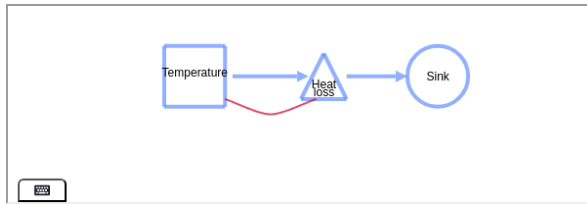


# 1 Dependency Links: Re-visited

As a group, review the system diagram below. Describe a stock-flow model you think this could represent.

- What is the stock? Include reasonable units.
- What are the flows? Include reasonable units.
- Are there factors not currently represented in this diagram that you think would have a significant impact on the value of the stock?



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**Figure 1.1** A system diagram with a single stock, single outflow, and single dependency link.

## 2 Parameters in System Diagrams

Let's practice recognizing potential parameters in stock-flow models and representing them in a system diagram. For each stock-flow model below, identify any parameters you think might be present. Then create a system diagram including those parameters.

Use the interactive as needed if it is helpful to recall the various components that comprise a system diagram.

- **Stock:** Population of a community

**Flows:** Births, deaths

Add Stock
Add Flow
Add Rate
Add Parameter
Add Dependency Link

Add Source/Sink
Add Label

Delete Last Component



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**Figure:** A blank space to construct a system diagram.

- **Stock:** Indoor temperature

**Flows:** Furnace, heat loss

Add Stock
Add Flow
Add Rate
Add Parameter
Add Dependency Link

Add Source/Sink
Add Label

Delete Last Component

**Figure:** A blank space to construct a system diagram.

- **Stock:** Energy in solar panels

**Flows:** Sun, energy use

Add Stock
Add Flow
Add Rate
Add Parameter
Add Dependency Link

Add Source/Sink
Add Label

Delete Last Component

### 3 Parameters and Equilibrium Values

Let's practice using parameters in equilibrium calculations. For each stock-flow model below,

- Sketch a system diagram on paper with the indicated parameters and dependency links.
- Determine the parameter value that will result in the desired equilibrium value.

1. **Stock:** Population of a community

**Flows:** Births, deaths

**Parameters:** Carrying capacity

**Rates:**

- Death rate is constant at 1,000 individuals per year
- Birth rate ( $B$ ) depends on the population ( $P$ ) and the carrying capacity ( $C$ ):

$$B = 0.25P \left( 1 - \frac{P}{C} \right)$$

**Desired Equilibrium:**  $P = 100,000$

2. **Stock:** Temperature in a greenhouse

**Flows:** Sun, heat loss

**Parameters:** Outside temperature, thickness of greenhouse material

**Rates:**

- Temperature rate is constant from the sun at  $15^\circ$  fahrenheit per day
- Heat loss ( $H$ ) depends on the inside temperature ( $T$ ), the outside temperature ( $A$ ), and the thickness in milimeters of the greenhouse material ( $K$ ):

$$H = \frac{6(T - A)}{K}$$

**Desired Equilibrium:**  $T = 75^\circ$  fahrenheit, given that the outside temperature is  $65^\circ$  fahrenheit