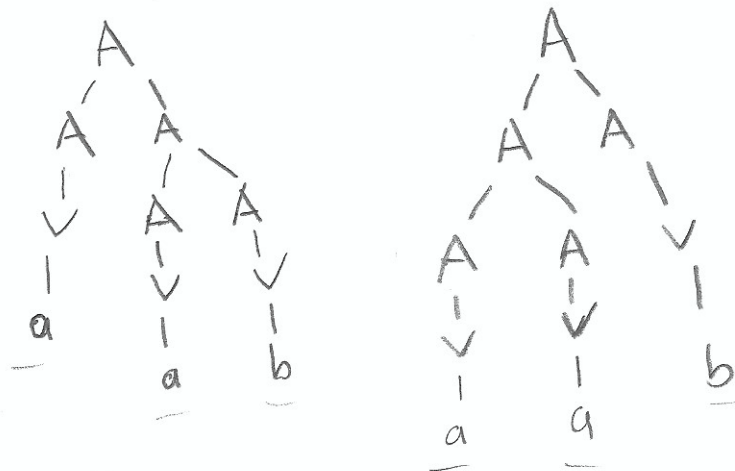


Lab 2 Write-Up

2. a) $A ::= A \& A \mid V$
 $V ::= a \mid b$
 ϵ

\Rightarrow $A \in Aobjects$
 $V \in Vobjects$
 $a, b \in Vobjects \rightarrow a, b \in Aobjects$

b) Show the grammar is ambiguous. Will use two different parse trees to get to same result "aab"



c) Describe the language defined by the following grammar:
 $S ::= A \mid B \mid C$
 $A ::= aA \mid a$
 $B ::= bB \mid \epsilon$
 $C ::= cC \mid c$

Will create a string of repeating letters, S defines what letter the string will be, a, b, or c, no mixing. A, B, or C can then be called repeatedly to make a string of any size, the only exception or difference being B has the possibility of making an empty string "" due to the terminating character ϵ that defines empty.

2. d) $S ::= AaBb$
 $A ::= Ab|b$
 $B ::= aB|a$

1. baab is valid

$S \Rightarrow AaBb$

$\Rightarrow baBb$

$\Rightarrow baab$ ✓

2. bbbab not valid, can't have only 1 a.

3. bbacaaa not valid, must have b at end.

4. bbaab is valid

$S \Rightarrow AaBb$

$\Rightarrow AbaBb$

$\Rightarrow bbaBb$

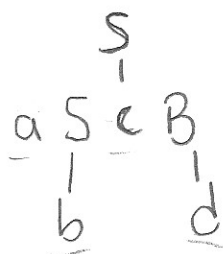
$\Rightarrow bbaab$

e) $S ::= aScB|A|b$

$A ::= cA|c$

$B ::= d|A$

1. abcd is valid

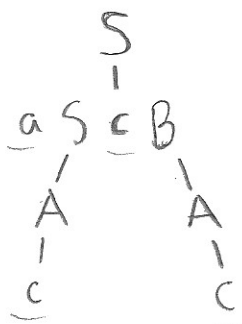


2. acccbd not valid, no b after c

3. accbce not valid, b placement

4. acd not valid, $aScB$ will force another character between a and c

5. acce is valid



3. c) Floating Point grammar.

$$F ::= SI_1.I_r \mid SI_1.I_r E SI_1 \mid 0$$

$$S ::= - \mid \epsilon \text{ (Empty/blank for "+")}$$

$$I_1 ::= D_1 I_r \mid D_1$$

$$D_1 ::= 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$$

$$I_r ::= D_r I_r \mid D_r$$

$$D_r ::= 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$$