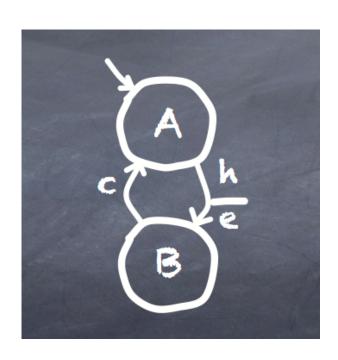
# RFSM User Manual - 2.0

# J. Sérot



# Chapter 1

# Introduction

This document is a brief user manual for the RFSM language and compiler. It is, in its current form, very preliminary, but should suffice for a quick grasp of the language possibilities.

RFSM is a domain specific language aimed at describing, drawing and simulating *reactive finite* state machines. Reactive FSMs are a FSMs for which transitions can only take place at the occurence of events.

RFSM has been developed mainly for pedagogical purposes, in order to initiate students to model-based design. It is currently used in courses dedicated to embedded system design both on software and hardware platforms (microcontrolers and FPGA resp.). But RFSM can also be used to generate code (C, SystemC or VHDL) from high-level models to be integrated to existing applications.

More precisely, RFSM can be used to

- describe FSM-based models and testbenches,
- generate graphical representations of these models (.dot format) for visualisation,
- simulate these models, producing .vcd files to be displayed with waveform viewers such as gtkwave,
- generate C, SystemC and VHDL implementations (including testbenches for simulation)

The RFSM compiler is also used internally by the RFSMLIGHT application<sup>1</sup> which provides a GUI-based interface to a subset of the language<sup>2</sup> and compiler back-ends. The RFSMLIGHT application is described in a separate document.

This document is organized as follows. Chapter 2 is an informal presentation of the RFSM language and of its possible usages. Chapter 4 describes how to use the command-line compiler. Appendix A gives the detailed syntax of the language. Appendix B summarizes the compiler options. Appendices C1, C2 and C3 give some examples of code generated by the C, SystemC and VHDL backends.

<sup>1</sup>github.com/jserot/rfsm-light

<sup>&</sup>lt;sup>2</sup>Single FSM models only.

# Chapter 2

# Overview

This chapter gives informal introduction to the RFSM language and of how to use it to describe FSM-based systems.

Listing 2.1 is an example of a simple RFSM program<sup>1</sup>. This program is used to describe and simulate the model of a calibrated pulse generator. Given an input clock H, with period  $T_H$ , it generates a pulse of duration  $n \times T_H$  whenever input E is set when event H occurs.

Listing 2.1: A simple RFSM program

```
1
   fsm model gensig <n: int> (
2
      in h: event,
3
      in e: bool,
      out s: bool)
4
5
6
      states: E0, E1;
7
      vars: k: int <1:n>;
8
9
        E0 \rightarrow E1 on h when e=1 with k:=1, s:=1
10
        E1 \rightarrow E1 on h when k<n with k:=k+1
11
        E1 \rightarrow E0 on h when k=n with s:=0;
12
      itrans:
13
      | \rightarrow E0  with s := 0;
14
15
   input H : event = periodic (10,0,80)
16
17
    input E : bool = value_changes (0:0, 25:1, 35:0)
   output S: bool
18
19
20
   fsm g = gensig < 3 > (H, E, S)
```

The program can be divided in four parts.

The first part (lines 1-14) gives a **generic model** of the generator behavior. The model, named **gensig**, has one parameter, n, two inputs, h and e, of type event and bool respectively, and one output s of type bool. Its behavior is specified as a reactive FSM with two states, E0 and E1, and one internal variable k. The transitions of this FSM are given after the **trans**: keyword in the form:

<sup>&</sup>lt;sup>1</sup>This program is provided in the distribution, under directory examples/full/single/gensig.

source state -> destination state on ev when guard with actions

where

- ev is the event trigerring the transition,
- guard is a set of (boolean) conditions,
- actions is a set of actions performed when the transition is enabled.

The semantics is that the transition is enabled whenever the FSM is in the source state, the event ev occurs and all the conditions in the guard are true. The associated actions are then performed and the FSM moves to the destination state. For example, the first transition is enabled whenever an event occurs on input h and, at this instant, the value of input e is 1. The FSM then goes from state E0 to state E1, sets its internal variable k to 1 and its output s to  $1^2$ .

The initial transition of the FSM is given after the itrans: keyword in the form:

$$\mid$$
 -> initial\_state **with** actions

Here the FSM is initially in state EO and the output s is set to 0.

Note. In the transitions, the when guard and with actions are optional and may be omitted.

A graphical representation of the **gensig** model is given in Fig. 2.1 (this representation was automatically generated from the program in Listing 2.1, as explained in Chap. 4).

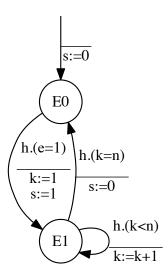


Figure 2.1: A graphical representation of FSM model defined in Listing 2.1

<sup>&</sup>lt;sup>2</sup>Boolean values true and false can be denoted 1 and 0 respectively in programs.

Note that, at this level, the value of the parameter n, used in the type of the internal variable k (line 7) and in the transition conditions (lines 10 and 11) is left unspecified, making the gensig model a *generic* one.

The second part of the program (lines 16–18) lists **global inputs and outputs**. For global outputs the declaration simply gives a name and a type. For global inputs, the declaration also specifies the **stimuli** which are attached to the corresponding input for simulating the system. The program of Listing 2.1 uses two kinds of stimuli<sup>3</sup>. The stimuli attached to input H are declared as *periodic*, with a period of 10 time units, a start time of 0 and a end time of 80. This means than an event will be produced on this input at time 0, 10, 20, 30, 40, 50, 60, 70 and 80. The stimuli attached to input E say that this input will respectively take value 0, 1 and 0 at time 0, 25 and 35 (thus producing a "pulse" of duration 10 time units starting at time 25).

The third and last part of the program (line 20) consists in building the global model of the system by *instanciating* the FSM model(s). Instanciating a model creates a "copy" of this model for which

- the generic parameters (n here) are now bound to actual values (3 here),
- the inputs and outputs are connected to the global inputs or outputs.

A graphical representation of the system described in Listing 2.1 is given in Fig. 2.2<sup>4</sup>.

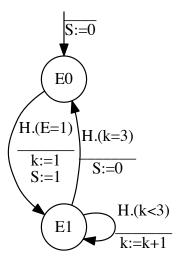


Figure 2.2: A graphical representation of system described in Listing 2.1

## Simulating

Simulating the program means computing the reaction of the system to the input stimuli. Simulation can be performed by the RFSM command-line compiler as described in chapter 4. It produces a set of *traces* in VCD (Value Change Dump) format which can visualized using *waveform viewers* such as gtkwave. Some simulation results for the program in Listing 2.1 are showed in Fig. 2.3.

<sup>&</sup>lt;sup>3</sup>See Sec. 3.3 for a complete description of stimuli.

 $<sup>^4</sup>$ Again, this representation was actually automatically generated from the program in Listing 2.1, as explained in Chap. 4.

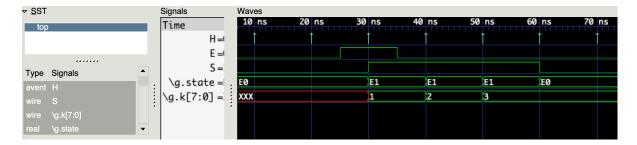


Figure 2.3: Simulation results for the program in Listing 2.1, viewed using gtkwave

## Code generation

RFSM can also generate code implementing the described systems simulation and/or integration to existing applications.

Currently, three backends are provided:

- a backend generating a C-based implementation of each FSM instance,
- a backend generating a *testbench* implementation in SystemC (FSM instances + stimuli generators),
- a backend generating a *testbench* implementation in VHDL (FSM instances + stimuli generators).

The target language for the C backend is a C-like language augmented with

- a task keyword for naming generated behaviors,
- in, out and inout keywords for identifying inputs and outputs,
- a builtin event type,
- primitives for handling events: wait\_ev(), wait\_evs() and notify\_ev().

The idea is that the generated code can be turned into an application for a multi-tasking operating system by providing actual implementations of the corresponding constructs and primitives.

For the SystemC and VHDL backends, the generated code can actually be compiled and executed for simulation purpose and. The FSM implementations generated by the VHDL backend can also be synthetized to be implemented on hardware using hardware-specific tools<sup>5</sup>.

Appendices C1, C2 and C3 respectively give the C and SystemC code generated from the example in Listing 2.1.

#### Variant formulation

In the automata described in Fig. 2.1 and Listing 2.1, the value of the s output is specified by indicating how it changes when transitions are taken (including its initialisation). This is typical of a so-called *Mealy*-style description. In some cases, it is possible – and maybe simpler – to indicate which value this output takes for each state. A equivalent description of that given in Listing 2.1 is obtained, for example, by specifying that s is 0 whenever the FSM is in state E0 and 1 whenever it is in state E1.

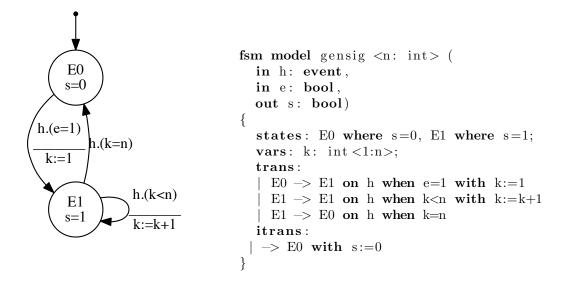


Figure 2.4: A reformulation of the model given in Listing 2.1 and Fig. 2.1 using Moore-style

This style of description, often called *Moore*-style, is illustrated in Fig. 2.4. The value of the **s** output is here attached to states using the **where** clause in the declarations of states.

**Note**. The **rfsmc** compiler automatically transforms models using Moore-style descriptions models using only Mealy-style ones.

#### Multi-FSM models

It is of course possible to describe systems composed of several FSM instances.

A first example is given in Listing 2.2 and Fig. 2.5. The system is a simple modulo 8 counter, here described as a combination of three event-synchronized modulo 2 counters<sup>6</sup>.

Here a single FSM model (cntmod2) is instanciated thrice, as C0, C1 and C2. These instances are synchronized using two **shared events**, R0 and R1. Shared events perform *instantaneous synchronisation*. When a FSM *emits* such an event, all transitions triggered by this event are taken, simultaneously with the emitting transition. In the system described in Fig. 2.5, for example, the transition of C0 (resp. C1) from E1 to E0 occurs triggers the simultaneous transition of C1 (resp. C2) from E0 to E1 and, latter of C1 (resp. C2) from E1 to E0.

Listing 2.2: A program involving three FSM instances synchronized by a shared event

```
fsm model cntmod2(
  in h: event,
  out s: bool,
  out r: event)
{
```

 $<sup>^5\</sup>mathrm{We}$  use the QUARTUS toolchain from Intel/Altera.

<sup>&</sup>lt;sup>6</sup>This program is provided in the distribution, under directory examples/full/multi/ctrmod8

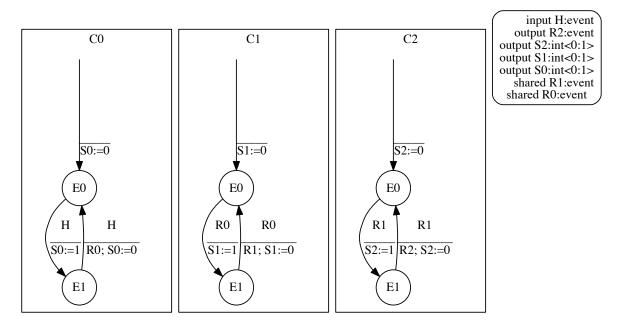


Figure 2.5: Graphical representation of the program of Listing 2.2

```
states: E0 where s=0, E1 where s=1;
trans:
    | E0 -> E1 on h
    | E1 -> E0 on h with r;
itrans:
    | -> E0;
}
input H: event = periodic(10,10,100)
output S0, S1, S2: bool
output R2: event
shared R0, R1: event

fsm C0 = cntmod2(H,S0,R0)
fsm C1 = cntmod2(R0,S1,R1)
fsm C2 = cntmod2(R1,S2,R2)
```

Simulation results for this program are given in Fig. 2.6.

FSM instances can also interact by means of **shared variables**. This is illustrated in Listing 2.3 and Fig. 2.7<sup>7</sup>. FSM **a1** repeatedly writes the shared variable **c** at each event **h** so that it takes values 1, 2, 3, 4, 1, 2, *etc*. FSM **a2** observes this variable also at each event **h** and simply goes from state S1 to state S2 (resp. S2 to S1) when the observed value is 4 (resp. 1).

Listing 2.3: A program involving two FSM instances and a shared variable

 $<sup>^7{\</sup>rm This}$  program is provided in the distribution, under directory examples/multi/synv\_vp/ex5.

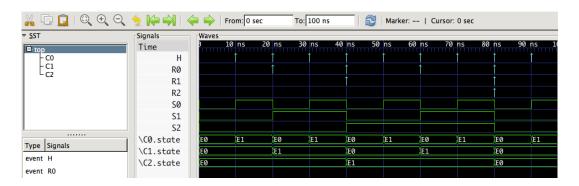


Figure 2.6: Simulation results for the program in Listing 2.5

```
fsm model A1(
  in h: event,
  inout v: int)
  states: S1, S2;
  {\bf trans}:
  \mid S1 \rightarrow S2 on h with v := 1
     S2 \rightarrow S2 on h when v<4 with v:=v+1
     S2 \rightarrow S1 on h when v=4;
  itrans:
    \rightarrow S1 with v := 0;
fsm model A2(
  in h: event,
  in v: int)
  states: S1, S2;
  trans:
     S1 \rightarrow S2 on h when v=4
   | S2 \rightarrow S1 on h when v=1;
  itrans:
  | -> S1 ;
input h : event = periodic(10,10,100)
shared c : int
fsm a1 = A1(h,c)
\mathbf{fsm} \ a2 = A2(h,c)
```

Simulation results for this program are given in Fig. 2.8.

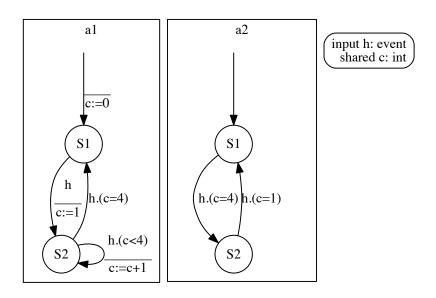


Figure 2.7: Graphical representation of the program of Listing 2.3

Signals	Waves									
Time	10	ns 20	ns 30	ns 40	ns 50	ns 60	ns 70	ns 80	ns 90	ns
h=(		<u> </u>								<b>†</b>
\a1.state =	S1	S2	S2	S2	S2	S1	S2	S2	S2	S2
c[7:0] =	0	1	2	3	4		1	2	3	4
\a2.state = .	S1				S2		S1			S2
:										

Figure 2.8: Simulation results for the program in Listing  $2.7\,$ 

# Chapter 3

# **Syntax**

This section is more thorough presentation of the RFSM language, focusing on its syntax. A formal description of the syntax, in BNF, is given in Appendix A. Some semantic issues, related to concurrency and determinism, are also discussed informally. A formal semantics is given in Appendix D.

## 3.1 Programs

A RSFM program contains declarations of six kinds :

- types
- constants
- functions
- FSM models
- global objects
- FSM instanciations

These declarations may appear in any order in a given program but an object used in a given section must have been declared before.

#### 3.2 FSM models

An FSM model, introduced by the fsm model keywords, describes the interface and behavior of a reactive finite state machine. A reactive finite state machine is a finite state machine whose transitions can only be caused by the occurrence of events.

fsm model <interface> <body>

The **interface** of the model gives its name, a list of parameters (which can be empty) and a list of inputs and outputs. All parameters and IOs are typed (see Sec. 3.8). Inputs and outputs are explicitly tagged. An IO tagged **inout** acts both as input and output (it can be read and written by the model). Inputs and outputs are listed between (...) Parameters, if present are given between <...> and allow the definition of *generic* models. Examples:

```
fsm model cntmod8 (in h: event, out s: int<0..7>)\{ ... \}
```

 $\mathbf{fsm} \ \mathbf{model} \ \mathrm{gensig}{<} \mathrm{n:int}{>} \ (\mathbf{in} \ \mathrm{h:} \ \mathbf{event}, \ \mathbf{in} \ \mathrm{e:} \ \mathrm{bit}, \ \mathbf{out} \ \mathrm{s:} \ \mathrm{bit}) \ \{ \ \ ... \ \}$ 

fsm model update (in top: event, inout lock: bool) { ... }

The model **body**, written between {...}, generally comprises four sections :

- a section giving the list of *states*,
- a section introducing local (internal) variables,
- a section giving the list of transition,
- a section specifying the *initial transition*.

Each section starts with the corresponding keyword (states:, vars:, trans: and itrans: resp.) and ends with a semi-colon.

```
\boxed{ \textbf{fsm model} \dots ( \ \dots \ ) \ \{ \ \textbf{states:} \ \dots; \ \ \textbf{vars:} \ \dots; \ \ \textbf{trans:} \ \dots; \ \ \textbf{itrans:} \ \dots; \ \ \} }
```

#### **3.2.1** States

The states: section gives the set of internal states, as a comma-separated list of identifiers (each starting with a uppercase letter). Example:

```
states: Idle, Wait1, Wait2, Done;
```

Values for outputs can be attached to states using the where keyword. When several assignements are attached to the same state, they are separated using the and keyword.

```
states: Idle, Wait1 where s1=0, Wait2 where s1=1 and s2=0, Done;
```

#### 3.2.2 Variables

The vars: section gives the set of internal variables, each with its type. Example:

```
vars: cnt: int, stop: bool;
```

The type of a variable may depend on parameters listed in the model interface. Example

```
fsm gensig<n: int> (...) { ... vars: k: int<0:n>; ... }
```

The vars: section may be omitted.

#### 3.2.3 Transitions

The trans: section gives the set of transitions between states. Each transition is denoted

where

- src\_state and dst\_state respectively designates the source state and destination state,
- ev is the event trigerring the transition,
- guards is a set a enabling conditions,
- actions is a set of actions performed when then transition is enabled.

The semantics is that the transition is enabled whenever the FSM is in the source state, the triggering event occurs and all conditions evaluate to true. The associated actions are then performed and the FSM moves to the destination state.

The triggering event must be listed in the inputs.

Each condition listed in *guards* must evaluate to a boolean value. The guard is true if *all* conditions evaluate to true (conjonctive semantics). The guards may involve inputs and/or internal variables.

The guard can be empty. In this case, the transition is denoted

The **actions** associated to a transition consists in modifications of the outputs and/or internal variables or emissions of events. Modifications of outputs and internal variables are denoted

$$id := expr$$

where id is the name of the output (resp. variable) and expr an expression involving inputs, outputs and variables and operations allowed on the corresponding types.

The action of emitting of an event is simply denoted by the name of this event.

Examples:

$$S0 \longrightarrow S1$$
 on top

In the above example, the enclosing FSM switches from state S0 to state S1 when the event top occurs.

In the above example, the enclosing FSM switches from state Idle to state Wait, resetting the internal variable ctr to 0 and emitting the event received whenever an event occurs on its Clic input.

In the above example, the enclosing FSM stays in state Wait but increments the internal variable ctr whenever an event Top occurs and that, at this instant, the value of variable ctr is smaller than 8.

Expressions may also involve the C-like ternary conditional operator ?:. For example, in the example below, the enclosing FSM stays in state \$0 but updates the variable  $\verb+k+$  at each occurrence of event  $\verb+H+$  so that is incremented if its current value is less than \$ or reset to 0 otherwise.

$$S0 -> S0$$
 on H with k:=k<8?k+1:0

The set of actions may be empty. In this case, the transition is denoted:

$$src\_state \rightarrow dst\_state$$
 on ev when guard

#### Semantic issues

Sequential vs. synchronous actions. By default, actions are performed *sequentially*, i.e. one after the other. For example, if x and y are internal variables of the enclosing FSM and respectively have values 1 and 0, then taking this transition

$$S0 -> S1$$
 on H with x:=x+1, y:=x\*2

will assign them values 2 and 4 respectively, because the action x:=x+1 is performed before the action y:=x\*2.

This interpretation is the most intuitive one and naturally fits with software-based implementations. There's actually another interpretation in which actions are not performed sequentially but synchronously. In this case, all the expressions appearing on the right-hand-side of assignations are first evaluated in parallel and then, and only then, all the assignations are performed. Because the values of the variables occurring in the RHS expressions are those before the transition, the order in which the actions are performed does not matter in this case. In the example above, the values assigned to x and y will be 2 and 2 respectively. This interpretation more naturally fits to hardware-based implementations, in which variables are implemented as signals all updated synchronously at each clock cycle. Switching to a synchronous interpretation is possible by invoking the rfsmc compiler with the -synchronous\_-actions option. Caveat. This option is available when using the simulator and the VHDL backend but is currently not supported when using the C and SystemC backends.

Non-determinism and priorities. The FSM models involved in programs should normally be deterministic. In other words, a situation where several transitions are enabled at the same instant should normally never arise. But this condition may actually be difficult to enforce, especially for models reacting to several input events. Consider for example, the model described in Listing 3.1. This model describes a (simplified) stopwatch. It starts counting seconds (materialized by event sec) as soon as event startstop occurs and stops as soon as it occurs again.

The problem is that if both events occur simultaneously then both the transitions at line 10 and 11 are enabled. In fact, here's the error message produced by the compiler when trying to simulate the above program:

```
Error when simulating FSM c: non deterministic transitions found at t=70:
- Running -- H / ctr:=ctr+1; aff:=ctr -> Running
- Running -- StartStop -> Stopped
```

Of course, this could be avoided by modifying the stimuli attached to input StartStop so that the StartStop and H events are never emitted at the same time. But this is, in a sense, cheating, since

Listing 3.1: A program showing a potentially non-deterministic model

```
1
   fsm model chrono (
2
        in sec: event,
3
        in startstop: event,
4
        out aff: int)
5
6
     states: Stopped, Running;
7
     vars: ctr: int;
8
     trans:
9
       Stopped -> Running on startstop with ctr:=0; aff:=0
10
       Running -> Running on sec with ctr:=ctr+1; aff:=ctr
11
       Running -> Stopped on startstop;
12
     itrans:
13
     |-> Stopped;
14
15
   input StartStop: event = sporadic(25,70)
16
17
   input H: event = periodic(10, 10, 110)
18
   output Aff: int
19
20
   fsm c = chrono(H, StartStop, Aff)
```

the StartStop event is supposed to modelize user interaction which occur, by essence, at impredictible dates.

The above problem can be solved by assigning a *priority* to transitions. In the current implementation, this is achieved by tagging some transitions as "high priority" transitions<sup>1</sup>. When several transitions are enabled, if one is tagged as "high priority" than it is automatically selected<sup>2</sup>.

Syntaxically, tagging a transition is simply achieved by replacing the leading "|" by a "!". In the case of the example above, the modified program is given in Listing 3.2. Tagging the last transition is here equivalent to give to the startstop precedence against the h event when the model is in state Running.

#### 3.2.4 Initial transition

The itrans: section specifies the initial transition of the FSM. This transition is denoted:

```
| -> init_state with actions
```

where *init\_state* is the initial state and *actions* a list of actions to be performed when initializing the FSM. The latter can be empty. in this case the initial transition is simply denoted:

**Note**. Output values can be set by either attaching them to states or by updating them on transitions. For a given output o, attaching a value v to a state S, by writing

<sup>&</sup>lt;sup>1</sup>Future versions may evolve towards a more sophisticated mechanism allowing numeric priorities.

<sup>&</sup>lt;sup>2</sup>If none (resp. several) is (resp. are) tagged, the conflict remains, of course.

Listing 3.2: A rewriting of the model defined in Listing 3.1

```
1
   fsm model chrono (...)
2
3
      . . .
4
     trans:
5
6
        | Running -> Running on sec with ctr:=ctr+1; aff:=ctr
        ! Running -> Stopped on startstop - This transition takes priority
7
           on the others
     itrans: -> Stopped;
8
9
10
```

```
states: S where o=v, ...
```

is equivalent to adding the action

o:=v

to each transition ending at state S.

The compiler rejects models for which the value of an output is specified both with the former and latter formulation. Strictly speaking, models for which the values specified by each formulation are equivalent could be accepted, but this condition is statically undecidable in general (because values assigned to outputs in transitions may depend of inputs).

## 3.3 Inputs and outputs

Interface to the external world are represented by input and output objects.

▶ For outputs the declaration simply gives a name and a type :

```
output name : typ
```

▶ For inputs, the declaration also specifies the **stimuli** which are attached to the corresponding input for simulating the system.

```
input name : typ = stimuli
```

There are three types of stimuli : periodic and sporadic stimuli for inputs of type event and value changes for scalar inputs.

Periodic stimuli are specified with a period, a starting time and an ending time.

```
\mathbf{periodic}(\mathrm{period}, \mathrm{t0}, \mathrm{t1})
```

Sporadic stimuli are simply a list of dates at which the corresponding input event occurs.

```
\mathbf{sporadic}(t1, ..., tn)
```

Value changes are given as list of pairs t:v, where t is a date and v the value assigned to the corresponding input at this date.

Examples:

input Clk: 
$$event = periodic(10,10,120)$$

The previous declaration declares Clk as a global input producing periodic events with period 10, starting at t=10 and ending at  $t=100^3$ .

input Clic: 
$$event = sporadic(25,75,95)$$

The previous declaration declares Clic as a global input producing events at t=25, t=75 and t=95.

The previous declaration declares E as a global boolean input taking value false at t=0, true at t=25 and false again at t=35.

## 3.4 Shared objects

Shared objects are used to represent interconnexions between FSM instances. This situation only occurs when the system model involves several FSM instances and when the input of a given instance is provided by the output of another one.

▶ For shared objects the declaration simply gives a name and a type :

**shared** name : typ

Examples:

shared done: event

shared ctr: int

The previous declarations declare done as a shared event and ctr as a shared variable of type int.

#### Semantic issues

Shared objects are typically used to perform some kind synchronisation between FSMs. The precise semantics of this synchronisation depends on the shared object. It is described formally in Appendix D. An

```
input H : event = sporadic (10, 20, 30, 40)
fsm model A1(
                                shared e : event
  in h: event,
  out e: event)
                                \mathbf{fsm} \ a1 = A1(H, e)
  states: A, B;
                                fsm a2 = A2(H, e)
  trans:
     A \rightarrow B on h with e
                                         a1
                                                          a2
    B \rightarrow A \text{ on } h:
  itrans:
    \rightarrow A;
fsm model A2(
  in h: event,
  in e: event)
  states: A, B;
  trans:
                                             H =
     A \rightarrow B on e
     B \rightarrow A \text{ on } h;
                                 \a1.state =/
                                                            В
                                                                          В
  itrans:
    -> A;
                                                            В
                                 \a2.state =/
                                                                          В
```

Figure 3.1: Illustration of instantaneous synchronisation

#### Synchronisation using a shared event

Synchronisation using a shared event is both instantaneous and ephemeral.

Instantaneous means that an event emitted by a FSM when taking a transition can trigger a reaction of another FSM at the same logical instant, the two reactions – that of emitting FSM and that of the "receiving" FSM – being simultaneous. This is illustrated in Fig. 3.1. Here, each occurrence of event H when a1 is in state A triggers the simultaneous transition of a2 from state A to state B.

**Ephemeral synchronisation** means that if an event emitted by a FSM when taking a transition is not awaited by another FSM it is simply "lost". In other words, events are never memorised. This is illustrated in Fig. 3.2. In this example, the first occurrence of event  ${\tt e}$  is lost because FSM  ${\tt a2}$  is not waiting for it when it is emitted by FSM  ${\tt a1}$  at the first occurrence of event  ${\tt H}$ . As a result, the transition of  ${\tt a2}$  from state B to state C only occurs at second occurrence of e, when  ${\tt a2}$  is in state B.

**Note**. The semantics of event synchronisation described here is somehow related to that of *rendezvous* supported by certain programming languages. But it is definitely not equivalent. The latter enforces that *both* transitions, the emitting and the receiving one, are taken together. This means in particular that if there's no transition waiting for the emitted event, the emitting transition will *not* be taken (in other words, the source FSM will block). This is not the case here. In this situation, and as explained above, the emitted event will be simply ignored ("lost"). Emitting an event can never prevent a transition to be taken in our semantics.

Implementation issues. The semantics of events presented here is that implemented by the

 $<sup>^3</sup>$ Note that, at this level, there's no need for an absolute unit for time.

```
fsm model A1(
  in h: event.
  out e: event)
  states: A, B, C;
                                input H : event = sporadic (10, 20, 30, 40, 50)
  trans:
     A \rightarrow B on h with e
                                shared e : event
    B \rightarrow C on h
                                fsm a1 = A1(H, e)
    C \rightarrow A \text{ on } h;
                                fsm a2 = A2(H, e)
  itrans:
   | \rightarrow A ;
                                        a1
                                                         a2
fsm model A2(
  in h: event,
  in e: event)
  states: A, B, C;
  trans:
     A \rightarrow B on h
                                    В
                                              Н
                                                     В
     B \rightarrow C on e
                                                                                Н
     C \rightarrow A \text{ on } h;
                                                                     ∖a1.state
  itrans:
    \rightarrow A;
                                                            C
                                                                     \a2.state
```

Figure 3.2: Illustration of ephemeral synchronisation

rfsmc simulator. For various reasons, it may not fully supported all compiler backends. The support of shared events in the SystemC backend, for example, is fragile and has not yet fully tested<sup>4</sup>. It is completely lacking in the VHDL backend (VHDL implementation of FSMs can only be triggered by a single, "external" clock signal). Finally, the event mechanism provided by most of real-time operating systems (as abstracted by notify\_ev() and wait\_ev() pseudo-primitives used in the code generated by the C backend) may not obey the semantics provided here (most of OS-supported events are memorized when they are not awaited for when emitted in particular). The concept of event provided by the RSFM language must therefore be viewed as a basic and abstract modeling tool, to be refined afterwards at the implementation level.

#### Synchronisation using shared variables

The semantics associated to shared variables is that of *instantaneous broadcast*. This means that any modification of the value of a shared variable by a FSM is immediately viewed by the other FSMs. More precisely, if a reaction of a FSM modifies the value of a shared value, the new value can enable, *in the same global reaction*, the transition of another FSM. This is illustrated in Fig. 3.3. Here, both a1 and a2 react to event H. When a1 and a2 are in state S1 this is possible only because the modification of the shared variable v made by a1 is immediately visible and hence can enable the transition of a2.

<sup>&</sup>lt;sup>4</sup>It relies on the insertion of zero-time wait instructions.

```
fsm model A1(
  in h: event,
  out v: bool)
                               input H : event = sporadic(10, 20, 30, 40)
                               shared V: bool
  states: S1, S2;
  trans:
                               fsm a1 = A1(H,V)
    S1 \rightarrow S2 on h with
                               fsm a2 = A2(H,V)
        v\!:=\!1
     S2 \rightarrow S1 on h with
                                           a1
                                                                  a2
        v := 0:
  itrans:
    \rightarrow S1 with v := 0;
fsm model A2(
  in h: event,
  in v: bool)
                                    H / V:=1H / V:=0
                                                               H.(V=1)
  states: S1, S2;
  trans:
                                                                   S2
                                         S2
    S1 \rightarrow S2 on h when
        v=1
     S2 \rightarrow S1 on h;
                                        Н
  itrans:
                               \a1.state
                                              S1
                                                     SZ
                                                             S1
                                                                    SZ
    \rightarrow S1;
                               ∖a2.state
                                                     SZ
                                                             S1
                                                                    SZ
```

Figure 3.3: Illustration of instantaneous broadcast of shared variables

Because shared variables are, by definition, memorized, they can used to implement defered synchronisation, i.e. the situation where a FSM emits an event which be used later by another FSM (shared events cannot be used in this case since, as described above, non-awaited events are not memorized and hence lost). This is illustrated in Fig. 3.4. Here, a1 set variable v to 1 when going from state S1 to S2 but a2 only detect this when going from state S2 to S3, reseting the variable to 0 en passant. In effect, a1 has emitted a event which has been memorized and caught latter by a2.

**Implementation issues**. The semantics of instantaneous broadcast for variables is the most intuitive one at the modelisation level is the default one for simulation. However, and as for events, this semantics is not supported by all compiler backends.

For the SystemC backend, support of instantaneous broadcast is supported by means of automatic insertion of zero-time delta-cycles and is therefore fragile.

It is *not* supported by the VHDL backend because shared variables are (currently) implemented as *shared signals*, for which any modification at a given cycle is only visible at the next clock cycle.

Shared variables are implemented as global variables by the C backend. When the corresponding code is used to define concurrent tasks for a real-time operating system, the instantaneous broadcast hypothesis cannot in general be assumed (because the delay separating writes and reads of such a variable depends of the scheduler and cannot be predicted).

```
input H : event = sporadic(10, 20, 30)
                               shared v: bool
                               fsm a1 = A1(H, v)
                               fsm a2 = A2(H, v)
fsm model A1(
  in h: event,
  out v: bool)
                                             a1
                                                               a2
  states: S1, S2, S3;
  trans:
    S1 \rightarrow S2 on h with
                                            v:=0
        v := 1
     S2 \rightarrow S3 on h
    S3 \rightarrow S1 on h;
  itrans:
                                          H / v = 1
   | \rightarrow S1 \text{ with } v := 0;
fsm model A2(
                                                            H.(v=1) / v:=0
  in h: event,
  inout v: bool)
                                                               S3
  states: S1, S2, S3;
  trans:
    S1 \rightarrow S2 on h
     S2 \rightarrow S3 on h when
        v=1 with v:=0
    S3 \rightarrow S1 on h;
                                 \a1.state
                                                             SZ
                                                                       S3
  itrans:
  | \rightarrow S1 ;
}
                                 ∖a2.state
                                                             SZ
                                                                       53
```

Figure 3.4: Using a shared variable to implement memorized events

## 3.5 FSM instances

The description of the system is carried out by instanciating previously defined FSM models.

Instanciating a model creates a copy of the corresponding FSM for which

- the parameters of the model are bound to their actual value,
- the declared inputs and outputs are connected to global inputs, outputs or shared objects.

The syntax for declaring a model instance is as follows :

```
fsm inst_name = model_name<param_values>(actual_ios)
```

where

- *inst\_name* is the name of the created instance,
- model\_name is the name of the instanciated model,
- param\_values is a comma-separated list of values to be assigned to the formal (generic) parameters.
- actual\_ios is a comma-separated list of global inputs, outputs or shared objects to be connected
  to the instanciated model.

Binding of parameter values and IOs is done by position. Of course the number and respective types of the formal and actual parameters (resp. IOs) must match.

For example, the last line of the program given in Listing 2.1

$$fsm g = gensig < 4 > (H,E,S)$$

creates an instance of model gensig for which n=4 and whose inputs (resp. output) are connected to the global inputs (resp. output) H and E (resp. S).

In the current version, paramater values are limited to scalar values (ints, bools, chars and floats).

#### 3.6 Constants

Global constants can be defined using the following syntax:

$$|$$
 constant name :  $\langle \mathbf{type} \rangle = \langle \text{value} \rangle$ 

where

- <type> is the type of the defined constant (currently limited to int, bool, char, float and arrays of such types,
- <value> is the value of the constant.

Global constants have a global scope and hence can be used in any FSM model or instance.

## 3.7 Functions

Conditions and actions associated to FSM transitions can use globally defined functions. An example is given in listing 3.3<sup>5</sup>. The FSM described here computes an approximation of the square root of its input u using Heron's classical algorithm. Successive approximations are computed in state Iter and the end of computation is detected when the square of the current approximation x differs from the argument (a) from less than a given threshold eps. For this, the model uses the global function f\_abs defined at the beginning of the program. This function computes the absolute value of its argument and is used twice in the definition of the FSM model heron, for defining the condition associated to the two transitions going out of state Iter.

▶ The general form for a function definition is

<sup>&</sup>lt;sup>5</sup>This example can be found in directory examples/full/single/heron in the distribution.

Listing 3.3: An RFSM program using a global function definition

```
function f_{abs}(x: float) : float { return } x < 0.0 ? -.x : x }
1
2
   fsm model heron<eps: float>(
3
      in h: event,
4
 5
      in start: bool,
6
      in u: float,
7
      out rdy: bool,
 8
      out niter: int,
9
      out r: float)
10
      states: Idle where rdy=1, Iter where rdy=0;
11
12
      vars: a: float , x: float , n: int;
13
      trans:
        Idle \rightarrow Iter on h when start=1 with a:=u, x:=u, n:=0
14
        Iter \rightarrow Iter on h when f_abs((x*.x)-.a)>=eps with x:=(x+.a/.x)/.2., n
15
      | Iter \rightarrow Idle on h when f_abs((x*.x)-.a)<eps with r:=x, niter:=n;
16
17
      itrans:
18
      | -> Idle;
   }
19
20
21
   input H : event = periodic (10, 10, 200)
22
   input U : float = value_changes (5:2.0)
   input Start: bool = value_changes (0:0, 25:1, 35:0)
23
   \mathbf{output} \ \mathrm{Rdy1} \,, \ \mathrm{Rdy2} \,: \, \mathbf{bool}
24
25
   output R1, R2 : float
26
   output Niter : int
27
28
   | fsm h = heron < 0.00000001 > (H, Start, U, Rdy2, Niter, R2)
```

where

- $\langle arg_i \rangle$  (resp.  $\langle type_i \rangle$ ) is the name (resp. type) of the  $i^{th}$  argument,
- <type\_r> is the type of value returned by the function,
- <expr> is the expression defining the function value.
- ▶ Functions can only return one result and cannot use local variables. There are therefore more like *macros* in the C language and are typically used to improve readability of the programs.

## 3.8 Types and type declarations

Types present in RFSM programs belong to two categories: builtin types and user defined types.

Builtin types are: bool, int, float, char, event and arrays.

- ▶ Objects of type bool can have only two values : 0 (false) and 1 (true).
- $\blacktriangleright$  Values of type char are denoted using single quotes. For example, for a variable c having type char .

$$c := A'$$

They can be converted from/to they internal representation as integers using the "::" cast operator. For example, if c has type char and n type int, then

$$n := A' :: int; c := (n+1) :: char$$

assigns value 65 to n (ASCII code) and, then, value 'B' to c.

- ▶ The type int can be refined using a *size* or a *range annotation*. The type int<sz>, where sz is an integer, is the type of integers which can be encoded using n bits. The type int<min:max>, where both min and max are integers, is the type of integers whose value ranges from min to max. The size and range limits, can be given as litteral constants (ex: 8) or as parameter values<sup>6</sup>, as for the type of the variable k in Listing 2.1.
- ▶ Supported operations on values of type int are described in Table 3.1. If n is an integer and hi (resp. 1o) an integer expression then n[hi:lo] designates the value represented by the bits hi...lo in the binary representation of n. Bit ranges can be both read (ex: x=y[6:2]) or written (ex: x[8:4]:=0). The syntax n[i], where n is an integer is equivalent to n[i:i]. The cast operator (::) can be used to combine integers with different sizes (for example, if n has type int<16> and m has type int<8>, writing n:=n+m is not allowed and mus be written, instead, n:=n+m::int<16>. Note that the logical "or" operator is denoted "||" because the single "|" is already used in the syntax.
- ▶ The operations on values of type float are: "+.", "-.", "\*." and "/." (the dot suffix is required to distinguish them from the corresponding operations on ints).
- ▶ Arrays are 1D, fixed-size collections of ints, bools, chars or floats. Indices range from 0 to n-1 where n is the size of the array. For example, int array[4] is the type describing arrays of four integers. If t is an object with an array type, its cell with index i is denoted t[i].

User defined types are either type abbreviations, enumerations or records.

▶ Type abbreviations are introduced with the following declaration

<sup>&</sup>lt;sup>6</sup>Provided, of course, that the corresponding parameter as type int.

+, -, *, /, % (modulo)	arithmetic operations
>>, <<	(logical) shift right and left
&,   , ^	bitwise and, or and xor
[.:.]	bit range extraction (ex: n:=m[5:3])
[.]	single bit extraction (ex: b:=m[4])
::	resize (ex: n::int<8>)

Table 3.1: Builtin operations on integers

Each occurrence of the defined type in the program is actually substituted by the corresponding type expression.

▶ Enumerated types are introduced with the following declaration

$$type typename = enum \{ C1, ..., Cn \}$$

where  $C1, \ldots, Cn$  are the enumerated values, each being denoted by an identifier starting with an uppercase letter. For example:

$$\mathbf{type} \text{ color} = \{ \text{ Red, Green, Orange } \}$$

 $\blacktriangleright$  Record types are introduced with the following declaration

where fid1, ..., fidn and ty1, ..., tyn are respectively the name and type of each record field For example:

Individual fields of a value with a record type can be accessed using the classical "dot" notation. For example, with a variable c having type record as defined above:

$$c.x := c.x+1$$

# Chapter 4

# Using the RFSM compiler

The RFSM compiler can be used to

- produce graphical representations of FSM models and programs (using the .dot format),
- simulate programs, generating execution traces (.vcd format),
- generate C, SystemC or VHDL code from FSM models and programs.

This chapter describes how to invoke compiler on the command-line. On Unix systems, this is done from a terminal running a shell interpreter. On Windows, from an MSYS or Cygwin terminal.

The compiler is invoked with a command like:

There must be at least one source file. If several are given, all happens as if a single one, obtained by concatening all of them, in the given order, was used.

The complete set of options is described in Appendix B.

The set of generated files depends on the selected target. The output file rfsm.output contains the list of the generated file.

## 4.1 Generating graphical representations

The previous command generates a graphical representation of each FSM model contained in the given source file(s). If the source file(s) contain(s) FSM instances, involving global IOs and shared objects, it also generates a graphical representation of the the corresponding system.

The graphical representations use the .dot format and can be viewed with the Graphviz suite of  $tools^1$ .

The representation for the FSM model m is generated in file m.dot. When generated, the representation for the system is written in file main.dot by default. The name of this file can be changed with the -main option.

By default, the generated .dot files are written in the current directory. This can be changed with the -target\_dir option.

<sup>&</sup>lt;sup>1</sup>Available freely from http://www.graphviz.org.

## 4.2 Running the simulator

```
rfsmc [-options] -sim source_files
```

The previous command runs simulator on the program described in the given source files, writing an execution trace in VCD (Value Change Dump) format.

The generated .vcd file can be viewed using a VCD visualizing application such as gtkwave<sup>2</sup>.

By default, the VCD file is named main.vcd. This name can be changed using the -main option.

By default, the VCD file is written in the current directory. This can be changed with the -target\_dir option.

## 4.3 Generating C code

For each FSM model m contained in the listed source file(s), the previous command generates a file m.c containing a C-based implementation of the corresponding behavior.

By default, the generated code is written in the current directory. This can be changed with the -target\_dir option.

## 4.4 Generating SystemC code

If the source file(s) only contain(s) FSM *models*, then, for each listed FSM model m, the previous command generates a pair of files m.h and m.cpp containing the interface and implementation of the SystemC module implementing this model.

If the source file(s) contain(s) FSM instances, involving global IOs and shared objects, it generates

- for each FSM instance m, a pair of files m.h and m.cpp containing the interface and implementation of the SystemC module implementing this instance,
- for each global input i, a pair of files inp\_i.h and inp\_i.cpp containing the interface and implementation of the SystemC module describing this input (generating the associated stimuli, in particular),
- a file main.cpp containing the description of the testbench for simulating the program.

The name of the file containing the testbench can be changed with the main option.

By default, the generated code is written in the current directory. This can be changed with the -target\_dir option.

Simulation itself is performed by compiling the generated code and running the executable, using the standard SystemC toolchain. In order to simplify this, the RFSM compiler also generates a customized *Makefile* so that compiling and running the code generated by the SystemC backend can be performed by simply invoking make. For this, the compiler simply needs to know where to find the predefined template from which this *Makefile* is built. This is achieved by using the <code>-lib</code> option when invoking the compiler. For example, provided that RFSM has been installed in directory <code>/usr/local/rfsm</code>, the following command

<sup>&</sup>lt;sup>2</sup>gtkwave.sourceforge.net

```
rsfmc -systemc -lib /usr/local/rfsm/lib -target_dir ./systemc source_file(s)
```

will write in directory ./systemc the generated source files and the corresponding Makefile. Compiling these files and running the resulting application is then simply achieved by typing

cd ./systemc
make

Note. The generated *Makefile* uses platform-specific definitions which have been written in a file named platform located in RSFM library directory (/usr/local/rfsm/lib/etc/plaform in the example above). This file is generated by the installation process from the values given to the configure script. Depending on your local SystemC installation, some definitions given in the platform file may have to be adusted.

## 4.5 Generating VHDL code

If the source file(s) only contain(s) FSM *models*, then, for each listed FSM model m, the previous command generates file m.vhd containing the entity and architecture describing this model.

If the source file(s) contain(s) FSM instances, involving global IOs and shared objects, it generates

- for each FSM instance m, a file m.vhd containing an entity and architecture description for this
  instance,
- a file main\_top.vhd containing the description of the top level model of the system,
- a file main\_tb.vhdcontaining the description of the testbench for simulating the system.

The name of the files containing the *top level* description *testbench* can be changed with the main option.

By default, the generated code is written in the current directory. This can be changed with the <code>-target\_dir</code> option.

The produced files can then compiled, simulated and synthetized using a standard VHDL toolchain<sup>3</sup>.

As for the SystemC backend, the RFSM compiler simplifies the compilation and simulation of the generated code by also generating a dedicated *Makefile*. For example, and, again, provided that RFSM has been installed in directory /usr/local/rfsm, the following command

```
\verb|rsfmc -vhdl -lib /usr/local/rfsm/lib -target_dir ./vhdl | source\_file(s)|\\
```

will write in directory ./vhdl the generated source files and the corresponding Makefile. Compiling these files and running the resulting application is then simply achieved by typing

cd ./vhdl

<sup>&</sup>lt;sup>3</sup>We use GHDL for simulation and Altera/Quartus for synthesis.

### 4.6 Using rfsmmake

The current distribution provides a script named rfsmmake aiming at easing the use of the RSFM compiler in a command line environment. With this tool, the only thing required is to write a small project description (.pro file). Invoking rfsmmake will then automatically build a top-level Makefile which can be used to invoke the compiler, generate code and exploit the generated products.

Suppose, for instance, that the application is made of two source files, foo.fsm, containing the FSM model(s), and main.fsm, containing the global declarations and FSM instanciations (the so-called testbench). Writing the following lines in file main.pro

```
SRCS=foo.fsm main.fsm
GEN_OPTS= ...
DOT_OPTS= ...
SIM_OPTS= ...
SYSTEMC_OPTS= ...
VHDL_OPTS= ...
```

and invoking

rfsmmake main.pro

will generate a file Makefile in the current directory. Then, simply typing<sup>4</sup>

- make dot will generate the .dot and lauch the corresponding viewer,
- make sim.run to run the simulation using the interpreter (make sim.show to display results),
- make ctask.code will invoke the C backend C and generate the corresponding code,
- make systemc.code will invoke the SystemC backend and generate the corresponding code,
- make systemc.run will invoke the SystemC backend, generate the corresponding code, compile it and run the corresponding simulation,
- make vhdl.code will invoke the VHDL backend and generate the corresponding code,
- make vhdl.run will invoke the VHDL backend, generate the corresponding code, compile it and run the corresponding simulation,
- make sim.show (resp make systemc.show and make vhdl.show) will display the simulation traces generated by the interpreter (resp. SystemC and VHDL simulation).

 $<sup>^4</sup>$ Please refer to the generated Makefile for a complete list of targets.

# Appendix A - Formal syntax of RFSM programs

This appendix gives a BNF definition of the concrete syntax RFSM programs.

The meta-syntax is conventional. Keywords are written in **boldface**. Non-terminals are enclosed in angle brackets (<...>). Vertical bars (|) indicate alternatives. Constructs enclosed in non-bold brackets ([...]) are optional. The notation  $E^*$  (resp  $E^+$ ) means zero (resp one) or more repetitions of E, separated by spaces. The notation  $E^*_x$  (resp  $E^+_x$ ) means zero (resp one) or more repetitions of E, separated by symbol x. Terminals lid and uid respectively designate identifiers starting with a lowercase and uppercase letter.

```
\langle program \rangle ::= \langle decl \rangle^*
                   \langle decl \rangle ::= \langle type\_decl \rangle
                                                   \langle \mathrm{cst\_decl} \rangle
                                                  \langle fin_decl \rangle \langle fsm_model \rangle \langle fsm_inst \rangle \langle global \rangle
     \langle \text{type\_decl} \rangle ::= \text{type lid} = \langle \text{type\_expr} \rangle
                                                  \mathbf{type} \ \mathrm{lid} = \mathbf{enum} \ \{ \ \mathrm{uid}_{,}^{*} \ \}
                                                  type lid = record { \langle record\_field \rangle_{,}^{+} }
\langle \text{record\_field} \rangle ::= \text{lid} : \langle \text{type\_expr} \rangle
                                                  constant lid : \langle fres \rangle = \langle const \rangle
         \langle \text{cst\_decl} \rangle
                                     ::=
                                                  function lid (\langle farg \rangle_{,}^{*}) : \langle fres \rangle { return \langle fbody \rangle }
          \langle \text{fn\_decl} \rangle
                   \langle farg \rangle
                                                  lid : \langle type\_expr \rangle
                                     ::=
                    \langle \text{fres} \rangle
                                     ::=
                                                  (type_expr)
               \langle fbody \rangle
                                     ::=
                                                  \langle \exp r \rangle
                                               fsm model \langle id \rangle [\langle params \rangle] ( \langle io \rangle, ) {
  \langle fsm\_model \rangle ::=
                                                   states : \langle state \rangle_{,}^{*};
                                                   [\langle vars \rangle]
                                                   trans : \langle \text{transition} \rangle^*;
                                                   itrans : (itransition) ;
                 \langle \text{state} \rangle ::= \text{uid } [\text{where } \langle \text{oval} \rangle_{\text{and}}^+]
                   \langle oval \rangle ::=
                                               lid = \langle constant \rangle
           \langle params \rangle ::=
                                                \langle \text{param} \rangle^*
              \langle param \rangle ::= lid : \langle type\_expr \rangle
                        \begin{array}{rll} \langle \mathrm{io} \rangle & ::= & \mathbf{in} \ \langle \mathrm{io\_desc} \rangle \\ & | & \mathbf{out} \ \langle \mathrm{io\_desc} \rangle \\ & | & \mathbf{inout} \ \langle \mathrm{io\_desc} \rangle \end{array}
          \langle io\_desc \rangle ::= lid : \langle type\_expr \rangle
                   \langle \text{vars} \rangle ::= \text{vars} : \langle \text{var} \rangle_{\cdot}^*;
                     \langle var \rangle ::= lid_{\cdot}^{+} : \langle type\_expr \rangle
```

```
\langle \text{transition} \rangle ::= \langle \text{trans\_mark} \rangle \text{ uid } -> \text{ uid } \text{on } \text{lid } [\langle \text{guard} \rangle] [\langle \text{actions} \rangle]
              \langle trans_mark \rangle ::= |
                 \langle \text{itransition} \rangle ::= | -> \text{uid } [\langle \text{actions} \rangle]
                           \langle guard \rangle ::= \mathbf{when} \langle expr \rangle_{+}^{+}
                         \langle actions \rangle ::=
                                                           with \langle action \rangle^+
                          \langle action \rangle ::=
                                                         \operatorname{lid}
                                                            \langle lhs \rangle := \langle expr \rangle
                                  \langle lhs \rangle ::= lid
                                                           lid [\langle \exp r \rangle]
                                                           lid [ \langle \exp r \rangle : \langle \exp r \rangle ]
                                                           \operatorname{lid} . \operatorname{lid}
                           \langle \text{global} \rangle ::= \text{input } \langle \text{id} \rangle : \langle \text{type\_expr} \rangle = \langle \text{stimuli} \rangle
                                                           output \langle id \rangle_{+}^{+} : \langle type\_expr \rangle

shared \langle id \rangle_{+}^{+} : \langle type\_expr \rangle
                         \langle \text{stimuli} \rangle ::= \text{periodic} ( \text{int}, \text{int}, \text{int} )
                                                           sporadic ( int<sub>*</sub> )
                                                            value_changes ( \( \text{value_change} \) \( \text{*} \)
          \langle value\_change \rangle ::= int : \langle const \rangle
                    \langle \mathrm{fsm\_inst} \rangle \ ::= \ \mathbf{fsm} \ \langle \mathrm{id} \rangle = \langle \mathrm{id} \rangle \ [<\langle \mathrm{inst\_param\_value} \rangle^+, >] \ (\ \langle \mathrm{id} \rangle^*, )
\langle inst\_param\_value \rangle ::=
                                                         \langle constant \rangle
                                                            [\langle constant \rangle_{:}^{+}]
                 \langle type\_expr \rangle ::= event
                                                           int (int_annot)
                                                            float
                                                           char
                                                           bool
                                                            ⟨type_expr⟩ array [ ⟨array_size⟩ ]
                  \langle \text{int\_annot} \rangle ::= \epsilon
                                                           < \langle type\_index\_expr \rangle > < \langle type\_index\_expr \rangle : \langle type\_index\_expr \rangle >
                 \langle array\_size \rangle ::= \langle type\_index\_expr \rangle
```

```
\langle \text{type\_index\_expr} \rangle ::= \langle \text{int\_const} \rangle
                                                              lid
                                                               ( \langle \text{type\_index\_expr} \rangle )
                                                               \langle \text{type\_index\_expr} \rangle + \langle \text{type\_index\_expr} \rangle
                                                               \langle \text{type\_index\_expr} \rangle - \langle \text{type\_index\_expr} \rangle
                                                               \(\text{type_index_expr}\) * \(\text{type_index_expr}\)
                                                               \(\text{type_index_expr}\) / \(\text{type_index_expr}\)
                                                               \(\text{type_index_expr}\) \(\text{\type_index_expr}\)
                              \langle \exp r \rangle ::=
                                                              \langle \text{simple}\_\text{expr} \rangle
                                                               \langle \exp r \rangle >> \langle \exp r \rangle
                                                               \langle \exp r \rangle \ll \langle \exp r \rangle
                                                               ⟨expr⟩ & ⟨expr⟩
                                                               \langle \exp r \rangle \mid \mid \langle \exp r \rangle
                                                               \langle \exp r \rangle \hat{} \langle \exp r \rangle
                                                               \langle \exp r \rangle + \langle \exp r \rangle
                                                               \langle \exp r \rangle - \langle \exp r \rangle
                                                               \langle \exp r \rangle * \langle \exp r \rangle
                                                               \langle \mathrm{expr} \rangle / \langle \mathrm{expr} \rangle
                                                               \langle \mathrm{expr} \rangle % \langle \mathrm{expr} \rangle
                                                               \langle \exp r \rangle + . \langle \exp r \rangle
                                                               \langle \exp r \rangle -. \langle \exp r \rangle
                                                               \langle \exp r \rangle *. \langle \exp r \rangle
                                                               \langle \exp r \rangle /. \langle \exp r \rangle
                                                               \langle \exp r \rangle = \langle \exp r \rangle
                                                               \langle \exp r \rangle ! = \langle \exp r \rangle
                                                               \langle \exp r \rangle > \langle \exp r \rangle
                                                               \langle \exp r \rangle < \langle \exp r \rangle
                                                               \langle \exp r \rangle > = \langle \exp r \rangle
                                                               \langle \exp r \rangle \leftarrow \langle \exp r \rangle
                                                               ⟨subtractive⟩ ⟨expr⟩
                                                              lid (\langle \exp r \rangle^*)
                                                              lid [\langle \exp r \rangle]
                                                              lid . lid
                                                              lid [ \langle \exp r \rangle : \langle \exp r \rangle ]
                                                              \langle \exp r \rangle ? \langle \exp r \rangle : \langle \exp r \rangle
                                                              \langle \exp r \rangle :: \langle type\_expr \rangle
            \langle \text{simple}\_\text{expr} \rangle ::=
                                                             lid
                                                              \langle constant \rangle
                                                              uid
                                                              ( \langle \exp r \rangle )
                    \langle constant \rangle ::= int
                                                              float
                                                              char
               \langle \text{subtractive} \rangle ::=
```

```
\langle const \rangle ::= \langle scalar\_const \rangle
                                                 | \langle array\_const \rangle | \langle record\_const \rangle
             \langle \operatorname{array\_const} \rangle ::= [\langle \operatorname{const} \rangle_{,}^{+}]
           \langle \text{record\_const} \rangle ::= \{ \langle \text{record\_field\_const} \rangle_{,}^{+} \}
\langle record\_field\_const \rangle ::= lid = \langle scalar\_const \rangle
             \langle scalar\_const \rangle ::= \langle int\_const \rangle
                                                       \langle float_const/
\langle char_const/
uid
                  \langle \mathrm{int\_const} \rangle ::= int
                                                         - int
               \langle \mathrm{float\_const} \rangle \ ::= \ \mathbf{float}
                                                         - float
                \langle char\_const \rangle ::=
                                                       char
                                   \langle id \rangle ::=
                                                       \operatorname{lid}
                                                         uid
```

# Appendix B - Compiler options

Compiler usage: rfsmc [options...] files

-vhdl rst duration

-vhdl numeric std

-vhdl\_dump\_ghw

-vhdl\_bool\_as\_bool

set prefix for the generated main files -main -dump\_typed dump typed representation of model(s)/program to stdout -dump static dump static representation of model(s)/program to stdout -target dir set target directory (default: .) set location of the support library (default: jopam prefix;/share/rfsm) -lib generate .dot representation of model(s)/program -dot -sim run simulation (generating .vcd file) -ctask generate CTask code generate SystemC code -systemc generate VHDL code -vhdl print version of the compiler and quit -version  $-show\_models$ generate separate representations for uninstanciated FSM models -dot\_qual\_ids print qualified identifiers in DOT representations generate report and error messages for interacting with rfsm-light -gui  $-dot_no_captions$ Remove captions in .dot representation(s) -dot short trans Print single-line transition labels (default is multi-lines) -dot abbrev types Print abbreviated types (default is to print definitions) -dot boxed Draw FSM instances in boxes -sim trace set trace level for simulation (default: 0) -vcd int size set default int size for VCD traces (default: 8) -synchronous actions interpret actions synchronously set time unit for the SystemC test-bench (default: SC NS) -sc time unit -sc trace set trace mode for SystemC backend (default: false)  $-stop\_time$ set stop time for the SystemC and VHDL test-bench (default: 100) implement float type as C++ double instead of float (default: false)  $-sc\_double\_float$ -vhdl\_trace set trace mode for VHDL backend (default: false) set time unit for the VHDL test-bench -vhdl time unit  $-vhdl\_ev\_duration$ set duration of event signals (default: 1 ns)

set duration of reset signals (default: 1 ns)

translate all booleans as boolean (default: false)

translate integers as numeric std [un]signed (default: false)

make GHDL generate trace files in .ghw format instead of .vcd

# Appendix C1 - Example of generated C code

This is the code generated from program given in Listing 2.1 by the C backend.

```
task Gensig<int n>(
  in event h;
  in bool e;
 out bool s;
  )
  int < 1:n > k;
  enum \{ E0, E1 \} state = E0;
  s = false;
  while (1) {
     switch (state) {
     case E0:
        \mathbf{wait}_{\mathbf{ev}}(h);
        if ( e==true ) {
          k = 1;
          s = true;
           state = E1;
        break;
     case E1:
        \mathbf{wait}_{\mathbf{ev}}(h);
        if ( k==n ) {
          s = false;
           state = E0;
        \mathbf{else} \quad \mathbf{if} \quad ( \quad \mathbf{k} \! < \! \mathbf{n} \quad ) \quad \{
           k = k+1;
        break;
  }
};
```

# Appendix C1 - Example of generated SystemC code

This is the code generated from program given in Listing 2.1 by the SystemC backend.

Listing 4.1: File g.h

Listing 4.2: File g.cpp

```
S. write (true);
           state = E1;
           }
        wait (SC_ZERO_TIME);
        break;
     case E1:
        wait(H. posedge_event());
        if ( k==3 ) {
           S. write (false);
           state = E0;
        \mathbf{else} \quad \mathbf{if} \quad (\quad \mathbf{k}{<}3 \quad ) \quad \{
           k = k+1;
        wait (SC_ZERO_TIME);
        break;
  }
};
```

## Listing 4.3: File inp\_H.h

## Listing 4.4: File inp\_H.cpp

```
_t += _clk.period;
}
};
```

## Listing 4.5: File inp\_E.h

```
#include "systemc.h"

SC_MODULE(Inp_E)
{
    // Output
    sc_out<sc_uint<1>> E;

    void gen();

    SC_CTOR(Inp_E) {
        SC_THREAD(gen);
    }
};
```

## Listing 4.6: File inp\_E.cpp

```
#include "inp_E.h"
#include "rfsm.h"

typedef struct { int date; int val; } _vc_t;
static _vc_t _vcs[3] = { {0,0}, {25,1}, {35,0} };

void Inp_E::gen()
{
   int _i=0, _t=0;
   while ( _i < 3 ) {
      wait(_vcs[_i].date-_t, SC_NS);
      E = _vcs[_i].val;
      _t = _vcs[_i].date;
      _i++;
   }
};</pre>
```

## Listing 4.7: File main.cpp

```
#include "systemc.h"
#include "rfsm.h"
#include "inp_H.h"
#include "inp_E.h"
#include "g.h"

int sc_main(int argc, char *argv[])
{
    sc_signal < bool > H;
    sc_signal < bool > S;
    sc_trace_file *trace_file;
    trace_file = sc_create_vcd_trace_file ("main");
```

```
sc_write_comment(trace_file, "Generated_by_RFSM_v2.0");
sc_trace(trace_file, H, "H");
sc_trace(trace_file, E, "E");
sc_trace(trace_file, S, "S");

Inp_H Inp_H("Inp_H");
Inp_H(H);
Inp_E Inp_E("Inp_E");
Inp_E E(E);

G g("g");
g(H,E,S);
sc_start(100, SC_NS);
sc_close_vcd_trace_file (trace_file);
return EXIT_SUCCESS;
}
```

# Appendix C3 - Example of generated VHDL code

This is the code generated from program given in Listing 2.1 by the VHDL backend.

Listing 4.8: File g.vhd

```
library ieee;
use ieee.std_logic_1164.all;
use work.rfsm.all;
entity G is
 port( H: in std_logic;
         E: in std_logic;
         S: out std_logic;
         rst: in std_logic
         );
end entity;
architecture RTL of G is
  type t_state is (E0, E1);
  signal state: t_state;
begin
  \mathbf{process}(\operatorname{rst}, H)
  variable k: integer;
  begin
     if (rst = '1') then
       state <= E0;
       S \le 0, 0;
     \mathbf{elsif}\ \mathrm{rising\_edge}\left(\mathbf{H}\right)\ \mathbf{then}
       case state is
       when E0 \Rightarrow
         if (E = '1') then
           k := 1;
           S = ',1';
           state <= E1;
         end if:
       when E1 \Rightarrow
         if (k = 3) then
           S \le '0';
           state <= E0;
         elsif ( k<3 ) then
           k := k+1;
```

```
end if;
end case;
end if;
end process;
end architecture;
```

Listing 4.9: File main\_top.vhd

```
library ieee;
use ieee.std_logic_1164.all;
entity main_top is
  port (
          H: in std_logic;
          E: in std_logic;
          S: \ \mathbf{out} \ \mathrm{std} \_ \mathrm{logic};
          rst: in std_logic
                                        );
end entity;
{\bf architecture} \ {\bf struct} \ {\bf of} \ {\bf main\_top} \ {\bf is}
component G
  port (
          H: in std_logic;
          E: in std_logic;
          S: out std_logic;
          rst: in std_logic
          );
end component;
begin
  G0: G port map(H,E,S,rst);
end architecture;
```

Listing 4.10: File main\_tb.vhd

```
signal H: std_logic;
signal E: std_logic;
signal S: std_logic;
signal rst: std logic;
begin
  inp_H: process
     type t_periodic is record period: time; t1: time; t2: time; end record;
     \mathbf{constant} \ \ \mathsf{periodic} \ : \ \ \mathsf{t\_periodic} \ := \ ( \ 10 \ \mathsf{ns} \, , \ 10 \ \mathsf{ns} \, , \ 80 \ \mathsf{ns} \ ) \, ;
     variable t : time := 0 ns;
     begin
       H \le '0';
       \mathbf{wait} \ \mathbf{for} \ \mathtt{periodic.t1} \, ;
       t := t + periodic.t1;
        \begin{array}{lll} \textbf{while} & (& t < periodic.t2 &) & \textbf{loop} \\ & H <= & '1'; & \end{array} 
          wait for periodic.period/2;
          H \le '0';
          wait for periodic.period/2;
          t := t + periodic.period;
       end loop;
       wait;
  end process:
  inp E: process
     type t_vc is record date: time; val: std_logic; end record;
     type t_vcs is array ( 0 to 2 ) of t_vc;
     constant vcs : t_vcs := ((0 \text{ ns}, '0'), (25 \text{ ns}, '1'), (35 \text{ ns}, '0'));
     variable i : natural := 0;
     variable t : time := 0 ns;
     begin
       for i in 0 to 2 loop
          wait for vcs(i).date-t;
          E <= vcs(i).val;
          t \ := \ vcs\left(\,i\,\right).\,date\,;
       end loop;
       wait;
  end process;
  reset: process
  begin
     rst \ll '1';
     wait for 1 ns;
    rst <= '0';
     wait for 100 ns;
     wait:
  end process;
  Top: main top port map(H,E,S,rst);
end architecture;
```

# Appendix D -Formal semantics

We give formal *static* and *dynamic* semantics for a simplified version of the RFSM language, called CORE RFSM. Compared to the "full" RFSM language, it lacks type, constant and function declarations, state valuation and has only basic types. Its abstract syntax is described below. We note  $X^*$  (resp.  $X^+$ ) the repetition of 0 (resp. 1) or more X. The syntax of expressions is deliberately not explicited here.

```
program fsm model+ io decl+ fsm inst+
program ::=
                     fsm model id inp^* outp^* state^+ var^* trans^+ itrans
fsm \mod el ::=
state ::=
inp, outp, var ::= id : typ
trans ::=
                     \langle id, cond, action^*, id \rangle
                                                                                   \langle src\ state, cond, actions, dst\ state \rangle
cond ::=
                     \langle id, guard^* \rangle
                                                                                   \langle triggering \ even, guards \rangle
guard ::=
                                                                                   boolean\ expression
                      expr
                      | id
action ::=
                                                                                   emit event
                                                                                   update local, shared or output variable
                      | id := expr
io \ decl ::=
                     io cat id: typ
                     input | input | shared
io\_cat ::=
                     fsm id i^* o^*
fsm\_inst ::=
                                                                                   model, IO bindings
typ ::=
                     event | int | bool
```

## 4.7 Common definitions

Both the static and static semantics will use *environments*. An **environment** is a (partial) map from names to values. If  $\Gamma$  is an environment and x a name, we will, classically, note

- $x \in \Gamma$  if  $x \in \text{dom}(\Gamma)$ ,
- $\Gamma(x)$  the value mapped to x in  $\Gamma(\Gamma(x) = \bot$  if  $x \notin \Gamma$ ),
- $\Gamma[x \mapsto v]$  the environment that maps x to v and behaves like  $\Gamma$  otherwise (possibly overriding an existing mapping of x),
- Ø the empty environment,

## 4.8 Static semantics

The static interpretation of a Core Resm program is a pair

$$\mathcal{H} = \langle M, C \rangle$$

where

- M is a set of automata,
- C is a context.
- ▶ A context is a 6-tuple  $\langle I_e, I_v, O_e, O_v, H_e, H_v \rangle$  where
  - $I_e$  (resp.  $O_e$ ,  $H_e$ ) is the set of global inputs (resp. outputs, shared values) with an *event* type,
  - $I_v$  (resp.  $O_v$ ,  $H_v$ ) is the set of global inputs (resp. outputs, shared values) with a non-event type.
- ▶ An automaton  $\mu \in M$  is a 3-tuple

$$\mu = \langle \mathcal{M}, q, \mathcal{V} \rangle$$

where

- $\mathcal{M}$  is the associated (static) model,
- q its current state,
- $\bullet$   $\mathcal{V}$  an environment giving the current value of its local variables.
- ightharpoonup A model  $\mathcal{M}$  is a 6-tuple

$$\mathcal{M} = \langle Q, I, O, V, T, \tau_0 \rangle$$

where

- Q is a (finite) set of states,
- I and O are environments respectively mapping input and output names to types,
- V is an environment mapping local variable names to types,
- $I_e = \{x \in I \mid I(x) = \text{event}\}\ \text{and}\ I_v = \{x \in I \mid I(x) \neq \text{event}\},$
- $O_e = \{x \in O \mid O(x) = \mathtt{event}\} \text{ and } O_v = \{x \in O \mid O(x) \neq \mathtt{event}\},$
- $T \subset Q \times C \times \mathcal{S}(A) \times Q$  is a set of **transitions**, where
  - $-C = I_e \times 2^{\mathcal{B}(I_v \cup V)},$
  - $-\mathcal{B}(E)$  is the set of boolean expressions built from a set of variables E and the classical boolean operators<sup>5</sup>,

<sup>&</sup>lt;sup>5</sup>This set can be formally derived from the abstract syntax.

- $-\mathcal{S}(A)$  is the set of sequences built from elements of the set A, where a sequence  $\vec{a}$  is an ordered collection  $\langle a_1; \ldots; a_n \rangle^6$ ,
- $-A = \mathcal{U}(O_v \cup V, I_v \cup V) \cup O_e,$
- $-\mathcal{U}(E,E')$  is the set of assignations of variables taken in a set E by expressions built from a set of variable E' and the classical boolean and arithmetic operators and constants<sup>7</sup>.
- $\tau_0 \in Q \times \mathcal{S}(\mathcal{U}(O_v \cup V, \emptyset))$  is the initial transition.

Having  $\tau = (q, c, \vec{a}, q')$  in T means that there's a transition from state q to state q' enabled by the condition c and triggering a (possibly empty) sequence  $\vec{a}$ , where

- the condition  $c \in C$  is made of
  - a trigerring event  $e \in I_e$ ,
  - a (possibly empty) set of boolean expressions (guards), involving inputs having a non-event type or local variables,
- the actions in  $\vec{a}$  consist either in the emission of an event or the modification of an output or local variable.

The initial transition  $\tau_0$  consists in a state (the initial state) and a (possibly empty) sequence of initial actions. Contrary to actions associated to "regular" transitions, initial actions cannot not emit events and the assigned values cannot depend on inputs or local variables.

**Example.** The model of the automaton depicted below<sup>8</sup> can be formally described as  $\mathcal{M} = \langle Q, I, O, V, T, \tau_0 \rangle$  where :

• 
$$Q = \{E0, E1\}$$

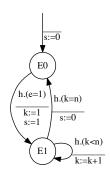
• 
$$I = \{h \mapsto \mathsf{event}, e \mapsto \mathsf{bool}\}$$

• 
$$O = \{s \mapsto \mathsf{bool}\}$$

• 
$$V = \{k \mapsto \mathsf{bool}\}$$

$$\begin{split} \bullet & T = \{ \\ & \langle E0, \langle H, \{e=0\}\rangle, \langle \rangle, E0\rangle, \\ & \langle E0, \langle H, \{e=1\}\rangle, \langle s\leftarrow 1; k\leftarrow 1\rangle, E1\rangle, \\ & \langle E1, \langle H, \{k<3\}\rangle, \langle k\leftarrow k+1\rangle, E1\rangle, \\ & \langle E1, \langle H, \{k=3\}\rangle, \langle s\leftarrow 0\rangle, E0\rangle \} \end{split}$$

• 
$$\tau_0 = \langle E0, \langle s \leftarrow 0 \rangle \rangle$$



<sup>&</sup>lt;sup>6</sup>For example, if  $A = \{1, 2\}$ , then  $S(A) = \{\langle \rangle, \langle 1 \rangle, \langle 2 \rangle, \langle 1; 1 \rangle, \langle 1; 2 \rangle, \langle 2; 1 \rangle, \langle 2; 2 \rangle, \langle 1; 2; 1 \rangle, \ldots \}$ , where  $\langle \rangle$  denotes the empty sequence.

<sup>&</sup>lt;sup>7</sup>Again, this can be formally derived from the abstract syntax.

<sup>&</sup>lt;sup>8</sup>This model, a calibrated pulse generator has been introduced in Chap. 2).

## Rules

▶ Rule PROGRAM gives the static interpretation of a program. The static environment  $\Gamma_{M}$  (resp.  $\Gamma_{I}$ ) records the (typed) declarations of models (resp. IOs).

$$\begin{split} fsm\_model^+ &\to \Gamma_{\text{M}} \\ io\_decl^+ &\to \Gamma_{\text{I}} \\ \Gamma_{\text{M}}, \Gamma_{\text{I}} \vdash fsm\_inst^+ &\to M \\ C &= \mathcal{L}(\Gamma_{\text{I}}) \\ \hline \text{program } fsm\_model^+ \ io\_decl^+ \ fsm\_inst^+ &\to M, C \end{split} \tag{Program}$$

The  $\mathcal{L}$  function builds a static context C from the IO environment  $\Gamma_{\rm I}$ :

$$\mathcal{L}(\Gamma_{\rm I}) = \langle I_e, I_v, O_e, O_v, H_e, H_v \rangle$$

where

$$\begin{split} I_e &= \{x \in \mathrm{dom}(\Gamma_{\!\!\mathsf{I}}) \mid \Gamma_{\!\!\mathsf{I}}(x) = \langle \mathrm{input}, \mathrm{event} \rangle \} \\ O_e &= \{x \in \mathrm{dom}(\Gamma_{\!\!\mathsf{I}}) \mid \Gamma_{\!\!\mathsf{I}}(x) = \langle \mathrm{output}, \mathrm{event} \rangle \} \\ H_e &= \{x \in \mathrm{dom}(\Gamma_{\!\!\mathsf{I}}) \mid \Gamma_{\!\!\mathsf{I}}(x) = \langle \mathrm{output}, \mathrm{event} \rangle \} \\ H_v &= \{x \in \mathrm{dom}(\Gamma_{\!\!\mathsf{I}}) \mid \Gamma_{\!\!\mathsf{I}}(x) = \langle \mathrm{shared}, \mathrm{event} \rangle \} \\ \end{split}$$

 $\blacktriangleright$  Rule Models gives the interpretation of model declarations, giving an environment  $\Gamma_{\mathsf{M}}$ .

$$\forall i \in \{1, \dots, n\} \qquad \Gamma_{\mathsf{M}}^{i-1}, \ fsm\_model_i \to \Gamma_{\mathsf{M}}^i$$

$$\frac{\Gamma_{\mathsf{M}}^0 = \emptyset \quad \Gamma_{\mathsf{M}} = \Gamma_{\mathsf{M}}^n}{fsm\_model_1, \dots, fsm\_model_n \to \Gamma_{\mathsf{M}}}$$
(Models)

- ▶ Rule Model gives the interpretation of a single model declaration. It just records the corresponding description in the environment  $\Gamma_M$ , after performing some sanity checks, using the valid\_model function, not detailed here. This function checks that:
  - all variable names occurring in guards are listed as input or local variable,
  - all expressions occuring in the guards of a transition have type bool,

• ...

$$\frac{\mathcal{M} = \langle Q, I, O, V, T, \tau_0 \rangle \quad \mathsf{valid\_model}(\mathcal{M})}{\mathsf{fsm} \; \mathsf{model} \; \mathrm{id} \; I \; O \; Q \; V \; T \; \tau_0 \to \Gamma_{\mathsf{M}}[\mathrm{id} \mapsto \mathcal{M}]} \tag{MODEL}$$

▶ Rules IOs and IO give the interpretation of IO declarations, producing an environment  $\Gamma_l$  binding names to a pair  $\langle io\_cat, typ \rangle$ .

$$\frac{\forall i \in \{1, \dots, n\} \qquad \Gamma_{l}^{i-1}, io\_decl_{i} \to \Gamma_{l}^{i}}{\Gamma_{l}^{0} = \emptyset \quad \Gamma_{l} = \Gamma_{l}^{n}} \\
\frac{\Gamma_{l}^{0} = \emptyset \quad \Gamma_{l} = \Gamma_{l}^{n}}{io \quad decl_{1}, \dots, io \quad decl_{n} \to \Gamma_{l}} \tag{IOs}$$

$$\frac{\Gamma_{l}, \ cat \ id : typ \to \Gamma_{l}[id \mapsto \langle cat, typ \rangle]}{\Gamma_{l}}$$
 (IO)

▶ Rules Insts gives the interpretation of FSM instance declarations.

$$\forall i \in \{1, \dots, n\} \qquad \Gamma_{\mathsf{M}}, \Gamma_{\mathsf{I}} \vdash fsm\_inst_i \to \mu_i$$

$$M = \langle \mu_1; \dots; \mu_n \rangle$$

$$fsm\_inst_1, \dots, fsm\_inst_n \to \mathcal{H} = \langle M, C \rangle$$

$$(Insts)$$

▶ Rule INST gives the interpretation of a single FSM instance as an automaton.

$$\begin{split} \Gamma_{\mathsf{M}}(\mathrm{id}) &= \langle \langle i_1' : \tau_1', \dots ; i_m' : \tau_m' \rangle, \langle o_1' : \tau_1'', \dots ; o_n' : \tau_n'' \rangle, Q, V, T, \langle q_0, \vec{a_0} \rangle \rangle \\ \Phi &= \{i_1' \mapsto i_1, \dots, i_m' \mapsto i_m, o_1' \mapsto o_1, \dots, \emptyset_n' \mapsto o_n\} \\ \forall i \in \{1, \dots, m\} \quad \Gamma_{\mathsf{I}}(i_i) &= \langle \mathrm{cat}_i, \tau_i \rangle, \ \mathrm{cat}_i \in \{\mathrm{input}, \mathrm{shared}\} \wedge \tau_i = \tau_i' \\ \forall i \in \{1, \dots, n\} \quad \Gamma_{\mathsf{I}}(o_i) &= \langle \mathrm{cat}_i, \tau_i \rangle, \ \mathrm{cat}_i \in \{\mathrm{output}, \mathrm{shared}\} \wedge \tau_i = \tau_i'' \\ \mathcal{M}' &= \langle \langle i_1 : \tau_1', \dots ; i_m : \tau_m' \rangle, \langle o_1 : \tau_1'', \dots ; o_n : \tau_n'' \rangle, Q, V, \Phi_T(T), \langle q_0, \Phi_A(\vec{a_0}) \rangle \rangle \\ &= \frac{\mu}{\langle \mathcal{M}', q_0, \mathcal{I}(V) \rangle} \\ \Gamma_{\mathsf{M}}, \Gamma_{\mathsf{I}} \vdash \ \mathsf{fsm} \ \mathrm{id} \ \langle i_1; \dots ; i_m \rangle \ \langle o_1; \dots ; o_n \rangle \to \mu \end{split} \tag{INST}$$

Rule INST checks the arity and the type conformance of the inputs and outputs supplied to the instanciated model. The rule builds a *substitution*  $\Phi$  for binding *local* input and output names to *global* ones. This substitution is applied to each transition (including the initial one) of the resulting automaton using the derived functions  $\Phi_T$  and  $\Phi_A$  (not detailed here). The  $\mathcal{I}$  function builds an environment from a set of names, initializing each binding with the  $\bot$  ("undefined") value:

$$\mathcal{I}(\{x_1,\ldots,x_n\}) = \{x_1 \mapsto \bot,\ldots,x_n \mapsto \bot\}$$

# 4.9 Dynamic semantic

The dynamic semantics of a Core Rfsm program will be given in terms of (instantaneous) reactions.

$$\mathcal{C} \vdash M, \ \Gamma \xrightarrow{\sigma} M', \ \Gamma'$$

meaning

"in the static context C and given a (dynamic) environment  $\Gamma$ , a set of automata M reacts to a stimulus  $\sigma$  leading to an updated set of automata M', an updated environment  $\Gamma'$  and producing a response  $\rho$ "

## **Definitions**

▶ Given an expression e and an environment  $\Gamma$ ,  $\mathcal{E}_{\Gamma}\llbracket e \rrbracket$  denotes the value obtained by **evaluating** expression e within environment  $\Gamma$ . For example

$$\mathcal{E}_{\{x\mapsto 1, y\mapsto 2\}}[x+y] = 3$$

▶ An **event** e is either the occurrence of a *pure event* e or the assignation of a **value** v to a **name** (input, output or local variable):

$$e = \begin{cases} \epsilon \\ x \leftarrow v \end{cases}$$

 $\blacktriangleright$  An **event set** E is a dated set of events

$$E = \langle t, \{e_1, \dots, e_n\} \rangle$$

where t gives the occurrence **time** (logical instant).

For example  $E = \langle 10, \{h, e \leftarrow 0\} \rangle$  means

"At time t=10, event h occurs and (input) e is set to 0".

The union of event sets is defined as

$$\langle t, e \rangle \cup \langle t', e' \rangle = \begin{cases} \langle t, e \cup e' \rangle & \text{if } t = t' \\ \bot & \text{otherwise} \end{cases}$$

 $\blacktriangleright$  A stimulus  $\sigma$  (resp. response  $\rho$ ) is just an event set involving inputs (resp. outputs).

TODO: Input et output par rapport à quoi : automate ou contexte ?

## Rules

▶ Given a static description  $\mathcal{H} = \langle M, C \rangle$  of a program, the **execution** of this program submitted to a sequence of stimuli  $\vec{\sigma} = \sigma_1, \dots, \sigma_n$  is formalized by rule EXEC

$$\frac{C \vdash M \to M_0, \ \Gamma_0}{C \vdash M_{i-1}, \ \Gamma_{i-1} \xrightarrow{\sigma_i} M_i, \ \Gamma_i} \\
\frac{\forall i \in \{1, \dots, n\} \qquad C \vdash M_{i-1}, \ \Gamma_{i-1} \xrightarrow{\sigma_i} M_i, \ \Gamma_i}{\vec{P} = \langle M, C \rangle \xrightarrow{\vec{\sigma} = \langle \sigma_1; \dots; \sigma_n \rangle} M_n, \ \Gamma_n} \tag{EXEC}$$

In other words, the execution of the program is described as as a sequence of **instantaneous** reactions, which can be denoted as $^9$ :

$$M_0, \ \Gamma_0 \xrightarrow[\rho_1]{\sigma_1} M_1, \ \Gamma_1 \to \dots \xrightarrow[\rho_n]{\sigma_n} M_n, \ \Gamma_n$$

where

- the global environment  $\Gamma$  here records the value of inputs and shared variables<sup>10</sup>,
- $\rho_1, \ldots, \rho_n$  is the sequence of responses,
- $M_n$  and  $\Gamma_n$  respectively give the final state of the automata and global environment.
- ▶ Rule Init describes how the initial set of automata  $M_0$  and global environment  $\Gamma_0$  are initialized by executing the initial transition of each automaton (producing a set of initial responses  $\rho_0$ .

 $<sup>^{9}</sup>$ Omitting context C, which is constant during an execution.

<sup>&</sup>lt;sup>10</sup>This environment is required to handle events describing modifications of these values, as described below (see rule REACTUPD).

$$\forall i \in \{1, \dots, n\} \quad \mu_i = \langle \mathcal{M}_i, q_i, \mathcal{V}_i \rangle \quad \mathcal{M}_i = \langle \dots, \dots, \dots, \langle \dots, \vec{a_i} \rangle \rangle \quad C \vdash \mathcal{V}_i, \ \gamma_{i-1} \xrightarrow{\vec{a_i}, 0} \mathcal{V}_i', \ \gamma_i \quad \mu_i' = \langle \mathcal{M}_i, q_i, \mathcal{V}_i' \rangle$$

$$C = \langle \dots, I_v, \dots, O_v, \dots, H_v \rangle \quad \gamma_0 = \mathcal{I}(I_v \cup O_v \cup H_v)$$

$$C \vdash M = \{\mu_1, \dots, \mu_n\} \rightarrow M_0 = \{\mu_1', \dots, \mu_n'\}, \ \Gamma_0 = \gamma_n$$
(INIT)

where the  $I_v$ ,  $O_v$  and  $H_v$  sets, taken from the static context C, respectively give the name of inputs, outputs and shared variables.

**Note**. Rule INIT does *not* produce any response  $\rho$ . This is because the initial actions of an automaton cannot emit events hence can only update the its local environment or the global one.

▶ Rule ACTS describes how a sequence of actions  $\vec{a}$  (at time t) updates the local and global environments, possibly emitting a set of responses<sup>11</sup>.

$$\forall i \in \{1, \dots, n\} \qquad C \vdash \mathcal{V}_{i-1}, \ \Gamma_{i-1} \xrightarrow{a_i, t \atop \rho_i} \mathcal{V}_i, \ \Gamma_i$$

$$\frac{\mathcal{V}_0 = \mathcal{V} \quad \Gamma_0 = \Gamma \quad \rho_e = \bigcup_{i=1}^n \rho_i}{C \vdash \mathcal{V}, \ \Gamma \xrightarrow{\langle a_1; \dots; a_n \rangle, \ t \atop \rho_e} \mathcal{V}_n, \ \Gamma_n}$$
(ACTS)

**Note**. The definition of rule ACTS given above enforces a *sequential interpretation* of actions. For example

$$\{x\mapsto 1,\ s\mapsto \bot\},\ \Gamma\xrightarrow{\langle x\leftarrow x+1; s\leftarrow x\rangle, t} \{x\mapsto 2,\ s\mapsto 2\}, \Gamma$$

Rule Acts could easily be reformulated to describe other interpretations, such as a *synchronous* one, in which all RHS values are first evaluated and then assigned to LHS in parallel<sup>12</sup>.

▶ Rules ACTUPDL and ACTUPDG respectively describe the effect of an action updating a local or global variable (shared variable or output)<sup>13</sup>.

$$\frac{x \in \text{dom}(\mathcal{V}) \quad v = \mathcal{E}_{\mathcal{V} \cup \Gamma}[\![e]\!]}{C \vdash \mathcal{V}, \ \Gamma \xrightarrow{x \leftarrow e, \ t} \mathcal{V}[x \mapsto v], \ \Gamma} \text{ (ACTUPDL)} \qquad \frac{x \in \text{dom}(\Gamma) \quad v = \mathcal{E}_{\mathcal{V} \cup \Gamma}[\![e]\!]}{C \vdash \mathcal{V}, \ \Gamma \xrightarrow{x \leftarrow e, \ t} \mathcal{V}, \ \Gamma[x \mapsto v]} \text{ (ACTUPDG)}$$

▶ Rule React describes how a program M within a global environment  $\Gamma$  (instantaneously) reacts to a stimulus (event set)  $\sigma$ , producing a response (event set)  $\rho$ , an updated program M' and an updated environment  $\Gamma'$ .

$$\frac{\sigma_{e}, \sigma_{v} = \Sigma(\sigma) \qquad C \vdash M, \ \Gamma \xrightarrow{\sigma_{v}} M, \ \Gamma_{v} \qquad C \vdash M, \ \Gamma_{v} \xrightarrow{\sigma_{e}} M', \ \Gamma'}{C \vdash M, \ \Gamma \xrightarrow{\rho_{e}} M', \ \Gamma'}$$
(REACT)

where the function  $\Sigma$  partitions a *event set* into one containing the stimuli corresponding to *pure* events ( $\epsilon$ ) and another containing those corresponding to updates to global inputs :

<sup>&</sup>lt;sup>11</sup>This set of responses is always empty when rule ACTS is invoked in the context of INIT.

 $<sup>^{12}\</sup>mathrm{As}$  happens in hardware synchronous implementations for example.

<sup>&</sup>lt;sup>13</sup>The effect of an action emitting an event will be described by rules ACTEMITS and ACTEMITG, given latter.

$$\Sigma(\langle t, \{e_1, \dots, e_n\} \rangle) = \langle t, \{e_i \mid e_i = \epsilon_i\} \rangle, \quad \langle t, \{e_i \mid e_i = x_i \leftarrow v_i\} \rangle$$

▶ Rule Reacture describes how a program M within a global environment  $\Gamma$  reacts to set of events describing updates to global inputs. These updates are just recorded in the environment and do not produce responses, nor trigger any reaction of the automata:

$$\frac{}{C \vdash M, \ \Gamma \xrightarrow{\sigma_v = \langle t, \{x_1 \leftarrow v_1, \dots, x_m \leftarrow v_m\} \rangle} M, \ \Gamma[x_1 \mapsto v_1] \dots [x_m \mapsto v_m]} \tag{ReactUpd}$$

▶ Rule Reactev describes how a program reacts to a set of pure events.

$$\forall i \in \{1, \dots, n\} \quad C \vdash \mu_{\pi(i)}, \ \Gamma_{i-1} \xrightarrow{\sigma_i} \mu'_{\pi(i)}, \ \Gamma_i \qquad \sigma_i = \sigma_{i-1} \cup \rho_i$$

$$\Gamma_0 = \Gamma \qquad \sigma_0 = \sigma_e \qquad \rho_e = \bigcup_{i=1}^n \rho_i \qquad \Gamma' = \Gamma_n$$

$$C \vdash M = \{\mu_1, \dots, \mu_n\}, \Gamma \xrightarrow{\sigma_e = \langle t, \{\epsilon_1, \dots, \epsilon_m\} \rangle}_{\rho} M' = \{\mu'_1, \dots, \mu'_n\}, \ \Gamma'$$
(REACTEV)

Each automaton reacts separately but in a specific order. This order is derived from the dependencies between automata. We say that an automaton  $\mu'$  depends on another automaton  $\mu$  at a given instant t, and note

$$\mu < \mu'$$

if the reaction of  $\mu$  at this instant can trigger or modify the reaction of  $\mu'$  at the same instant. Concretely, this happens when  $\mu$  and  $\mu'$  are respectively in states q and q' and there's (at least) one pair of transitions  $(\tau, \tau')$  starting respectively from q and q' so that

- $\tau'$  is triggered by an event emitted by  $\tau$ , or
- a variable occurring in the guards associated to  $\tau'$  is written by the actions associated to  $\tau$ .

The function  $\pi$  used in Reactev is a permutation of  $\{1,\ldots,n\}$  defined so that

$$\mu_{\pi(1)} \le \mu_{\pi(2)} \le \ldots \le \mu_{\pi(n)}$$

Having the automata of M react in the order  $\pi(1), \ldots, \pi(n)$  ensures that any event emitted or local variable update performed by an automaton during a given reaction is effectively perceived by any other automaton at the same reaction, a principle called instantaneous broadcats.

The permutation  $\pi$  can easily be computed by a topological sort of the dependency graph derived from the conditions expressed above. In practice, this will be carried out by a static analysis of the program.

▶ Rules REACT1, REACT0 and REACTN describe how a single automaton reacts to a set of pure events, updating both its internal and global states and producing another set of (pure) events in response.

$$\frac{\Delta_{\Gamma \cup \mathcal{V}}(\mathcal{M}, q, e) = \{\tau\}}{C \vdash \mu, \ \Gamma \xrightarrow{\frac{\tau, \ t}{\rho_e}} \mu', \Gamma'} (\text{REACT1}) \qquad \frac{\Delta_{\Gamma \cup \mathcal{V}}(\mathcal{M}, q, e) = \emptyset}{C \vdash \mu = \langle \mathcal{M}, q, \mathcal{V} \rangle, \ \Gamma \xrightarrow{\frac{\sigma_e = \langle t, e \rangle}{\rho_e}} \mu', \ \Gamma'} (\text{REACT1})$$

$$\Delta_{\Gamma \cup \mathcal{V}}(\mathcal{M}, q, e) = \{\tau_1, \dots, \tau_n\}$$

$$\tau = \operatorname{choice}(\{\tau_1, \dots, \tau_n\})$$

$$C \vdash \mu, \Gamma \xrightarrow{\tau, t} \mu', \Gamma'$$

$$C \vdash \mu = \langle \mathcal{M}, q, \mathcal{V} \rangle, \Gamma \xrightarrow{\sigma_e = \langle t, e \rangle} \mu', \Gamma'$$
(REACTN)

Given a automaton modelised by  $\mathcal{M}$  and currently in state q,  $\Delta_{\Gamma}(\mathcal{M}, q, e)$ , where  $e = \{\epsilon_1, \ldots, \epsilon_n\}$ , returns the set of *fireable* transitions, *i.e.* all the transitions triggered by the event set e starting from q and for which the all the associated boolean guards evaluate, in environment  $\Gamma$ , to true.

$$\Delta_{\Gamma}(\mathcal{M}, q, \{\epsilon_1, \dots, \epsilon_n\}) = \bigcup_{i=1}^n \Delta_{\Gamma}(\mathcal{M}, q, \epsilon_i)$$

where

$$\Delta_{\Gamma}(\langle .,.,.,T,.\rangle,q,\epsilon) = \{(q_s,c,a,q_d) \in T \mid q = q_s \land c = \langle \epsilon, \{e_1,\ldots,e_n\} \rangle \land \forall i \in \{1,\ldots,n\} \quad \mathcal{E}_{\Gamma}[\![e_i]\!] = \mathsf{true}\}$$

Rule React1 describes the case when the set of events triggers exactly *one* transition of the automaton. Its state and local variables are updated according to the actions listed in the transition and the remaining actions are used to generated the set of responses.

Rule React0 describes the case when the set of events does not trigger any transition. The automaton and the global environment are left unchanged.

Rule REACTN describes the case when the set of events triggers more than one transition. This situation corresponds to a non-deterministic behavior of the automaton. The function choice is here used to choose one transition 14.

▶ Rule Trans describes the effect of performing a transition, updating the automaton local and global states and returning a set of (pure) events as responses.

$$\mu = \langle \mathcal{M}, q, \mathcal{V} \rangle \qquad \tau = \langle q, c, \vec{a}, q' \rangle$$

$$C \vdash \mathcal{V}, \Gamma \xrightarrow{\vec{a}, t} \mathcal{V}', \Gamma'$$

$$\frac{\mu' = \langle \mathcal{M}, q', \mathcal{V}' \rangle}{C \vdash \mu, \Gamma \xrightarrow{\tau, t} \mu', \Gamma'}$$
(Trans)

▶ Rules ACTEMITS and ACTEMITG complement the rules ACTUPDL and ACTUPDG given previously by describing the effect of an action emitting a shared or output event. The  $H_e$  set, taken from context C, is here used to distinguish between to to. The formers can trigger the reaction of other(s) automaton(s), the latters are just ignored here (see note below).

$$\frac{C = \langle ., ., ., ., H_e, . \rangle \quad \epsilon \in H_e}{C \vdash \mathcal{V}, \ \Gamma \xrightarrow{\langle t, \{\epsilon \} \rangle} \mathcal{V}, \ \Gamma} \text{(ACTEMITS)} \qquad \frac{C = \langle ., ., ., H_e, . \rangle \quad \epsilon \notin H_e}{C \vdash \mathcal{V}, \ \Gamma \xrightarrow{\langle t, \emptyset \rangle} \mathcal{V}, \ \Gamma} \text{(ACTEMITG)}$$

Note. The semantics described here only defines how a program execution progresses, from the initial program to the final program state M. In practice, an interpreter will also build a trace of such an execution, recording all significant events (stimuli, responses, state moves, etc.). Building such a trace is easily performed by modifying the semantic rules given above. It has not been done here for the sake of simplicity.

<sup>&</sup>lt;sup>14</sup>This can done, for example, by adding a *priority* to each transition.