Analyzing Point CloudsBridge Inspection Project

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Introduction

• What?

• Why?

• How?



Motivation for the Project

- Requirement of periodic inspection on a biennial basis
- Time-consuming manual inspection and insufficient manpower

State of the art technique?









Motivation for the Project

- Requirement of periodic inspection on a biennial basis
- Time-consuming manual inspection and insufficient manpower
- Inefficient data collection
- Paper-based storage

State of the art technique?









Goals of the project

- Automated collection of data
- Better visualization of the bridge
- Reliable storage of information over time

The big picture

- UAV scans bridge
 - Laser Range Scanner
 - GPS
 - Cameras
- Range Scans to Point Clouds
- Registering different Point Clouds
- Analysis of point clouds
 - Error evaluation
 - Coverage analysis
- Visualization of Point Clouds
 - Ability to look around the point cloud data
 - View images from a particular viewpoint

Analyzing Point Clouds: Error evaluation

Problem:

- Given two point clouds representing same object define a metric which quantifies the similarity.
- We call this metric error
- Error is a function of the distance between the nearest neighbour correspondences
 - Lower the error, higher the chance of the point clouds being similar.

Analyzing Point Clouds: Error evaluation

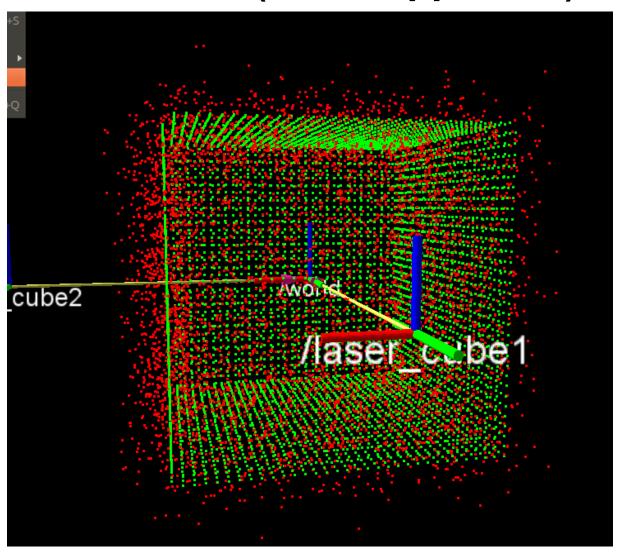
Naive approach :

 Assuming registered point clouds, find average euclidean distance from the nearest neighbor

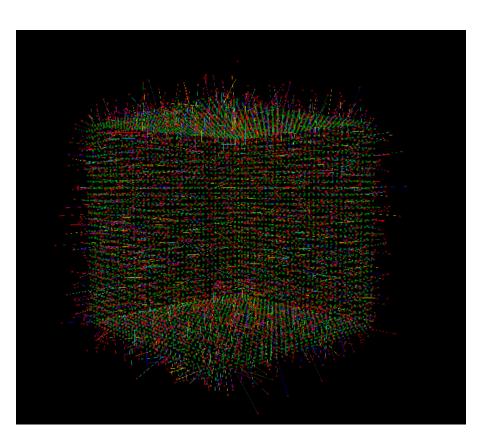
Issues?

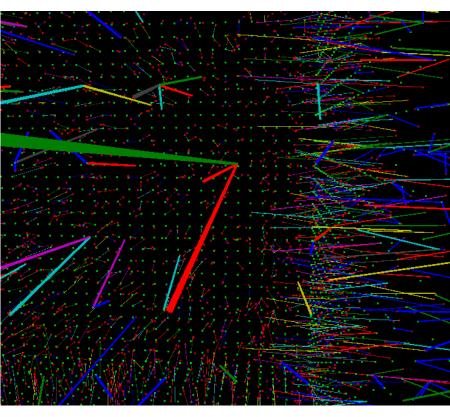
- If there are many uncovered points, leads to increase in the error metric
- Maybe the point clouds are not registered correctly.
- Prone to outlier noise

Analyzing Point Clouds: Error evaluation (Naive approach)



Analyzing Point Clouds: Error evaluation (Naive approach)





Analyzing Point Clouds

- Point clouds not aligned?
- Need to register them
- Problem:
 - Given two point clouds align them
 - Find the best possible transformation from one point cloud to another.
 - What does best mean?
 - Best in terms of minimal error between the point clouds

Registering Point Clouds

- Definition?
 Combining several point cloud datasets into a global consistent model
- How is it done?
 - Keypoints
 - Feature descriptors
 - Feature matching : Correspondences

Keypoints

What are keypoints?

 Also called interest points, they are stable, distinctive points which can be identified using well-defined detection criterion

Why keypoints?

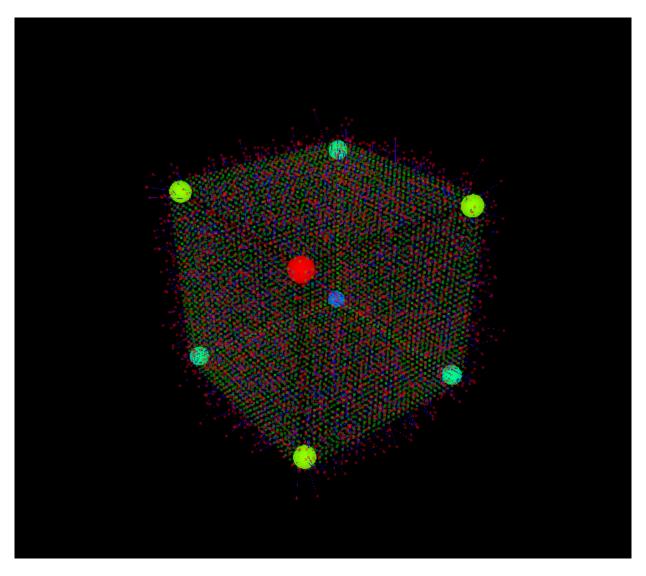
- Not feasible to find matches for all the points
- Sparseness : Much smaller in number
- Using all points to find correspondences is errorprone
- An efficient way to reasonably represent huge point clouds

Keypoints: Harris Keypoints

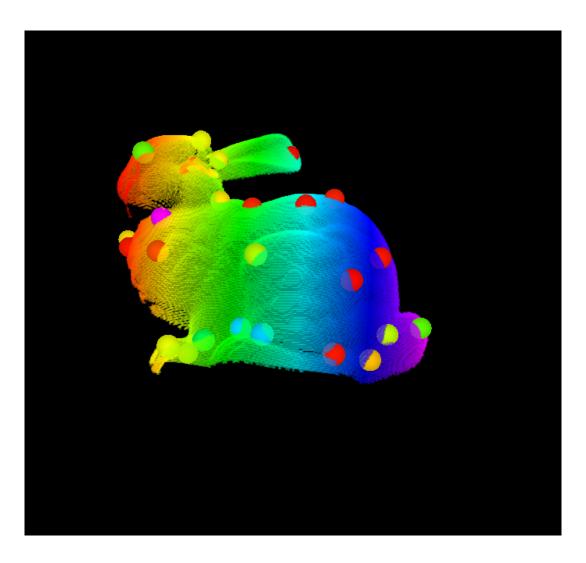
- Examples of Keypoints
 - NARF Keypoints (Normal Aligned Radial Feature)
 - SIFT Keypoints (Scale Invariant Feature Transform)
 - Harris 3D Keypoints

- Harris Keypoints
 - Corner detection

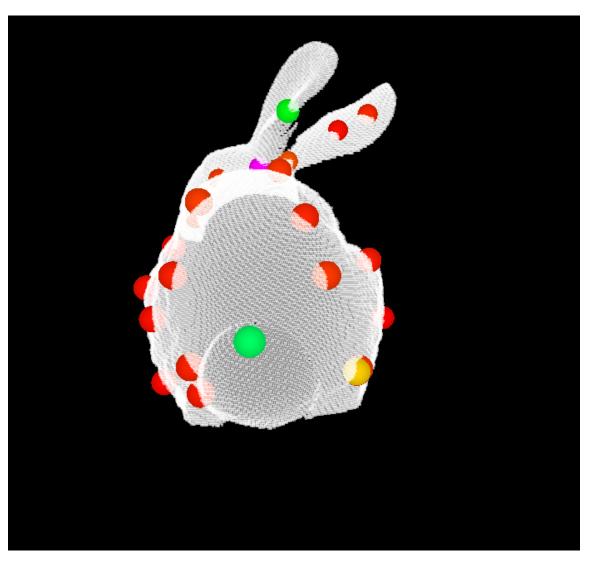
Harris Keypoints : Examples **Cube Point Cloud**



Harris Keypoints : Examples Stanford Bunny (View 1)



Harris Keypoints : Examples Stanford Bunny (View 2)



Feature Descriptors

Features :

Representations at a certain 3D point or position in space, which describe geometrical patterns based on the information available around the point

Examples

- SHOT (Signature of Histogram of Orientations)
- ESFE (Ensemble of Shape Functions)
- RIFT (Rotation Invariant Feature Transform)
- PFH (Point Feature Histogram)

FPFH (Fast Point Feature Histogram)

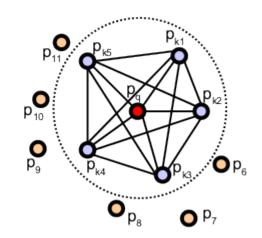
• Step 1: For each query point p_{query} , a set of t^{α} , ϕ , θ between itself and its neighbors are computed - this will be called the Simplified Point Feature Histogram (SPFH);

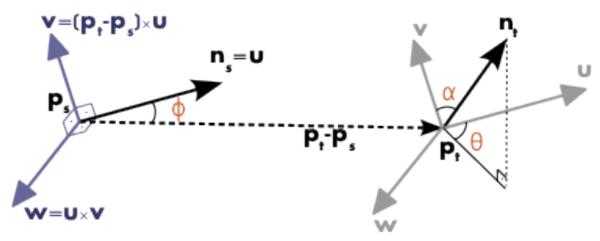
Step 2:
 For each point, its k neighbors are redetermined, and the neighboring SPFH values are used to weight the final histogram

of p_{query} (FPFH)

FPFH (Fast Point Feature Histogram) Step 1 : SPFH

$$\begin{aligned} \alpha &= \mathbf{V} \cdot \boldsymbol{n}_t \\ \phi &= \mathbf{u} \cdot \frac{(\boldsymbol{p}_t - \boldsymbol{p}_s)}{d} \\ \theta &= \arctan(\mathbf{W} \cdot \boldsymbol{n}_t, \mathbf{u} \cdot \boldsymbol{n}_t) \end{aligned}$$

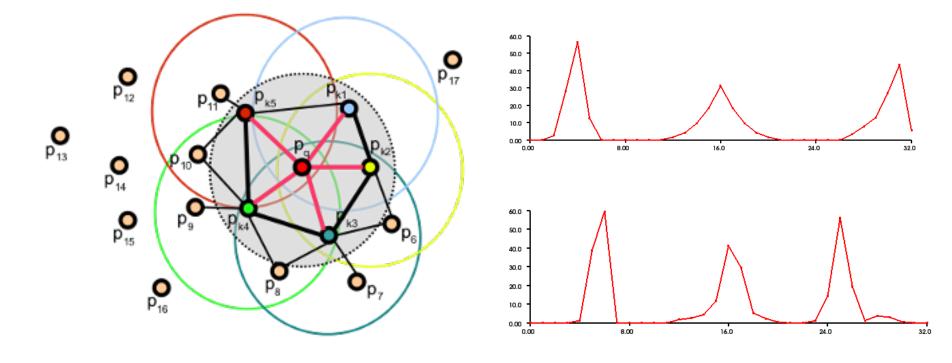




$$egin{aligned} \mathbf{u} = & m{n}_s \ \mathbf{v} = & \mathbf{u} imes rac{(m{p}_t - m{p}_s)}{\|m{p}_t - m{p}_s\|_2} \ \mathbf{w} = & \mathbf{u} imes \mathbf{v} \end{aligned}$$

FPFH (Fast Point Feature Histogram) Step 2

$$FPFH(\mathbf{p}_q) = SPFH(\mathbf{p}_q) + \frac{1}{k} \sum_{i=1}^{k} \frac{1}{\omega_k} \cdot SPFH(\mathbf{p}_k)$$



How fast is FPFH?

- Theoretical complexity :
 - \circ PFH $O(nk^2)$
 - \circ FPFH O(nk)
- Setup:
 - ~40000 points per cloud
 - Finding FPFH description at harris keypoints
 ~25 in each cloud
 - Using OpenMP (shared memory parallel processing): 8 cores of ~2.33 GHz each
- Takes ~ 1 min
 - Isn't fast enough for real time processing

Feature Matching

 Match features/keypoints from one point cloud with those from other

- Examples
 - SAC (Sample and Consensus)
 - ICP (Iterative Closest Point)

RANSAC: General Algorithm

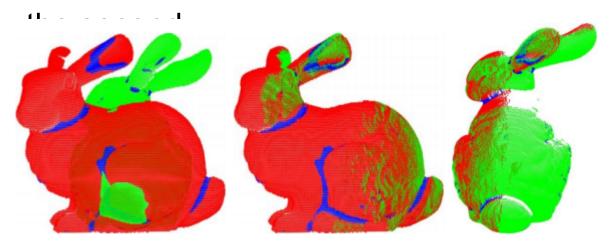
- Select randomly the minimum number of points required to determine the model parameters.
- Solve for the parameters of the model.
- Determine how many points from the set of all points fit with a predefined tolerance.

RANSAC: General Algorithm

- If the fraction of the number of inliers over the total number points in the set exceeds a predefined threshold τ , re-estimate the model parameters using all the identified inliers and terminate.
- Otherwise, repeat steps 1 through 4 (maximum of N? times)

SAC-IA (Sample and Consensus - Initial Alignment)

- Metric to choose the best alignment of the randomly chosen alignments?
 - Minimum Error in the point clouds
 - Minimum difference in the feature space
 - NN distance ratio : Ratio of the first nearest match to



ICP (Iterative Closest Point)

- SAC-IA gives a crude transformation
- Use that as initial guess for ICP to finetune the registration
- A form of gradient descent algorithm
- Need a relatively good starting point so as not to get stuck in the first local minima

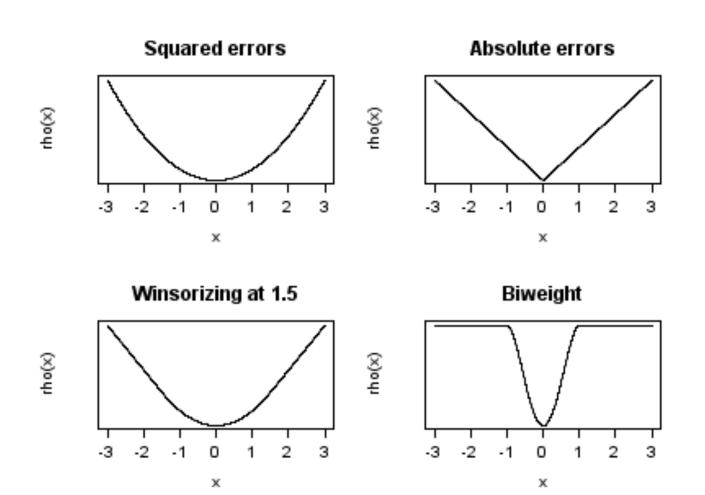
Error metrics

- Euclidean (Squared) distance
 - Suitable for gaussian error distribution
- Manhattan (Absolute) distance
- Huber metric

$$L_{\delta}(a) = (1/2)a^2$$
 for $|a| \leq \delta$,
 $L_{\delta}(a) = \delta(|a| - \delta/2)$, otherwise.

Robust measure to outliers

Error metrics



Coverage of Point Clouds

 Coverage is percentage of the model that is 'covered' by the point cloud.

- Regions of point clouds may not have correspondences
- Interfere with the computation of error metrics

Coverage

- Basic approach :
 - Percentage of points which have correspondences within some maximum distance

- Issues?
 - Non uniform distribution of points
 - Defining the maximum correspondence distance

Coverage

- Different approaches :
 - Divide surface into cubes and assign area to each point in the cube inversely proportional to the density of points in that region
 - Uniformly sample the point cloud with limit on maximum density and find the percentage of points

- A complicated approach:
 - Surface reconstruction from point cloud using Voronoi diagram and Delaunay triangulation

Future work

Implementing different coverage approaches

 Using a synthetic bridge model and simulating coverage

 Analyzing actual bridge data for error analysis and coverage

Thank You

EOP!