# Laboratory practice No. 2: Big O notation

Juan Sebastián Díaz Osorio Universidad Eafit Medellín, Colombia jsdiazo@eafit.edu.co Liz Oriana Rodrigues Cruz Universidad Eafit Medellín, Colombia Iorodriguc@eafit.edu.co

3) Practice for final project defense presentation (next page)

PhD. Mauricio Toro Bermúdez







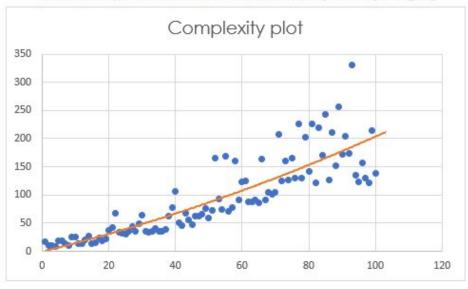
## **3.1** It is answered in next point.

#### 3.2

## Merge sort algorithm

A[] is the array to sortizq is the leftmost indexm is the middle indexder is the rightmost index

# It seems a processor error, but theorically it is O(n\*log n)



#### n (array.length) Time (ms)

#### PhD. Mauricio Toro Bermúdez



## Insertion sort algorithm

```
public static int[] rsort(int[] arr) {
    return rsort(arr, 1);
}

public static int[] rsort(int[] arr, int start) {
    if (arr.length == start) {
        return arr;
    }
    return rsort(insert(arr, start), start + 1);
}

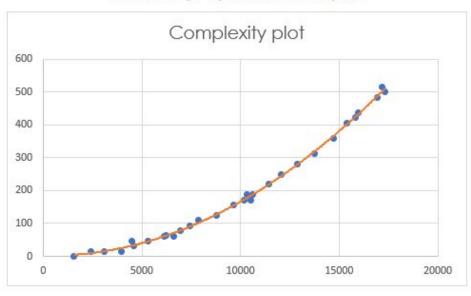
private static int[] insert(int[] arr, int start) {
    if (start == 0) {
        return arr;
    }

    if (arr[start - 1] > arr[start]) {
        arr[start] += arr[start - 1];
        arr[start] -= arr[start - 1];
        return insert(arr, start - 1);
    }

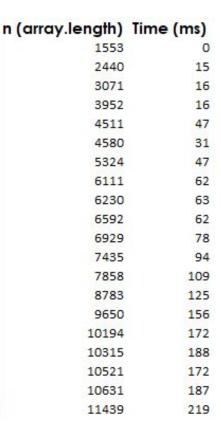
    return arr;
}
```

# arr[] is the array to sort

# It seems O(n^2) and theorically it is



#### PhD. Mauricio Toro Bermúdez







- 3.3 Merge sort is such a good algorithm for big numbers, because its complexity plot shows a slightly increment while n increases.
- 3.4 We can use merge sort in videogames when we manage a big amounts of data.
- 3.5 The answer depends on memory importance. There is memory problems when we try to manage less data with merge sort, though, because this algorithm uses recursion. In that case, we could use a different sort algorithm, like insertion sort.
- 3.6 CodingBat's maxSpan algorithm consists in going over an array length "x" from left to right until the array's length. At the same time the array is gone over from right to left. In this process, the algorithm compares if the value in the arrays positions in both operations is the same. Finally, the program prints the maximum span or range between the both equal values.

Examples:

PhD. Mauricio Toro Bermúdez





#### 3.7 Array 2

countEvens: T(n) = n + C + 1, es O(n)

**bigDiff:** T(n) = n + C + 1, es O(n)

centeredAverage: T(n) = n + C + 1, es O(n)

Return 6

**sum13:** T(n) = n + C + 1, es O(n)

 $sum67: T(n) = n + C_1, es O(n)$ 

# Array 3

**maxSpan:**  $T(n) = \sum n(n - i) [i=0 \text{ to } n] + C + 1, \text{ es } O(n^2)$ 

**fix34:**  $T(n) = \sum n(n-2-i)$  [i=1 to n - 2] + C 1, es  $O(n^2)$ 

fix45: T(n) = n<sup>2</sup> + C 1, es O(n<sup>2</sup>)

canBalance:  $T(n) = \sum n(n-i)$  [i=0 to n] + C 1, es  $O(n^2)$ 

*linearln:* T(n) = n + C + 1, es O(n)

#### PhD. Mauricio Toro Bermúdez





#### 3.8 Array 2

countEvens: O(n) -> n is the array length

**bigDiff:** O(n) -> n is the array length

**CenteredAverage:** O(n) -> n is the array length

**Sum13:**  $O(n) \rightarrow n$  is the array length

**Sum67:**  $O(n) \rightarrow n$  is the array length

# Array 3

maxSpan:  $O(n^2) \rightarrow n$  is the array length

fix34:  $O(n^2) \rightarrow n$  is the array length

fix45:  $O(n^2) \rightarrow n$  is the array length

canBalance:  $O(n^2) \rightarrow n$  is the array length

*linearln:* O(n) -> n is the inner[] length

#### **Practice for midterms** 4)

- 4.1 c)
- 4.2 d)
- 4.3 b)
- 4.4 b)
- 4.5 d)
- 4.6 a)
- 4.7 Answers:
  - 4.7.1 T(n) = n - 1
  - 4.7.2 O(n) = n
- 4.8 a)
- 4.9 d)
- 4.10
- 4.11 c)
- 4.12 b)

#### PhD. Mauricio Toro Bermúdez





- **4.13** c)
- **4.14** a)
- 5) Recommended reading (optional)
  - 5.1 This point was skipped.
- 6) Team work and gradual progress (optional)

We meet once only. This is the record: <a href="https://bit.ly/2MJuJlJ">https://bit.ly/2MJuJlJ</a>
This is the progress report with github commits and Kanban board screenshots <a href="https://bit.ly/34cJSBs">https://bit.ly/34cJSBs</a>





