

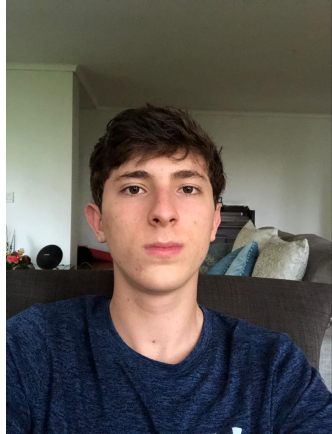


Algorithms to Further the Development of PLA Technologies

Team Presentation



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<https://github.com/tomasCalletce/Algorithms-to-Further-the-Development-of-PLA-technologies>



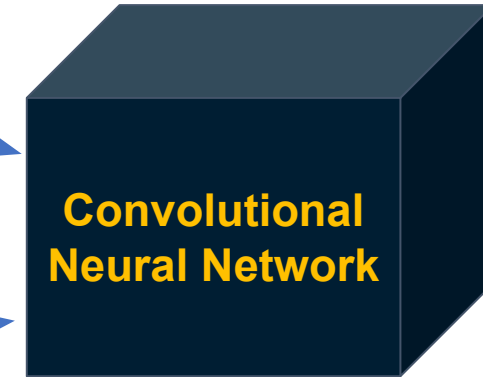
Training Process



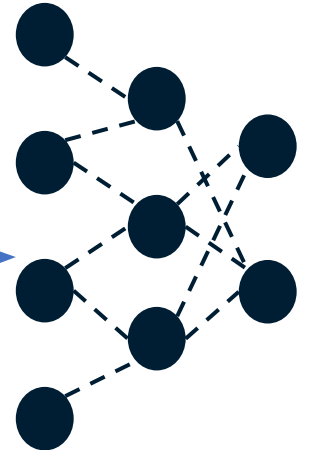
Sick-Cattle Images



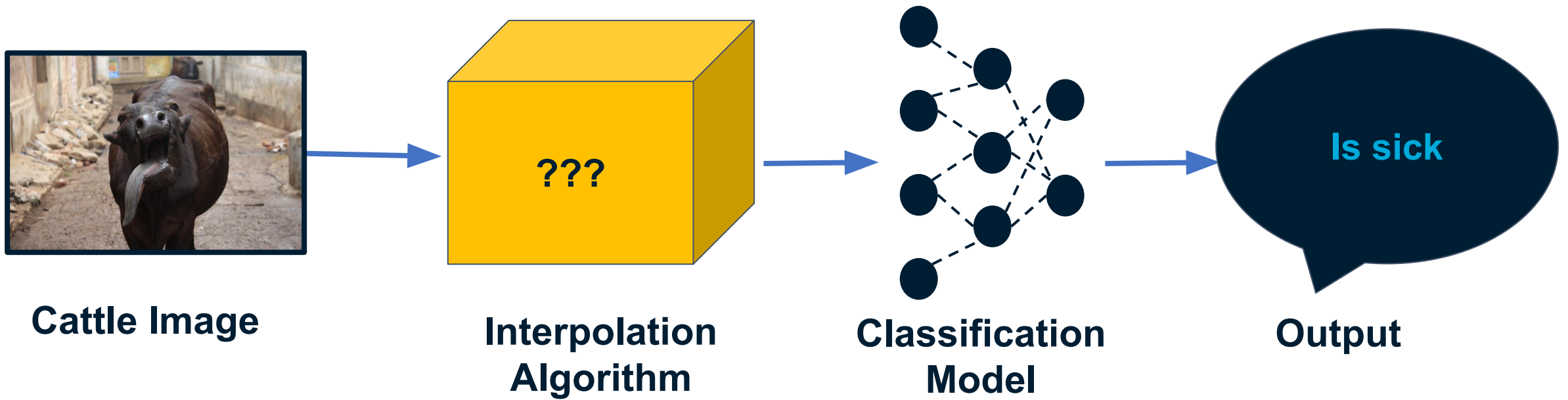
Healthy-Cattle Images



**Classification
Algorithm**



**Classification
Model**



Lossy Compression Algorithm

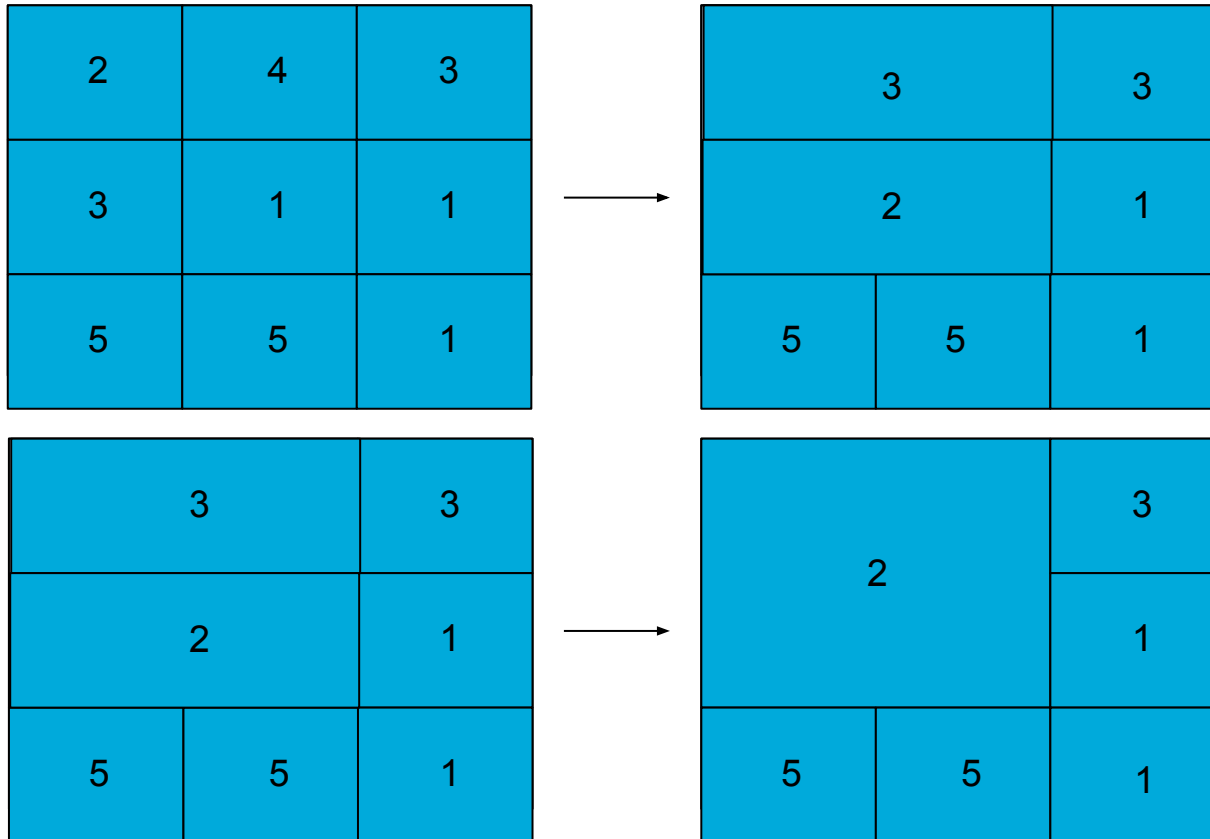


Image compression algorithm - Interpolation Algorithm

The algorithm converts n values into 1 value that represents the average of n values.

Lossy Compression Algorithm



for

2	4
3	1

$$(2+4)/2 = 3 = x1$$

$$(3+1) / 2 = 2 = x2 \longrightarrow$$

$$(x1 + x2) / 2 = 2$$

2



The algorithm iterates over blocks of 4 values and calculates the average of all values.

Test Cases:

back window size: 100
front window size: 1000
of matches found: 32,368
time: 3.08 s

back window size: 100
front window size: 2000
of matches found: 42,774
time: 4.4 s

back window size: 100
front window size: 30000
of matches found: 54,950
time: 6.68

back window size: 4000
front window size: 100
of matches found: 77,83
time: 7,78

Problems to encounter:

1. Time complexity: $O(n^2 * L)$
 - a. n - # of pixels
 - b. L - # of pixels in back window

Conclusion:

Furthermore, while thousands of images are required to correctly train the machine learning model, the time complexity of these algorithms are just too high for the compression ratio it archives.

Even in $O(n * L)$ the compression ratio is just too low for the time taken.

Search Buffer								CP		Lookahead Buffer								Out	
								a	b	r	a	c	a	d	a	b	r	a	(0, 0, a)
								a	b	r	a	c	a	d	a	b	r	a	(0, 0, b)
							a	b	r	a	c	a	d	a	c	r	a		(0, 0, r)
						a	b	r	a	c	a	d	a	b	r	a			(3, 1, c)
			a	b	r	a	c	a	d	a	b	r	a						(2, 1, d)
	a	b	r	a	c	a	d	a	b	r	a								(7, 4, -)

Obstacles with Huffman Coding



Pixel matrix example:

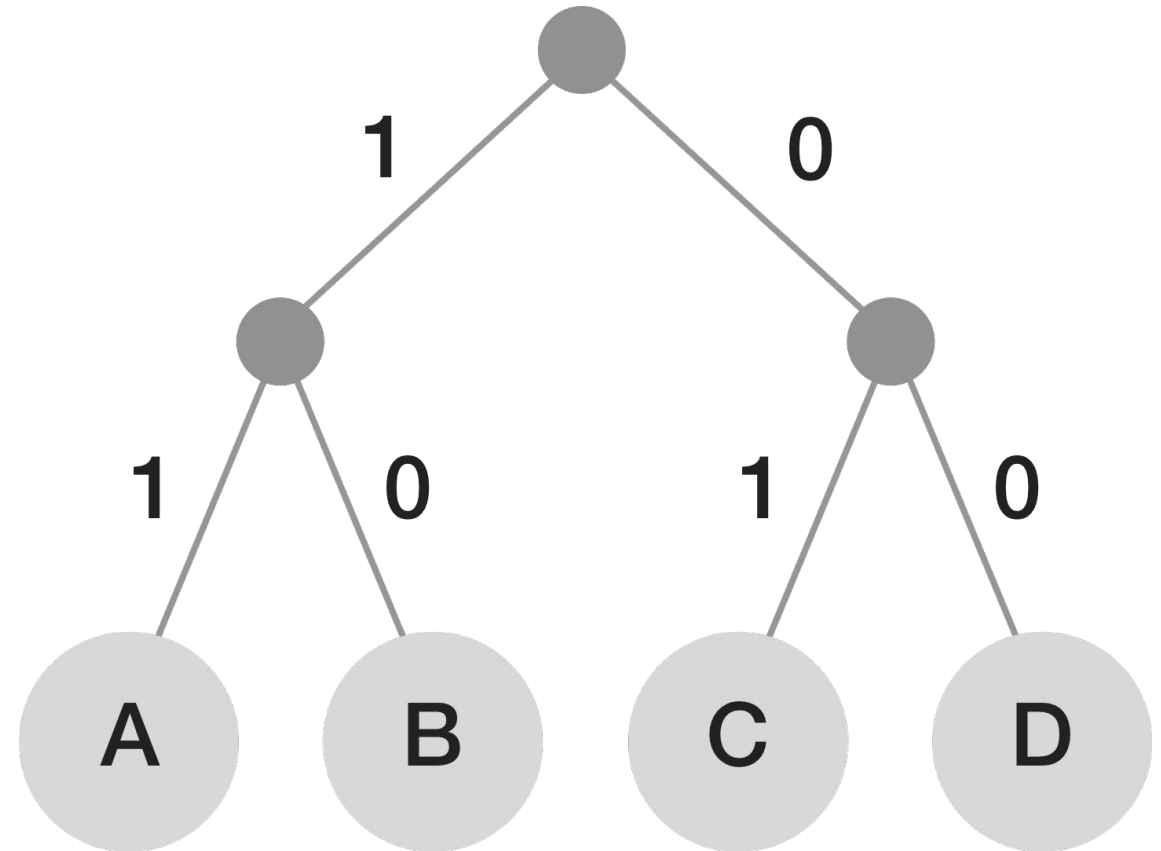
101,85,90,91,92,93,94,105,105,105

Problems to encounter:

1. Each pixel in the matrix has a low frequency, which means that in average, no pixel repeats itself more than 2% of the time.
2. There are 255 unique values in a pixel matrix.
3. The huffman codes tend to grow larger than 8 bits, which is more than the binary representation of the integers that are supposed to replace.

010101011

010100111111



Problems to encounter:

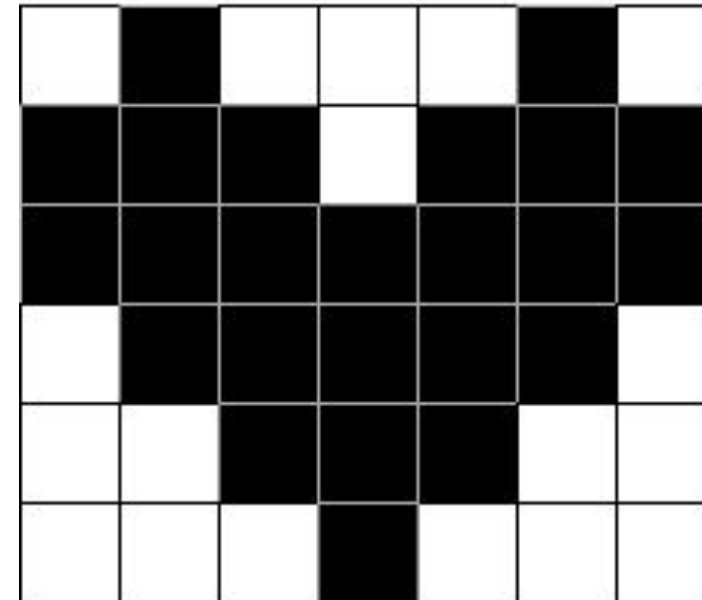
1. This is pretty much, a really straightforward algorithm that works with the frequencies of the same adjacent numbers. The only problem that we could encounter would be if the pixels never repeated.

11111111111154444444
44444333



12*1, 1*5, 12*4, 3*3

Example of Image compression using RLE



W1B1W3B1W1

B3W1B3

B7

W1B5W1

W2B3W2

W3B1W3

We call this algorithm “Restas”

The idea is to store the difference between the current pixel and the subsequent pixel. This will ensure that the numbers we are dealing with, become smaller which can help the RLE compression.

10, 40, 30, 20, 10, 30, 10



30, -10, -10, -10, 20, -20

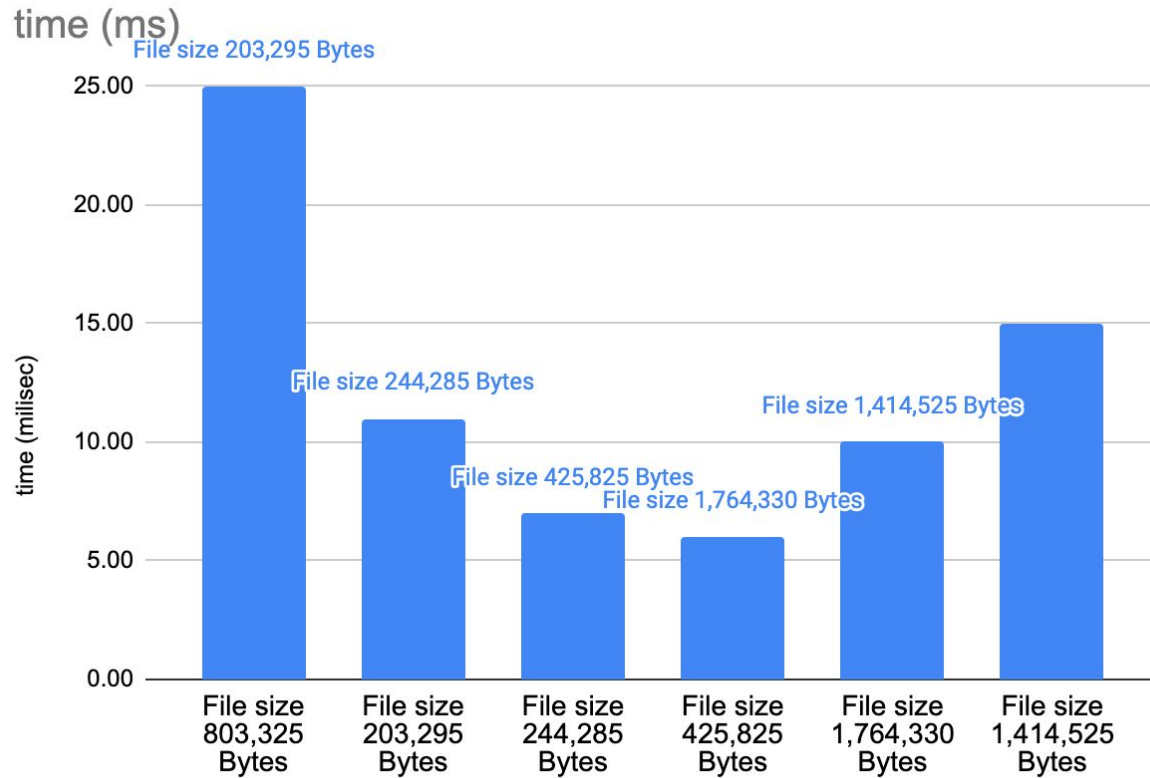
Here, we can clearly see that this can increase the compression of the RLE.



	Time Complexity	Memory Complexity
Image compression	$O(N*M)$	$O(N*M)$
Image decompression	$O(N*M)$	$O(N*M)$

Run length algorithm combined with summations algorithm.
N represents the number of rows in the photograph's pixel matrix and the M represents the number of columns in the photograph's pixel matrix.

Time Consumption LossLess



Main Takeaways:

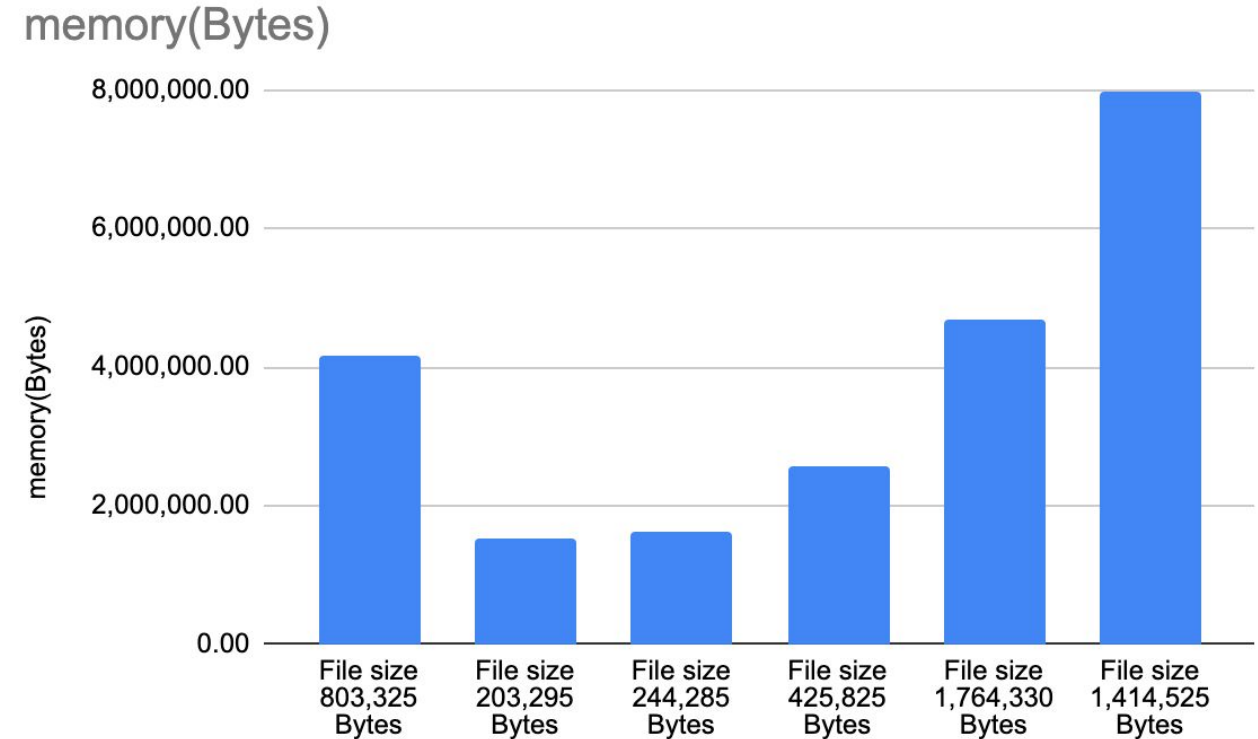
- 1) We are able to keep execution times under one second.
- 2) Low time complexity = low AWS bill.
- 3) The algorithm is able to handle more training data.



Time Consumption

Main Takeaways:

- 1) No more memory that absolutely necessary is needed.
- 2) No polinomic memory complexity.
- 3) low AWS bill



Memory Consumption

	Compression Ratio
Healthy Cattle	20 : 13
Sick Cattle	20 : 13

Average compression ratio for Healthy Cattle and Sick Cattle.



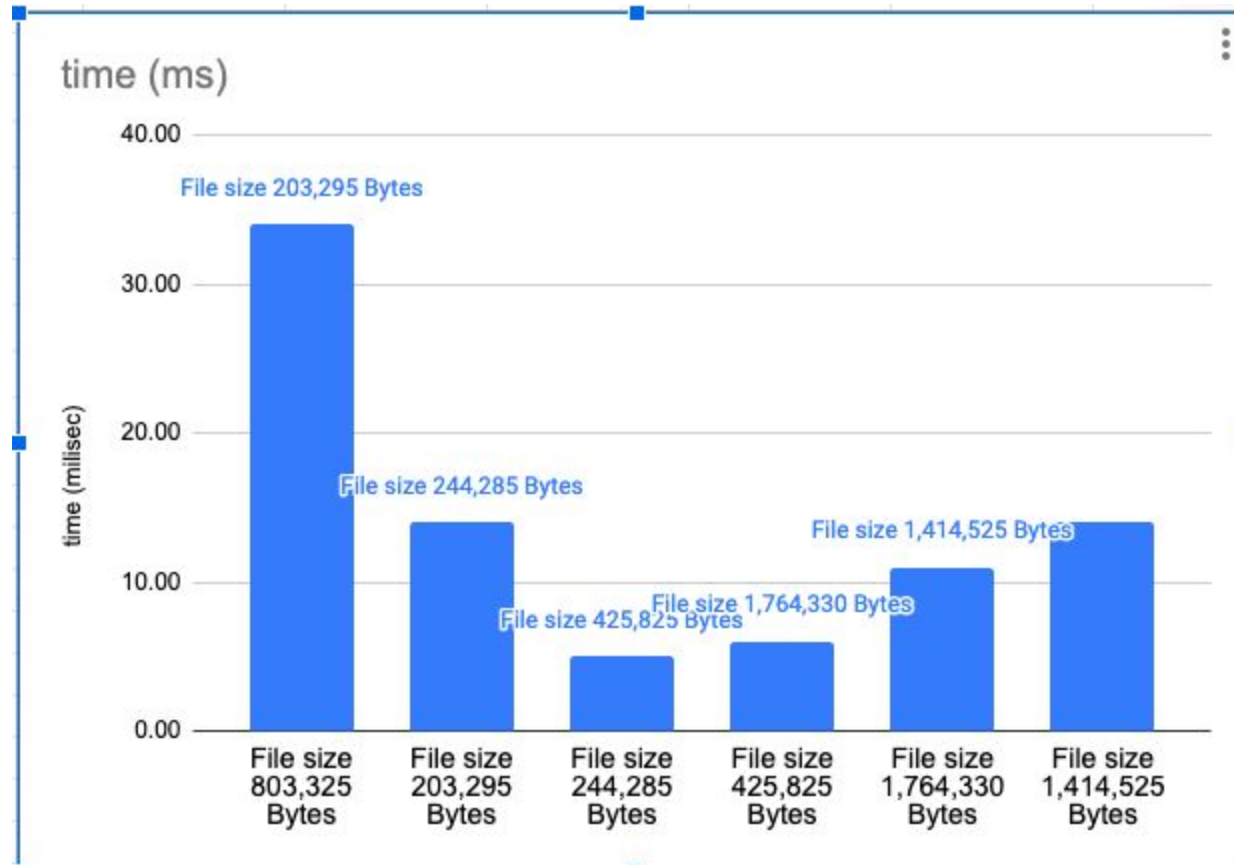
LossLess + Lossy

1. Apply Bilinear Transformation
2. Use the Restas algorithm
3. Run-length Encoding



26,0*23,1,0*3,1,0*3,-2,0*3,1,0*16,-
1,0,-1,0,1,0,1,-1,0*3,1,0*3,3,0*11,1,
0*11,-1,0*3,1,0,1*2,-1,0*3,-1,0*3,1,-
1*2,0,-1,-2,-1,1*2,0*7,-2,1*3,

compress ratio: **68 : 11**





C. Patiño-Forero, M. Agudelo-Toro, and M. Toro. Planning system for deliveries in Medellín. ArXiv e-prints, Nov. 2016. Available at: <https://arxiv.org/abs/1611.04156>



Cornell University

arXiv.org > cs > arXiv:1611.04156

Computer Science > Data Structures and Algorithms

[Submitted on 13 Nov 2016]

Planning system for deliveries in Medellín

Catalina Patiño-Forero, Mateo Agudelo-Toro, Mauricio Toro

Here we present the implementation of an application capable of planning the shortest delivery route in the city of Medellín, Colombia. We discuss the different approaches to this problem which is similar to the famous Traveling Salesman Problem (TSP), but differs in the fact that, in our problem, we can visit each place (or vertex) more than once. Solving this problem is important since it would help people, especially stores with delivering services, to save time and money spent in fuel, because they can plan any route in an efficient way.

Comments: 5 pages, 9 figures

Subjects: **Data Structures and Algorithms (cs.DS)**

ACM classes: F.2.0; G.2.2

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(or [arXiv:1611.04156v1](https://arxiv.org/abs/1611.04156v1) [cs.DS] for this version)



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