

Chapter 2, Problem 2.7

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2.7 Swing voters. A 2012 Pew Research survey asked 2,373 randomly sampled registered voters their political affiliation (Republican, Democrat, or Independent) and whether or not they identify as swing voters. 35% of respondents identified as Independent, 23% identified as swing voters, and 11% identified as both.⁵⁸

- (a) Are being Independent and being a swing voter disjoint, i.e. mutually exclusive?
- (b) Draw a Venn diagram summarizing the variables and their associated probabilities.
- (c) What percent of voters are Independent but not swing voters?
- (d) What percent of voters are Independent or swing voters?
- (e) What percent of voters are neither Independent nor swing voters?
- (f) Is the event that someone is a swing voter independent of the event that someone is a political Independent?

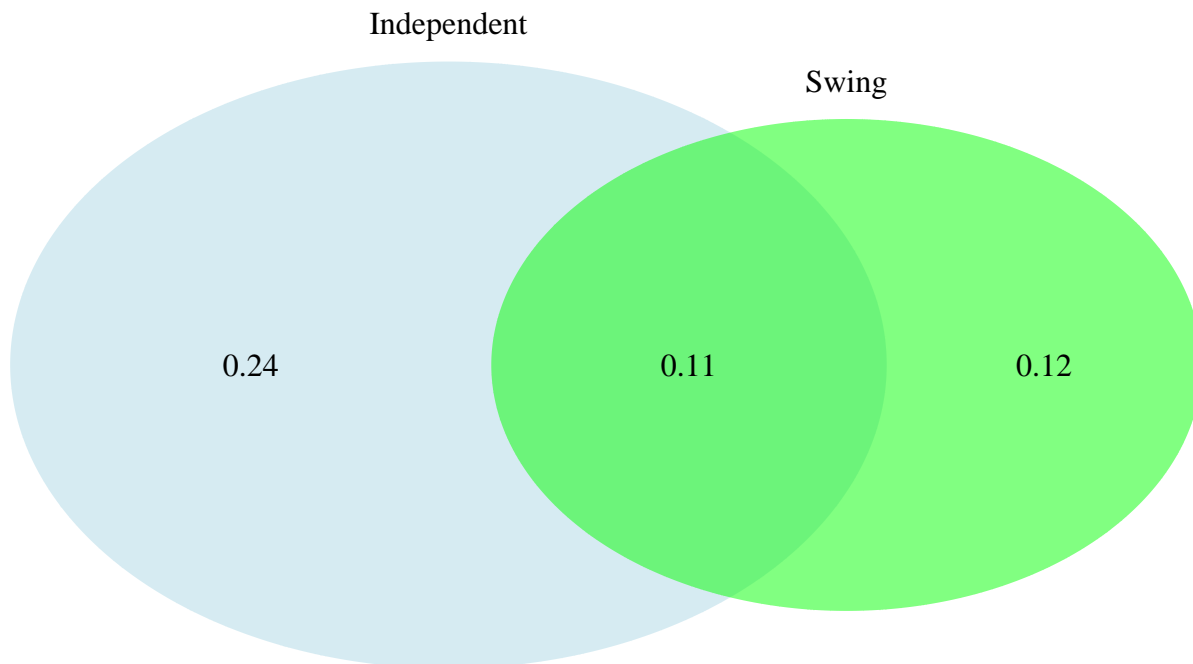
a) Are being Independent and being a swing voter disjoint, i.e. mutually exclusive?

No they are not disjoint since 11% of voters identify as both independent and swing voters.

b) Draw a Venn diagram summarizing the variables and their associated probabilities.

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c) What percent of voters are Independent but not swing voters?

We are told that 35% of voters are independent, and 11% of voters identify as both independent AND swing voters. Therefore, the percentage of voters that are independent but not swing voters is:

$$.35 - .11 = .24 = 24\%$$

d) What percent of voters are Independent or swing voters?

We are told that 35% of voters are Independent, 23% are swing voters, and 11% identify as both Independent AND swing. Therefore, the percentage of voters that are Independent OR swing voters is:

$$.35 + .23 - .11 = .47 = 47\%$$

e) What percent of voters are neither Independent nor swing voters?

The percentage of voters that are neither independent nor swing voters is the **complement** of the percentage of voters that are EITHER independent or swing, which we calculated in our answer to part **d)** above as 47%. Therefore, we can simply subtract .47 from 1 to find our answer:

$$1 - .47 = .53 = 53\%$$

f) Is the event that someone is a swing voter independent of the event that someone is a political Independent?

No since there is overlap between the two groups. As we're told, 11% of voters identify as both independent and swing.

We can also show this mathematically by testing for equivalence of $P(A) * P(B) = P(A, B)$ where $P(A)$ is the probability of being independent and $P(B)$ is the probability of being a swing voter:

- $P(\text{Independent}) = .35 = P(A)$
- $P(\text{Swing}) = .23 = P(B)$
- $P(A) * P(B) = .35 * .23 = 0.0805$
- $P(A,B) = .11$ (given to us in text)

As we can see, $(P(A) * P(B) = .0805) \neq (P(A, B) = .11)$ so these events are NOT independent.