

CSCI 3302 HW 3

1. Ultrasound sensor distance $x = (c \cdot \Delta T) / 2$

If ΔT grows then the returned distance is longer, and if ΔT is small then the distance to the object is shorter. The distance to an object is relative to how long it takes the speed of sound to reach an object and reflect back to the sensor.

2. Unicycle that turns with angular velocity $\dot{\phi}$, and has radius r . Speed $v = f(\dot{\phi}, r) = r \cdot \dot{\phi}$
Use the error propagation law to calculate the resulting variance of your speed estimate.

Derived from equation 8.1 in textbook

$$\sigma_v^2 = r^2 \cdot \sigma_{\dot{\phi}}^2$$

3. Probabilistic localization scheme

- a. $P(\text{marker} | \text{reading}) = P(\text{reading} | \text{marker}) \cdot P(\text{marker}) / P(\text{reading})$
- b. Reading correct .9 and wrong .1, and marker seen .8 and missed .2
 $P(\text{marker3} | \text{reading}) = .20 \cdot .20 \cdot .90 = 0.036$
- c. Could the robot also possibly be underneath marker 4?
Yes, with very low probability $\rightarrow (.20) \cdot (.20) \cdot (.20) \cdot (.1) \cdot (1/3) = 0.000267$