

(Q, V, T, E, S, F)

Q

V

$T \in$

$P(Q \times$

$V \times$

$Q)$

$E \in$

$P(Q \times$

$Q)$

$S \subseteq$

$Q \subseteq$

$F \subseteq$

Q

StatePool

StateSet

$domain(const intr); class BitVec // uesd max number bits in data, denote width(domain), [0, bits_i n_u se) ==> [0, width) int bit$

transition

re-

la-

tion:

$T \in$

$Q \rightarrow$

$P(V \times$

$Q), T(p) =$

$\{(a, q) | (p, a, q) \in$

$T\} p$

??

$label; State transition destination; class Trans Impl TransPair * data; class Trans :$

$protected Trans Impl$

relation

$E \in$

$P(Q \times$

$Q) \Rightarrow$

$E \in$

$Q \rightarrow$

$P(Q), E(p) =$

$\{q | (p, q) \in$

$E\} \in pq$

q_0

q_1

q_2

q_3

$\{$

q_1

$\{(q_0, a, q_1)\}$

q_1

$\{(q_1, b, q_2), (q_1, c, q_3)\}$

$\}$

$?$

the signatures of the transition relations:

$T \in$

$P(Q \times$

$V \times$

$Q)$

$T \in$

$V \rightarrow$

$P(Q \times$

$Q)$

$T \in$

$Q \times$

$Q \rightarrow$

$P(V)$

$T \in$

$Q \times$

$V \rightarrow$

$P(Q)$

$T \in$

$Q \rightarrow$

$P(V \times$

$Q)$

$T(p) =$

$\{(a, q) :$

$(p, a, q) \in$

$T\}$

$T \in$

$P(Q \times$

$V \times$

$Q), T =$

$\{(p, a, q)\}$

$T \in$

$Q \rightarrow$

$P(V \times$

$Q), T(p) =$

$$\begin{aligned}
&Q), T(p) = \\
&\{(a, q) : \\
&(p, a, q) \in \\
&T\} \\
&\pi_2(T(p)) = \\
&\{q | (p, a, q) \in \\
&T\}, \bar{\pi}_2(T(p)) = \\
&\{a | (p, a, q) \in \\
&T\} \\
&Q_{map} : \\
&Q \times \\
&V, T(p) = \\
&\{(a, q) : \\
&(p, a, q) \in \\
&T\} \\
&Q_{map}(q) = \\
&\{a\} \\
&Q_{map} : \\
&Q \times \\
&V, T \in \\
&P(Q \times \\
&V \times \\
&Q \\
&\pi_1(T) = \\
&\{p | (p, a, q) \in \\
&T\}, \bar{\pi}_1(T) = \\
&\{(a, q) | (p, a, q) \in \\
&T\} \\
&Q_{map} = \\
&(\bar{\pi}_1(T))^R = \\
&\{(a, q) | (p, a, q) \in \\
&T\}^R = \\
&\{(q, a) | (p, a, q) \in \\
&T\} \\
&\overset{M}{(Q, V, T, E, S, F)}, M_0 = \\
&(Q_0, V_0, T_0, E_0, S_0, F_0), M_1 = \\
&(Q_1, V_1, T_1, E_1, S_1, F_1) \\
&\overset{FA}{FA} \\
&|M| = \\
&|Q| \\
&(\cong \\
&) \\
&\overset{FA's}{FA's} \\
&(\cong \\
&) \\
&M_0 \\
&M_1 \\
&M_0 \cong \\
&M_1 \\
&V_0 = \\
&V_1 \in \\
&g \in \\
&Q_0 \rightarrow \\
&Q_1 \\
&\overset{T}{T}_1 = \\
&\{(g(p), a, g(q) | (p, a, q) \in \\
&T_0\} \\
&\overset{E}{E}_1 = \\
&\{(g(p), g(q) | (p, q) \in \\
&E_0\} \\
&\overset{S}{S}_1 = \\
&\{g(s) | s \in \\
&S_0\} \\
&\overset{F}{F}_1 = \\
&\{g(f) | f \in \\
&F_0\} \\
&?? \\
&\S \\
&\tilde{p} \\
&q \\
&f \\
&g(s) \\
&g(p) \\
&g(q) \\
&g(f) \\
&\ddots \\
&\ddots \\
&\ddots \\
&\ddots \\
&\ddots \\
&g \\
&g \\
&g \\
&M_0 \simeq
\end{aligned}$$

$$\begin{array}{l}
B \\
f(a) = \\
(f_a(a^R))^{R'} \\
B \\
f_a \circ \\
R(a) = \\
R' \circ \\
f(a) \Rightarrow \\
f_a(R(a)) = \\
R'(f(a)) \Rightarrow \\
f_a(a^R) = \\
(f(a))^{R'} \Rightarrow \\
f(a) = \\
(f_a(a^R))^{R'} \\
(m)[matrixofmathnodes, rowsep = \\
2em, columnsep = \\
2em]AB \circ \circ; [- > \\
, font = \\
](m- \\
1- \\
1)edgenode[auto](m- \\
1- \\
2)(m- \\
1- \\
1)edgenode[auto, swap](m- \\
2- \\
2)(m- \\
1- \\
2)edgenode[auto]' \\
B \\
f_a \\
f(a) = \\
(f_a(a^R))^{R'} \\
C_{\cdot, RFA}(rfa(\$), rfa(E)) = \\
C_{\cdot, RFA}(C_{\$, RFA}, rfa(E)) = \\
L_{RE}(\$E) = \\
\{\$\}L_{RE}(E) \\
convert \\
E_{LFA} \circ \\
convert \circ \\
rfa(E) = \\
V^{-1}L_{RE}(E) \\
convert(C_{\cdot, RFA}(C_{\$, RFA}, rfa(E)) = \\
rfa(E) \\
(m)[matrixofmathnodes, rowsep = \\
2em, columnsep = \\
2em]RERFA(\$, E)(rfa(\$), rfa(E))L_{reg}\$ \cdot Erfa(\$) \cdot rfa(E); [- > \\
, font = \\
](m- \\
1- \\
1)edgenode[auto](m- \\
1- \\
2)(m- \\
1- \\
1)edgenode[auto, swap]_{RE} \\
L_{FA} \\
rfa \\
(m-2-5)(m-1-4)edgenode[auto, swap] \\
. \\
FA. \\
rfa \\
convert(C_{\cdot, RFA}(C_{\$, RFA}, rfa(E)) = \\
rfa(E) \\
useful_s \circ \\
subset \\
D \\
\emptyset, \overline{U} = \\
S \\
d := \\
\bigcup_{q \in u} \overline{T}(q, a) \\
(m)[matrixofmathnodes, rowsep = \\
2em, columnsep = \\
2em]\{q_1, q_2\}\{T(q_1, a), T(q_2, a)\}; [- > \\
, font = \\
](m- \\
1- \\
1)edgenode[auto](m- \\
1- \\
2); \\
d := \\
\bigcup \{q | q \in \\
first \wedge \\
Q_{map}(q) =
\end{array}$$