

## Practical 2 : 4 pts vs 2+1pts

The goal of this practical is now to compare the classical linear 4 points algorithm and the linear 2 points knowing the vertical direction of the camera.

Let's consider 50 points randomly distributed in a plane of equation  $N^T X_w + d = 0$  in the world frame  $(O_w, X_w, Y_w, Z_w)$ .

Let's note respectively,  $(O_{c_1}, X_{c_1}, Y_{c_1}, Z_{c_1})$  and  $(O_{c_2}, X_{c_2}, Y_{c_2}, Z_{c_2})$  the camera positions. We suppose a calibrated camera posed at a rotation  $R_i$  and  $T_i$  of the world coordinate  $(X_w = R_i X_{c_i} + T_i)$ .

The image points are noted  $P_i$ .

### Preliminary questions

This practical is in relation with our first exercise "Homography estimation using IMU : 2+1 method". The algorithm is given in the file `Practical2.m`.

Read, run and comment this file.

### Comparison

1. Test 1 : example with different datas, propose a test with different positions of the second camera ( $R_1 = I, T_1 = 0$ ) with angles of rotation between  $0^\circ$  and  $45^\circ$  and translation of 0 to 100
2. Test 2 : example with noise, propose a test with different camera positions ( $R_1 = I, T_1 = 0$ ) with angles of rotation between  $0^\circ$  and  $45^\circ$  and translation of 0 to 100 AND white noise in image points of camera 2 between 0 to 1 pixel std (use RANSAC functions).
3. Test 3 : example with noise on IMU informations, propose a test with different camera positions ( $R_1 = I, T_1 = 0$ ) with angles of rotation between  $0^\circ$  and  $45^\circ$  and translation of 0 to 100, white noise in image points of camera 2 between 0 to 1 pixel std AND white noise in IMU between  $0^\circ$  to  $2^\circ$  (use RANSAC functions).
4. Conclusion...