

Time Series Assignment

1. Load the data

```
```{r load_data, echo=FALSE}
elec_train <- read_excel('2023-11-Elec-train.xlsx')
colnames(elec_train) <- c("Date", "Power_kw", "Temp_c")

head(elec_train)
```
```

A tibble: 6 × 3

| Date <chr> | Power_kw <dbl> | Temp_c <dbl> |
|--------------------|-------------------|-----------------|
| 40179.052083333336 | 165.1 | 10.55556 |
| 1/1/2010 1:30 | 151.6 | 10.55556 |
| 1/1/2010 1:45 | 146.9 | 10.55556 |
| 1/1/2010 2:00 | 153.7 | 10.55556 |
| 1/1/2010 2:15 | 153.8 | 10.55556 |
| 1/1/2010 2:30 | 159.0 | 10.55556 |

6 rows

2. Add the explanatory variables

Convert the timestamp to Date format and add the hour and Day variables extracted from Date

```

#### {r convert_timestamp}

elec_train$Date <- as.POSIXct(elec_train$Date, format="%m/%d/%Y %H:%M", tz="UTC")
# Add time features
elec_train$Hour <- as.numeric(format(elec_train$Date, "%H"))
elec_train$Day <- as.numeric(format(elec_train$Date, "%u"))

head(elec_train)
####

```

A tibble: 6 × 5

| | Date <S3: POSIXct> | Power_kw <dbl> | Temp_c <dbl> | Hour <dbl> | Day <dbl> |
|--|-----------------------|-------------------|-----------------|---------------|--------------|
| | <NA> | 165.1 | 10.55556 | NA | NA |
| | 2010-01-01 01:30:00 | 151.6 | 10.55556 | 1 | 5 |
| | 2010-01-01 01:45:00 | 146.9 | 10.55556 | 1 | 5 |
| | 2010-01-01 02:00:00 | 153.7 | 10.55556 | 2 | 5 |
| | 2010-01-01 02:15:00 | 153.8 | 10.55556 | 2 | 5 |
| | 2010-01-01 02:30:00 | 159.0 | 10.55556 | 2 | 5 |

We see that one row of Data is null, it is at beginning and we remove it.

3. Check for the missing values

```

#### {r check_missing_value, echo=FALSE}

colSums(is.na(elec_train))
####

```

| | | | | |
|------|----------|--------|------|-----|
| Date | Power_kw | Temp_c | Hour | Day |
| 1 | 96 | 0 | 1 | 1 |

We see that Power has 96 missing rows, we fix it using **interpolation**

Plot Missing Data for power

```
```{r missing_data_power, echo= FALSE}
```

```
library(imputeTS)
```

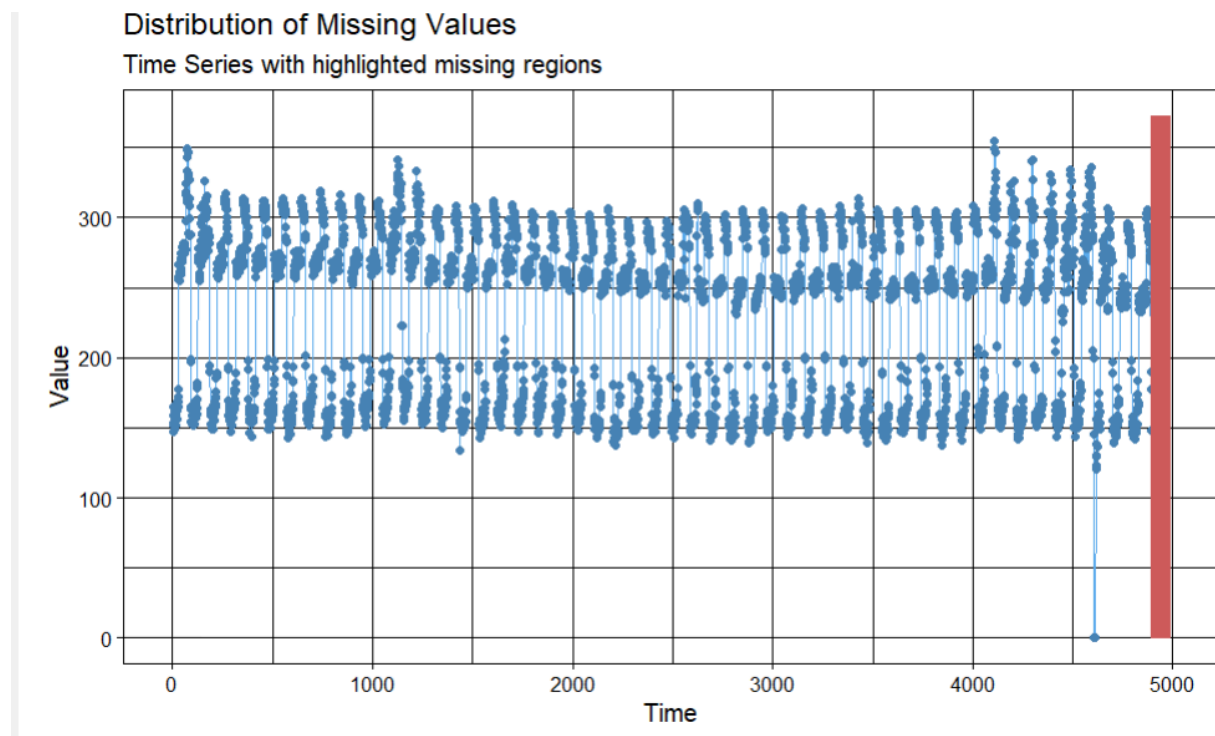
```
ggplot_na_distribution(elec_train$Power_kw)
```

```
|
elec_train$Power_kw = na_interpolation(elec_train$Power_kw)
```

```
ggplot_na_distribution(elec_train$Power_kw)
```

```
```
```

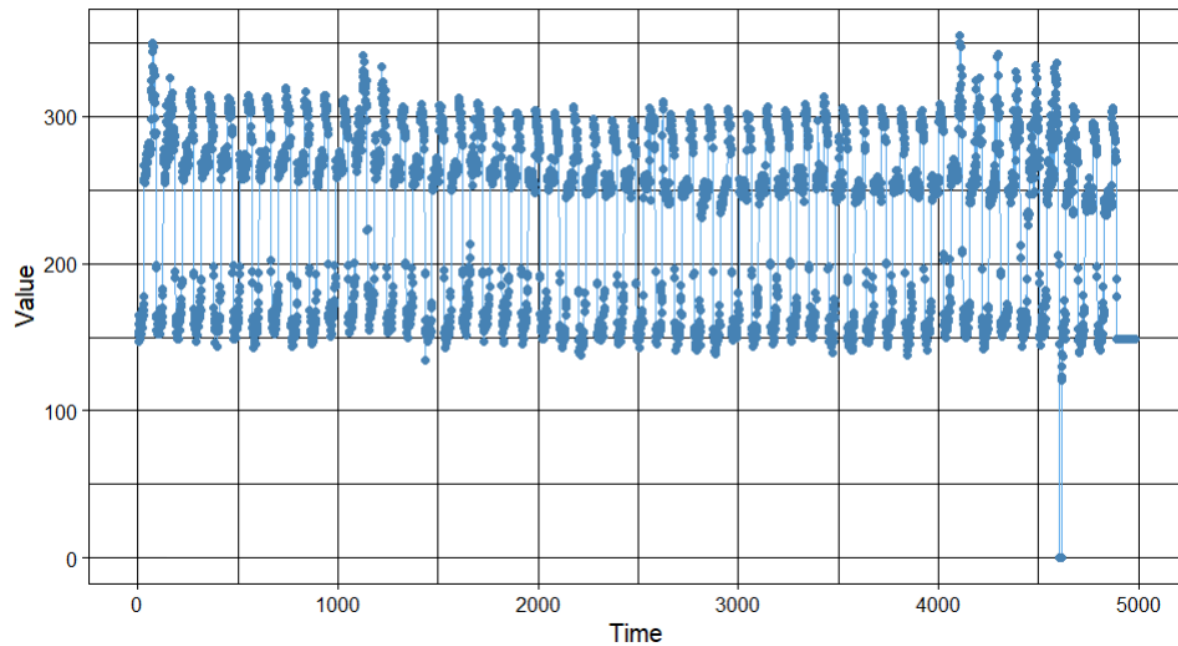
Before interpolation



After Interpolation

Distribution of Missing Values

Time Series with highlighted missing regions



After converting to Date format, the first row of data does not have the date.

```
```{r check_missing_value_3, echo=FALSE}
```

```
colSums(is.na(elec_train))
```

```
```
```

| Date | Power_kw | Temp_c | Hour | Day |
|------|----------|--------|------|-----|
| 1 | 0 | 0 | 1 | 1 |

```
```{r missing_value_after_dateformat, echo=FALSE}
```

```
Remove rows where Date is NA
```

```
elec_train <- elec_train[!is.na(elec_train$Date),]
```

```
Verify that no missing values remain in the Date column
```

```
colSums(is.na(elec_train))
```

```
```
```

| Date | Power_kw | Temp_c | Hour | Day |
|------|----------|--------|------|-----|
| 0 | 0 | 0 | 0 | 0 |

4. Summary of the Data

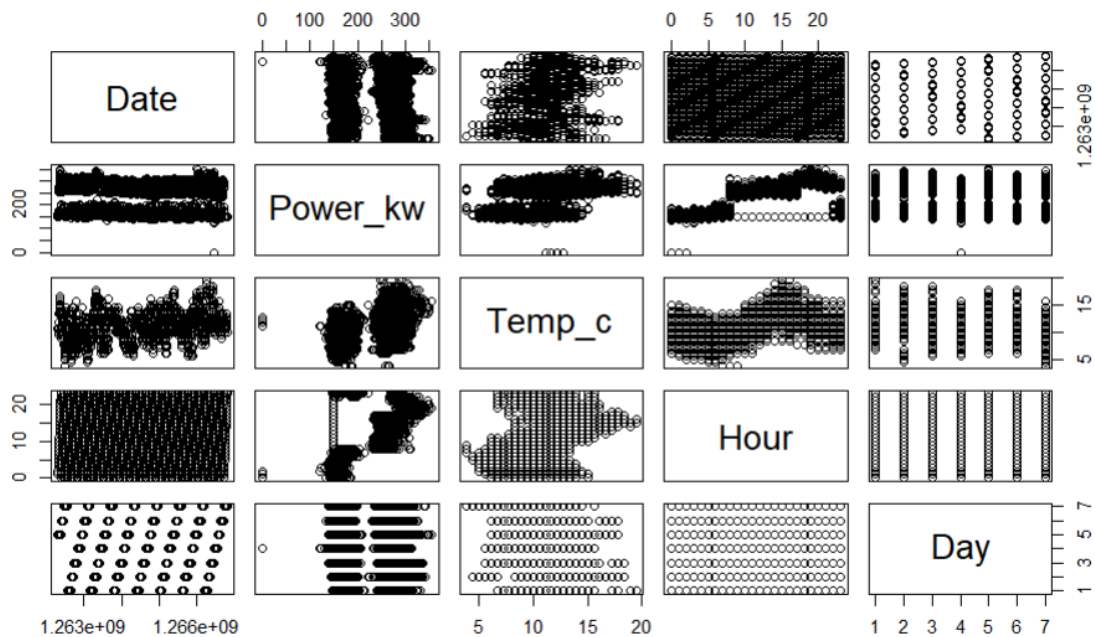
```
```{r summary, echo=FALSE}  
summary(elec_train)
```
```

| Date | Power_kw | Temp_c | Hour |
|-----------------------------|---------------|----------------|---------------|
| Min. :2010-01-01 01:30:00 | Min. : 0.0 | Min. : 3.889 | Min. : 0.00 |
| 1st Qu.:2010-01-14 01:03:45 | 1st Qu.:161.7 | 1st Qu.: 9.444 | 1st Qu.: 6.00 |
| Median :2010-01-27 00:37:30 | Median :252.5 | Median :11.111 | Median :12.00 |
| Mean :2010-01-27 00:37:30 | Mean :229.2 | Mean :10.947 | Mean :11.51 |
| 3rd Qu.:2010-02-09 00:11:15 | 3rd Qu.:276.2 | 3rd Qu.:12.778 | 3rd Qu.:18.00 |
| Max. :2010-02-21 23:45:00 | Max. :355.1 | Max. :19.444 | Max. :23.00 |

| Day |
|---------------|
| Min. :1.000 |
| 1st Qu.:2.000 |
| Median :4.000 |
| Mean :4.114 |
| 3rd Qu.:6.000 |
| Max. :7.000 |

5. Plot the Data

```
plot(elec_train)
```



6. ACF and PACF Plotting

Since the data is for every 15 mins from 01-01-2010 01:30:00 to 21-02-2010 23:45:00.

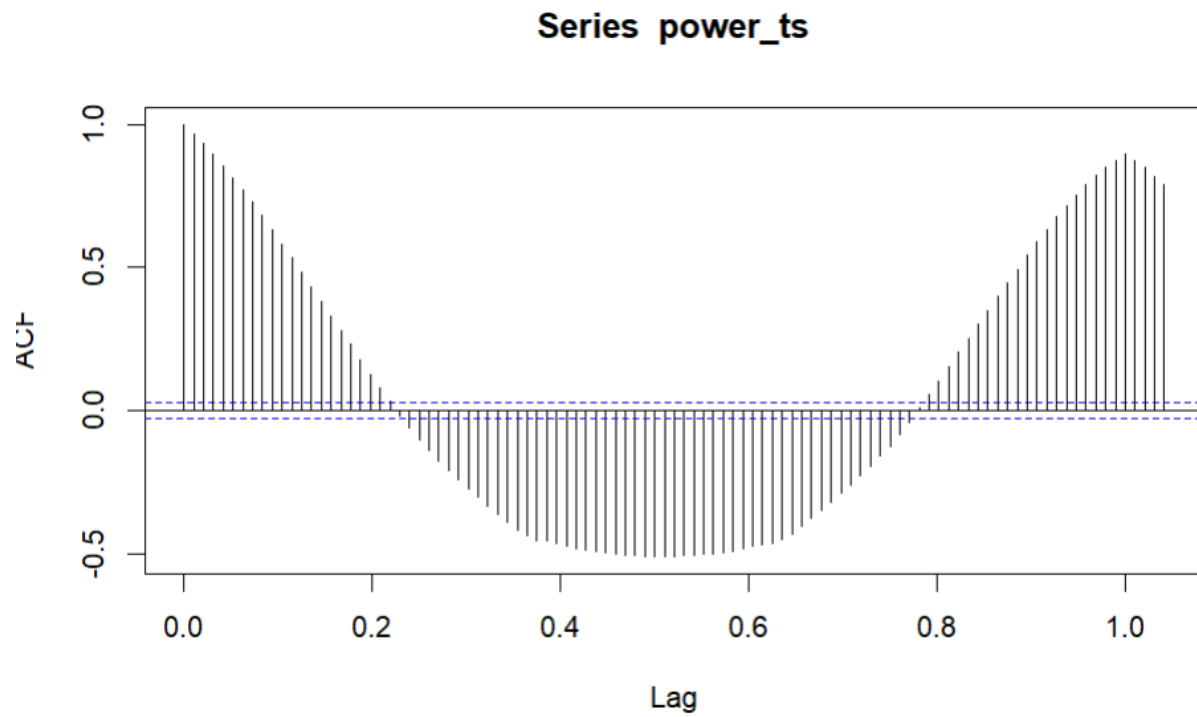
24 hours * 60 mins /hour = 1440

1440 / 15 = 96

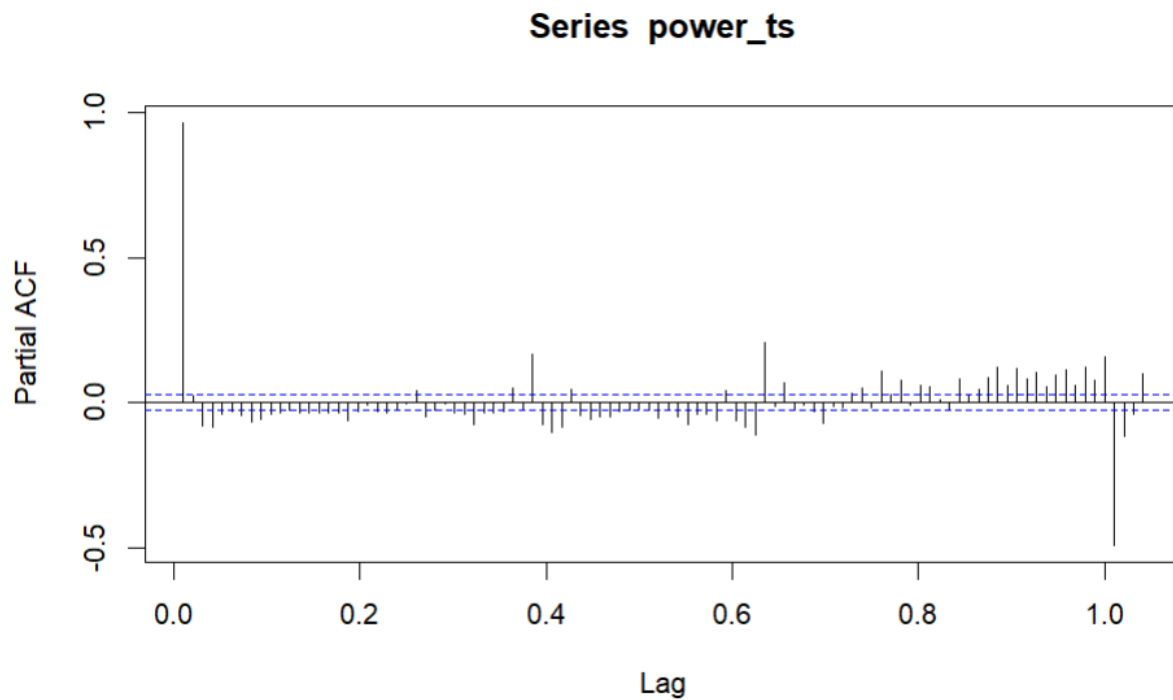
For seasonal cycle is 1 day with 96 frequency of observation

```
# Convert to time series
power_ts <- ts(elec_train$Power_kw, frequency = 96)

# ACF and PACF to check seasonality for power
acf(power_ts, lag.max = 100)
pacf(power_ts, lag.max = 100)
```



The sinusoidal pattern in the ACF suggests **seasonality** in the data.
SARIMA model might work well in this data

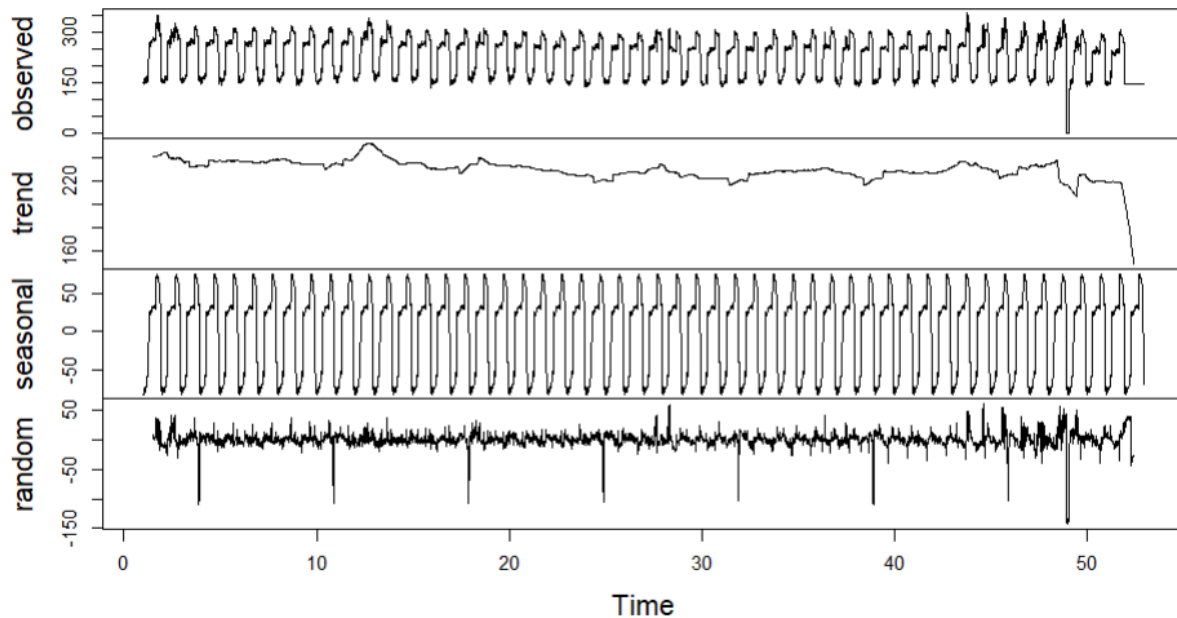


The strong spike at lag 1 suggests that **an AR(1) term** may be useful.

7. Seasonality Check

```
print(frequency(power_ts))  
  
decomposition <- decompose(power_ts, type = "additive")  
plot(decomposition)
```


Decomposition of additive time series



This confirms the seasonality exists

8. Stationarity Check:

Use the Augmented Dickey-Fuller (ADF) test to confirm whether differencing is needed

```
library(tseries)

adf_test <- adf.test(elec_train$Power_kw, alternative = "stationary")
print(adf_test)

... 
```

Warning: p-value smaller than printed p-value
Augmented Dickey-Fuller Test

data: elec_train\$Power_kw
Dickey-Fuller = -15.072, Lag order = 17, p-value = 0.01
alternative hypothesis: stationary

This confirms that differencing is not required/

Same for Temp_c

```
library(tseries)

adf_test <- adf.test(elec_train$Temp_c, alternative = "stationary")
print(adf_test)
```

```
~~~
```

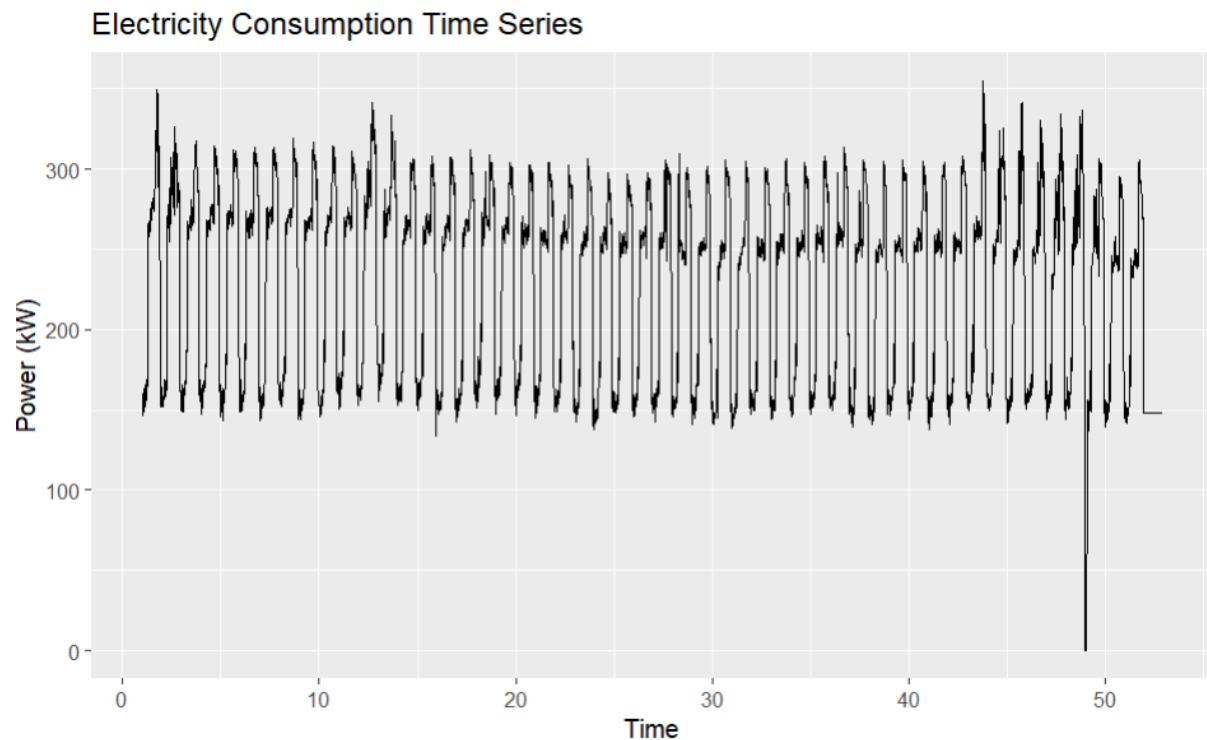
Warning: p-value smaller than printed p-value
Augmented Dickey-Fuller Test

data: elec_train\$Temp_c
Dickey-Fuller = -11.899, Lag order = 17, p-value = 0.01
alternative hypothesis: stationary

No differencing is required.

9. Plotting target variable

```
autoplot(power_ts) +  
  ggtitle("Electricity Consumption Time Series") +  
  xlab("Time") +  
  ylab("Power (kW)")
```



10. tslm check

Below we checked the relationship with the independent variable and Temp_c plays a significant role

Also the R square value increases from 0.61(data) to 0.64(data+trend) to 0.90 (data+trend+season)

Here seasonality play a major role

```
fit=tslm(power_ts~Temp_c+Hour+Day,data=elec_train)
summary(fit)
```

Call:

```
tslm(formula = power_ts ~ Temp_c + Hour + Day, data = elec_train)
```

Residuals:

| Min | 1Q | Median | 3Q | Max |
|----------|---------|--------|--------|---------|
| -176.274 | -16.966 | 1.733 | 23.645 | 116.141 |

Coefficients:

| | Estimate | Std. Error | t value | Pr(> t) | |
|-------------|-----------|------------|---------|----------|-----|
| (Intercept) | 125.86083 | 2.51917 | 49.961 | < 2e-16 | *** |
| Temp_c | 4.02030 | 0.21159 | 19.000 | < 2e-16 | *** |
| Hour | 5.89209 | 0.08153 | 72.273 | < 2e-16 | *** |
| Day | -2.06859 | 0.26008 | -7.954 | 2.23e-15 | *** |

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 36.72 on 4982 degrees of freedom

Multiple R-squared: 0.6133, Adjusted R-squared: 0.6131

F-statistic: 2634 on 3 and 4982 DF, p-value: < 2.2e-16

```
fit=tslm(power_ts~Temp_c+Hour+Day+trend,data=elec_train)
summary(fit)
---
```

Call:

```
tslm(formula = power_ts ~ Temp_c + Hour + Day + trend, data = elec_train)
```

Residuals:

| | Min | 1Q | Median | 3Q | Max |
|--|----------|---------|--------|--------|---------|
| | -163.257 | -16.308 | 1.264 | 22.680 | 120.817 |

Coefficients:

| | Estimate | Std. Error | t value | Pr(> t) | |
|-------------|------------|------------|---------|----------|-----|
| (Intercept) | 1.318e+02 | 2.444e+00 | 53.920 | < 2e-16 | *** |
| Temp_c | 5.157e+00 | 2.116e-01 | 24.366 | < 2e-16 | *** |
| Hour | 5.747e+00 | 7.884e-02 | 72.895 | < 2e-16 | *** |
| Day | -1.774e+00 | 2.509e-01 | -7.072 | 1.74e-12 | *** |
| trend | -7.171e-03 | 3.616e-04 | -19.829 | < 2e-16 | *** |

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 35.36 on 4981 degrees of freedom

Multiple R-squared: 0.6416, Adjusted R-squared: 0.6413

F-statistic: 2229 on 4 and 4981 DF, p-value: < 2.2e-16

With season

```
fit=tslm(power_ts~Temp_c+Hour+Day+trend+season,data=elec_train)
summary(fit)
---
```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 18.34 on 4887 degrees of freedom

Multiple R-squared: 0.9054, Adjusted R-squared: 0.9035

F-statistic: 477.4 on 98 and 4887 DF, p-value: < 2.2e-16

11. Without and With Temperature Testing different Models - HoltWinter , RandomForest, SARIMA, VAR

```

cat("Final Results:\n")
cat("Holt-Winters RMSE (without temperature):", rmse_hw_add, "\n")
cat("SARIMA RMSE (without temperature):", rmse_sarima, "\n")

cat("SARIMA RMSE (with temperature):", rmse_sarima_temp, "\n")
cat("Random Forest RMSE (with temperature):", rmse_rf, "\n")
cat("VAR RMSE (with temperature):", rmse_var, "\n")

cat("XGBoost RMSE ( with temperature):", rmse_xgb, "\n")

```

```

Warning: longer object length is not a multiple of shorter object length
Final Results:
Holt-Winters RMSE (without temperature): 87.85393
SARIMA RMSE (without temperature): 88.64746
SARIMA RMSE (with temperature): 21.82396
Random Forest RMSE (with temperature): 8.033563
VAR RMSE (with temperature): 65.26381
XGBoost RMSE ( with temperature): 38.04243

```

Conclusion

We see WITHOUT temperature Holt winter and SARIMA perform close.

WITH temperature into consideration we see Random Forest and SARIMA performs well.

Final output is exported in xlsx sheet and .Rmd file is attached to the same.