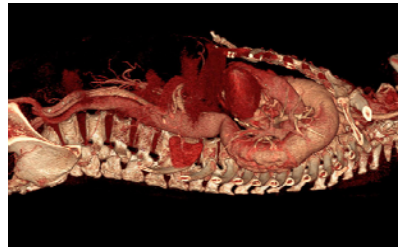


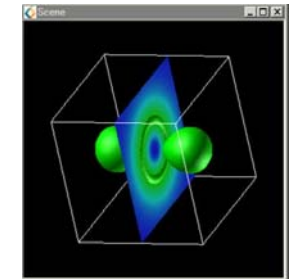
## Volume Data

- 3D array of data. Each volume element (voxel) is a value representing some measurement or calculation
- e.g. Magnetic resonance imaging (MRI) data: Strong magnetic field aligns magnetization of hydrogen atoms, and then measures radio waves they emit (body tissue contains a lot of hydrogen (water)). Computed Tomography (CT) data: Interior images of the body are calculated using many X-rays of the body.

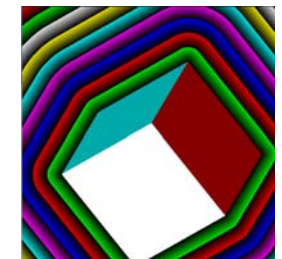


## Volume Data

- e.g. simulation: probability of electron position around a  $H_2$  molecule
- Machine representation simple: 3D array of char/integer/real, etc.
- Conversion to volume data: scanned (MRI/CT), numerical simulation (hydrogen data), or distance fields
- Rendering to screen (e.g. MIP – later slides)



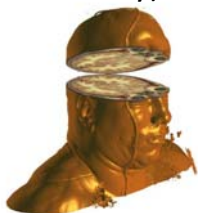
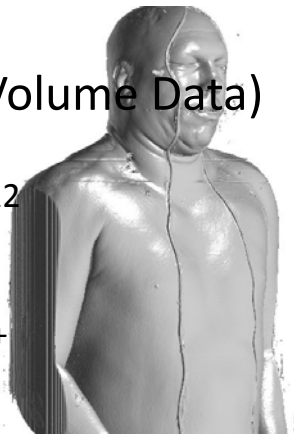
Hydrogen data



Distance around object

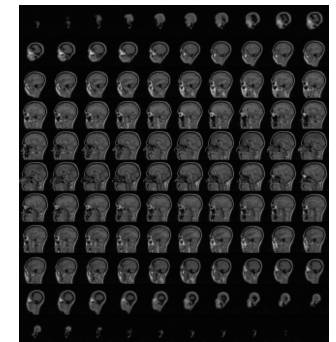
## Visible Human Project (Volume Data)

- CT scan 1800+ slices, each 512x512 voxels. Each voxel is 2 bytes (integer) ~ 1GB. MRI scan similar
- Body then photographed at 1800+ 1mm intervals (each photograph represents a slice through the body)



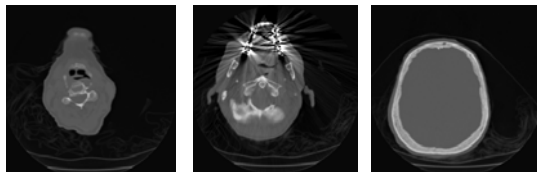
## Volume Rendering Input

- The data consists of a number of images representing slices through the body
- Each pixel in each image has the measured quantity (X-ray absorption for CT scans)
- Stacking the images creates a 3D array of “voxels” = volume elements (pixels=picture elements)



## Maximum Intensity Projection

- Type of rendering algorithm for volume data
- See lecture for example application for reading data
- Typical slices from CThead – [bit.ly/cthead](http://bit.ly/cthead)



## Maximum Intensity Projection



- Example for side view from CThead
- Rays are traced through the data set
- For each ray find the maximum value
- Then map it from [min,max] to [0,255]

## Maximum Intensity Projection

- Algorithm (for 256x256x113 data set – CThead):
  - e.g. for top view, first loop over all the pixels:
    - for j=row 0 to row 255
    - for i=column 0 to column 255
  - now set the maximum to a default value
    - maximum=a small value
  - now for the ray (i,j) going through the data from slice 0 to slice 112, find the maximum
    - for k=slice 0 to slice 112
    - maximum=max(cthead[k][j][i],maximum)
  - still, for each ray (i,j), now the maximum has been found, set the colour of the pixel as usual (as in the code)

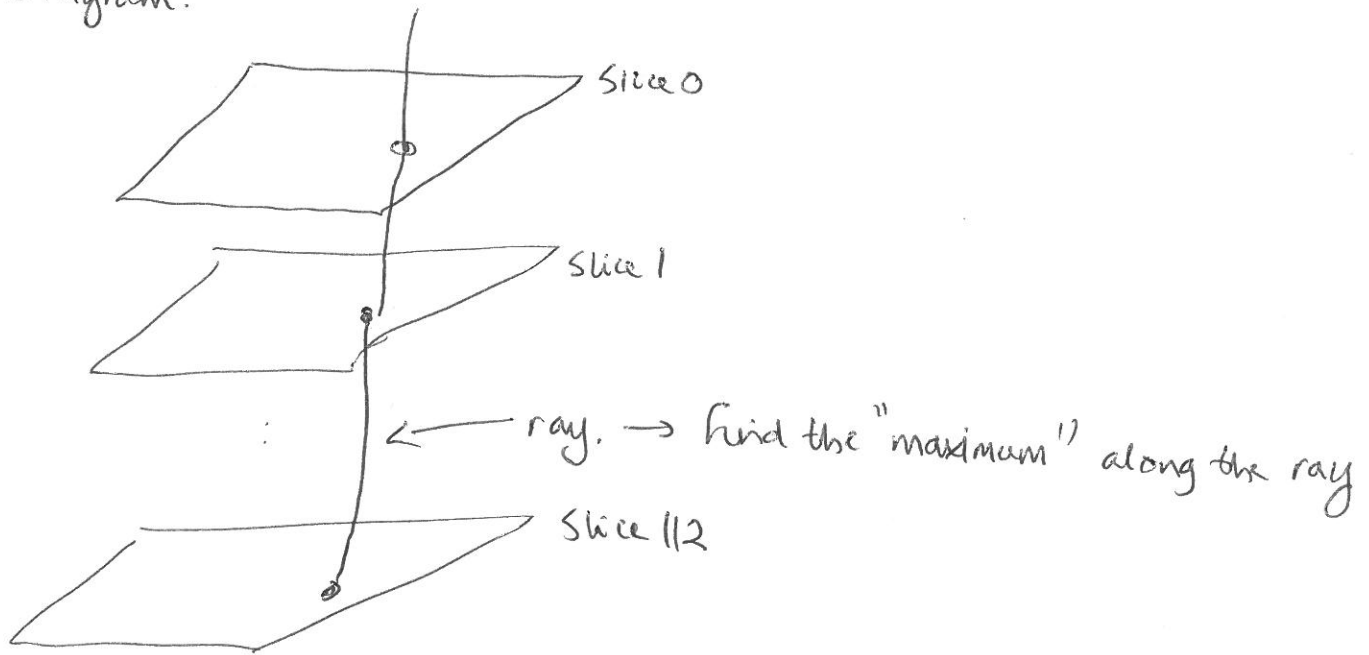
## Maximum Intensity Projection

- Further definitions
- each position in the 3D data set is known as a voxel
- a ray is a straight line “fired” through the data set
- Maximum intensity projection (MIP) has the advantage that it is close to a doctors understanding of an X-Ray
- Its disadvantage is that the depth of the structure is hard to distinguish (sometimes depth weighting is used)

## MIP

See slides for loops / algorithm. Its your task to convert it into code.

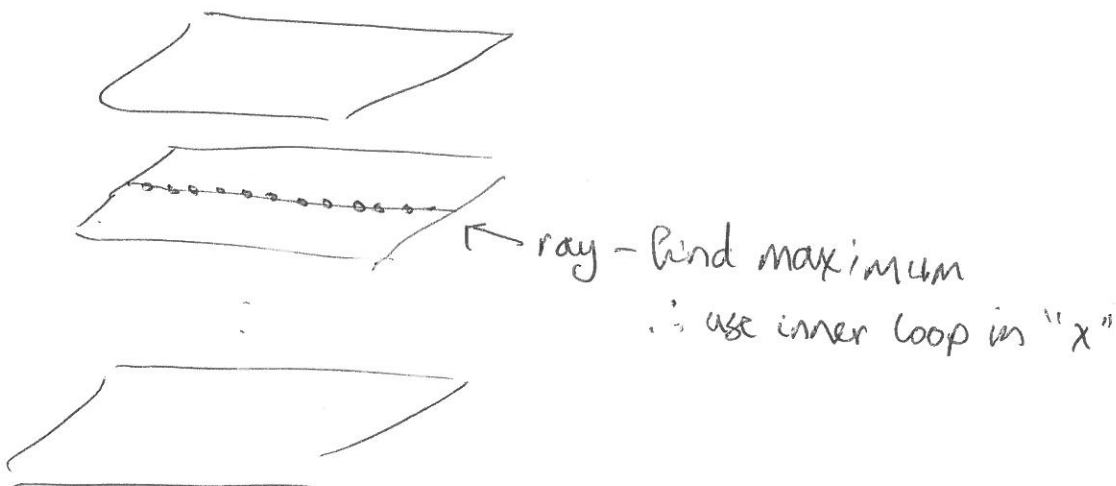
Diagram.



From top down, for a ray going through the slices, we need an inner loop going from 0..112 finding the maximum. (Note there is already a variable called max, so use a different name for this maximum).

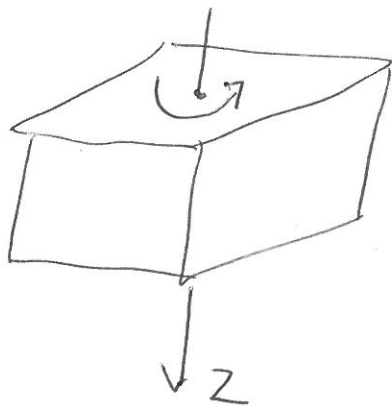
Use that maximum value to give a value for the pixel in the image you wish to display. Example image is given in the notes.

Doing MIP from the side.



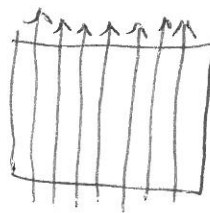
## Rotation view. [advanced]

from previous a ray goes in  $x$  for side view,  $z$  for vertical view,  $y$  for front view. for a rotation about  $z$  axis

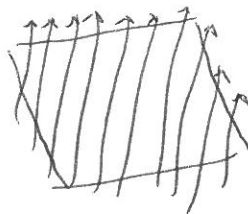


we need to work out how the rays go through a slice.

Let's look at one slice and no rotation ( $0^\circ$ )



and say  $25^\circ$



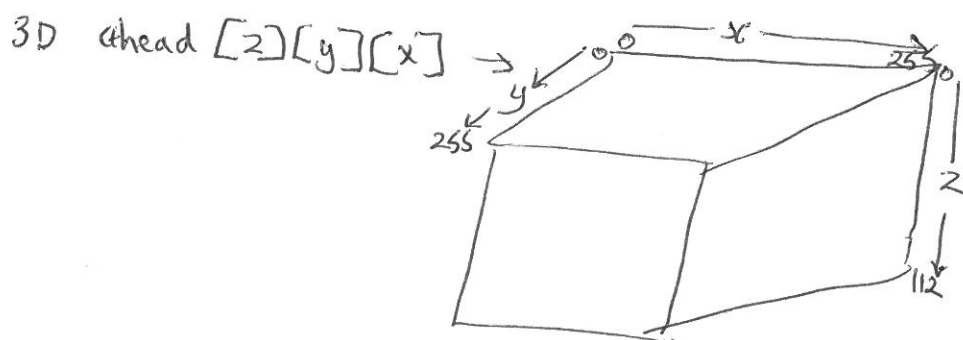
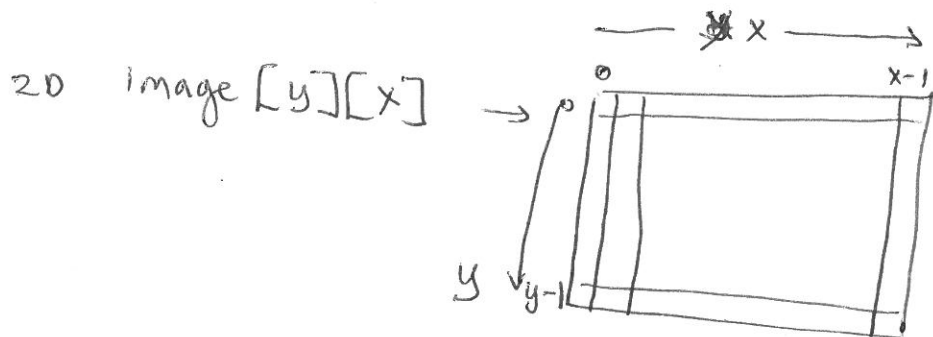
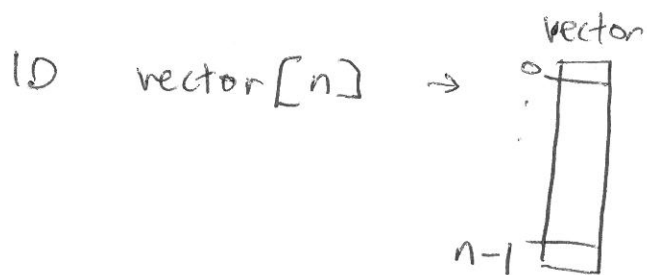
Now recall 2D rotations from GCSE

$$x' = x \cos \theta - y \sin \theta$$

$$y' = x \sin \theta + y \cos \theta$$

This is a hint how to do it.

# 3D Arrays.



$cthead[k][j][i]$   $k$  indicates a single cross sectional slice.  
 $(i, j)$  is a single Pixel/Voxel/element within that slice.

(Advanced)  
 ↳ (of course its all a 1D vector of memory  $(i + j \times \text{width} + k \times \text{width} \times \text{height}) \times \text{sizeof}(\text{short})$ )

So  $cthead[\overset{\text{fixed}}{z}][\underset{\text{loops}}{j}][\underset{\text{loops}}{i}]$  give a slice looking down (the  $z$  direction).

$cthead[\overset{\text{fixed}}{k}][\underset{\text{loops}}{y}][\underset{\text{loops}}{i}]$  gives a slice looking from front (the  $y$  direction)

$cthead[\underset{\text{loops}}{k}][\underset{\text{loops}}{j}][\underset{\text{fixed}}{x}]$  gives a slice looking from the side (the  $x$  direction)