

1 Calcul de π

```
1 # -*- coding: utf-8 -*-
  from math import *
5 #-----
  def calculPi(n):
     y = calculPi(n)
8
     calcul de pi à l'ordre n
9
10
     >>> from math import fabs, pi
11
12
     >>> fabs(pi - calculPi(1)) < 1.
13
     True
14
     >>> fabs(pi - calculPi(1000000)) < 1.e-6
     True
16
     assert type(n) is int and n >= 0
17
18
     y = 0
19
     for k in range (1,n+1):
20
        u = 1./(k*k)
21
         y = y + u
22
     return sqrt(6*y)
23
25
  #-----
                      _____
  if __name__ == "__main__":
27
     import doctest
28
     doctest.testmod()
```

2 Conversion base $b \to d\acute{e}cimal$

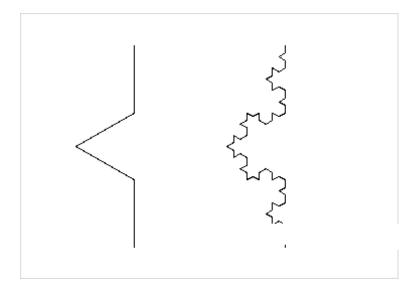
```
# -*- coding: utf-8 -*-
1
2
   def conversion(code,b=2):
3
4
       n = conversion(code,b)
5
       entier décimal qui représente le code en base b
6
7
       >>> conversion([0,0,1,0,1,1,1],2)
9
       >>> conversion([0, 0, 0, 4, 3],5)
10
       23
11
       >>> conversion([1,2],21)
12
       23
13
       >>> conversion([0,0,0,0,0,23],25)
14
       23
15
16
17
       assert type(b) is int and b > 1
18
       assert type(code) is list
19
       \mathtt{n} \, = \, 0
20
       for i in range(len(code)):
21
            n = n + (b^{**}i)^* code[len(code)-1-i]
22
23
```



3 Polygones réguliers

```
# -*- coding: utf-8 -*-
1
3
  from turtle import *
   def polygone (n,d,x=0,y=0):
        trace un polygone régulier à n côtés de longueur d
8
       à partir du point de coordonnées (x,y)
9
10
       >>> for i in range(3,10): polygone(i,100,-150,0)
11
       11 11 11
12
       up()
13
       goto(x,y)
14
       down()
15
       for i in range(n):
17
            forward(d)
             left(360./n)
18
19
        return
20
21
   \quad \  \  \text{if} \ \ \_\texttt{name}\_\_ = \ "\_\texttt{main}\_":
22
        import doctest
23
        doctest.testmod()
```

4 Courbes fractales





Portée des variables

| >>> x = 2 | >>> x = 2 |
|--|--|
| >>> print(x) | >>> print(x) |
| 2 | 2 |
| >>> y = f(x) | >>> x = f(x) |
| >>> print(x) | >>> print(x) |
| f 6 | f 6 |
| 2 | 6 |
| >>> z = g(x) | >>> x = g(x) |
| >>> print(x) | >>> print(x) |
| f 6 | f 18 |
| g 18 | g 54 |
| 2 | 54 |
| >>> t = h(x) >>> print(x) f 6 f 18 g 54 h 162 | >>> x = h(x) >>> print(x) f 162 f 486 g 1458 h 4374 4374 |

Exécution d'une fonction itérative

 $1. \ \, \text{ll}$ s'agit du tableau de Pascal des coefficients du binôme $(x+y)^n$ pour les valeurs de n allant de 0 à 6.

2. c représente le $p^{i\grave{e}me}$ coefficient du binôme $(x+y)^n$: $c=C_n^p=\left(\begin{array}{c}p\\n\end{array}\right)=\frac{n!}{p!(n-p)!}.$

$$c = C_n^p = \begin{pmatrix} p \\ n \end{pmatrix} = \frac{n!}{p!(n-p)!}.$$

>>> for n in range(7): f(n)

1 1 1 1 2 1 1 3 3 1 1 4 6 4 1 1 5 10 10 5 1 1 6 15 20 15 6 1