

In [1]:

```
import numpy as np
nations = np.genfromtxt("nations.csv", delimiter=";", skip_header=True)
```

In [136]:

How many people live on earth?

```
amtPeopleOnEarth = np.sum(nations, axis=0)[6]
print(amtPeopleOnEarth)
```

6482276104.0

In [137]:

What is the average life expectancy of the world population?

```
avgLifeExp = np.mean(nations, axis=0)[4]
print(avgLifeExp)
```

71.69006134969325

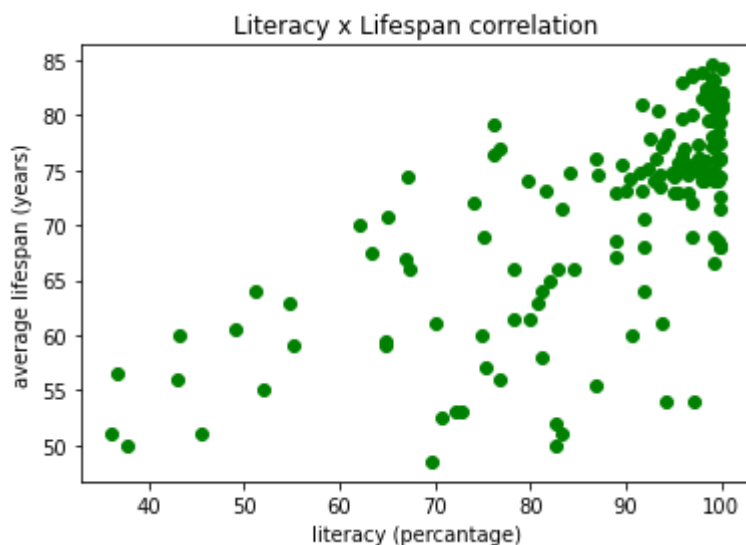
In [138]:

Do people who can read live longer? Back up your claim with a diagram.

```
import matplotlib.pyplot as plt
plt.title("Literacy x Lifespan correlation")
plt.ylabel("average lifespan (years)")
plt.xlabel("literacy (percentage)")

plt.plot(nations[:,5]*100, nations[:,4], "og")

plt.show()
```



There appears to be a correlation between high literacy and a long life expectancy. Although, high literacy does not always come with a high average lifespan. But on the opposite side of the spectrum there are no low-lifespan countries with higher-end literacy.

In conclusion: A high literacy is essential but not sufficient for long average lifespans.

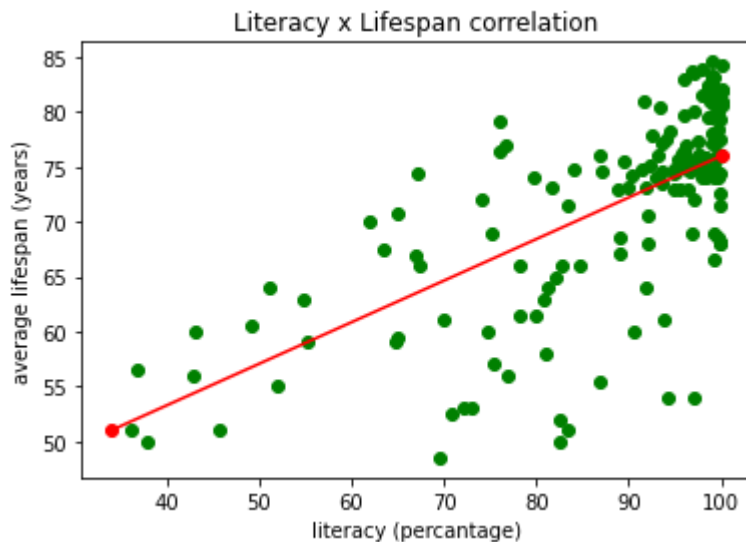
In [139]:

```
# Additionally, draw a straight line in the same plot, which approximately reflects the correlation

plt.title("Literacy x Lifespan correlation")
plt.ylabel("average lifespan (years)")          # <--- same as before, since plot.show()
plt.xlabel("literacy (percentage)")

plt.plot(nations[:,5]*100, nations[:,4], "og")

x, y = [34, 100], [51, 76] # rough approximation
plt.plot(x, y, marker = "o", color= "r")
plt.show()
```



In [141]:

```
# Create the appropriate linear equation and store it in a function.

def calcLifeSpan(literacy):

    # y = mx+n
    m=(51-76)/(34-100) # numbers from above (change in height)
    n=51-34*m # numbers from above (shift on y axis)

    # final equation: y = 0.378*x + 38.12

    return literacy*m+n


# Calculate how well the line approximates the data points by calculating the root-mean-square

import math

sum = 0
lits = nations[:,5] # Literacy array
spans = nations[:,4] # Lifespan array

for x in range(len(lits)): # for every data point
    sum += (calcLifeSpan(lits[x]*100)-spans[x])**2 # sum up squares of difference between e

rmse = math.sqrt(sum/len(lits)) # root the sum divided by amount of sum-ups

print("RMSE: ", rmse) # result
```

RMSE: 6.527986011830154

In [143]:

```
# Change the straight line by hand so that the error or deviation is smaller. Make a note o

plt.title("Literacy x Lifespan correlation")
plt.ylabel("average lifespan (years)") # <--- same as before, since plot.show()
plt.xlabel("literacy (percentage)")

plt.plot(nations[:,5]*100, nations[:,4], "og")

x, y = [34, 100], [49, 76.5] # rough approximation
plt.plot(x, y, marker = "o", color= "r")
plt.show()

def calcLifeSpan(literacy):

    # y = mx+n
    m=(49-76.5)/(34-100) # numbers from above (change in height)
    n=49-34*m # numbers from above (shift on y axis)

    # final equation: y = 0,416*x + 34.83

    return literacy*m+n

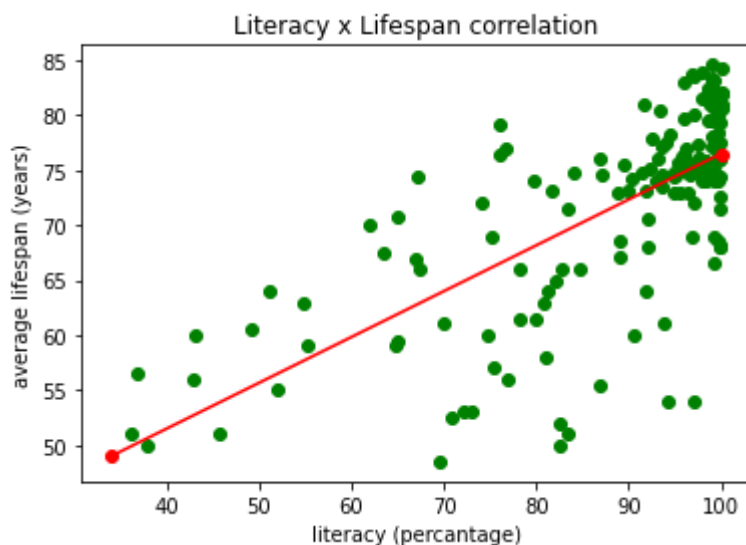
import math

sum = 0
lits = nations[:,5] # Literacy array
spans = nations[:,4] # Lifespan array

for x in range(len(lits)): # for every data point
    sum += (calcLifeSpan(lits[x]*100)-spans[x])**2 # sum up squares of difference between e

rmse = math.sqrt(sum/len(lits)) # root the sum divided by amount of sum-ups

print("RMSE: ", rmse) # result
```



RMSE: 6.508700975976927

After trying for several minutes, I managed to achieve a slightly better result. Seems like the first approximation was already very close to the best I can come up with.

FINAL EQUATION:

$$y = 0.416 * x + 34.83 \text{ RMSE} \quad \sim 6.508700975976927$$

PREVIOUSLY:

$$y = 0.378 * x + 38.12 \text{ RMSE} \quad \sim 6.527986011830154$$