EEC-201 Final Project

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1 Problem 1

Suppose x(n) is the following discrete-time signal,

$$x(n) = 2\cos(0.2\pi n) + 3\cos(0.4\pi n) + 4\cos(0.6\pi n).$$

Suppose we generate the sequences y(n) and s(n) from x(n) with the following system

$$x(n) \longrightarrow \boxed{H(z)} \longrightarrow \boxed{\downarrow 2} \longrightarrow \boxed{H(z)} \longrightarrow \boxed{\downarrow 2} \stackrel{s(n)}{\longrightarrow} \boxed{\uparrow 4} \longrightarrow y(n)$$

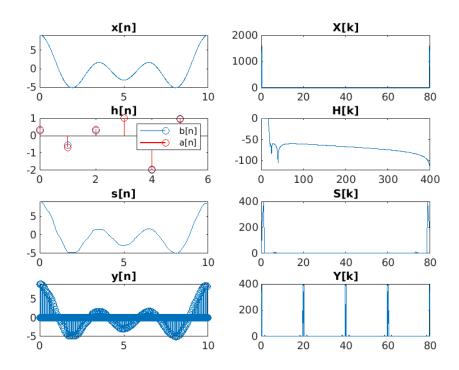
where

$$H^f(\omega) = \left\{ \begin{array}{ll} 1, & |\omega| < \pi/2 \\ 0, & \pi/2 \le |\omega| < \pi \end{array} \right.$$

Sketch $X^f(\omega)$, $H^f(\omega)$, $S^f(\omega)$ and $Y^f(\omega)$.

```
18 [xn_filt1,d] = lowpass(xn,wc,fs,'ImpulseResponse','iir','Steepness'
19 [hlp,flp] = freqz (d ,1024 , tnl );
20 xn_dwn1 = downsample(xn_filt1,2);
zn_filt2 = lowpass(xn_dwn1,wc,fs/2,'ImpulseResponse','iir','
      Steepness',0.99);
sn = downsample(xn_filt2,2);
23
24 %Generate y[n]
yn = upsample(sn,4);
26
figure('name', 'Problem 1')
29 %Plot x[n]
30 subplot (4,2,1);
31 plot(tn,xn)
32 title('x[n]')
33
34 subplot (4,2,2);
35 N = tnl;
36 \text{ xk} = \text{fft}(xn,N);
37 \text{ fk} = (0:fs/N:fs-(fs/N));
38 plot(fk,abs(xk))
39 title('X[k]')
40
41 %Plot h[n]
42 subplot (4,2,3);
stem(0:1:length(d.Coefficients)-1, d.Coefficients(1,:))
44 hold on;
stem(0:1:length(d.Coefficients)-1, d.Coefficients(2,:),'r')
46 legend('b[n]', 'a[n]')
47 title('h[n]')
49 subplot(4,2,4);
50 plot(flp,mag2db(abs(hlp)))
51 title('H[k]')
52
53 %Plot s[n]
54 subplot (4,2,5);
55 plot(tn(1:4:end),sn)
56 title('s[n]')
58 subplot (4,2,6);
59 N = tn1/4;
60 sk = fft(sn,N);
61 fk = (0:fs/N:fs-(fs/N));
62 plot(fk,abs(sk))
63 title('S[k]')
64
65 %Plot y[n]
66 subplot(4,2,7);
67 stem(tn,yn)
68 title('y[n]')
70 subplot (4,2,8);
71 N = tnl;
72 yk = fft(yn,N);
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```
73 fk = (0:fs/N:fs-(fs/N));
74 plot(fk,abs(yk))
75 title('Y[k]')
```



2 Problem 2