

Question 1a) overflow conditions  $\rightarrow p+p=n$ ,  $n+n=p$

If we choose  $x$  as positive number, maximum it can get is  $(01111111)$  which will cause overflow but with 8 bits. Therefore,  $x$  must be negative. Max. negative value result can get is  $-128$  so  $x$  can get up to  $-64$  without overflow.

Largest value  $x$  can get is  $-65_{(10)} = (10111111)_2$ .

$$\begin{array}{r} 10111111 \\ + 10111111 \\ \hline 101111110 \end{array}$$

→ sign is positive, overflow.  
 ↳ ignored

Question 1b) unsigned  $\Rightarrow A > B \rightarrow$  most significant bit is 1.

signed  $\Rightarrow B > A$

i)  $R = A - B \rightarrow$  unsigned  $\Rightarrow$  As  $A > B$  there will be no borrow and 9<sup>th</sup> bit will be 1.

For 8<sup>th</sup> bit to be 1, result should be greater than or equal to 128. As both  $A$  and  $B$ 's MSB is 1, it is impossible.

8<sup>th</sup> bit = 0, 9<sup>th</sup> bit = 1.

$\rightarrow$  Signed  $\Rightarrow$  As  $B > A$  and they are negative numbers  $|B| < |A|$  and result is negative. In signed subtraction carry bit is ignored for sign so 8<sup>th</sup> bit is 1, 9<sup>th</sup> bit is same as 8<sup>th</sup> = 1.

ii) There will be no difference in signed and unsigned comparison between  $A$  and  $B$  if they were both positive numbers. As the comparison changed we can say that they are negative.