

Single Season Example of MSOM

Sterling Cole

March 21, 2018

Summary of Objectives

This document is meant to be an introductory guide to multi-species occupancy modelling (MSOM). I included a mix of code from the Kery & Royle's Advanced Hierarchical Modelling book <https://www.mbr-pwrc.usgs.gov/pubanalysis/keryroylebook/> and modified a JAGS model developed by Tingley et al. 2016. Data and JAGS code for that model are stored here: <https://datadryad.org/resource/doi:10.5061/dryad.871pc>. There's plenty more explanation of these types of model in Chap. 11 of the AHM book.

Housekeeping

Now that we're working on Bayesian modelling in BUGS you should download and install the latest version of JAGS. It's available here: <https://sourceforge.net/projects/mcmc-jags/files/JAGS/>

Now for some code

The first step is loading in the jagsUI package which I prefer for running Bayesian models. The package allows for relatively easy manipulation of output and allows you to easily run a model in parallel on multiple cores (if you're so lucky to have computer with that capability). This can cut run-time by a factor of 3. If you don't have it installed, just run the commented out code too. Also load up the AHMbook package to load up some dependencies.

```
# install.packages("jagsUI")
# install.packages("AHMBook")
library(jagsUI)
```

```
## Loading required package: lattice
```

```
##
## Attaching package: 'jagsUI'
```

```
## The following object is masked from 'package:utils':
##
##      View
```

```
library(AHMbook)
```

```
## Loading required package: unmarked
```

```
## Loading required package: reshape
```

```
## Loading required package: parallel
```

```
## Loading required package: Rcpp
```

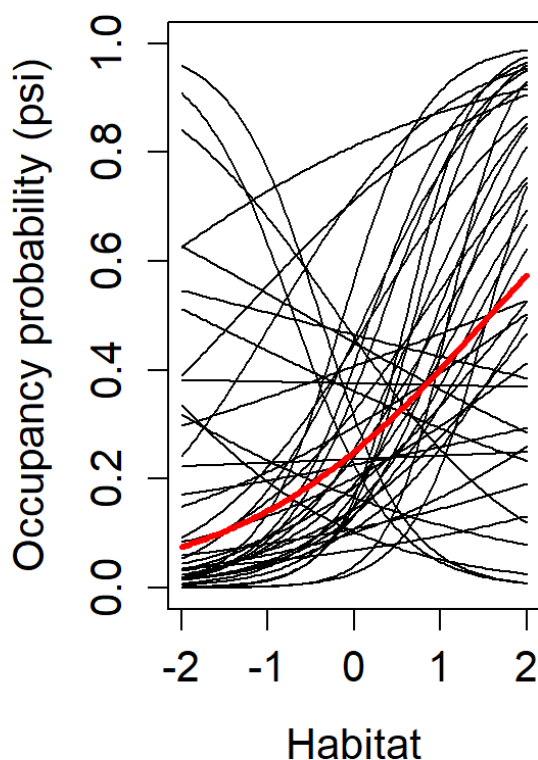
```
# Download the custom simulation function
download.file(url="https://raw.githubusercontent.com/jsc329/MSOM-Example/master/Revised%20community%20function.R", destfile="simfunc.R")
# This is saved in your working directory, use getwd() to figure out yours
# Load the function into the workspace
source("simfunc.R")
```

We have a function - `simCommEdit` - for generating state covariates that influence the occupancy of sites, and detection covariates that influence the detection probability of individual species. It also makes a nice tidy dataset with simulated detections of species given user specified relationships to state and detection covariates. So let's simulate our first dataset!

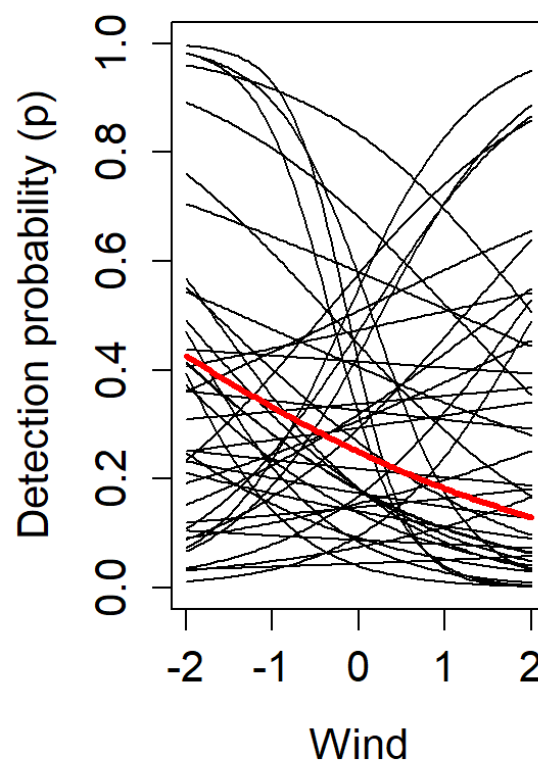
First simulation

```
simdata <- simCommEdit(type="det/nondet", nsite=30, nrep=3, nspec=40,
  mean.psi=0.25, sig.lpsi=1, mu.beta.lpsi=0.7, sig.beta.lpsi=1,
  mean.p=0.25, sig.lp=1, mu.beta.lp=-0.4, sig.beta.lp=1, show.plot = T)
```

Hab. effect on species psi



Wind effect on species p



So here's a quick rundown of all the arguments in the function:

- `type` = let's the function know we want an occurrence output
- `nsite` = number of sampled sites
- `nrep` = number of visits to each site
- `nspec` = the size of the species community (this will likely be smaller in the output)

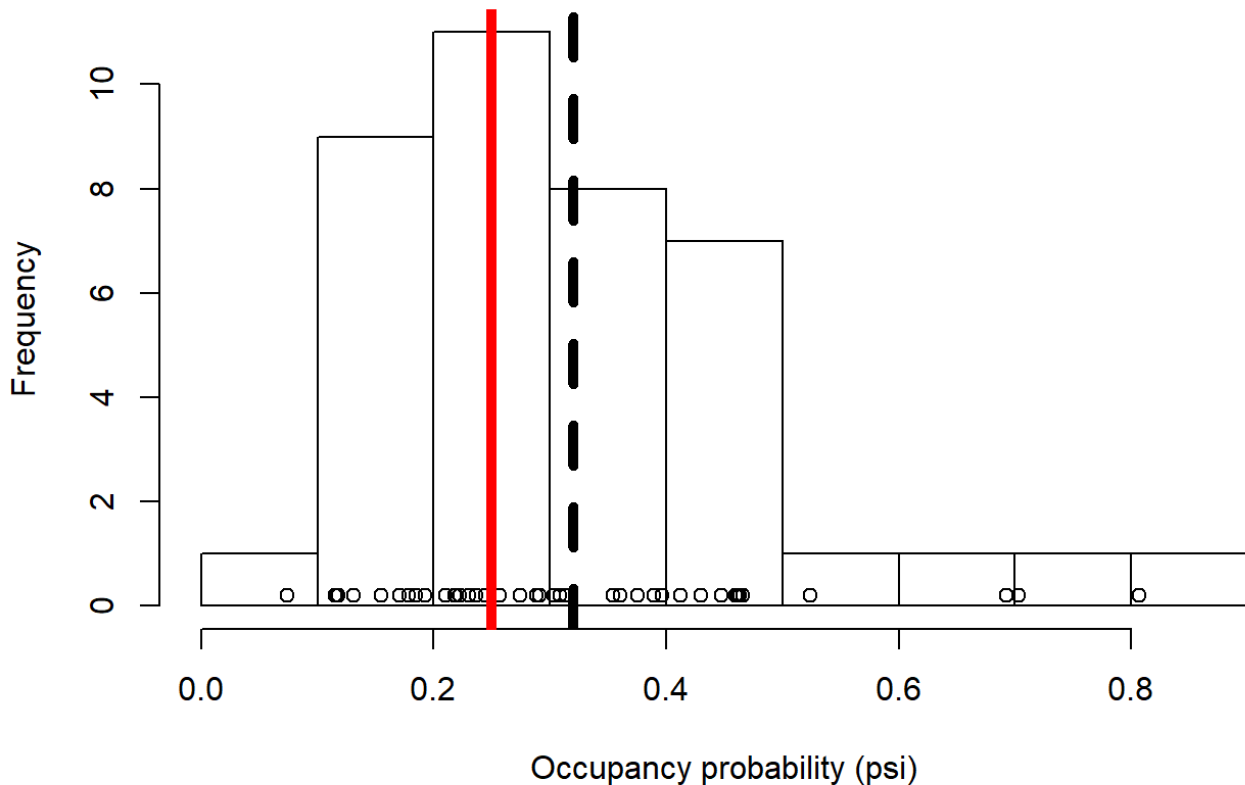
- mean.psi = the mean occupancy probability across all species
- sig.lpsi = the sd of occupancy probability for all species (how different psi is from species to species)
- mu.beta.lpsi = the mean effect of habitat on occupancy probability across all species
- sig.beta.lpsi = the sd of effect of habitat on occupancy probability (again how effect varies species to species)
- mean.p = the mean detection probability across all species
- sig.lp = the sd of detection probability (how p varies species to species)
- mu.beta.lp = the mean effect of wind on detection probability across all species
- sig.beta.lp = the sd of detection probability (how p varies species to species)
- show.plot = gives summary of output in graphical form. Plots of psi versus habitat, and p versus wind

First lesson

The MSOM hinges on the idea that the occupancy probability and detection probability come from some underlying distribution. For lack of a better idea, we say that they come from a normal distribution. If you run the simulation function above you'll see that occupancy probability increases and decreases with amount of habitat depending on the species, but in general across all species occupancy probability increases. We call this the community effect and it is estimated by a hyperparameter (a parameter that governs other parameters). You can think of this as the average effect across all species. The occupancy probability for each species also comes from a overall distribution governed by a hyperparameter. A nice illustration of this is below:

```
hist(apply(simdata$psi, 2, mean), ylab="Frequency", xlab="Occupancy probability (psi)", main="Histogram of mean psi per species")
points(x=apply(simdata$psi, 2, mean), y=rep(0.2, simdata$nspec))
abline(v=mean(apply(simdata$psi, 2, mean)), lwd=5, lty=2)
abline(v=simdata$mean.psi, lwd=5, lty=1, col="red")
```

Histogram of mean psi per species



We are taking the average occupancy probability across all sites using `apply()`, then plotting a histogram of that data. Depending on how your simulation ran you'll get a histogram that approximates a normal distribution. Those dots at the bottom of the plot are the known occupancy probabilities for each species in the model. The dotted black line is the mean of that data, and the solid red line the mean value of psi we gave to the simulation function. You can think of the dotted black line as the average occupancy probability for the community of birds, with individual species closer or further from that mean. The difference you see between the two bars is due to the different responses of birds species to habitat. Going to jump ahead a little and say, we know that $\text{psi}[i,k] = \text{plogis}(\text{beta0}[k] + \text{beta1}[k] \times \text{habitat}[i])$, so psi is the sum of the average occupancy probability for each species k ($\text{beta0}[k]$) and occupancy probability for species k across all habitat values at each site i . We can use this information to sort-of guess at what the occupancy probability is for species with much fewer observations, because we know the average effect (or hyperparameter).

Organizing the simulation output

Unfortunately for you (and me) the output from the simulation function isn't exactly conducive to feeding into JAGS. So we're going to do a little data organization. We're going to store our occurrence data in an array. Since you're probably a pro user of R you already know what a matrix is, it has x rows, and y columns. An array is kind-of like that except on steroids. You can have one two, three, four, five, however many dimensions you'd like. We're going to stick with just 3d here. If a matrix is like a sheet of paper with a spreadsheet printed on it, a 3d array is like a book with all of those sheets of paper. In this case the rows are sites, the columns are visits to sites, and the pages are the species. So for instance if we called our array `ydata`, then `ydata[, , 1]` would essentially output a matrix with occurrence data for species 1. Now lets do it:

```

ytemp <- simdata$y.obs # Store the output of the simulation here

# Make an empty array with dimensions [site, visit, species]
ydata <- array(data=NA, dim=c(simdata$nsite, simdata$nrep, dim(simdata$y.obs)[3]) )

  for (rep in 1:simdata$nrep){ # Step through all visits
    for (spec in 1:dim(simdata$y.obs)[3]){ # Step through all species

      ydata[ , rep, spec] <- unlist(ytemp[, rep, spec]) # All sites, visit number
      "rep", species number "spec"

    }
  }

# Check the full array
# "all" checks to see if all values are TRUE
# Make sure that you stored everything correctly in the array
all(ytemp[,,,]==ydata[,,,])

```

```
## [1] TRUE
```

```

# Do a similar thing with the habitat and wind data
# We don't need an array here because we only have one set of covariates
# that are shared across all species
windcov <- as.matrix(simdata$wind, byrow=T, row=simdata$nsite, col=simdata$nrep)
habcov <- as.vector(simdata$habitat)

# Check to make sure things match again
all(windcov==simdata$wind)

```

```
## [1] TRUE
```

```
all(habcov==simdata$habitat)
```

```
## [1] TRUE
```

Finally running some JAGS code

Now that we have all our data ducks in a row we can do some fun stuff, like running the model. We typically would use `scale()` to standardize covariates to facilitate faster convergence, but lucky for use the simulation function spits our covariates pre-standardized. Now we are going to specify starting value for true occupancy state Z . We can't know for sure whether an individual is at a particular site so we call Z a latent variable, something we aren't capable of observing. To help the model pick start at a reasonable point we'll give it some guess as to whether a site was really occupied by saying that any site with at least 1 observation was probably occupied. We use `apply` for this. We'll also download the jags model from github. You can take a peak at it by finding the `PyroModel.R` file saved in your working directory after you run the following code.

```

Z <- apply(ydata, c(1,3), max)
effort <- c(1, 0, 0) # This shouldn't make a difference, but I left it in because

```

```

# if you want to model your data you might consider a dummy variable indicating
# the length of the survey period, First was 3 mins, and the last two were only 2 m
ins
# The simulation function currently does not simulate an effect of this

# Download the custom simulation function
download.file(url="https://raw.githubusercontent.com/jsc329/MSOM-Example/master/PyroModel.R", destfile="PyroModel.R")
# This is saved in your working directory, use getwd() to figure out yours

# This is where we store our initial values
# We keep them in a function because that's how jags like them
# You can actually specify starting values for any unobserved
# values in jags, by adding to this list
inits <- function() { list(Z=Z)}

# Here's where we add in everything we have observed for use in the model
# including the number of species, sites, and visits
# These are used for loops inside of the model
data <- list(hab=habcov, wind=windcov, y=ydata, effort=effort,
             n.species=dim(ydata)[3], n.sites=dim(ydata)[1],
             n.visits=dim(ydata)[2])

nc <- 3 # number of chains to run, typically 3
ni <- 5000 # number of iterations to run, can vary a lot depending on how well your
model is converging
nb <- 1000 # number of burn in iterations
# Since jags typically starts with a guess of what a parameter estimate should be
# we typically discard a certain number of iterations at the beginning
# because jags is searching and hasn't yet found what it thinks is the best estimate
# we'll see more of an example of this in the output
nt <- 4 # How many of the iterations to save
# With 1 we save all iterations, but with 3 we'd save every 3rd iteration
# This can help with condensing down a large output
na <- 500 # The magic number of adaptive iterations
# during these runs the model tunes itself to optimize finding the parameter estimates
# in the quickest time

# speaking of parameter estimates, we specify what we want jags to save explicitly
# MT seems to keep the names of his parameters short
# What we're saving are the estimates of parameters that affect detection probability *a*
# and those that affect occupancy probability *b*
# a[i, 1] the intercept for detection probability for species *i* for instance
params <- c("a", "b")

# Here's where the rubber meets the road
# can kinda think of this as the lm() function for Bayesian modelling
# I turned parallel to TRUE to speed up the model fitting process
# But I'd recommend turning it to F so you can see that pretty progress bar
# With parallel=T should take 3-5 minutes
mod <- jags(data=data, inits=inits, model.file="PyroModel.R", n.iter=ni,
            n.chains=nc, n.adapt=na, parameters.to.save = params, parallel=T,
            n.burnin=nb, n.thin=nt)

```

```
##
## Processing function input.....
##
## Done.
##
## Beginning parallel processing using 3 cores. Console output will be suppressed.
##
## Parallel processing completed.
##
## Calculating statistics.....
##
## Done.
```

```
# Take a look at the brief summary output
mod
```

```
## JAGS output for model 'PyroModel.R', generated by jagsUI.
## Estimates based on 3 chains of 5000 iterations,
## adaptation = 500 iterations (sufficient),
## burn-in = 1000 iterations and thin rate = 4,
## yielding 3000 total samples from the joint posterior.
## MCMC ran in parallel for 3.943 minutes at time 2018-03-22 22:17:41.
##
##          mean      sd    2.5%    50%    97.5% overlap0      f  Rhat
## a[1,1]    -1.929  0.687   -3.277   -1.935   -0.567    FALSE 0.997 1.007
## a[2,1]     0.077  0.401   -0.717    0.076    0.859     TRUE 0.574 1.001
## a[3,1]    -1.348  0.629   -2.619   -1.341   -0.125    FALSE 0.985 1.000
## a[4,1]    -0.643  0.563   -1.727   -0.638    0.401     TRUE 0.871 1.000
## a[5,1]    -1.627  0.732   -3.069   -1.625   -0.179    FALSE 0.989 1.000
## a[6,1]     0.043  0.555   -1.076    0.047    1.120     TRUE 0.538 1.003
## a[7,1]    -1.575  0.687   -2.951   -1.554   -0.257    FALSE 0.988 1.010
## a[8,1]    -1.851  0.676   -3.170   -1.860   -0.487    FALSE 0.996 1.007
## a[9,1]    -0.090  0.359   -0.776   -0.087    0.617     TRUE 0.599 1.002
## a[10,1]   -1.451  0.794   -2.964   -1.460    0.126     TRUE 0.964 1.000
## a[11,1]   -1.950  0.641   -3.250   -1.933   -0.725    FALSE 0.999 1.010
## a[12,1]   -0.526  0.400   -1.318   -0.534    0.259     TRUE 0.904 1.001
## a[13,1]   -1.661  0.485   -2.616   -1.664   -0.699    FALSE 1.000 1.002
## a[14,1]   -1.300  0.569   -2.414   -1.313   -0.166    FALSE 0.988 1.000
## a[15,1]   -0.680  0.471   -1.592   -0.690    0.275     TRUE 0.930 1.000
## a[16,1]   -0.841  0.468   -1.747   -0.846    0.090     TRUE 0.961 1.001
## a[17,1]   -1.082  0.657   -2.358   -1.064    0.188     TRUE 0.955 1.001
## a[18,1]   -1.188  0.565   -2.311   -1.184   -0.111    FALSE 0.984 1.003
## a[19,1]   -2.088  0.862   -3.761   -2.105   -0.422    FALSE 0.992 1.015
## a[20,1]   -1.012  0.625   -2.181   -1.038    0.236     TRUE 0.943 1.002
## a[21,1]   -2.074  0.885   -3.804   -2.068   -0.258    FALSE 0.985 1.006
## a[22,1]   -0.977  0.554   -2.047   -0.967    0.115     TRUE 0.963 1.001
## a[23,1]   -1.338  0.487   -2.323   -1.338   -0.384    FALSE 0.997 1.001
## a[24,1]   -1.621  0.584   -2.769   -1.619   -0.473    FALSE 0.999 1.000
## a[25,1]   -0.440  0.405   -1.234   -0.442    0.346     TRUE 0.861 1.001
## a[26,1]   -1.022  0.579   -2.119   -1.028    0.144     TRUE 0.955 1.000
## a[27,1]   -1.341  0.491   -2.307   -1.346   -0.372    FALSE 0.996 1.001
## a[28,1]   -1.459  0.599   -2.641   -1.459   -0.306    FALSE 0.993 1.003
## a[29,1]   -0.099  0.345   -0.766   -0.096    0.598     TRUE 0.612 1.002
## a[30,1]   -1.609  0.946   -3.477   -1.609    0.229     TRUE 0.959 1.006
## a[31,1]   -1.166  0.717   -2.666   -1.156   -0.256    FALSE 0.988 1.001
```

## a[31,1]	-1.466	0.717	-2.903	-1.458	-0.052	FALSE	0.980	1.004
## a[32,1]	-1.368	0.826	-2.974	-1.376	0.264	TRUE	0.947	1.006
## a[33,1]	0.459	0.559	-0.651	0.463	1.573	TRUE	0.795	1.002
## a[34,1]	-2.065	0.888	-3.797	-2.096	-0.300	FALSE	0.989	1.009
## a[35,1]	0.370	0.288	-0.172	0.368	0.968	TRUE	0.901	1.001
## a[36,1]	-1.334	0.788	-2.822	-1.337	0.234	TRUE	0.956	1.000
## a[37,1]	-1.246	0.471	-2.196	-1.240	-0.335	FALSE	0.996	1.001
## a[38,1]	-1.630	0.598	-2.812	-1.645	-0.451	FALSE	0.996	1.003
## a[39,1]	-1.627	0.549	-2.764	-1.613	-0.547	FALSE	0.998	1.001
## a[40,1]	-2.087	0.892	-3.760	-2.097	-0.320	FALSE	0.989	1.010
## a[1,2]	-0.669	0.649	-2.091	-0.615	0.522	TRUE	0.866	1.000
## a[2,2]	-1.523	0.504	-2.584	-1.493	-0.605	FALSE	1.000	1.001
## a[3,2]	0.546	0.540	-0.456	0.519	1.713	TRUE	0.851	1.001
## a[4,2]	-1.245	0.631	-2.614	-1.187	-0.134	FALSE	0.989	1.000
## a[5,2]	-0.614	0.517	-1.651	-0.604	0.353	TRUE	0.883	1.000
## a[6,2]	0.451	0.549	-0.568	0.432	1.586	TRUE	0.800	1.001
## a[7,2]	1.158	0.700	-0.079	1.101	2.670	TRUE	0.964	1.001
## a[8,2]	-0.070	0.559	-1.229	-0.067	0.985	TRUE	0.546	1.000
## a[9,2]	0.524	0.363	-0.172	0.520	1.266	TRUE	0.930	1.001
## a[10,2]	-0.091	0.579	-1.179	-0.108	1.087	TRUE	0.577	1.000
## a[11,2]	-0.738	0.637	-2.121	-0.697	0.419	TRUE	0.891	1.000
## a[12,2]	-0.186	0.357	-0.889	-0.184	0.498	TRUE	0.701	1.000
## a[13,2]	0.584	0.422	-0.210	0.574	1.427	TRUE	0.926	1.001
## a[14,2]	0.492	0.496	-0.394	0.461	1.562	TRUE	0.849	1.000
## a[15,2]	1.092	0.557	0.160	1.052	2.314	FALSE	0.992	1.001
## a[16,2]	-0.251	0.381	-0.995	-0.240	0.471	TRUE	0.744	1.001
## a[17,2]	0.646	0.579	-0.441	0.619	1.795	TRUE	0.876	1.001
## a[18,2]	-0.911	0.542	-2.064	-0.871	0.062	TRUE	0.966	1.000
## a[19,2]	-0.369	0.693	-1.825	-0.357	0.970	TRUE	0.711	1.004
## a[20,2]	0.976	0.595	-0.080	0.930	2.290	TRUE	0.966	1.001
## a[21,2]	-0.362	0.683	-1.692	-0.341	0.919	TRUE	0.697	1.000
## a[22,2]	-0.154	0.494	-1.206	-0.140	0.785	TRUE	0.620	1.001
## a[23,2]	-0.449	0.495	-1.503	-0.435	0.478	TRUE	0.813	1.000
## a[24,2]	0.650	0.488	-0.274	0.632	1.640	TRUE	0.916	1.000
## a[25,2]	-0.254	0.430	-1.146	-0.242	0.560	TRUE	0.724	1.001
## a[26,2]	-0.521	0.551	-1.693	-0.497	0.526	TRUE	0.837	1.000
## a[27,2]	-0.135	0.456	-1.037	-0.124	0.762	TRUE	0.609	1.002
## a[28,2]	-0.045	0.457	-0.944	-0.046	0.863	TRUE	0.543	1.000
## a[29,2]	-0.736	0.338	-1.416	-0.722	-0.092	FALSE	0.989	1.000
## a[30,2]	-0.632	0.598	-1.877	-0.624	0.520	TRUE	0.875	1.000
## a[31,2]	-0.781	0.631	-2.127	-0.748	0.335	TRUE	0.904	1.000
## a[32,2]	0.011	0.694	-1.356	-0.009	1.447	TRUE	0.496	1.000
## a[33,2]	-0.752	0.538	-1.842	-0.730	0.245	TRUE	0.928	1.001
## a[34,2]	0.237	0.682	-1.074	0.227	1.594	TRUE	0.635	1.000
## a[35,2]	-0.741	0.305	-1.357	-0.727	-0.178	FALSE	0.994	1.000
## a[36,2]	0.029	0.636	-1.240	0.043	1.289	TRUE	0.527	1.000
## a[37,2]	0.797	0.456	-0.073	0.782	1.725	TRUE	0.964	1.003
## a[38,2]	0.432	0.550	-0.563	0.420	1.565	TRUE	0.785	1.001
## a[39,2]	-0.159	0.510	-1.163	-0.168	0.850	TRUE	0.621	1.000
## a[40,2]	0.519	0.666	-0.764	0.501	1.890	TRUE	0.793	1.000
## a[1,3]	0.005	0.452	-0.938	0.031	0.847	TRUE	0.529	1.004
## a[2,3]	0.161	0.399	-0.616	0.162	0.963	TRUE	0.663	1.002
## a[3,3]	0.107	0.433	-0.727	0.100	0.991	TRUE	0.597	1.001
## a[4,3]	0.392	0.471	-0.437	0.354	1.463	TRUE	0.805	1.001
## a[5,3]	0.333	0.473	-0.523	0.300	1.367	TRUE	0.768	1.003
## a[6,3]	-0.040	0.433	-0.937	-0.028	0.772	TRUE	0.530	1.002
## a[7,3]	-0.034	0.459	-1.006	-0.014	0.865	TRUE	0.513	1.003

## a[8,3]	-0.018	0.446	-0.939	0.001	0.848	TRUE	0.499	1.001
## a[9,3]	-0.093	0.389	-0.915	-0.077	0.628	TRUE	0.583	1.001
## a[10,3]	0.220	0.470	-0.662	0.204	1.191	TRUE	0.689	1.002
## a[11,3]	0.340	0.475	-0.526	0.302	1.400	TRUE	0.773	1.005
## a[12,3]	-0.164	0.401	-1.020	-0.135	0.548	TRUE	0.641	1.002
## a[13,3]	-0.083	0.419	-0.969	-0.062	0.679	TRUE	0.563	1.001
## a[14,3]	-0.025	0.425	-0.884	-0.012	0.759	TRUE	0.512	1.001
## a[15,3]	0.023	0.414	-0.803	0.026	0.868	TRUE	0.527	1.000
## a[16,3]	0.175	0.395	-0.551	0.163	1.001	TRUE	0.670	1.003
## a[17,3]	-0.154	0.453	-1.140	-0.122	0.661	TRUE	0.622	1.000
## a[18,3]	-0.004	0.448	-0.993	0.022	0.830	TRUE	0.477	1.001
## a[19,3]	0.113	0.465	-0.815	0.103	1.069	TRUE	0.601	1.002
## a[20,3]	0.017	0.439	-0.896	0.029	0.885	TRUE	0.527	1.003
## a[21,3]	0.115	0.464	-0.819	0.114	1.051	TRUE	0.610	1.004
## a[22,3]	0.341	0.461	-0.475	0.312	1.364	TRUE	0.776	1.001
## a[23,3]	0.011	0.427	-0.823	0.020	0.827	TRUE	0.523	1.000
## a[24,3]	-0.122	0.447	-1.094	-0.086	0.669	TRUE	0.594	1.002
## a[25,3]	-0.192	0.422	-1.113	-0.171	0.597	TRUE	0.662	1.003
## a[26,3]	-0.045	0.418	-0.934	-0.026	0.742	TRUE	0.526	1.002
## a[27,3]	-0.074	0.418	-0.950	-0.060	0.743	TRUE	0.564	1.002
## a[28,3]	0.351	0.458	-0.466	0.316	1.373	TRUE	0.787	1.003
## a[29,3]	-0.050	0.379	-0.856	-0.039	0.658	TRUE	0.543	1.000
## a[30,3]	0.108	0.467	-0.814	0.103	1.074	TRUE	0.592	1.001
## a[31,3]	0.040	0.456	-0.903	0.053	0.909	TRUE	0.553	1.000
## a[32,3]	0.042	0.455	-0.843	0.037	0.949	TRUE	0.537	1.005
## a[33,3]	0.061	0.440	-0.828	0.059	0.946	TRUE	0.558	1.002
## a[34,3]	-0.079	0.473	-1.152	-0.050	0.778	TRUE	0.552	1.002
## a[35,3]	0.441	0.398	-0.258	0.418	1.331	TRUE	0.875	1.002
## a[36,3]	0.033	0.459	-0.903	0.037	0.969	TRUE	0.535	1.003
## a[37,3]	0.143	0.416	-0.688	0.143	1.016	TRUE	0.645	1.002
## a[38,3]	-0.096	0.452	-1.115	-0.066	0.706	TRUE	0.559	1.002
## a[39,3]	0.249	0.442	-0.555	0.227	1.189	TRUE	0.715	1.006
## a[40,3]	0.080	0.465	-0.879	0.086	0.979	TRUE	0.581	1.002
## b[1,1]	-1.042	0.775	-2.509	-1.086	0.552	TRUE	0.913	1.003
## b[2,1]	-0.261	0.401	-1.029	-0.271	0.571	TRUE	0.754	1.003
## b[3,1]	-1.204	0.690	-2.469	-1.234	0.239	TRUE	0.955	1.000
## b[4,1]	-1.044	0.496	-2.039	-1.056	-0.019	FALSE	0.976	1.001
## b[5,1]	-1.302	0.739	-2.692	-1.344	0.305	TRUE	0.953	1.001
## b[6,1]	-1.245	0.494	-2.224	-1.227	-0.311	FALSE	0.993	1.003
## b[7,1]	-1.183	0.679	-2.483	-1.213	0.209	TRUE	0.956	1.008
## b[8,1]	-0.996	0.760	-2.400	-1.025	0.542	TRUE	0.904	1.014
## b[9,1]	-0.170	0.465	-1.059	-0.175	0.780	TRUE	0.657	1.000
## b[10,1]	-1.500	0.758	-2.957	-1.504	0.055	TRUE	0.970	1.001
## b[11,1]	-1.377	0.739	-2.821	-1.380	0.069	TRUE	0.967	1.008
## b[12,1]	-0.001	0.529	-0.937	-0.047	1.163	TRUE	0.540	1.003
## b[13,1]	0.067	0.688	-1.133	0.001	1.491	TRUE	0.500	1.001
## b[14,1]	-0.583	0.699	-1.801	-0.646	0.978	TRUE	0.820	1.001
## b[15,1]	-0.777	0.531	-1.773	-0.796	0.352	TRUE	0.928	1.002
## b[16,1]	-0.340	0.576	-1.347	-0.392	0.972	TRUE	0.753	1.003
## b[17,1]	-1.078	0.658	-2.256	-1.129	0.351	TRUE	0.944	1.000
## b[18,1]	-1.276	0.642	-2.574	-1.270	-0.061	FALSE	0.981	1.005
## b[19,1]	-1.620	0.883	-3.391	-1.619	0.116	TRUE	0.967	1.016
## b[20,1]	-1.329	0.639	-2.605	-1.334	-0.092	FALSE	0.982	1.004
## b[21,1]	-1.685	0.862	-3.390	-1.684	0.009	TRUE	0.974	1.003
## b[22,1]	-1.481	0.659	-2.797	-1.461	-0.233	FALSE	0.986	1.000
## b[23,1]	-0.835	0.649	-2.084	-0.840	0.477	TRUE	0.912	1.000
## b[24,1]	-0.841	0.706	-2.217	-0.856	0.618	TRUE	0.886	1.004

## b[25,1]	-0.549	0.496	-1.474	-0.571	0.473	TRUE	0.868	1.002
## b[26,1]	-0.816	0.605	-1.904	-0.844	0.493	TRUE	0.906	1.002
## b[27,1]	-0.389	0.641	-1.539	-0.431	0.998	TRUE	0.747	1.000
## b[28,1]	-0.776	0.656	-1.916	-0.828	0.695	TRUE	0.886	1.013
## b[29,1]	0.259	0.479	-0.606	0.230	1.247	TRUE	0.698	1.003
## b[30,1]	-1.782	0.835	-3.370	-1.807	-0.107	FALSE	0.979	1.010
## b[31,1]	-1.376	0.751	-2.824	-1.375	0.130	TRUE	0.967	1.002
## b[32,1]	-1.491	0.778	-2.886	-1.517	0.150	TRUE	0.967	1.015
## b[33,1]	-1.194	0.447	-2.103	-1.191	-0.326	FALSE	0.996	1.000
## b[34,1]	-1.465	0.855	-3.120	-1.474	0.196	TRUE	0.957	1.007
## b[35,1]	1.212	0.530	0.326	1.180	2.354	FALSE	0.998	1.005
## b[36,1]	-1.537	0.749	-3.037	-1.534	-0.035	FALSE	0.977	1.003
## b[37,1]	-0.618	0.598	-1.723	-0.630	0.668	TRUE	0.863	1.005
## b[38,1]	-0.627	0.732	-1.922	-0.664	0.937	TRUE	0.820	1.002
## b[39,1]	-1.042	0.695	-2.350	-1.071	0.337	TRUE	0.932	1.001
## b[40,1]	-1.546	0.888	-3.276	-1.540	0.170	TRUE	0.961	1.014
## b[1,2]	1.033	0.764	-0.314	0.964	2.741	TRUE	0.931	1.004
## b[2,2]	0.490	0.386	-0.236	0.483	1.291	TRUE	0.903	1.001
## b[3,2]	1.053	0.639	-0.064	0.998	2.465	TRUE	0.966	1.007
## b[4,2]	0.186	0.463	-0.720	0.173	1.120	TRUE	0.659	1.000
## b[5,2]	-0.629	0.729	-2.152	-0.600	0.698	TRUE	0.810	1.002
## b[6,2]	0.748	0.476	-0.137	0.725	1.736	TRUE	0.954	1.000
## b[7,2]	-0.179	0.706	-1.613	-0.150	1.154	TRUE	0.585	1.003
## b[8,2]	1.085	0.773	-0.240	1.019	2.780	TRUE	0.939	1.001
## b[9,2]	1.240	0.533	0.310	1.208	2.370	FALSE	0.997	1.001
## b[10,2]	0.407	0.714	-0.876	0.386	1.955	TRUE	0.718	1.003
## b[11,2]	1.617	0.795	0.290	1.534	3.344	FALSE	0.993	1.004
## b[12,2]	0.556	0.522	-0.357	0.523	1.684	TRUE	0.865	1.000
## b[13,2]	0.425	0.548	-0.619	0.399	1.590	TRUE	0.796	1.000
## b[14,2]	-0.364	0.720	-1.847	-0.349	1.088	TRUE	0.697	1.002
## b[15,2]	1.435	0.761	0.222	1.326	3.170	FALSE	0.991	1.001
## b[16,2]	-0.221	0.662	-1.492	-0.220	1.094	TRUE	0.651	1.010
## b[17,2]	0.101	0.676	-1.134	0.074	1.600	TRUE	0.551	1.009
## b[18,2]	1.543	0.653	0.398	1.490	2.998	FALSE	0.999	1.001
## b[19,2]	0.871	0.841	-0.637	0.801	2.721	TRUE	0.867	1.004
## b[20,2]	1.316	0.875	0.072	1.150	3.548	FALSE	0.982	1.028
## b[21,2]	1.051	0.805	-0.302	0.971	2.978	TRUE	0.928	1.005
## b[22,2]	1.749	0.720	0.604	1.649	3.491	FALSE	0.999	1.005
## b[23,2]	1.775	0.754	0.558	1.719	3.466	FALSE	0.998	1.001
## b[24,2]	1.144	0.596	0.105	1.095	2.479	FALSE	0.985	1.004
## b[25,2]	1.305	0.529	0.375	1.266	2.443	FALSE	0.997	1.001
## b[26,2]	0.415	0.529	-0.540	0.381	1.516	TRUE	0.789	1.001
## b[27,2]	1.007	0.681	-0.161	0.958	2.518	TRUE	0.951	1.000
## b[28,2]	-0.220	0.636	-1.521	-0.215	1.029	TRUE	0.638	1.001
## b[29,2]	1.565	0.588	0.544	1.516	2.858	FALSE	1.000	1.001
## b[30,2]	0.087	0.708	-1.396	0.112	1.483	TRUE	0.565	1.001
## b[31,2]	1.142	0.741	-0.056	1.040	2.884	TRUE	0.967	1.012
## b[32,2]	0.232	0.744	-1.163	0.208	1.813	TRUE	0.626	1.003
## b[33,2]	0.829	0.522	-0.047	0.767	2.019	TRUE	0.966	1.002
## b[34,2]	0.459	0.869	-1.119	0.387	2.399	TRUE	0.700	1.005
## b[35,2]	0.969	0.537	0.036	0.935	2.144	FALSE	0.980	1.001
## b[36,2]	-0.308	0.687	-1.804	-0.270	0.941	TRUE	0.670	1.002
## b[37,2]	1.726	0.724	0.511	1.658	3.326	FALSE	0.999	1.004
## b[38,2]	0.780	0.646	-0.342	0.714	2.209	TRUE	0.909	1.004
## b[39,2]	1.793	0.818	0.454	1.704	3.665	FALSE	0.998	1.000
## b[40,2]	0.353	0.851	-1.252	0.333	2.132	TRUE	0.673	1.004
## deviance	1200.293	47.134	1112.661	1199.177	1297.446	FALSE	1.000	1.004

```
## covariances 1200,200 17,101 112,001 100,177 1207,110 11202 1,000 1,001
##
## n.eff
## a[1,1] 290
## a[2,1] 2148
## a[3,1] 3000
## a[4,1] 3000
## a[5,1] 3000
## a[6,1] 1203
## a[7,1] 203
## a[8,1] 283
## a[9,1] 987
## a[10,1] 3000
## a[11,1] 197
## a[12,1] 1573
## a[13,1] 914
## a[14,1] 3000
## a[15,1] 3000
## a[16,1] 3000
## a[17,1] 1454
## a[18,1] 725
## a[19,1] 143
## a[20,1] 898
## a[21,1] 347
## a[22,1] 3000
## a[23,1] 1934
## a[24,1] 3000
## a[25,1] 3000
## a[26,1] 2910
## a[27,1] 1248
## a[28,1] 774
## a[29,1] 1382
## a[30,1] 405
## a[31,1] 479
## a[32,1] 341
## a[33,1] 989
## a[34,1] 231
## a[35,1] 1629
## a[36,1] 3000
## a[37,1] 1889
## a[38,1] 605
## a[39,1] 1605
## a[40,1] 195
## a[1,2] 3000
## a[2,2] 1994
## a[3,2] 2279
## a[4,2] 3000
## a[5,2] 3000
## a[6,2] 2147
## a[7,2] 2460
## a[8,2] 3000
## a[9,2] 3000
## a[10,2] 3000
## a[11,2] 2766
## a[12,2] 3000
## a[13,2] 1329
## a[14,2] 3000
## a[15,2] 2205
## a[16,2] 2685
```

##	a[16,2]	2685
##	a[17,2]	2166
##	a[18,2]	3000
##	a[19,2]	532
##	a[20,2]	1564
##	a[21,2]	3000
##	a[22,2]	3000
##	a[23,2]	3000
##	a[24,2]	2300
##	a[25,2]	1609
##	a[26,2]	2641
##	a[27,2]	1404
##	a[28,2]	3000
##	a[29,2]	3000
##	a[30,2]	3000
##	a[31,2]	3000
##	a[32,2]	3000
##	a[33,2]	1543
##	a[34,2]	3000
##	a[35,2]	3000
##	a[36,2]	3000
##	a[37,2]	594
##	a[38,2]	1576
##	a[39,2]	3000
##	a[40,2]	2738
##	a[1,3]	984
##	a[2,3]	1382
##	a[3,3]	1683
##	a[4,3]	2546
##	a[5,3]	1023
##	a[6,3]	1278
##	a[7,3]	2376
##	a[8,3]	3000
##	a[9,3]	1088
##	a[10,3]	913
##	a[11,3]	420
##	a[12,3]	1681
##	a[13,3]	3000
##	a[14,3]	3000
##	a[15,3]	3000
##	a[16,3]	870
##	a[17,3]	3000
##	a[18,3]	3000
##	a[19,3]	1291
##	a[20,3]	1130
##	a[21,3]	886
##	a[22,3]	1715
##	a[23,3]	3000
##	a[24,3]	894
##	a[25,3]	2357
##	a[26,3]	942
##	a[27,3]	2529
##	a[28,3]	1160
##	a[29,3]	2655
##	a[30,3]	3000
##	a[31,3]	3000
##	a[32,3]	1405

## a[33,3]	765
## a[34,3]	1046
## a[35,3]	1293
## a[36,3]	706
## a[37,3]	1814
## a[38,3]	2173
## a[39,3]	405
## a[40,3]	1086
## b[1,1]	621
## b[2,1]	696
## b[3,1]	3000
## b[4,1]	1135
## b[5,1]	3000
## b[6,1]	667
## b[7,1]	260
## b[8,1]	168
## b[9,1]	2214
## b[10,1]	3000
## b[11,1]	261
## b[12,1]	709
## b[13,1]	1627
## b[14,1]	1630
## b[15,1]	3000
## b[16,1]	3000
## b[17,1]	3000
## b[18,1]	388
## b[19,1]	137
## b[20,1]	443
## b[21,1]	1662
## b[22,1]	3000
## b[23,1]	3000
## b[24,1]	2480
## b[25,1]	1205
## b[26,1]	1036
## b[27,1]	3000
## b[28,1]	185
## b[29,1]	1182
## b[30,1]	231
## b[31,1]	976
## b[32,1]	154
## b[33,1]	3000
## b[34,1]	303
## b[35,1]	685
## b[36,1]	643
## b[37,1]	530
## b[38,1]	1159
## b[39,1]	3000
## b[40,1]	164
## b[1,2]	1511
## b[2,2]	1886
## b[3,2]	373
## b[4,2]	3000
## b[5,2]	1807
## b[6,2]	3000
## b[7,2]	1329
## b[8,2]	3000
## b[9,2]	2665

```

## b[10,2]      911
## b[11,2]      609
## b[12,2]     3000
## b[13,2]     3000
## b[14,2]      778
## b[15,2]     1106
## b[16,2]      409
## b[17,2]      487
## b[18,2]     2706
## b[19,2]      834
## b[20,2]      248
## b[21,2]      724
## b[22,2]     1238
## b[23,2]     3000
## b[24,2]      516
## b[25,2]     3000
## b[26,2]     2110
## b[27,2]     2501
## b[28,2]     3000
## b[29,2]     3000
## b[30,2]     2063
## b[31,2]      316
## b[32,2]      838
## b[33,2]     3000
## b[34,2]     3000
## b[35,2]     3000
## b[36,2]     3000
## b[37,2]     2015
## b[38,2]      555
## b[39,2]     3000
## b[40,2]     1021
## deviance    479
##
## Successful convergence based on Rhat values (all < 1.1).
## Rhat is the potential scale reduction factor (at convergence, Rhat=1).
## For each parameter, n.eff is a crude measure of effective sample size.
##
## overlap0 checks if 0 falls in the parameter's 95% credible interval.
## f is the proportion of the posterior with the same sign as the mean;
## i.e., our confidence that the parameter is positive or negative.
##
## DIC info: (pD = var(deviance)/2)
## pD = 1106.9 and DIC = 2307.203
## DIC is an estimate of expected predictive error (lower is better).

```

What now with all these numbers and letters?

So you managed to get your model to run (hopefully) and converge.