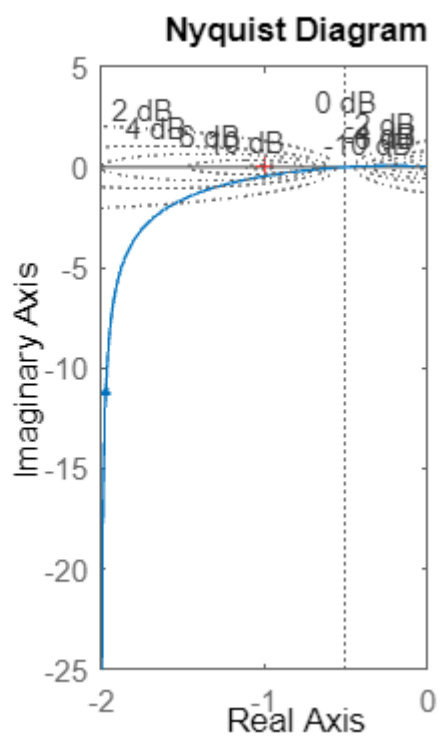
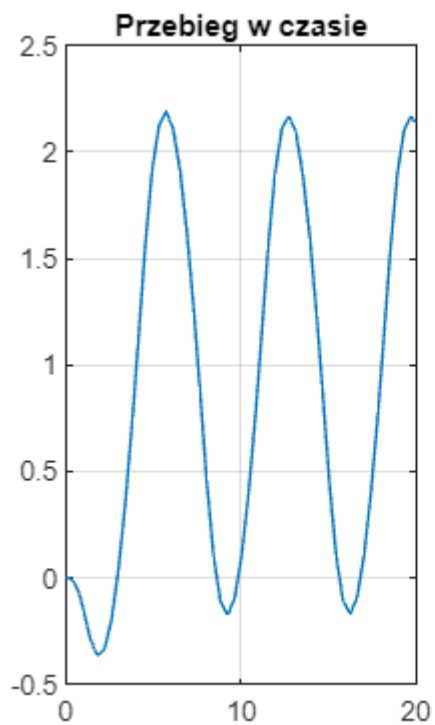
```
G = [1, 2, 1, 0];
y_mat = [[ 1.5, 4, 7];
          [ 1.5, 3.5, 8];
          [ 1.5, 3.1, 7.3]];
y = 10;
for i = 1:3
    for j = 1:3
        h = h_vec(i);
        y = y_mat(i, j);
        test(G, h, y);
    end
end
```

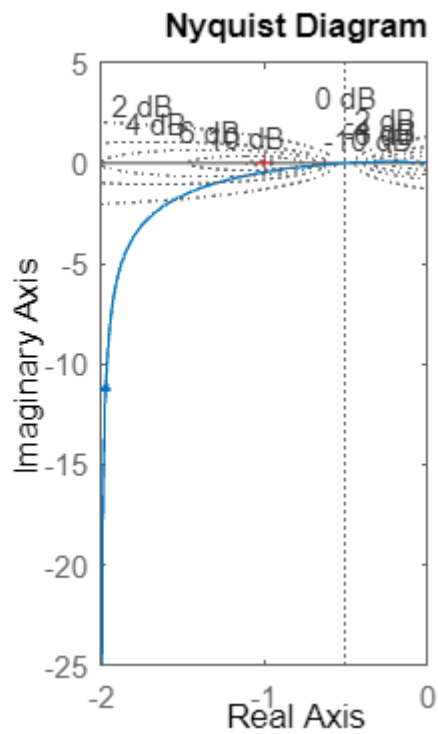
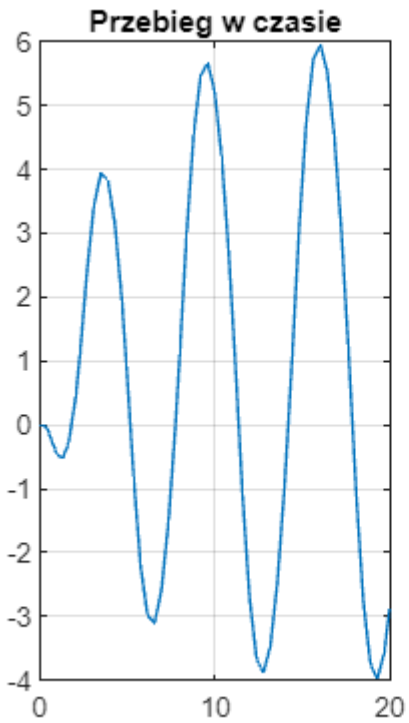






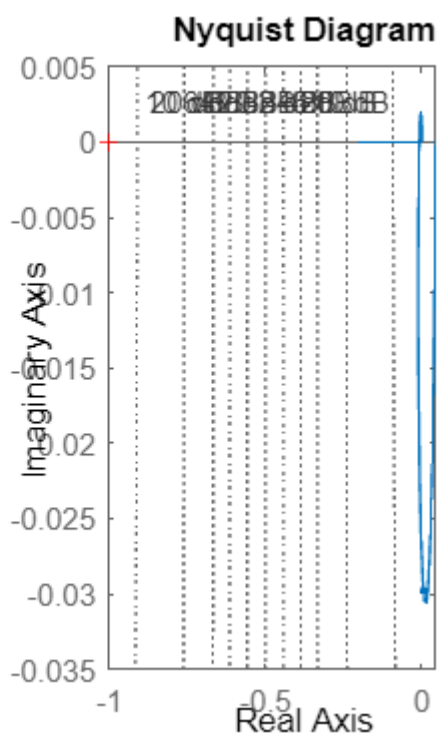
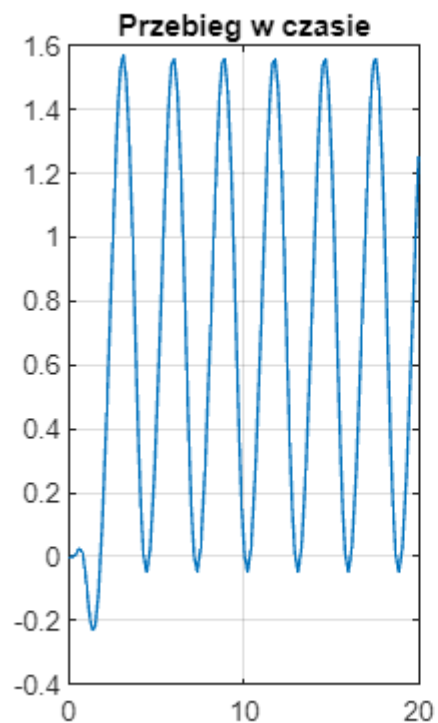




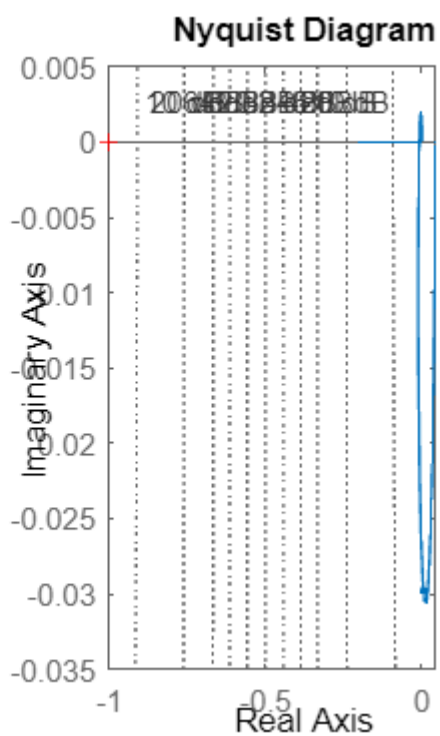
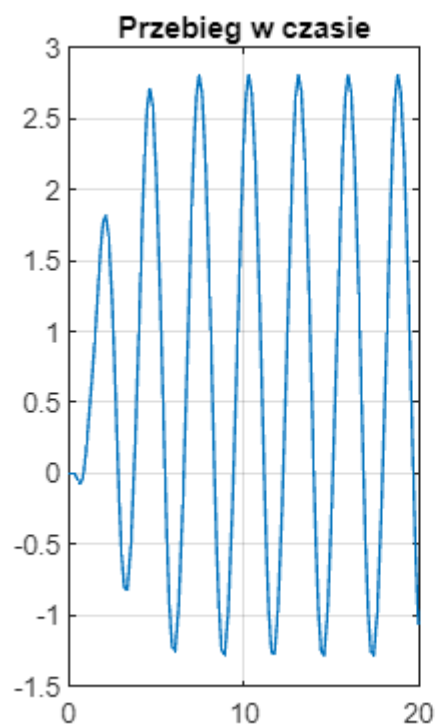


```
G = [1, 10, 35, 50, 24];
y_mat = [[ 80, 200, 500];
          [ 100, 250, 420];
          [ 110, 222, 450]];
y = 10;
for i = 1:3
    for j = 1:3
        h = h_vec(i);
        y = y_mat(i, j);
        test(G, h, y);
    end
end
```

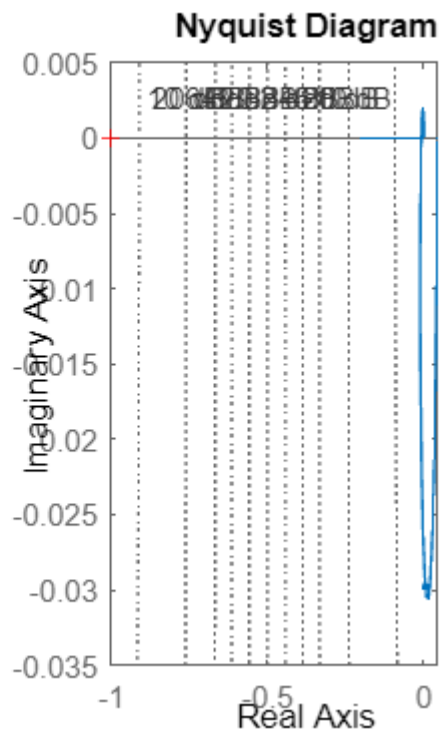
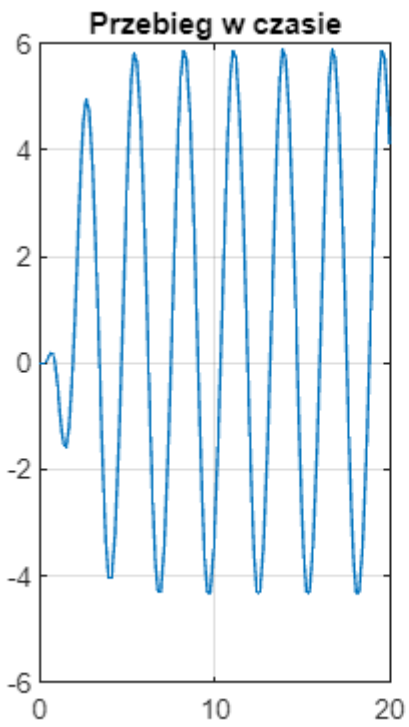
```
h = 0
y = 80
```



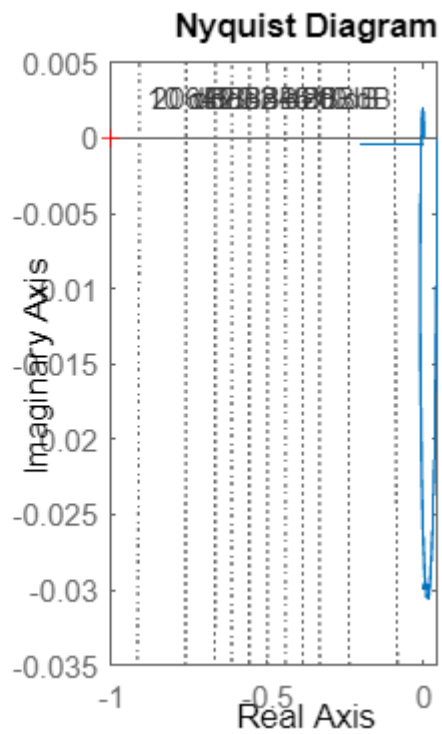
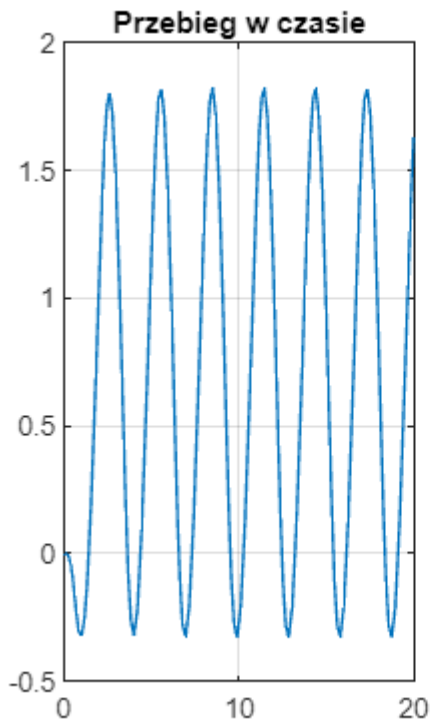
$h = 0$   
 $y = 200$



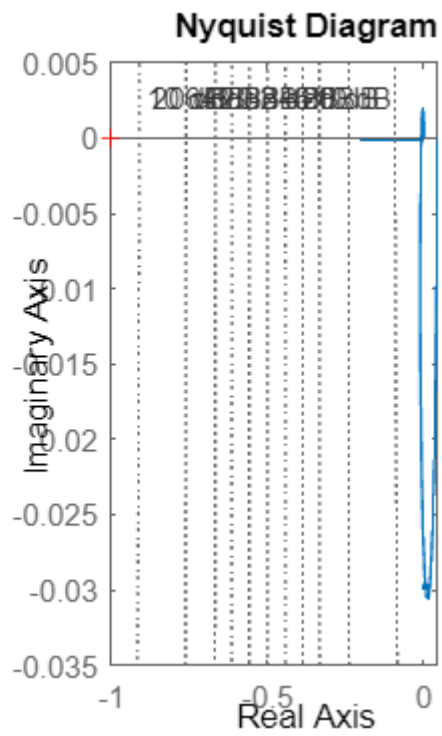
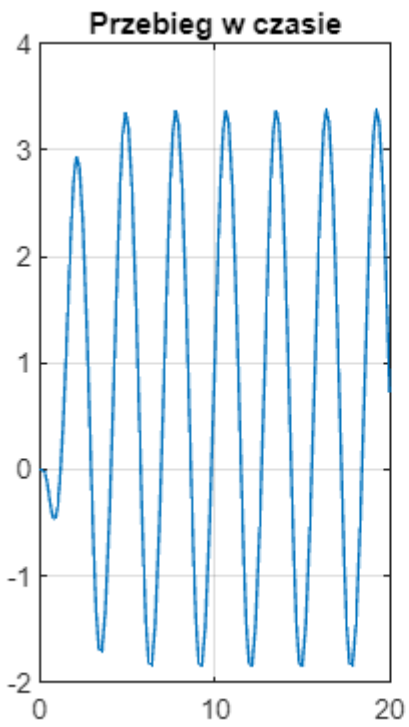
$h = 0$   
 $y = 500$



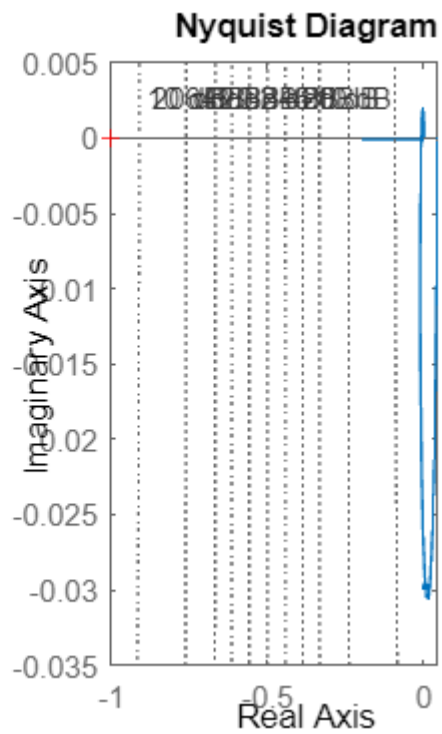
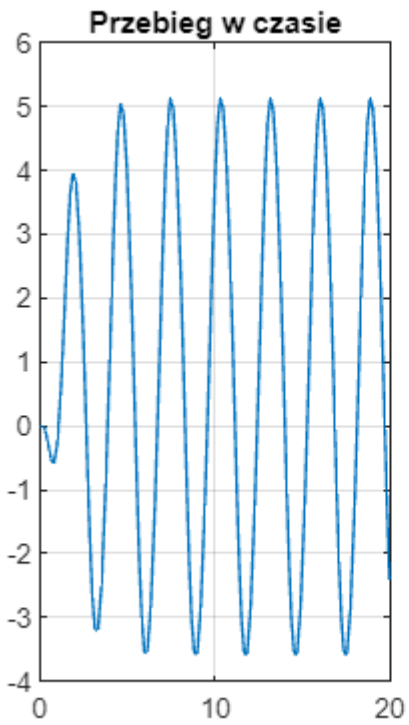
$h = 0.0500$   
 $y = 100$



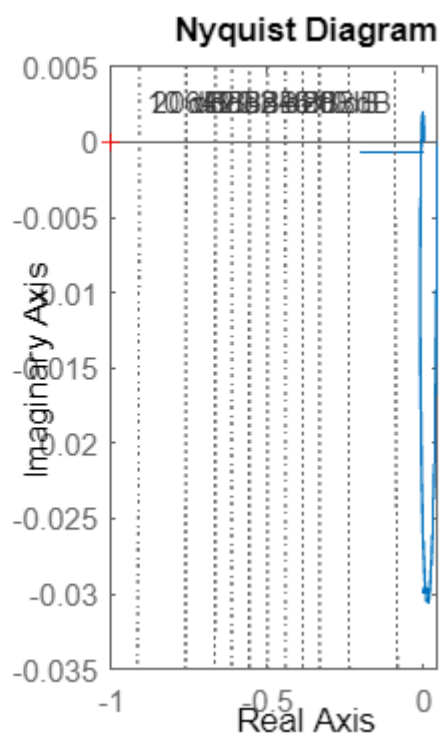
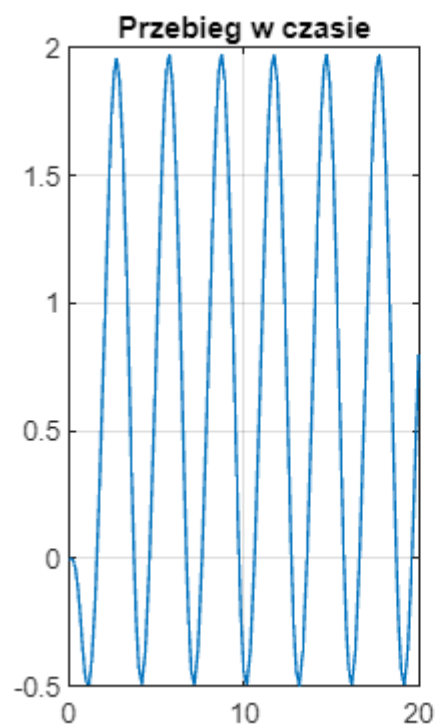
$h = 0.0500$   
 $y = 250$



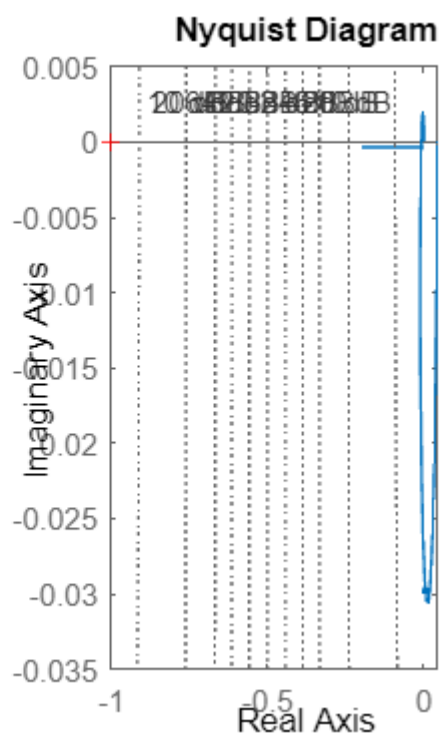
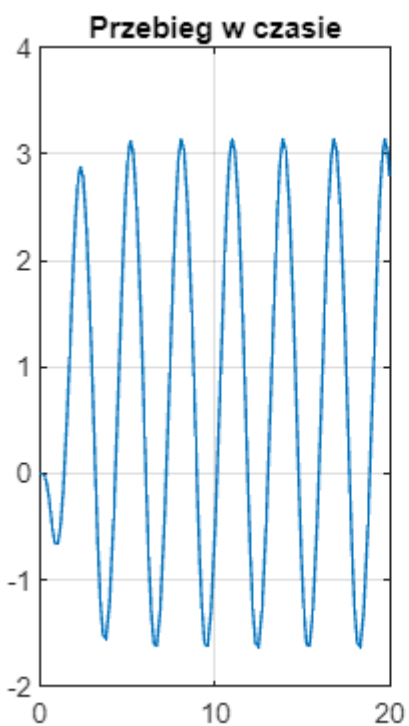
$h = 0.0500$   
 $y = 420$



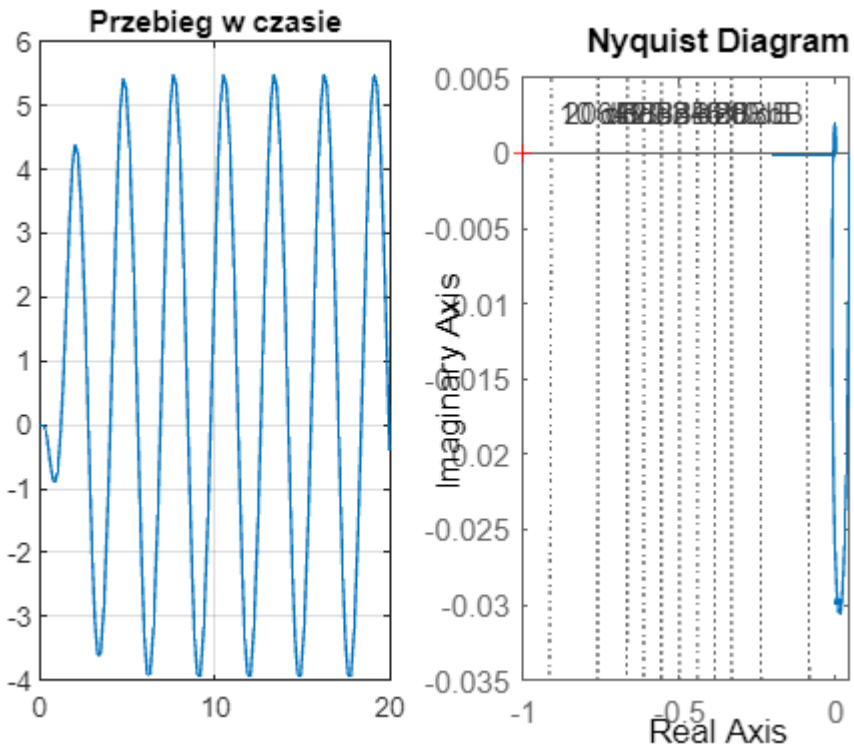
$h = 0.1000$   
 $y = 110$



$h = 0.1000$   
 $y = 222$



$h = 0.1000$   
 $y = 450$



```
function [] = test(G, h, ym)
    obiekt = tf([0,0,0,1], G);
    c = (-pi*h)/(4 * ym);
    out = sim("obiekt_reg.slx");
    figure;
    subplot(1, 2, 1);
    plot(out.ScopeData.time, out.ScopeData.signals.values);
    title("Przebieg w czasie");
    grid on;
    subplot(1, 2, 2);
    n = nyquistplot(obiekt);
    opt = getoptions(n);
    opt.ShowFullContour = 'off';
    setoptions(n, opt);
    hold on;
    plot([-0.2, 0], [c, c]);
    grid on;
    hold off;
end
```