DRAFT – Infinite Swapping in Bayesian Inverse Problems. – DRAFT

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Abstract

1 Introduction

2 Bayesian inverse problems

3 Parallel Tempering and the infinite swapping limit

4 Numerical experiments

Acknowledgments

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