

Deep Learning in HCI

CHI course computational interaction

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Course Materials

In course exercise:

In the Github repo

Take home exercise:

<https://goo.gl/fSskTC>



Eighty percent of success is showing up



Eighty percent of success is showing up

Eighty percent of success is showing up

Eighty percent of success is showing up

It's showtime folks



Settle this argument

It's showtime folks

Just can't get enough

fust can't get

A

get write

Toolbox:

- Select
- Analyze
- Undo Stroke
- Clear Canvas

Just can't write enough

B

Toolbox:

- Select
- Analyze
- Undo Stroke
- Clear Canvas

Input

Spelling is overrated

A

Suggestions: spelling is overrated

Toolbox:

- Spellcheck On
- Check!

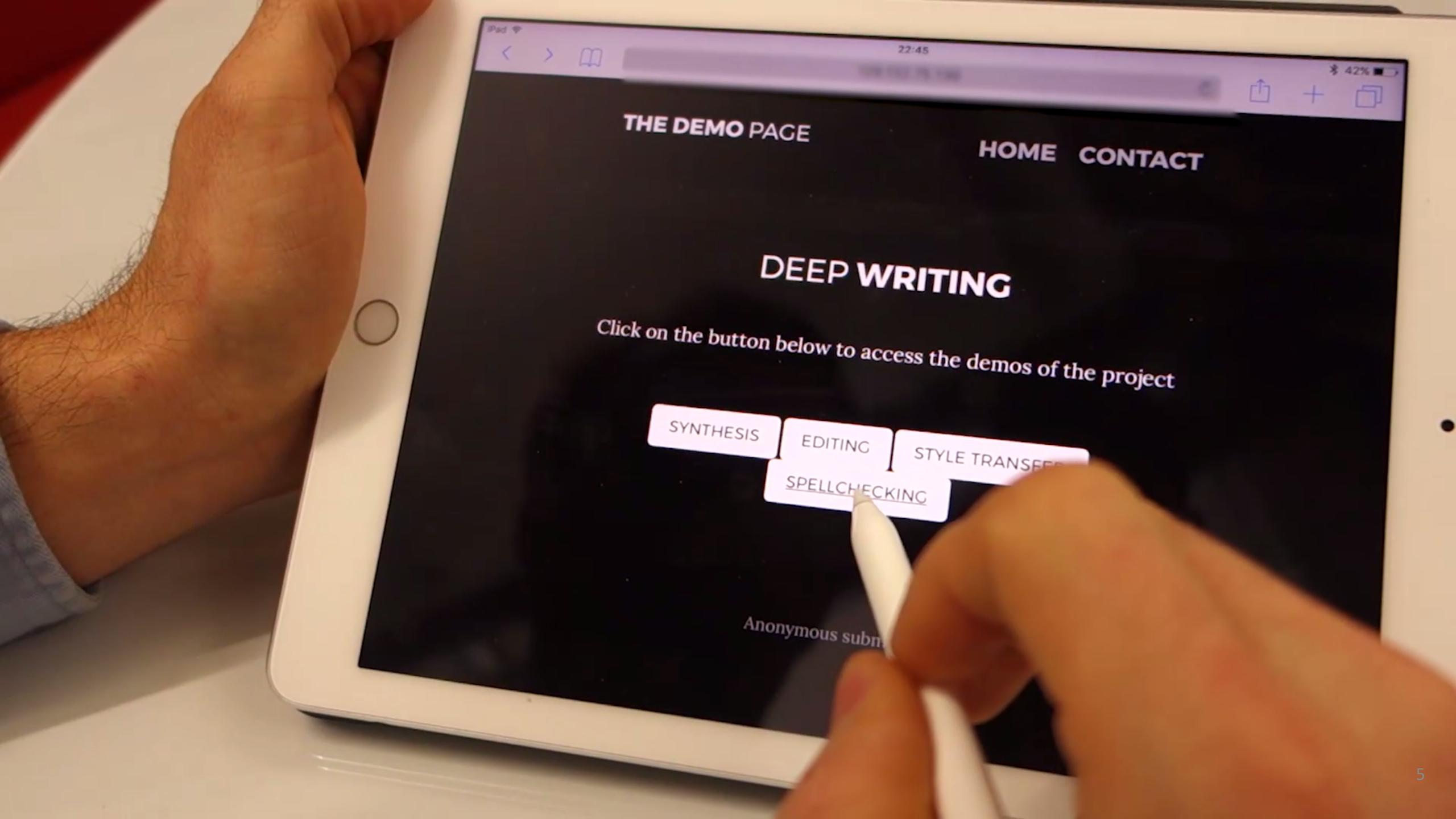
Corrected

Spelling is overrated

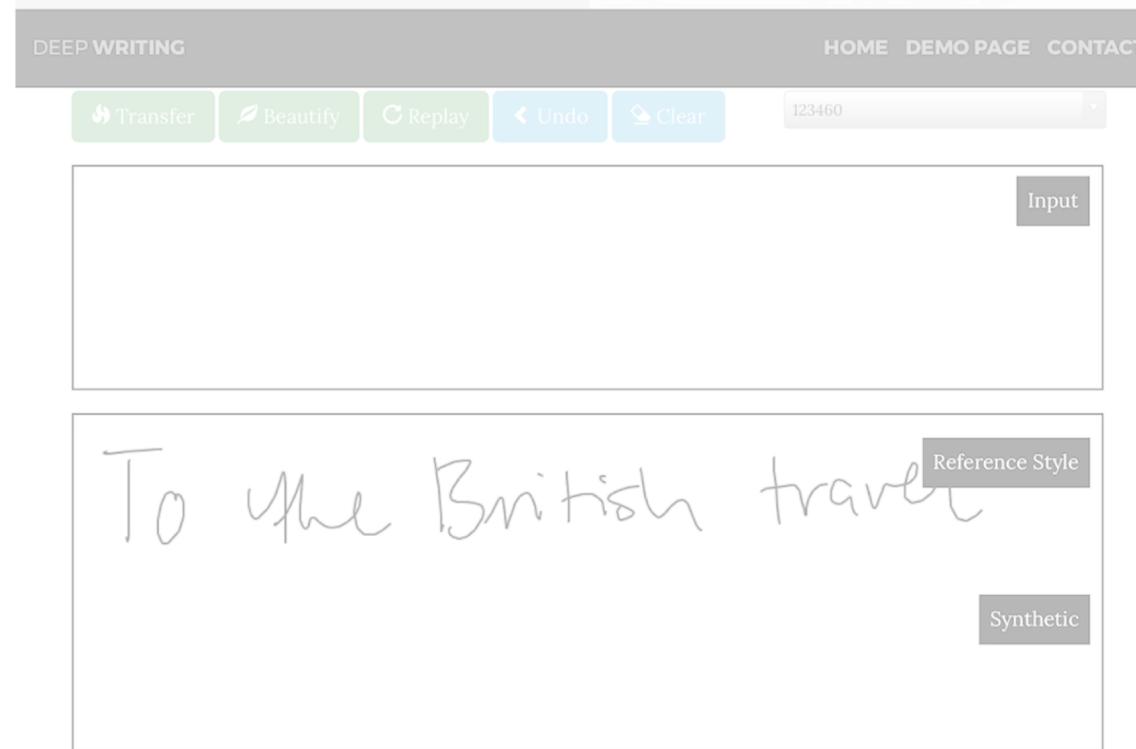
B

Suggestions:

- Undo Stroke
- Clear Canvas



Style Transfer



Digital ink promises to combine the flexibility and aesthetics of handwriting and the ability to process, search and edit digital text.

Character recognition converts handwritten text into a digital representation, albeit at the cost of losing style and personalized appearance due to the technical difficulties of separating the interwoven components of content and style.

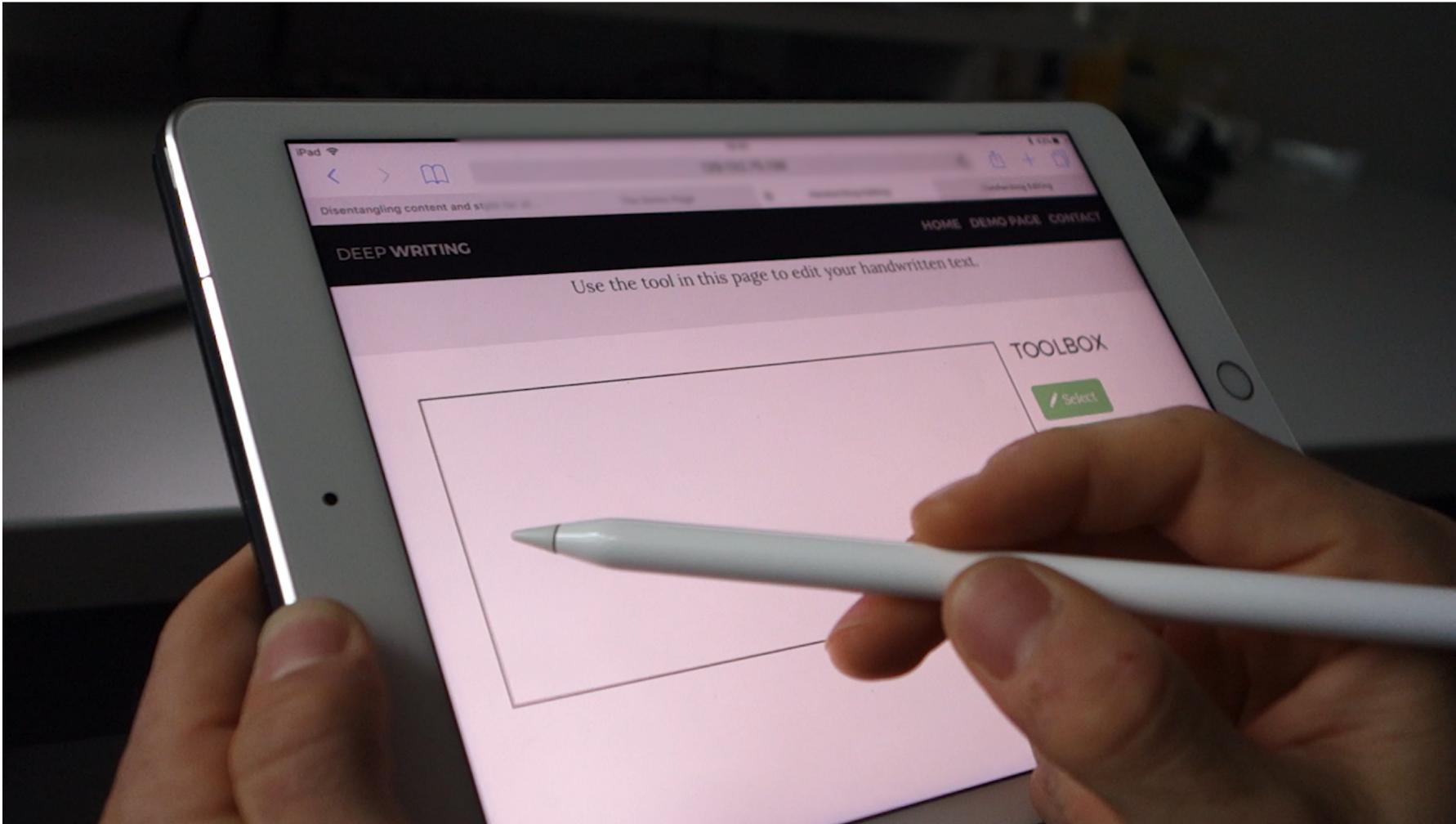
In this paper we propose a novel generative neural network architecture that is capable of disentangling style from content and thus making digital ink editable.

Our model can synthesize arbitrary text while giving users control over the visual appearance.

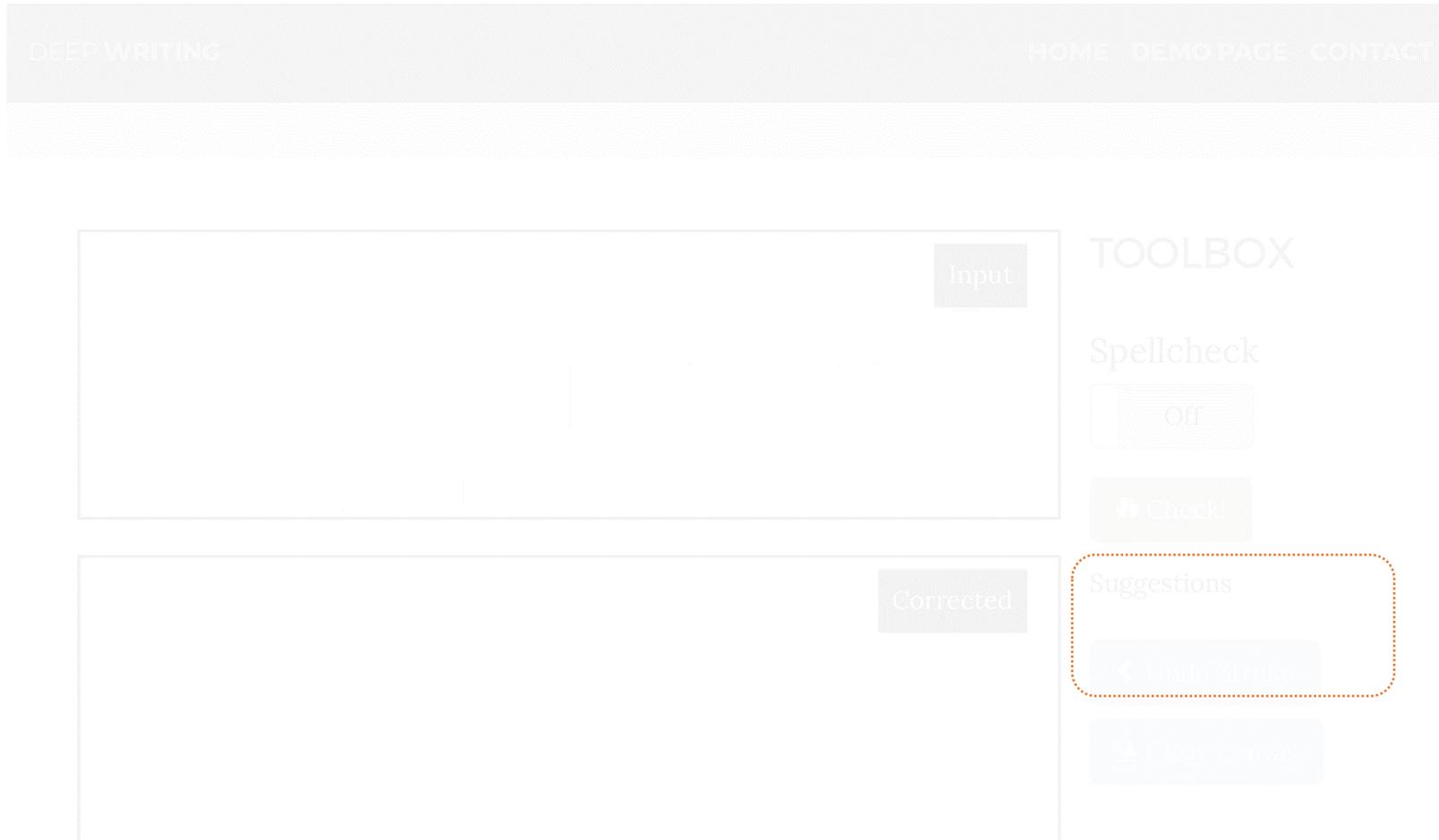
For example allowing for style transfer without changing the content editing of digital ink at the character level and other application scenarios such as spellchecking and correction of handwritten text.

We furthermore contribute a new dataset of handwritten text with fine grained annotations at the character level and report results from an initial user evaluation.

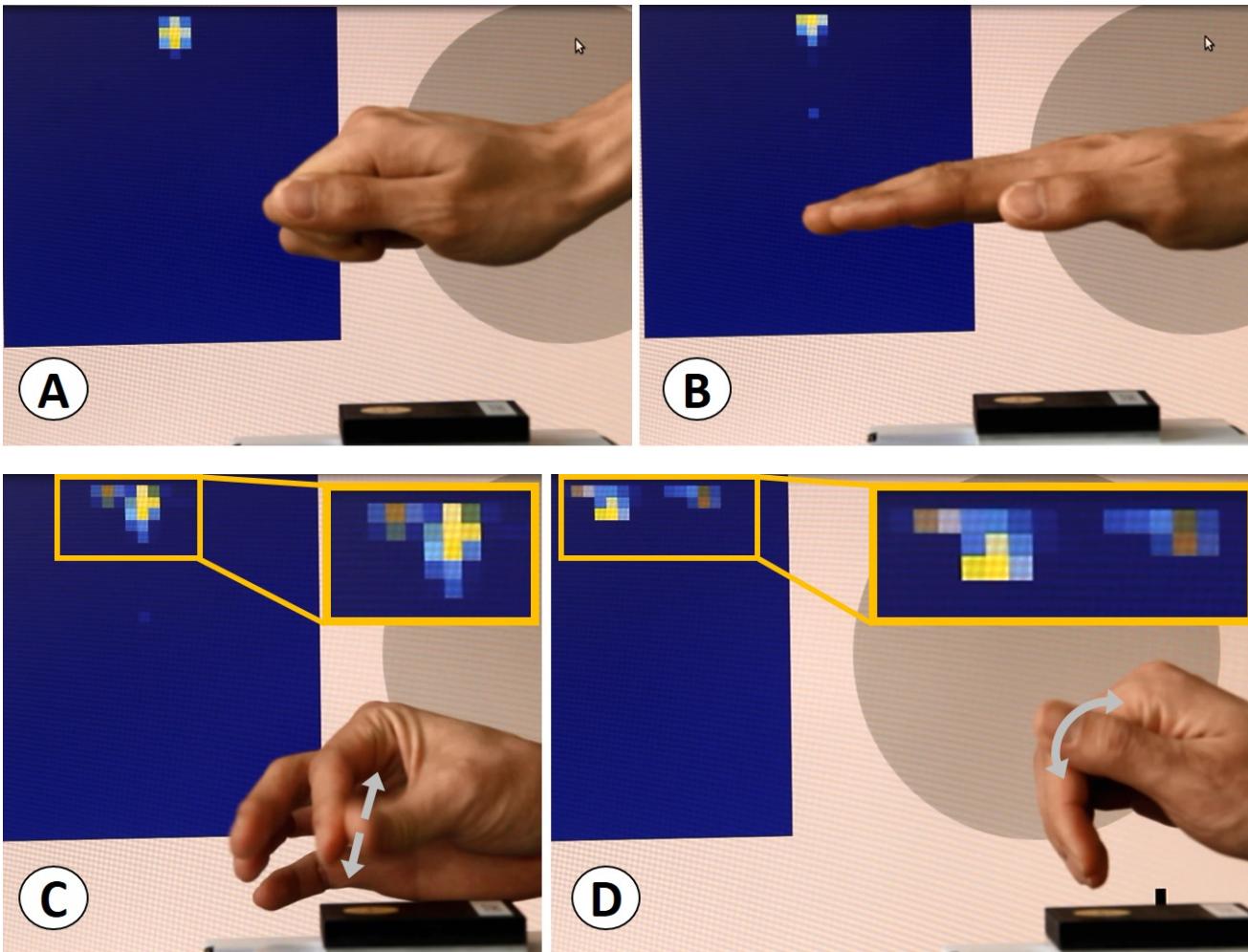
Editing

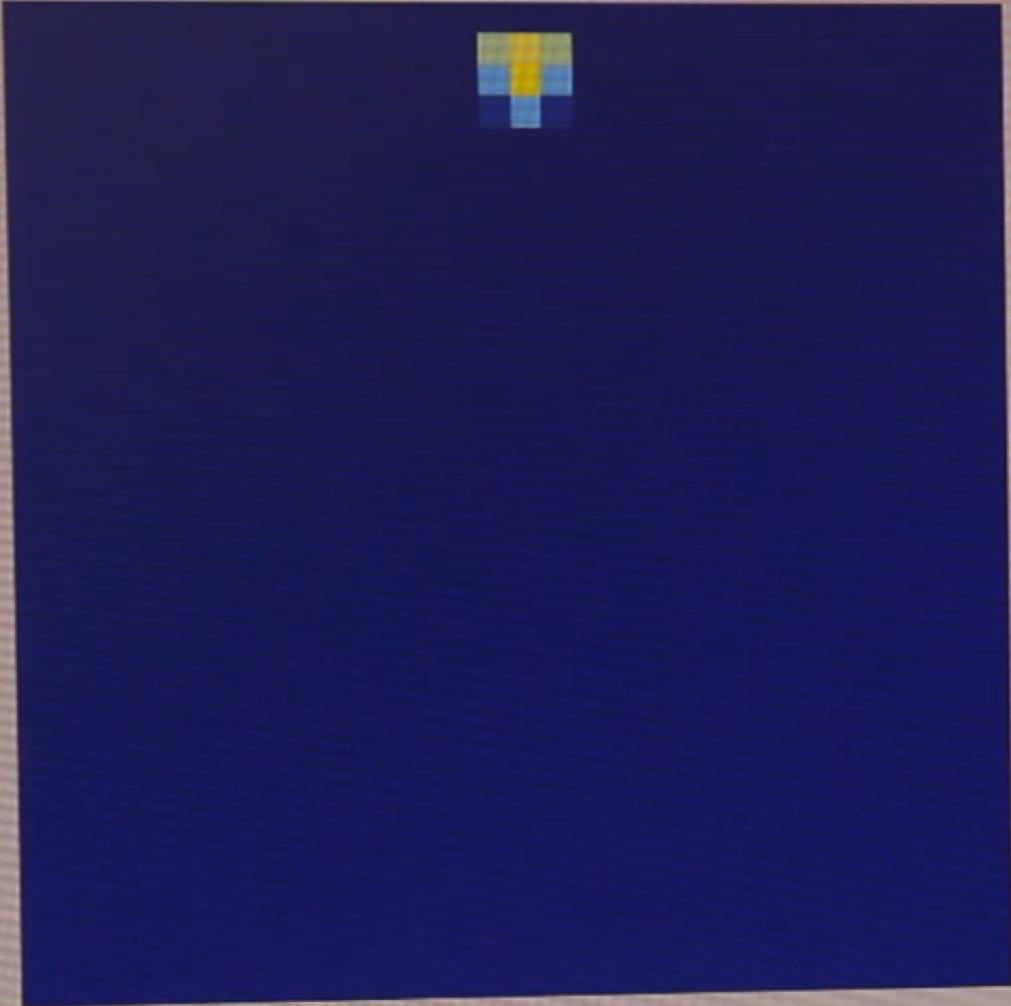


Spell-checking

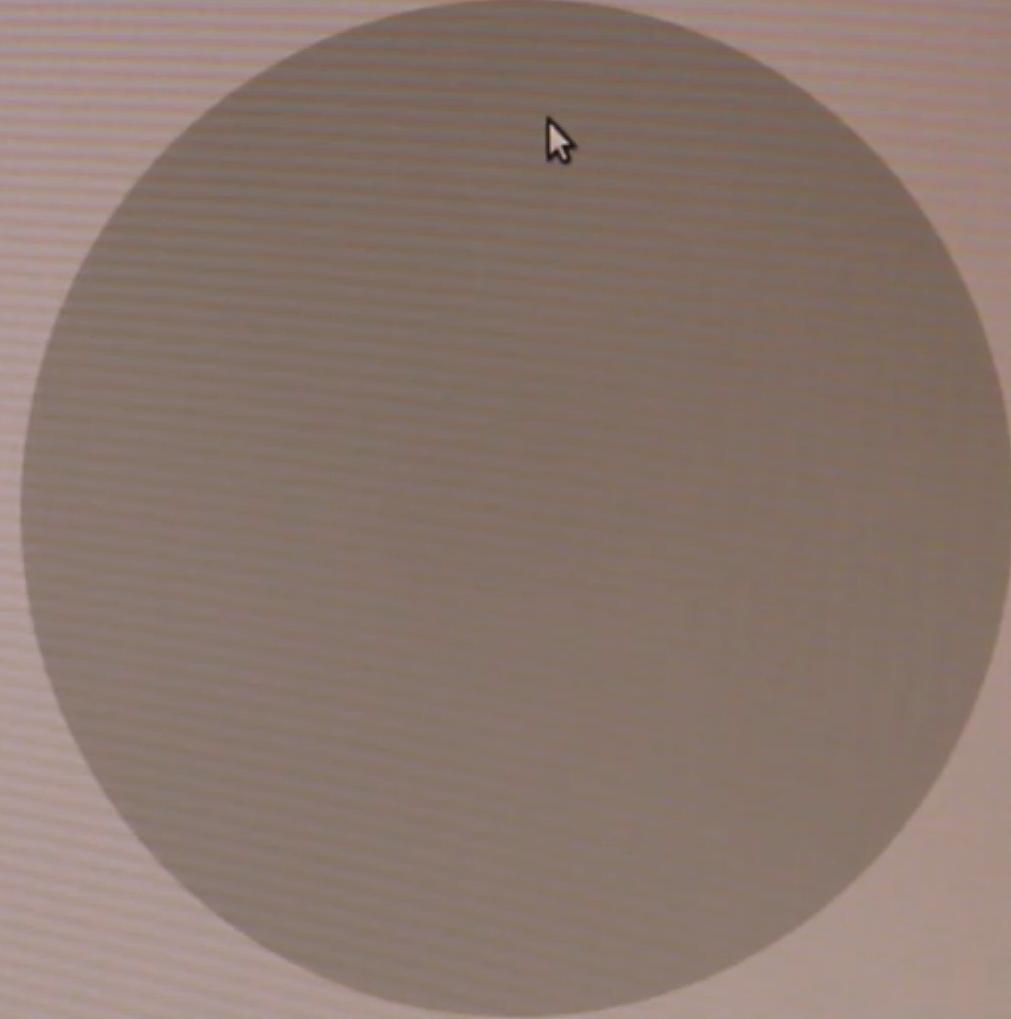


Motivation: Fine-grained input recognition (UIST '16)





Sensor characterization



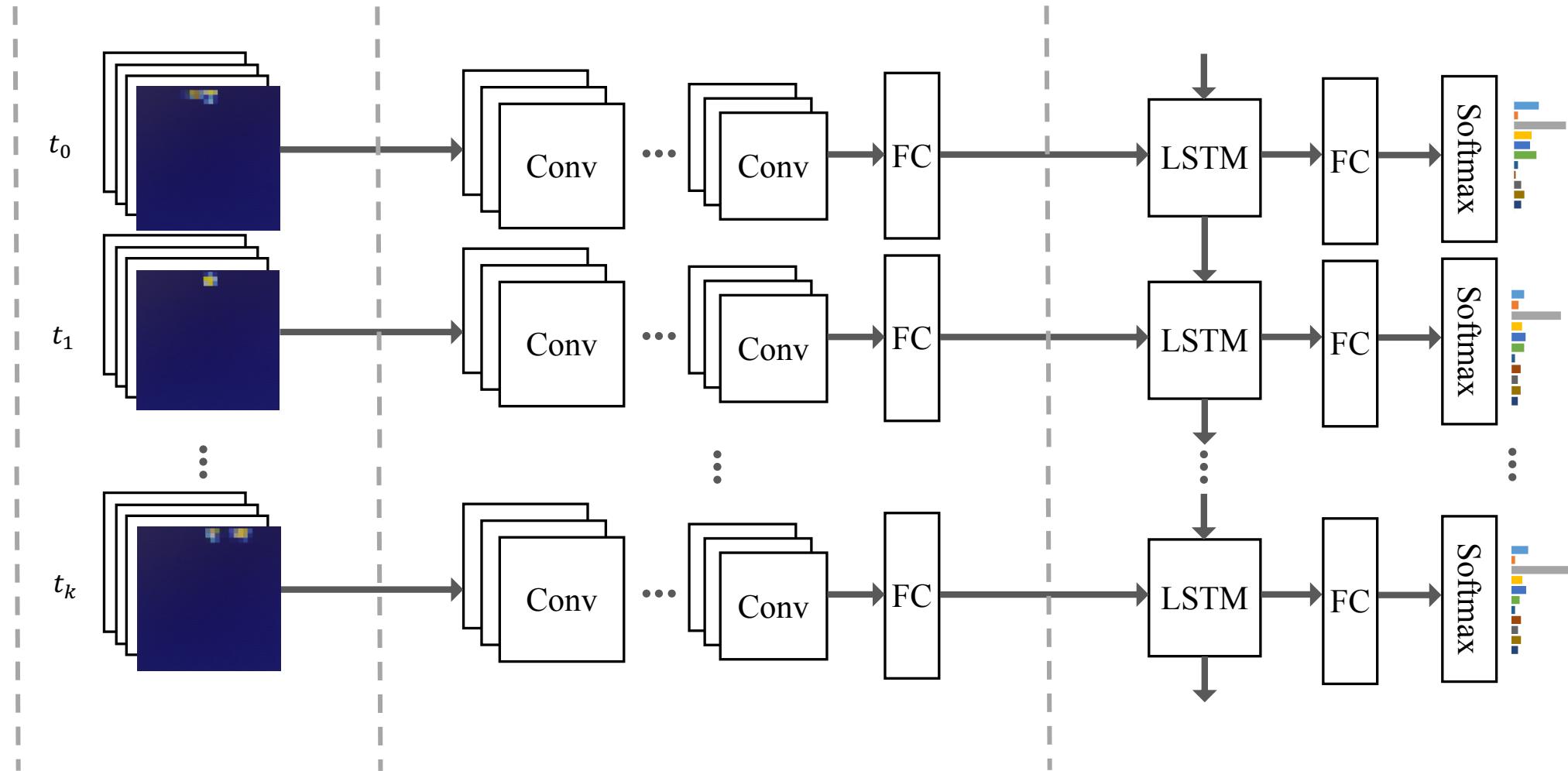
a



Sensor characterization



Deep learning pipeline





Schedule for the day

9-10: Introduction to neural networks for machine perception

10-10:30: coffee break

10:30-12:00: practical feed forward network

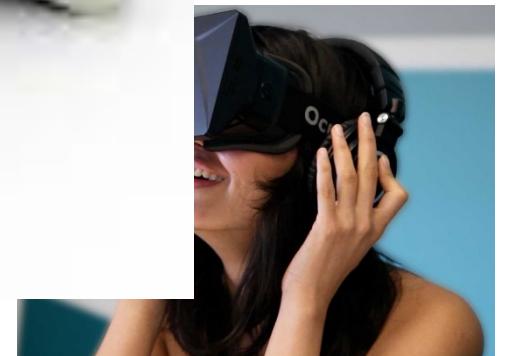
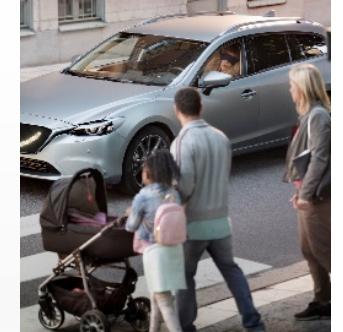
12-1pm: lunch

1-2pm: Introduction to CNNs

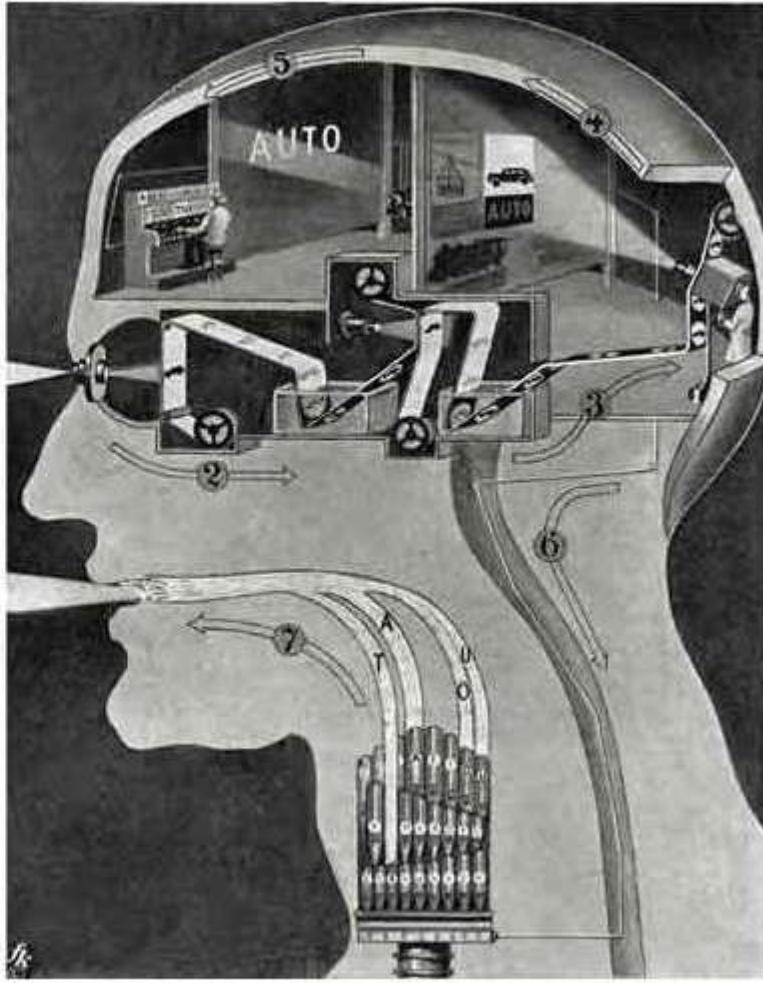
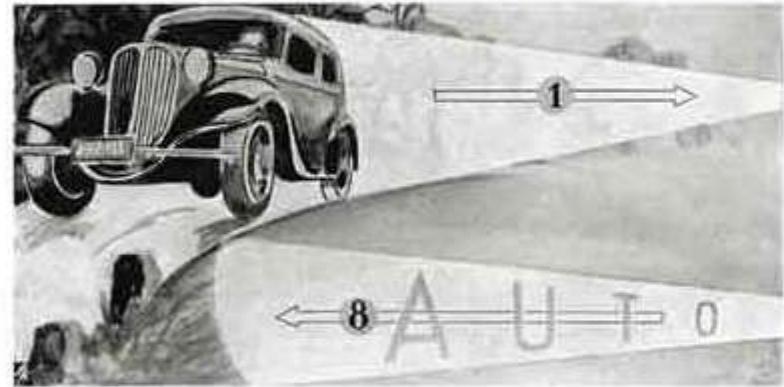
2-2:30pm: coffee break

2:30-5:30pm: practical

Machine perception - Motivation



Motivation – How Do I see?



[Fritz Kahn. 1939. Der Mensch Gesund und Krank II.]

Problem Statement

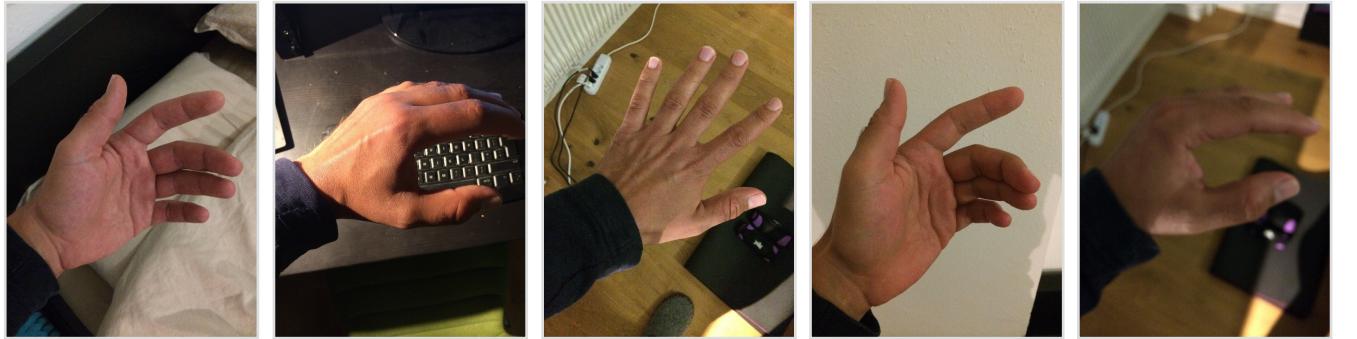


Challenges

Viewpoint variation



Illumination
Deformation



Occlusion



Background clutter
Intra-class variation



Classification: Basic Principles

Mapping of the inputs to a pre-determined set of targets.

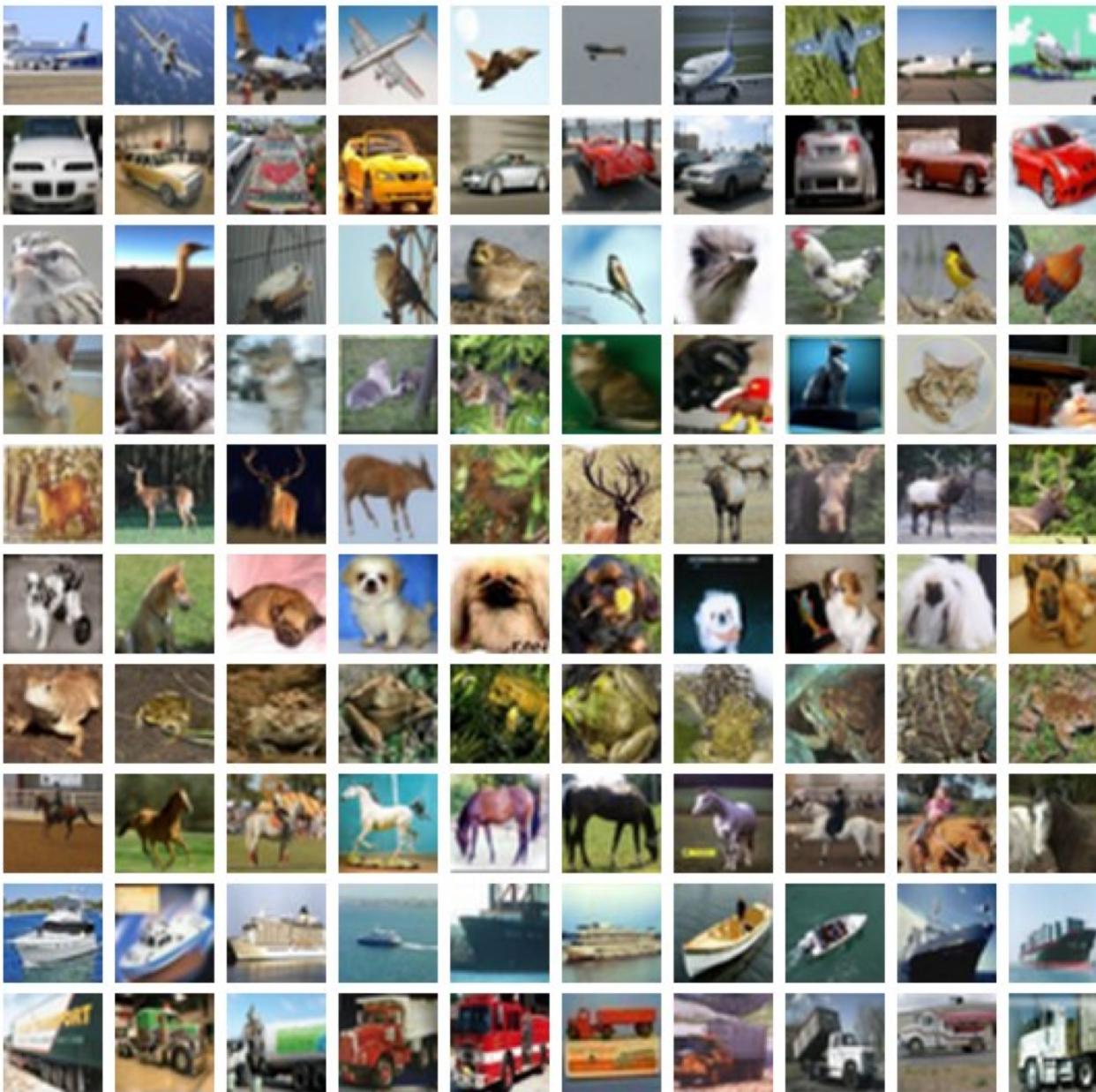


f_{θ}



{House, Boat} or {+1, -1}

airplane



automobile

bird

cat

deer

dog

frog

horse

ship

truck

Example dataset: **CIFAR-10**

10 labels

50,000 training images

each image is **32x32x3**

10,000 test images.

Parametric approach



image parameters

$$f(\mathbf{x}, \mathbf{W})$$

10 numbers,
indicating class
scores

[32x32x3]

array of numbers 0...1
(3072 numbers total)

Parametric approach: Linear classifier



$$f(x; \mathbf{W}, \mathbf{b}) = \mathbf{W}x + \mathbf{b}$$

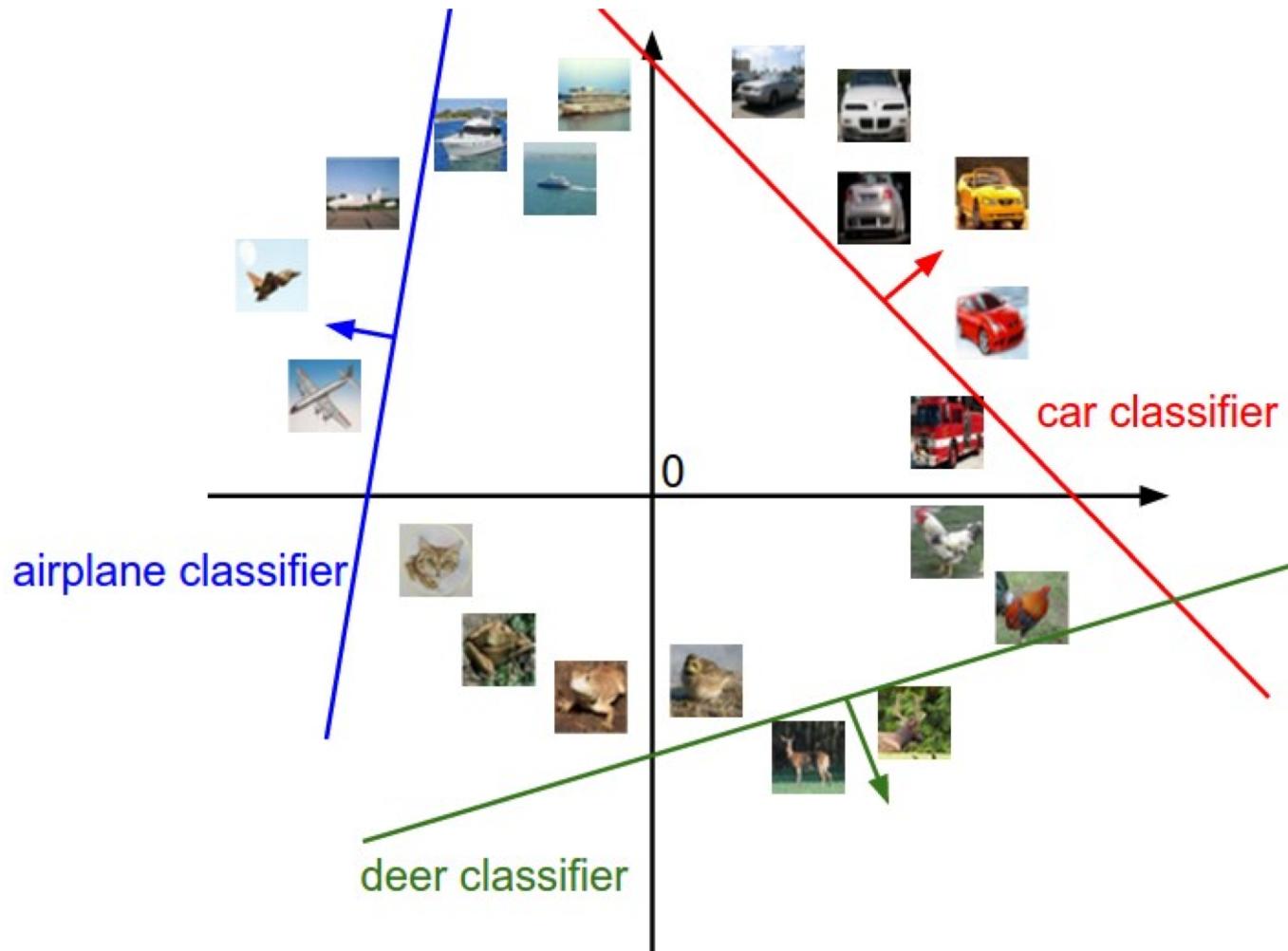
3072x1

The diagram shows the linear classification equation $f(x; \mathbf{W}, \mathbf{b}) = \mathbf{W}x + \mathbf{b}$. Above the equation, the input vector x is labeled as 3072x1. Above the weights \mathbf{W} , the dimension 10x3072 is given, with the 10 highlighted in red. Above the bias \mathbf{b} , the dimension 10x1 is given, with the 10 highlighted in purple. The terms $\mathbf{W}x$ and \mathbf{b} are enclosed in red and blue boxes respectively, corresponding to the dimensions 10x3072 and 10x1.

10 numbers,
indicating class
scores

[32x32x3]
array of numbers 0...1

Interpreting a Linear Classifier



$$f(x^{(i)}; W, b) = Wx^{(i)} + b$$



[32x32x3]
array of numbers 0...1
(3072 numbers total)

Parametric approach: Linear classifier



$$f(x; \mathbf{W}, \mathbf{b}) = \mathbf{W}x + \mathbf{b}$$

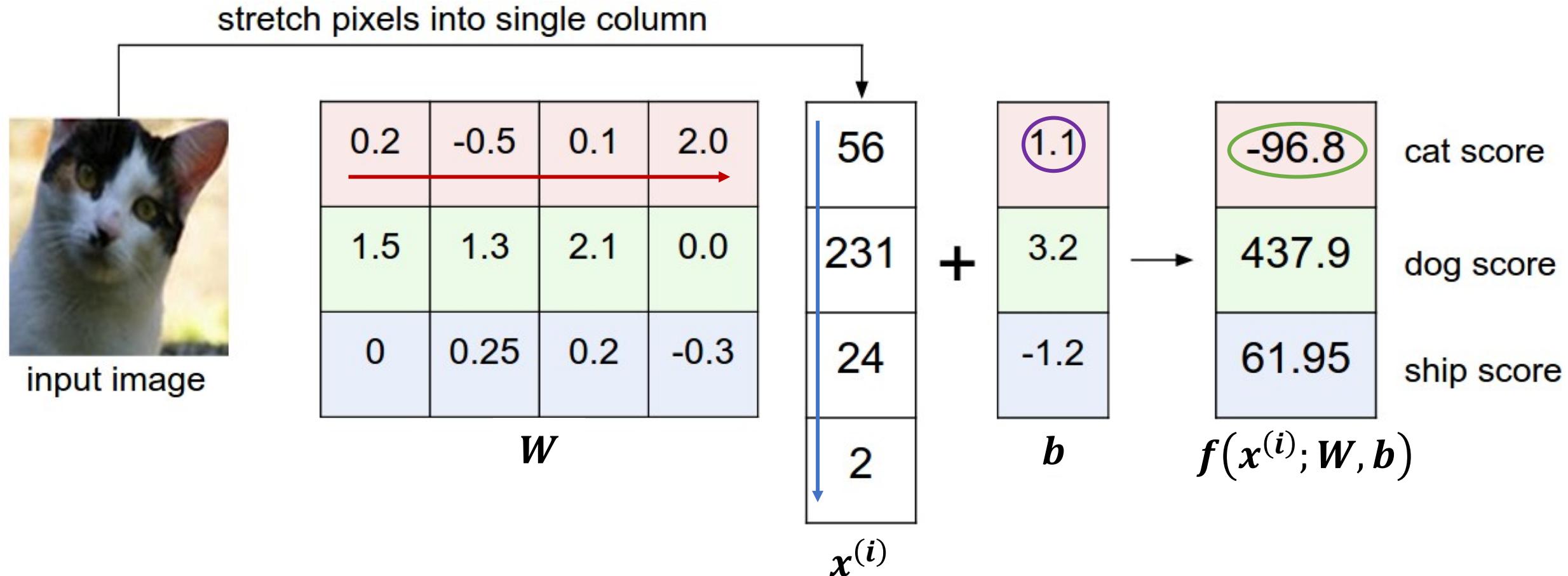
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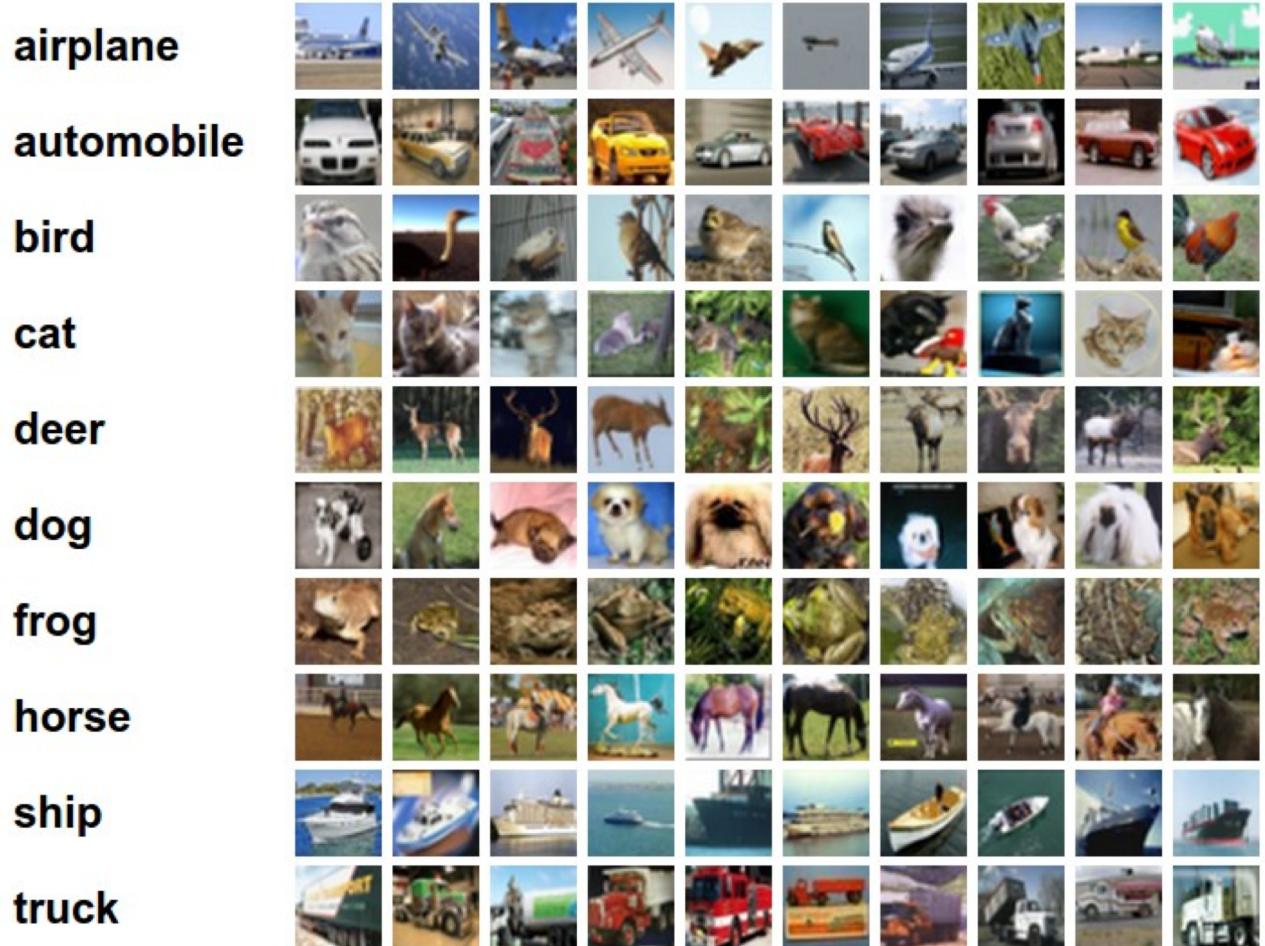
10 numbers,
indicating class
scores

[32x32x3]
array of numbers 0...1

Example with an image with 4 pixels, and 3 classes (**cat**/dog/**ship**)



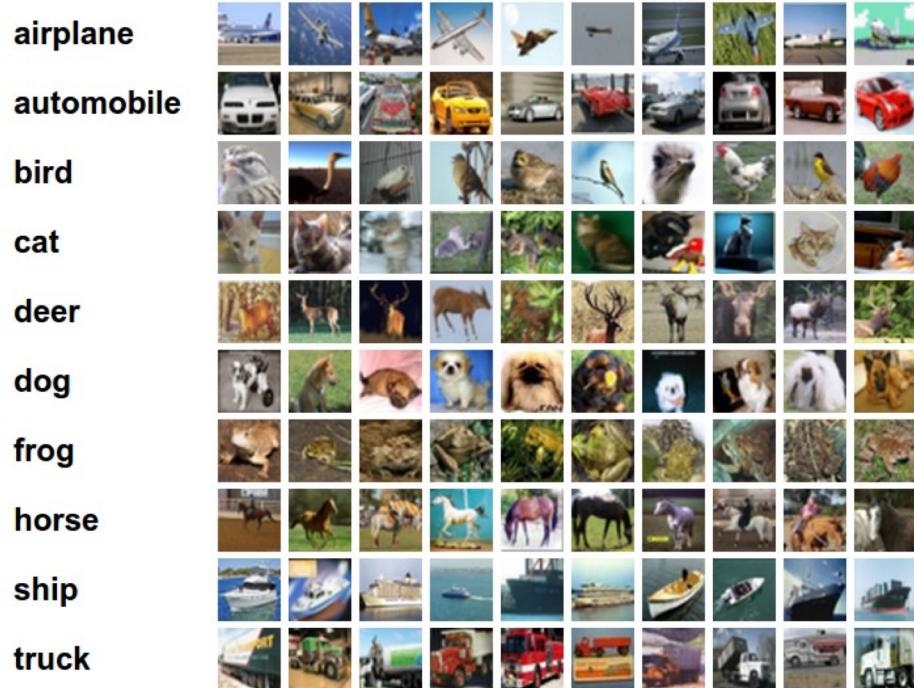
Interpreting a Linear Classifier



$$f(x^{(i)}; W, b) = Wx^{(i)} + b$$

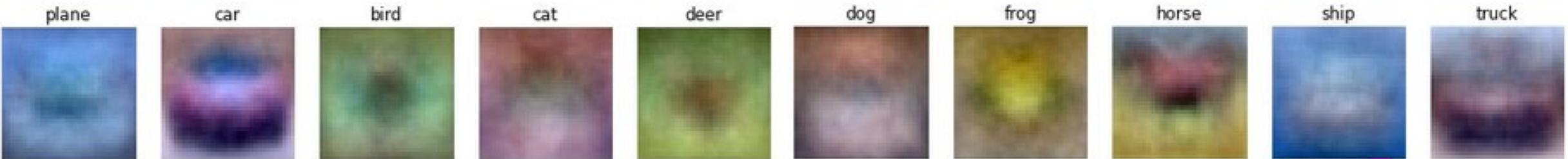
Q: what does the linear classifier do, in English?

Interpreting a Linear Classifier



$$f(x^{(i)}; W, b) = \underline{Wx^{(i)}} + b$$

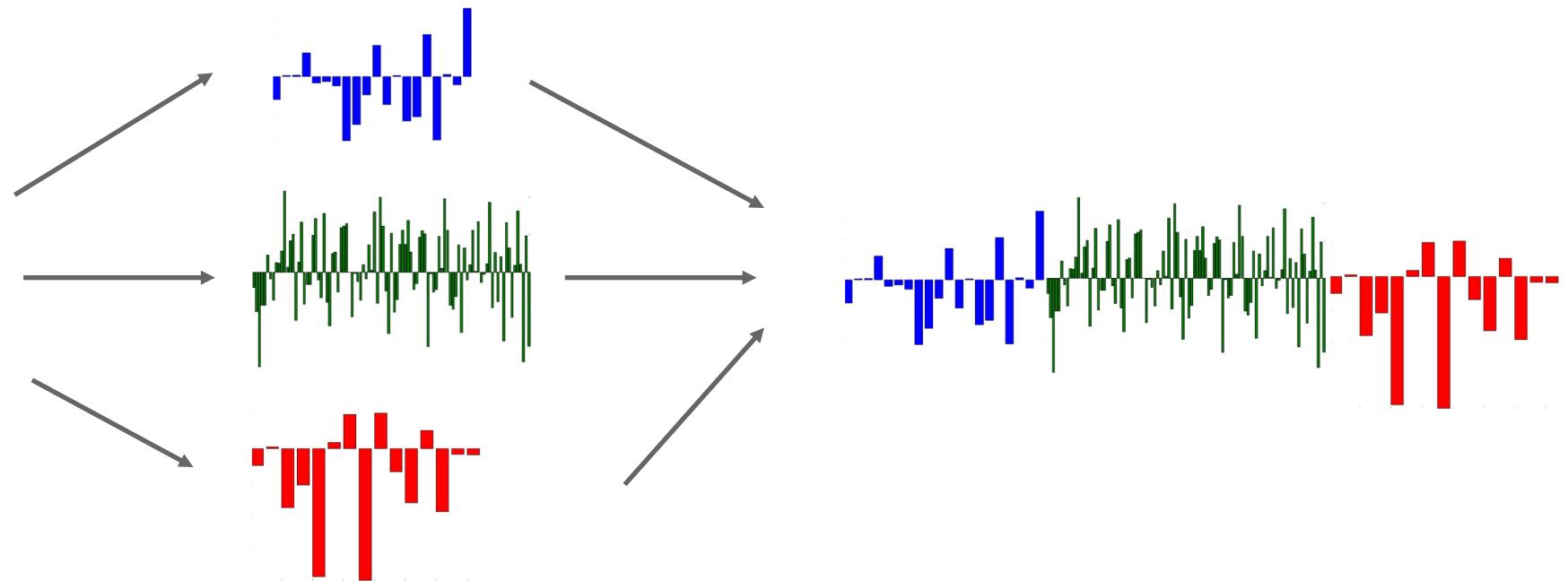
Example trained weights of a linear classifier trained on CIFAR-10:



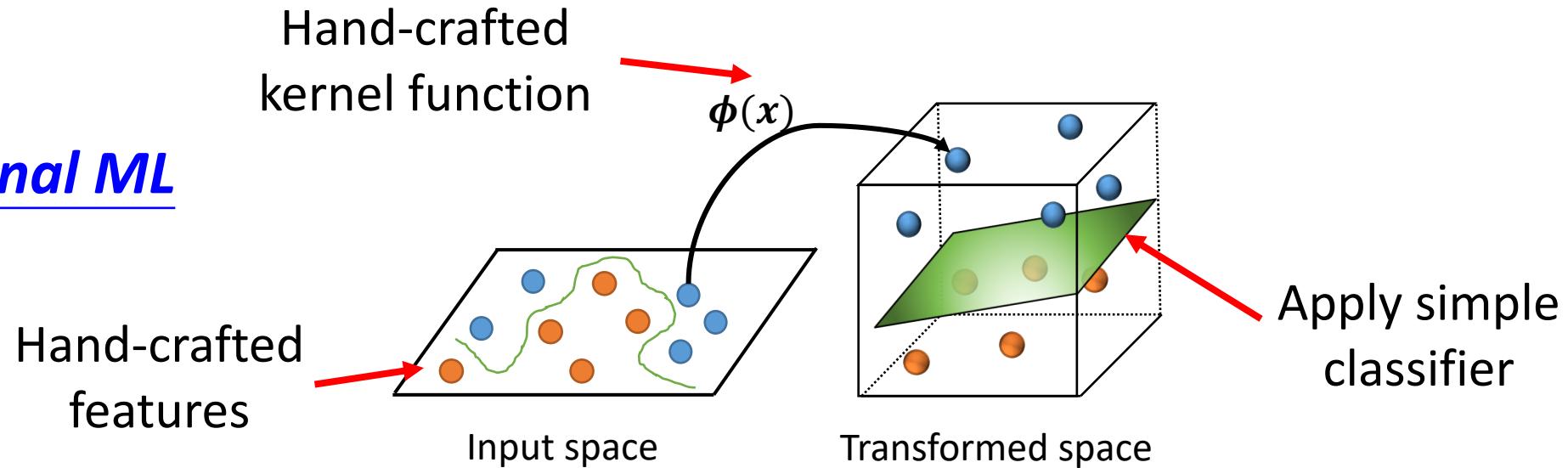
W

b *W*

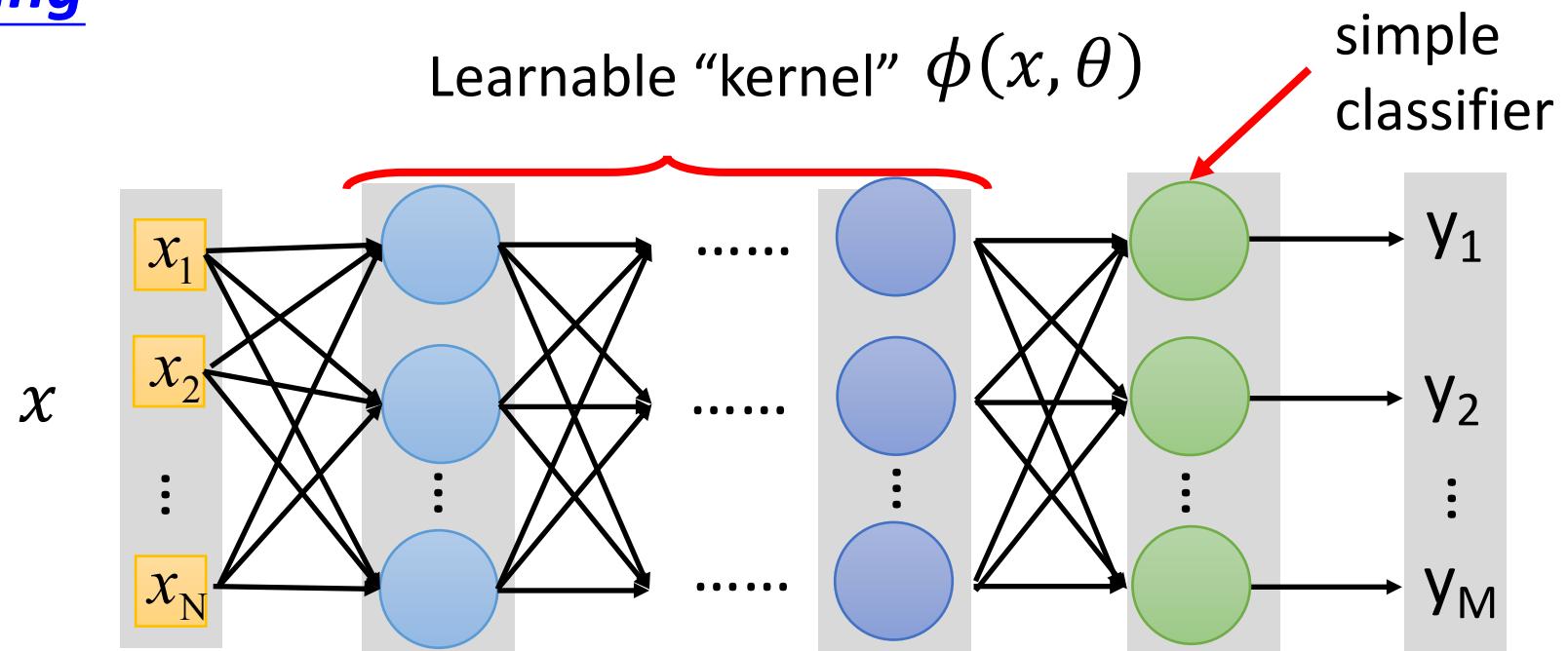
Aside: Image Features



Traditional ML



Deep Learning



Representation learning

1. Use generic Kernel function $\phi(x^{(i)})$ such as RBF (risks poor generalization)
2. Manually engineer $\phi(x^{(i)})$ (requires lots of domain knowledge)
3. Learn function and parameters from data $y = f(x^{(i)}, \Theta, w) = \phi(x^{(i)}, \Theta)^T w$

Motivation – How Do I See?

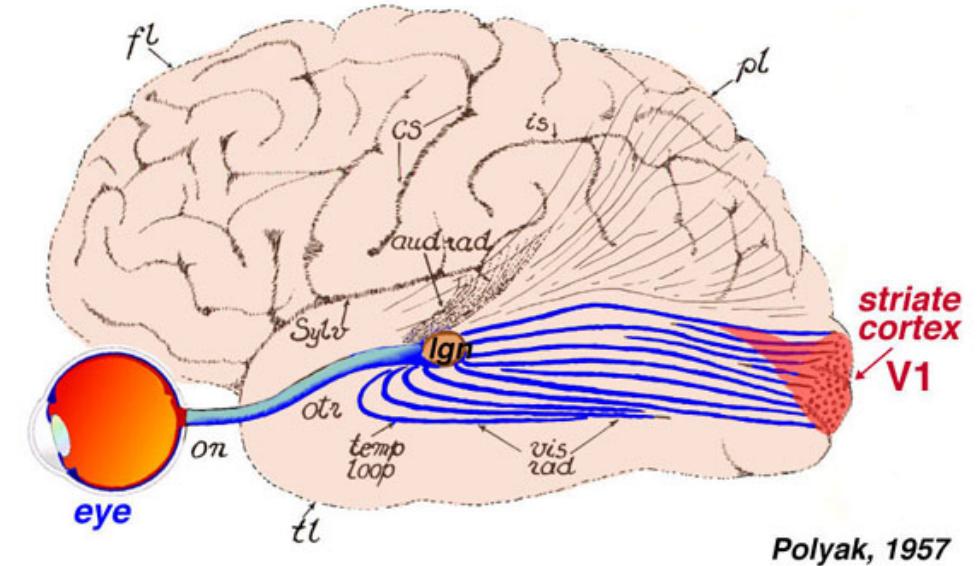
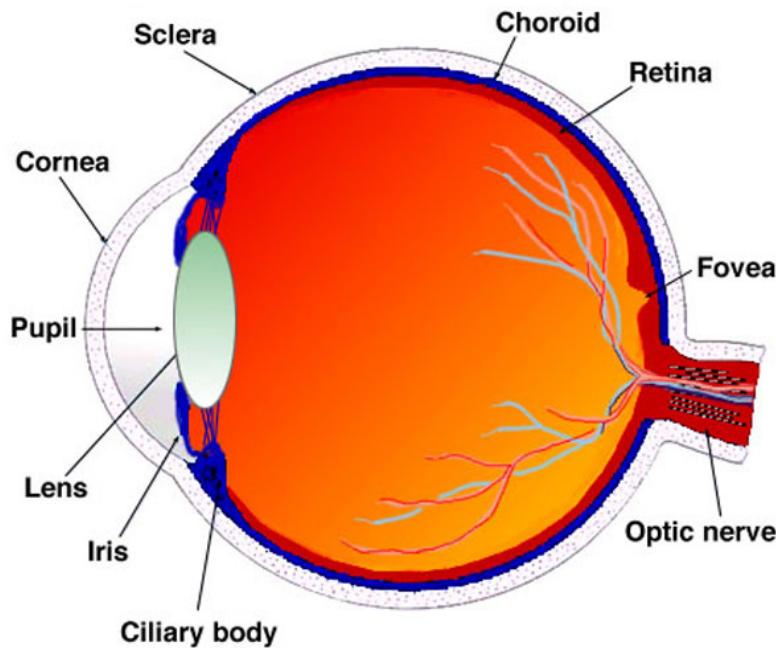
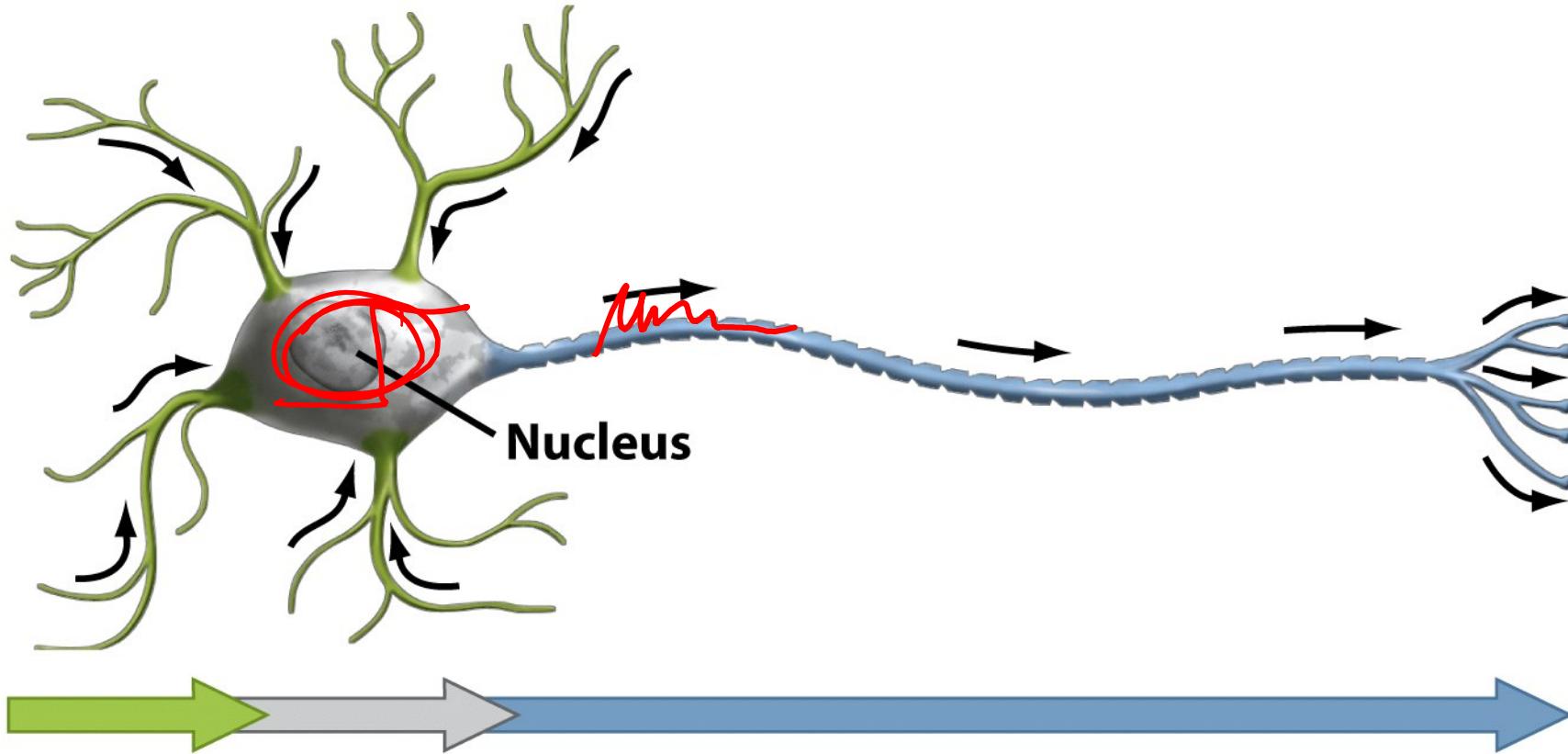


Figure 8. Visual input to the brain goes from eye to LGN and then to primary visual cortex, or area V1, which is located in the posterior of the occipital lobe.
Adapted from Polyak (1957).

Information Flow through Neurons



Dendrites
Collect electrical signals

Cell body
Integrates incoming signals and generates outgoing signal to axon

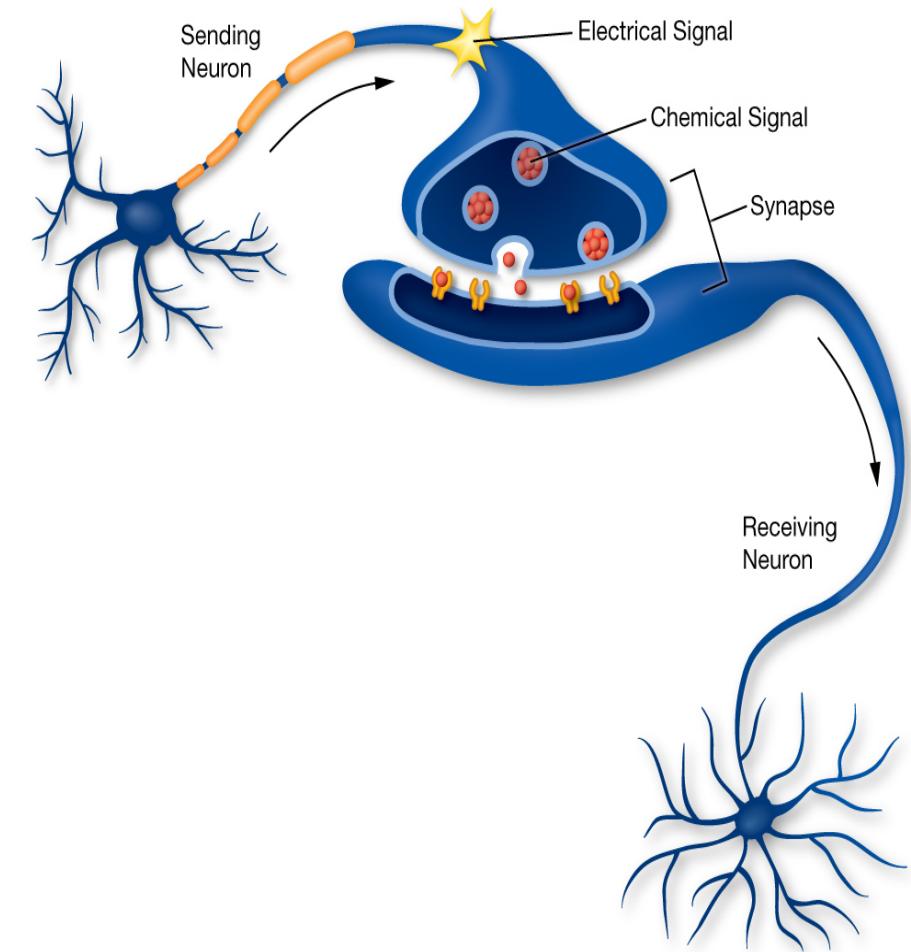
Axon
Passes electrical signals to dendrites of another cell or to an effector cell

Synapses transmit signal from one Neuron to another

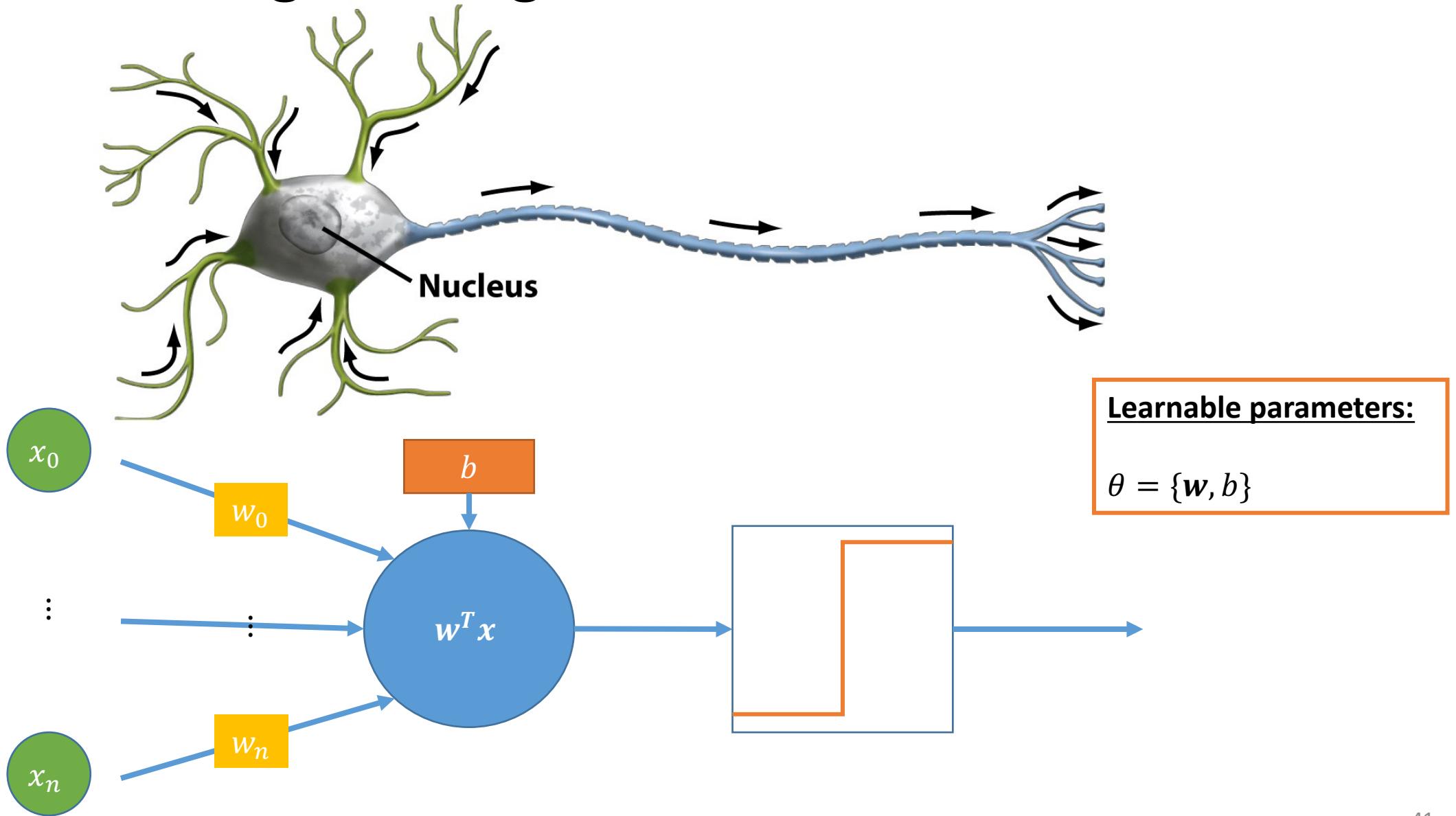
Information from one neuron flows to another neuron across a small gap called a synapse.

Action potentials are translated into chemical signals (neuro transmitters) to cross the gap.

Once on the other side, the signal becomes electrical again.



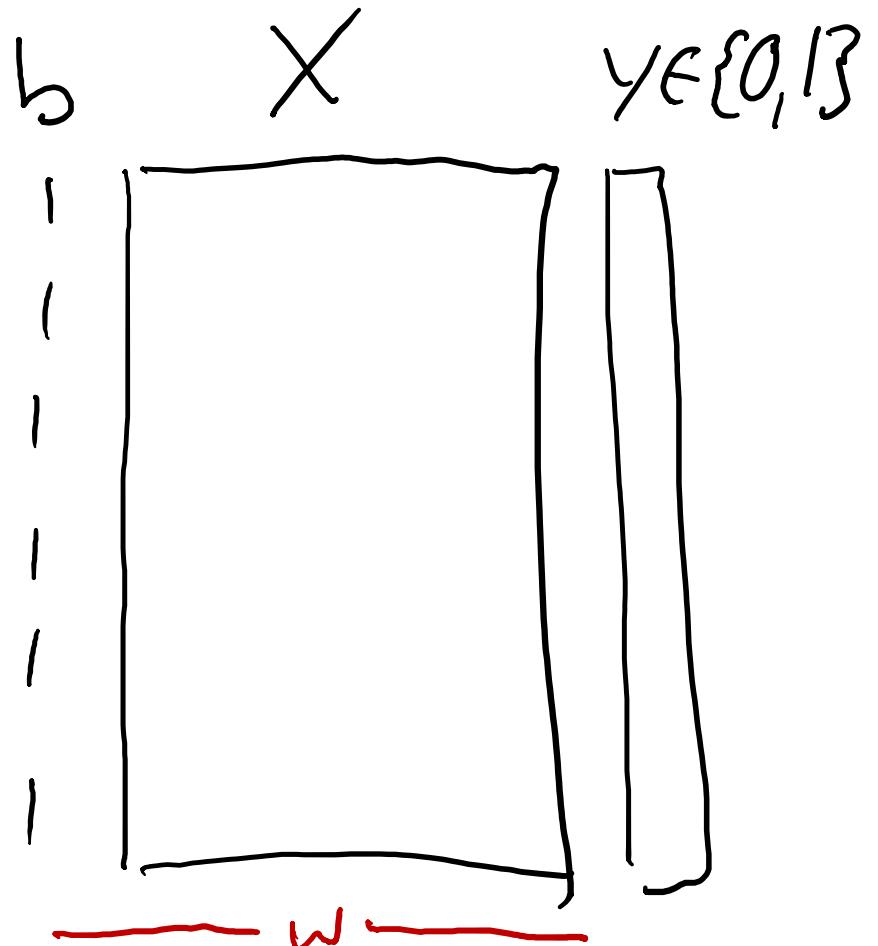
Perceptron – Engineering view of a neuron



Init: $\omega^0 = 0$

Perceptron learning

While: $\exists i_k \text{ s.t. } (\omega^k \cdot x^{i_k} \geq 0) \neq y^{i_k}$

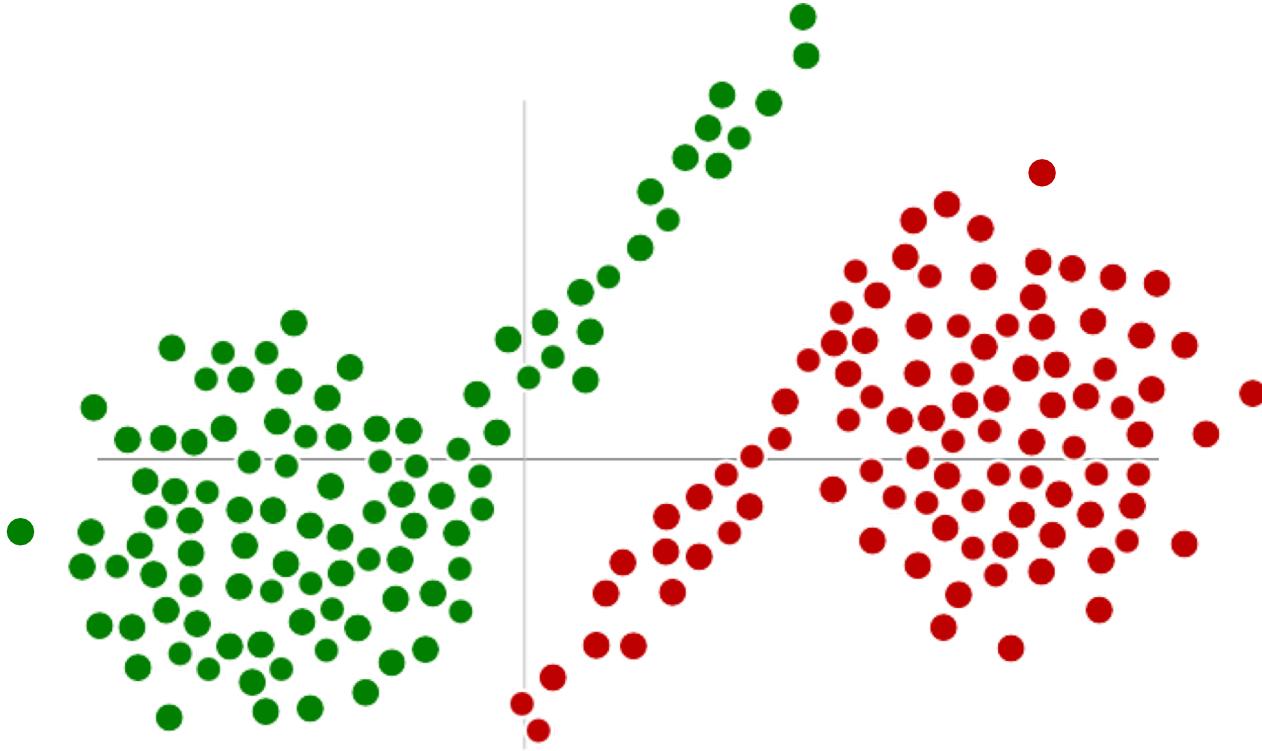


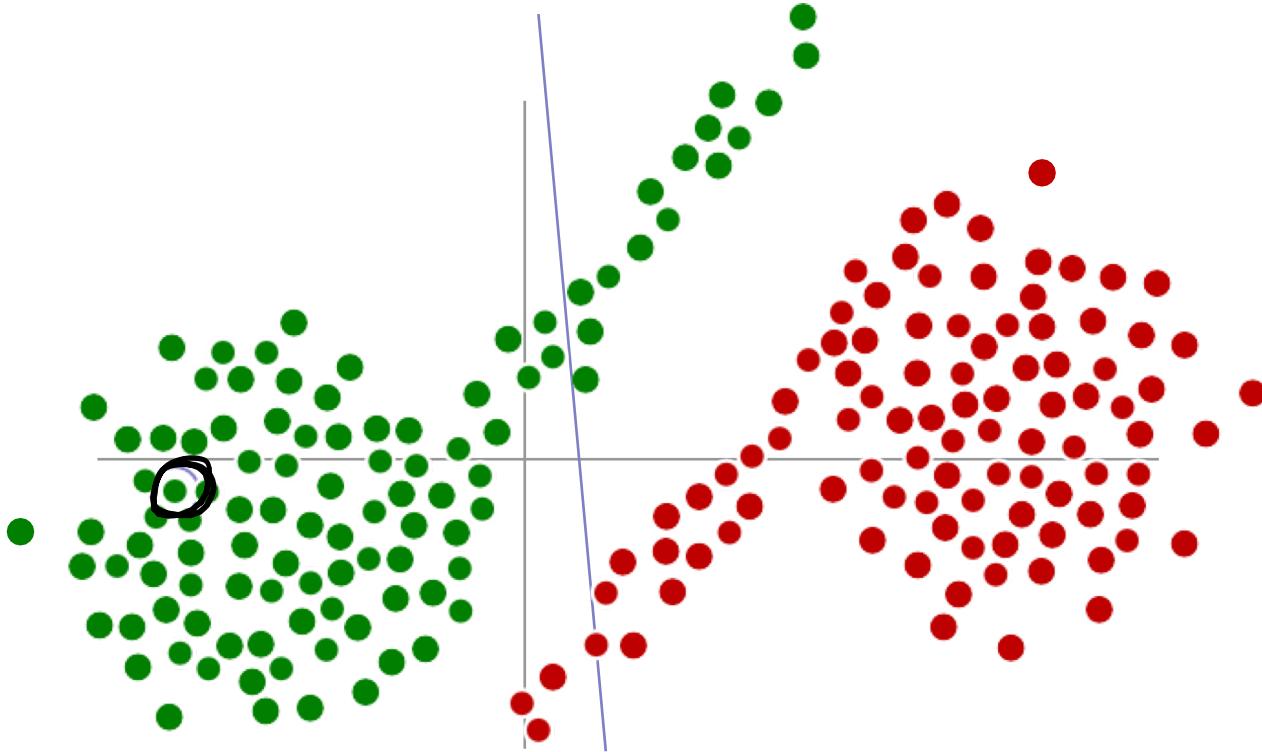
do: $\omega^{k+1} = \omega^k + \eta(y - \hat{y})x^{i_k}$

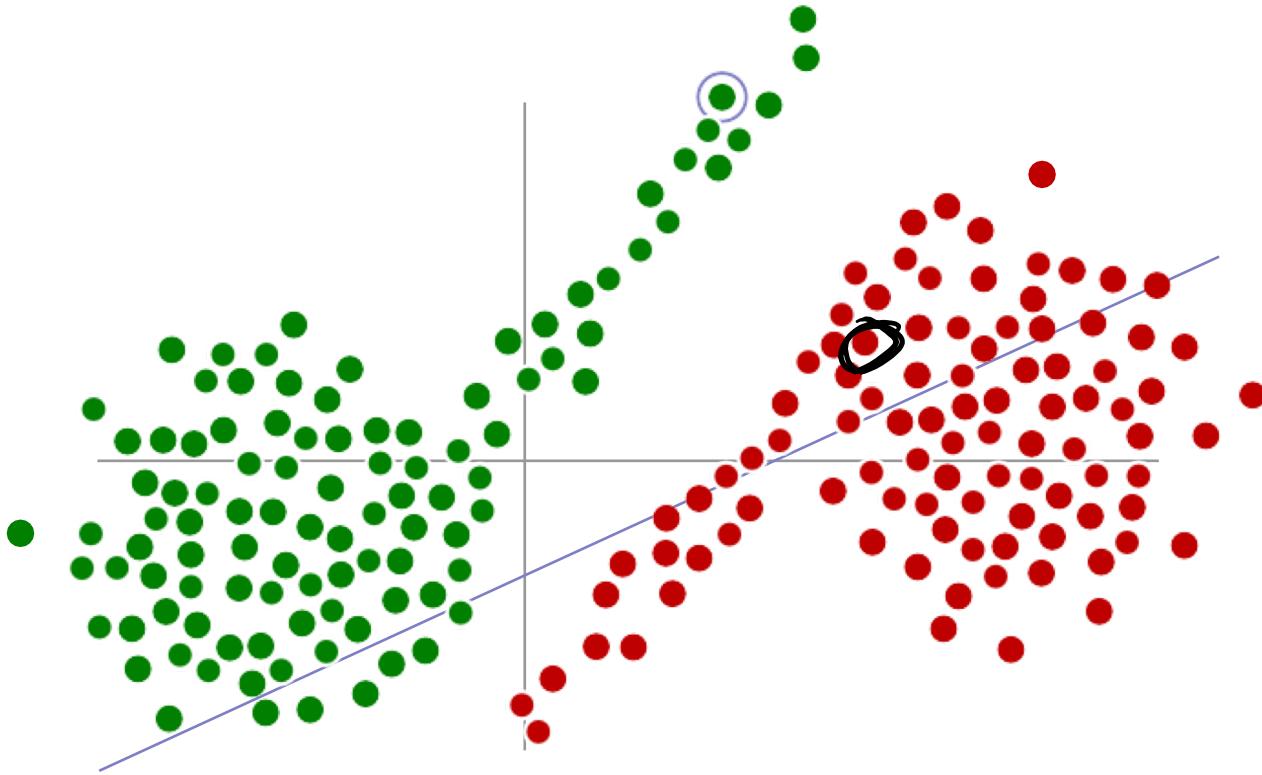
where: $\hat{y} = (\omega^T x \geq 0)$

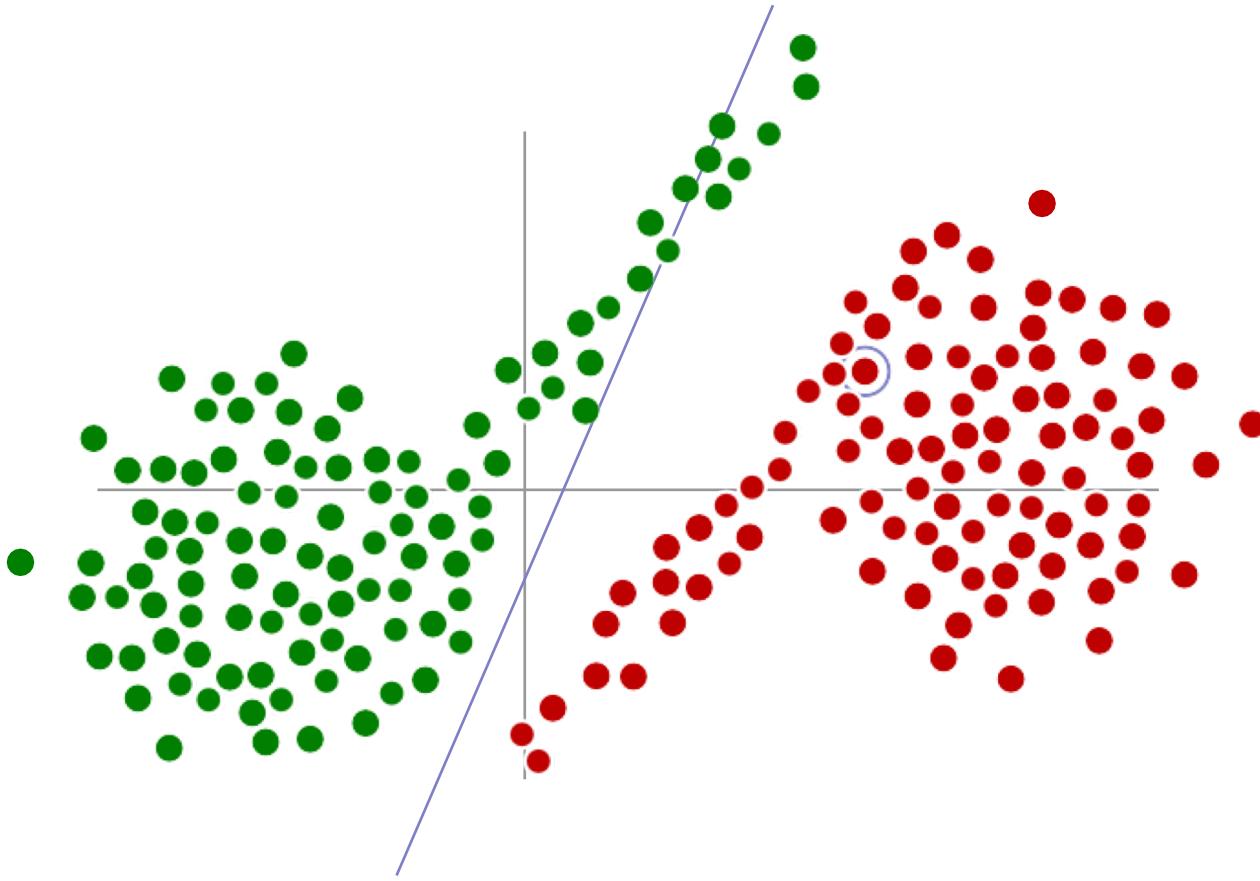
y	\hat{y}	$(y - \hat{y})$	iff linearly sep
0	0	0	
0	1	-1	
1	0	1	
1	1	0	

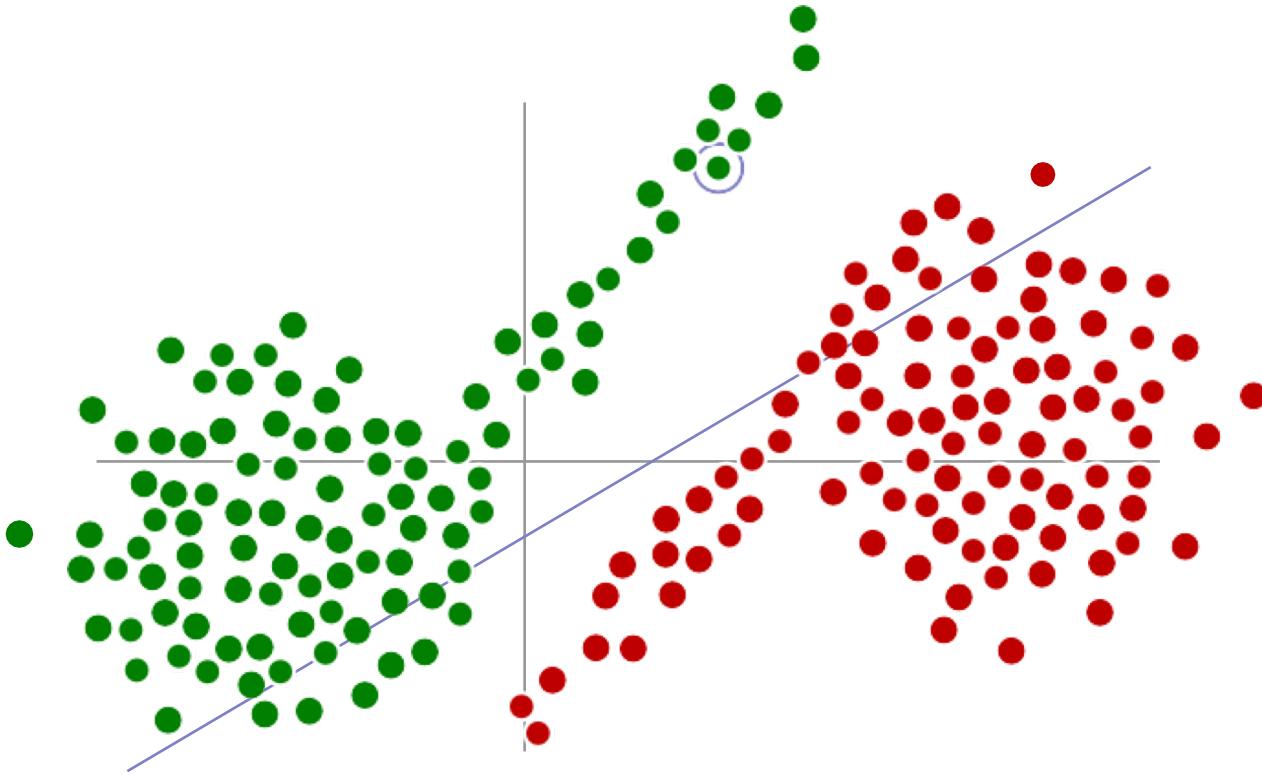
⇒ converges in finite time

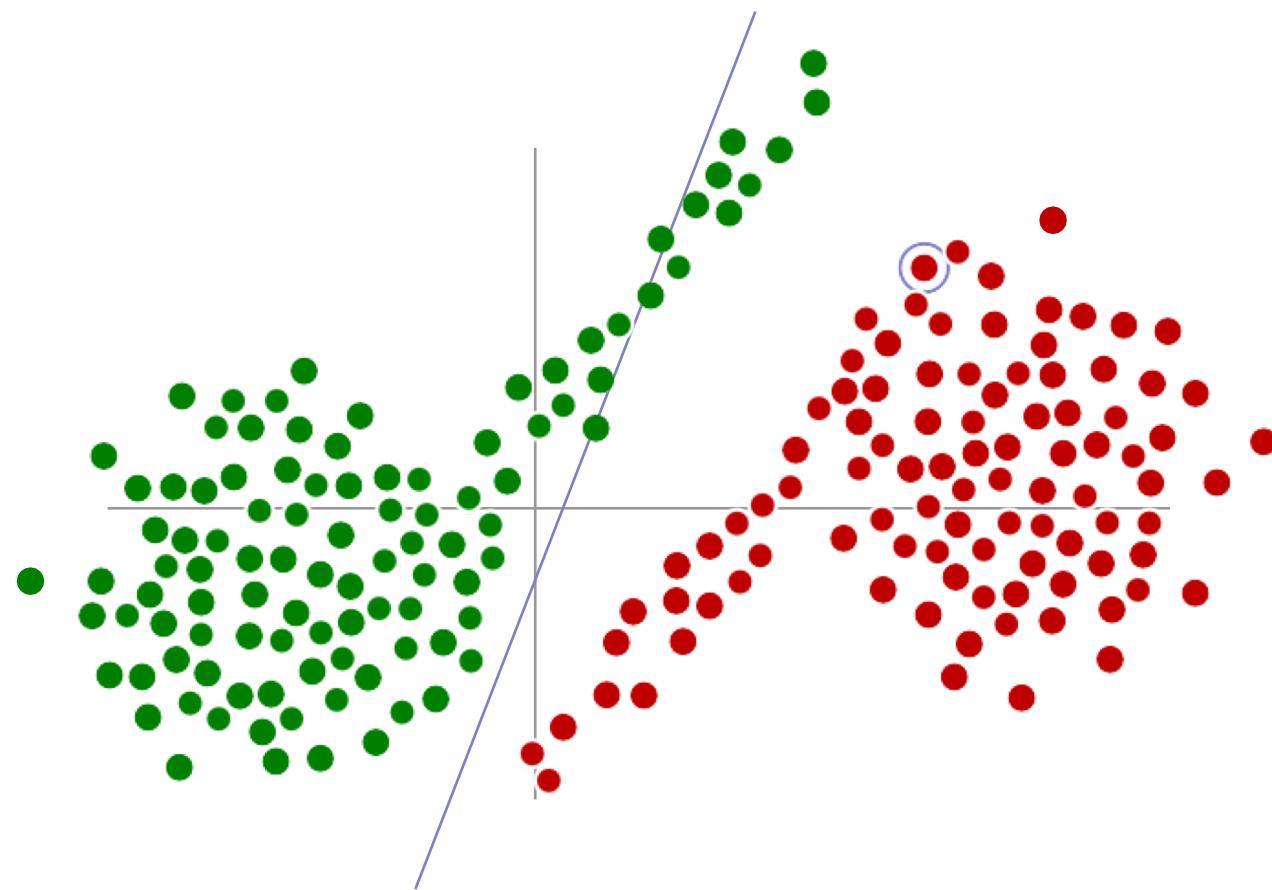


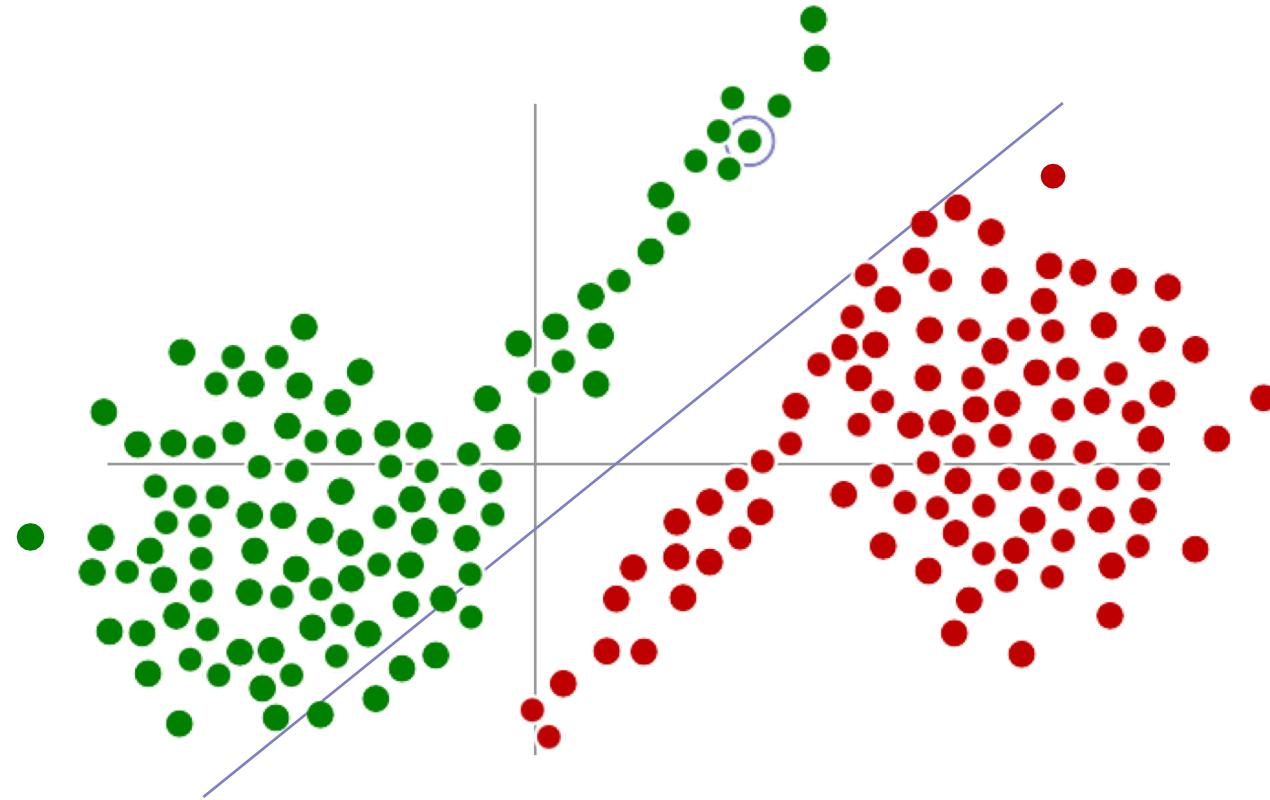


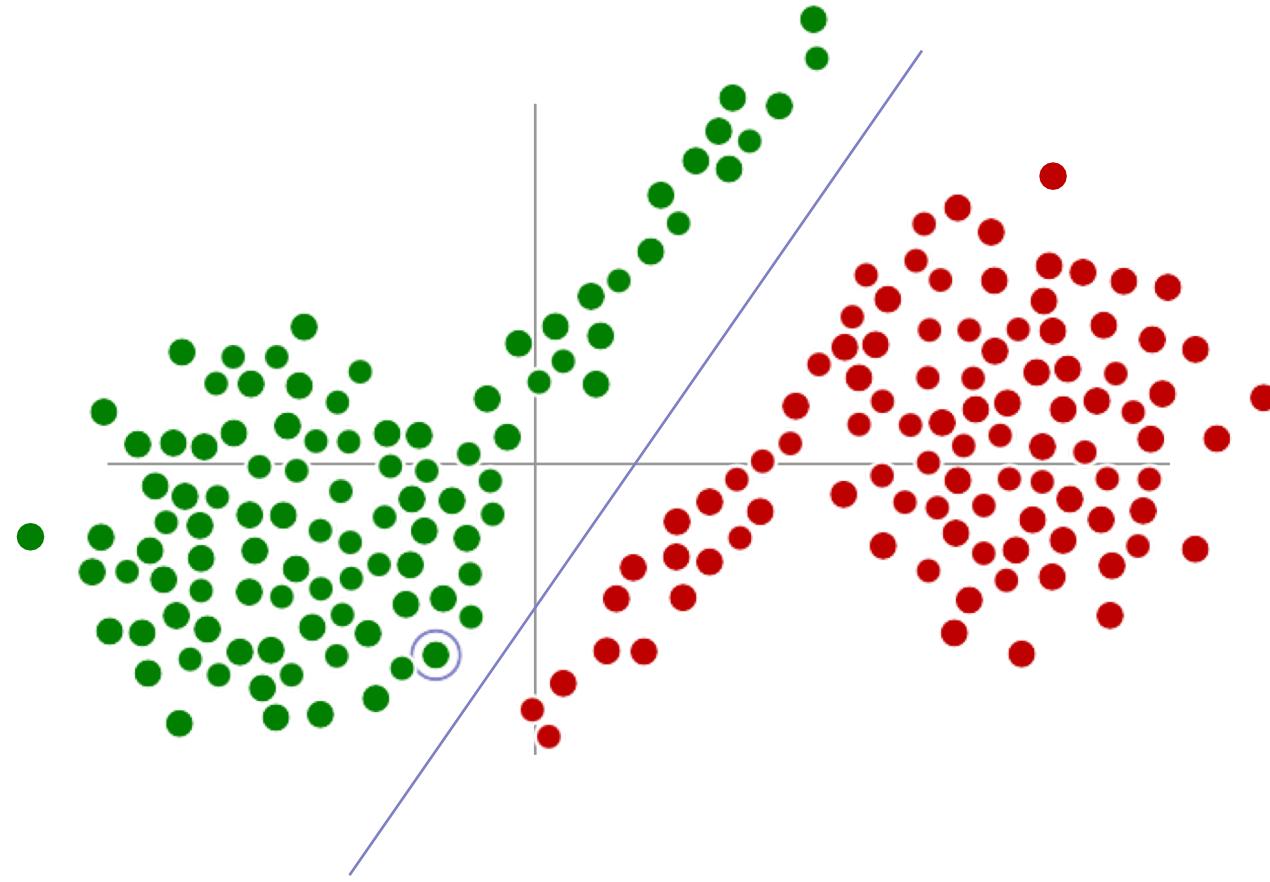


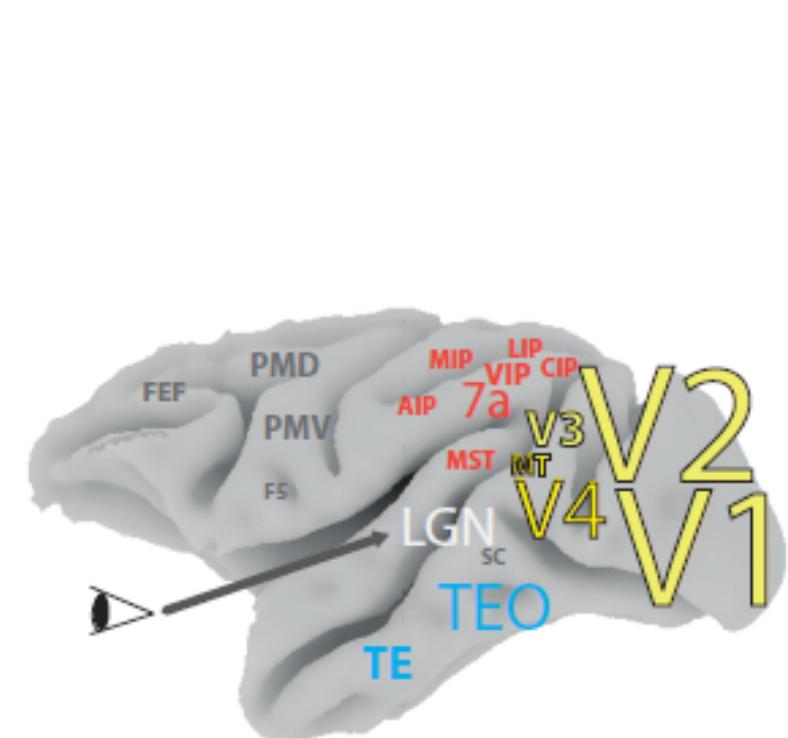
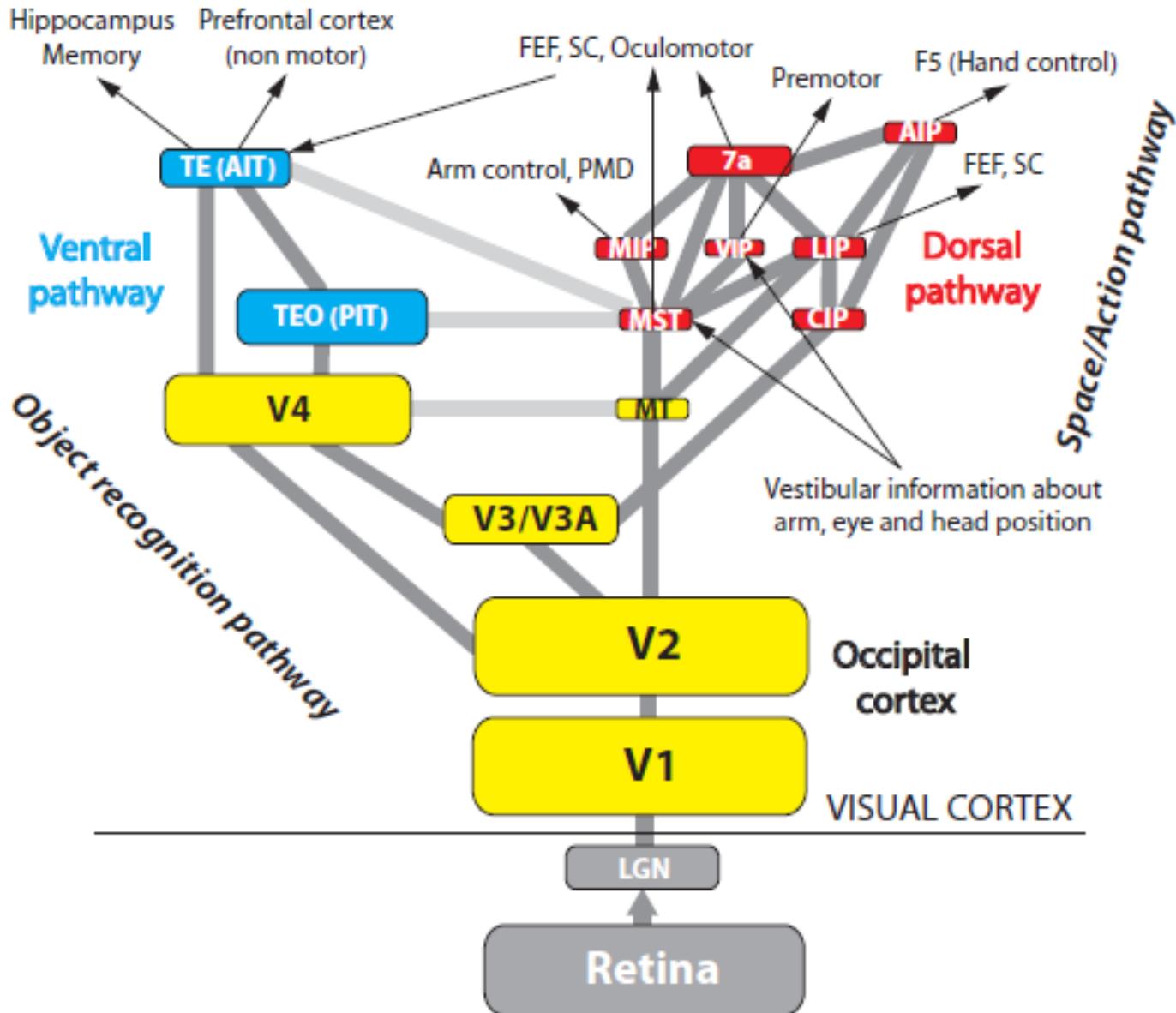




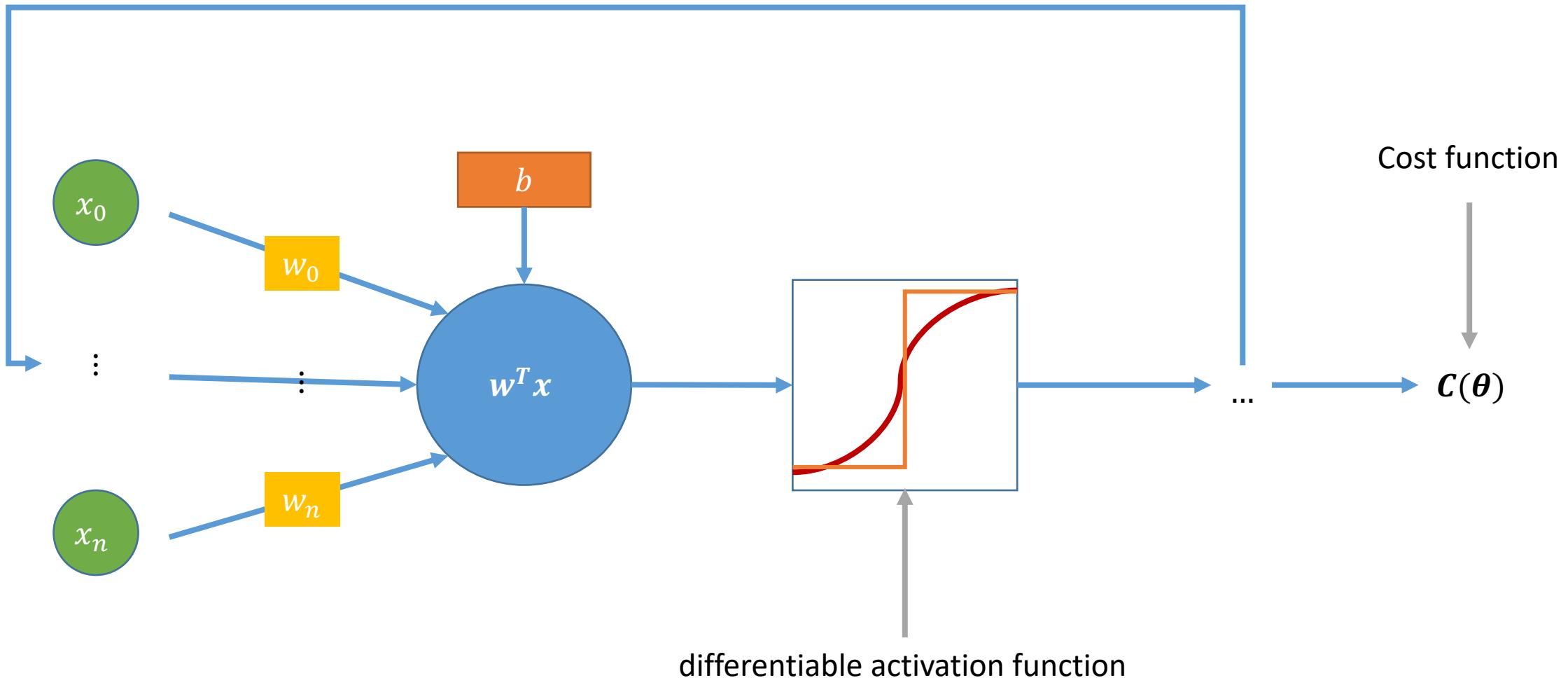








Perceptron – Engineering view of the “brain”



Optimization - General procedure

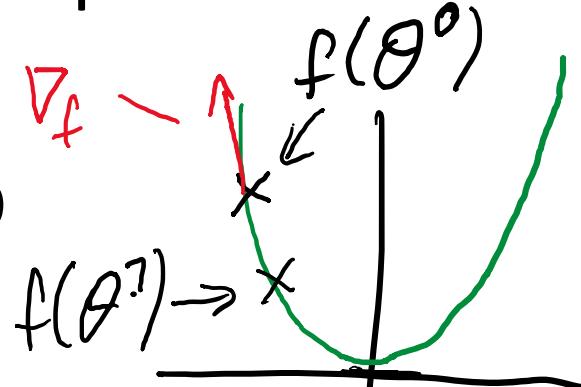
Iterative gradient descent to find parameters Θ :

Initialize weights with small random values

Initialize biases with 0 or small positive values

Compute gradients

Update parameters with SGD



$$\theta^{k+1} = \theta^k - \nabla_f(\theta^k)$$

SGD in a nutshell:

Compute the negative gradient at θ^0

$$\rightarrow -\nabla C(\theta^0)$$

Times the learning rate η

$$\rightarrow -\eta \nabla C(\theta^0)$$

Chain rule

$$y = g(x) \text{ and } z = f(g(x)) = f(y)$$

$$\frac{dz}{dx} = \frac{dz}{dy} \frac{dy}{dx}$$

For vector types

$$\frac{\partial z}{\partial x} = \frac{\partial z}{\partial y} \frac{\partial y}{\partial x}$$

① Backpropagation - single unit

$$* f^{(3)} = \|z^{(2)} - y\|^2 = z^{(2)T} z^{(2)} - 2z^{(2)}y + y^T y$$

$$z^{(3)} = C(\theta)$$

$\frac{\partial C}{\partial C} = \frac{\partial z^{(3)}}{\partial z^{(3)}} = 1,$

$$\boxed{f^{(3)} = \|z^{(2)} - y\|^2}$$

$$\frac{\partial z^{(3)}}{\partial z^{(2)}} \cdot 1 \quad < \quad \dots$$

$$z^{(2)} \uparrow$$

$$\boxed{f^{(2)} = \sigma(z^{(1)})}$$

$$\frac{\partial z^{(2)}}{\partial z^{(1)}} \cdot \frac{\partial z^{(3)}}{\partial z^{(2)}} \cdot 1 \quad < \quad \dots$$

$$z^{(1)} \uparrow$$

$$\boxed{f^{(1)} = \sum \theta^{(m)} z^{(0)}}$$

$$\frac{\partial z^{(1)}}{\partial \theta^{(1)}} \cdot \frac{\partial z^{(2)}}{\partial z^{(1)}} \cdot \frac{\partial z^{(3)}}{\partial z^{(2)}} \cdot 1 \quad < \quad = \frac{\partial C}{\partial \theta} = \frac{\partial z^{(3)}}{\partial z^{(2)}} \cdot \frac{\partial z^{(2)}}{\partial z^{(1)}} \cdot \frac{\partial z^{(1)}}{\partial \theta^{(1)}}$$

$$z^{(0)} = \bar{x}$$

$$\frac{\partial z^{(3)} *}{\partial z^{(2)}} = 2z^{(2)} - 2y = 2(z^{(2)} - y)$$

$$\frac{\partial z^{(2)}}{\partial z^{(1)}} = \sigma(z^{(1)})(1 - \sigma(z^{(1)}))$$

$$\frac{\partial z^{(1)}}{\partial \theta^{(1)}} = z^{(0)} = \bar{x}$$

$$= 2(z^{(2)} - y)\sigma(z^{(1)})(1 - \sigma(z^{(1)}))\bar{x}$$

